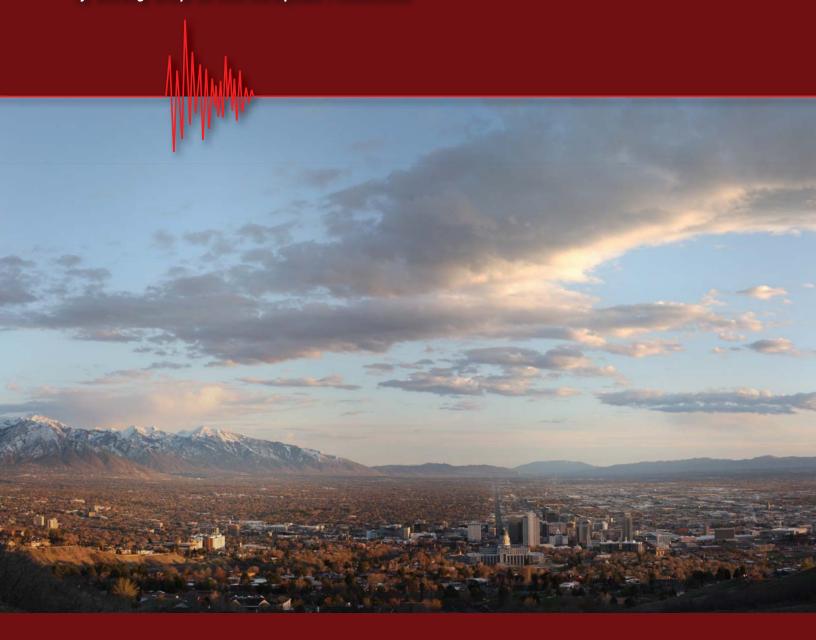
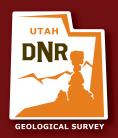
EARTHQUAKE PROBABILITIES FOR THE WASATCH FRONT REGION IN UTAH, IDAHO, AND WYOMING

by Working Group on Utah Earthquake Probabilities







MISCELLANEOUS PUBLICATION 16-3 UTAH GEOLOGICAL SURVEY

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by Working Group on Utah Earthquake Probabilities

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Cover photo: The spectacular relief of the Wasatch Range east of Salt Lake City is the result of recurrent large earthquakes associated with movement on the Wasatch fault zone. Utah's longest and most active fault.

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¹⁰ Now at Olig Seismic Geology, Inc., 519 Francis Drive, Martinez, CA 94553











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ACRONYMS AND ABBREVIATIONS

A rupture area
AF American Fork
AFP antithetic fault pairs
AI Antelope Island segment

A-M area-magnitude

AMRT apparent mean residence time AMS accelerator mass spectrometry

 A_{IV} , A_{V} , A_{VI} , and A_{VII} area shaken at or greater than MMI IV, V, VI, and VII

BC Bowden Canyon
BCS Brigham City segment
BEC Box Elder Canyon

BEM best-estimate moment magnitude

B.P. before present (1950)
BPT Brownian Passage Time
BRP Basin and Range Province

BRPEWG Basin and Range Province Earthquake Working Group
BRPEWGII Basin and Range Province Earthquake Working Group II

¹⁴C radiocarbon

CEUS central and eastern U.S.
CMS Clarkston Mountain segment
COV coefficient of variation
CR conversion relationship
CRC cumulative recurrence curve

 $\begin{array}{ccc} CS & & Collinston \ segment \\ D_{ave} & & average \ displacement \\ D_{max} & & maximum \ displacement \end{array}$

DC Deep Creek

DEM digital elevation model DOE U.S. Department of Energy

DTGR doubly truncated Gutenberg-Richter

EBR extended border region ECFZ East Cache fault zone

E[M] uniform estimate of moment magnitude

EO East Ogden

EPRI Electric Power Research Institute
ERZ standard vertical hypocentral error

ET East Tintic segment
ETMF East Tintic Mountains fault

FA total felt area

FI Fremont Island segment

FS Fayette segment GC Garner Canyon

GEM Global Earthquake Model
GPS Global Positioning Satellite
GSLFZ Great Salt Lake fault zone

HC Hansen Canyon

IRSL infrared stimulated luminescence

I₀ intensity at the epicenter ISB Intermountain Seismic Belt

K Kaysville

ka thousand years ago
KC Kotter Canyon
K-S Kolmogorov-Smirnov

kyr thousand years

LCC Little Cottonwood Canyon

 $\begin{array}{cc} LS & \quad Levan \ segment \\ L_{seg} & \quad linear \ segment \ length \end{array}$

 L_{sub} linear subsurface rupture length L-F Levan and Fayette segments

 $\begin{array}{lll} M & & \text{moment magnitude} \\ \text{Ma} & & \text{million years ago} \\ \text{m}_{b} & \text{body-wave magnitude} \\ \text{M}_{C} & \text{coda magnitude} \\ \text{M}_{\text{char}} & \text{characteristic magnitude} \end{array}$

MCS Malad City segment
MD duration magnitude
ML Richter local magnitude
mm/yr millimeters per year
MMI Modified Mercalli Intensity

MN Mapleton North M_0 seismic moment

 $\begin{array}{lll} M_{obs} & observed \ moment \ magnitude \\ MRE & most \ recent \ earthquake \\ MS & Mapleton \ South \\ MSR & multi-segment \ rupture \\ M_T & threshold \ magnitude \\ \end{array}$

N* effective number of earthquakes

NASA National Aeronautics and Space Administration

NC North Creek

NEHRP National Earthquake Hazards Reduction Program
NEPEC National Earthquake Prediction Evaluation Council

NO Northern Oquirrh segment
NRC Nuclear Regulatory Commission

NS Nephi segment

NSHM National Seismic Hazard Maps

nstr/yr nanostrains per year

NVTD net vertical tectonic displacement

OFZ Oquirrh fault zone

OGSLFZ Oquirrh-Great Salt Lake fault zone
OSL optically stimulated luminescence

P(a) probability of activity
PC Pearsons Canyon
PD Penrose Drive

PDF probability density function

PP Pole Patch
PS Provo segment

PSHA probabilistic seismic hazard analysis

PY Promontory segment

RC Rice Creek
REC Red Canyon
ROC Rock Canyon
RZ Rozelle segment
SFDC South Fork Dry Creek
SLCS Salt Lake City segment
SO Southern Oquirrh segment

SOMFZ Southern Oquirrh Mountains fault zone

SP Skinner Peaks
SQ Santaquin
SR slip rate

SRL surface-rupture length

SRL-M surface rupture length–magnitude SSC seismic source characterization

SSR single-segment rupture
TH Topliff Hill segment
THFZ Topliff Hills fault zone

UCERF Unified California Earthquake Rupture Forecast

UGS Utah Geological Survey
ULFF Utah Lake faults and folds

UQFPWG Utah Quaternary Fault Parameters Working Group

USGS U.S. Geological Survey

UTR Utah Region

UTREXT Extended Utah Region UU University of Utah

UUSS University of Utah Seismograph Stations

WC Willow Creek
WFZ Wasatch fault zone

WGCEP Working Groups on California Earthquake Probabilities WGUEP Working Group on Utah Earthquake Probabilities West

WVFZ Valley fault zone

EARTHQUAKE PROBABILITIES FOR THE WASATCH FRONT REGION IN UTAH, IDAHO, AND WYOMING

by Working Group on Utah Earthquake Probabilities

EXECUTIVE SUMMARY

In a letter to *The Salt Lake Daily Tribune* in September 1883, U.S. Geological Survey (USGS) geologist G.K. Gilbert warned local residents about the implications of observable fault scarps along the western base of the Wasatch Range. The scarps were evidence that large surface-rupturing earthquakes had occurred in the past and more would likely occur in the future. The main actor in this drama is the 350-km-long Wasatch fault zone (WFZ), which extends from central Utah to southernmost Idaho. The modern Wasatch Front urban corridor, which follows the valleys on the WFZ's hanging wall between Brigham City and Nephi, is home to nearly 80% of Utah's population of 3 million. Adding to this circumstance of "lots of eggs in one basket," more than 75% of Utah's economy is concentrated along the Wasatch Front in Utah's four largest counties, literally astride the five central and most active segments of the WFZ.

Since the late 1960s, abundant paleoseismic data on the timing and size of prehistoric surface-rupturing earthquakes have been collected on the WFZ and other faults in Utah's Wasatch Front region, which extends into southeastern Idaho and southwestern Wyoming (Figure ES-1). Motivated in part by the recent development of improved methods to analyze paleoseismic data, the Working Group on Utah Earthquake Probabilities (WGUEP) was formed in January 2010, under the auspices of the Utah Geological Survey (UGS) and the USGS, to evaluate the probabilities of future occurrence of moderate-to-large earthquakes in the Wasatch Front region. The working group consisted of 14 geologists, seismologists, and engineers affiliated with diverse Federal, State, academic, and consulting organizations.

The WGUEP's goal was to develop probabilistic earthquake forecasts for the Wasatch Front region that include: (1) combined time-dependent and time-independent probabilities of large earthquakes for the five central segments of the WFZ and two segments of the Great Salt Lake fault zone, (2) time-independent probabilities for less well-studied faults, and (3) estimates of the time-independent probabilities of background earthquakes not associated with known or mapped faults in the moment magnitude (M) 5.0 to 6.75 range.

The WGUEP provides these forecasts with the hope that they will help heighten the public's awareness and understanding of the region's seismic hazards, just as the forecasts of the Working Groups on California Earthquake Probabilities (WGCEP) have successfully done. Our consensus-based time-

dependent and time-independent earthquake probabilities in the Wasatch Front region are not only useful for regional hazard analyses, they also provide a robust basis for site-specific probabilistic seismic hazard analyses (PSHAs) for the safe design and evaluation of critical structures and facilities. Further, our time-dependent probabilities for fault ruptures can be incorporated into the PSHAs that will underpin urban seismic hazard maps planned by the USGS for the Wasatch Front region. Additionally, our earthquake forecasts can aid in developing public policies leading to more effective, sustained earthquake mitigation efforts in the Wasatch Front region.

Similar to the approach used by the 2008 WGCEP, the WGUEP methodology relies on four basic model components: a seismic source model, a deformation model, an earthquake rate model, and a probability model. In general, the seismic source model characterizes the physical geometry of the known faults; the deformation model gives recurrence intervals and/or slip rates for each fault segment and/or fault; the earthquake rate model gives the long-term rate of all earthquakes throughout the region above a specified threshold (in this case M 5.0 and greater); and the probability model gives a probability for earthquakes of different size over a specified time period. However, some significant differences exist between the WGUEP and the 2008 WGCEP model components; the WGUEP counterparts are much simpler due in large part to the availability of robust paleoseismic data for the WFZ and other faults in the Wasatch Front region.

Our probability model describes how earthquakes are distributed in time. The simplest version is the time-independent Poisson (memoryless) model, which assumes that each earthquake is completely independent of the timing of all other events. For example, with this model it makes no difference in the forecast for the Salt Lake City segment whether its last rupture occurred yesterday or 1000 years ago. Following the lead of the 2008 WGCEP, we have used only one time-dependent model, the Brownian Passage Time (BPT) model. The BPT model is a stress-renewal model that computes the probability of each segment rupturing conditioned on the length of time since the last event.

The WGUEP seismic source model consists of six groups of seismic sources: (1) the five central segments of the WFZ, (2) the end segments of the WFZ, (3) the combined Oquirrh–Great Salt Lake fault zone (OGSLFZ), (4) antithetic fault pairs (two faults that intersect each other at depth and may rupture coseismically), (5) significant other faults

in the Wasatch Front region, and (6) crustal background earthquakes. Background earthquakes are defined as those events less than \mathbf{M} 6.75 \pm 0.25 that cannot be associated with a known fault. A classic example of a background earthquake within the Wasatch Front region is the 1975 \mathbf{M} 6.0 Pocatello Valley, Idaho, earthquake.

The 350-km-long WFZ consists of 10 segments that are thought to have ruptured repeatedly and independently in large magnitude ($M \ge 6.75$) earthquakes. The five central segments from north to south are the Brigham City, Weber, Salt Lake City, Provo, and Nephi segments (Figure ES-1). These central segments are thought to be the most hazardous, because each segment has had multiple large Holocene (past 11,700 yrs) earthquakes that have produced surface rupture. Detailed geologic investigations at 23 paleoseismic sites on these segments have yielded data on the timing of past earthquakes and/or measured singleevent fault displacements. The resulting data show that at least four to five earthquakes large enough to cause surface rupture have occurred on each central segment in the past ~6000 years. Despite the abundant paleoseismic data, a number of important questions needed to be considered in the WGUEP forecast. For example, although the paleoseismic data generally support the prevailing segmentation model for the WFZ, is it possible that adjacent segments have ruptured together, in whole or part, during a single large earthquake? To address the questions and reduce uncertainties in the sizes and timing of past events, we extensively and systematically reviewed and analyzed all of the available paleoseismic data for the five central segments.

At least 22 surface-faulting earthquakes have ruptured the central segments of the WFZ since about 6000 years ago, based on our analysis of all of the paleoseismic data and assuming that each earthquake ruptured a single segment of the fault zone. Using our revised surface-faulting earthquake histories for each segment, we calculated inter-event and mean recurrence intervals, which indicate a moderately periodic pattern of earthquake recurrence on the central WFZ as a whole: inter-event times for the segments range from 700 to 2700 years, and mean recurrence intervals range from 900 to 1500 years, similar to a composite mean recurrence interval for the central WFZ of about 1200 years.

Although we favor single-segment ruptures as the dominant earthquake process on the WFZ, we addressed uncertainties in the model by constructing rupture models that include both single- and multi-segment ruptures and by defining spatial uncertainties in the segment-boundary locations. We developed the models following our evaluation of possible multi-segment ruptures, which relied mostly on per-segment earthquake timing and displacement data. A companion unsegmented model allows potential "floating" ruptures along the WFZ that ignore the location of segment boundaries, thus complementing the range of possible ruptures included in the segmented models. The single-segment rupture model

received more weight than those including multi-segment ruptures based on the significant timing differences in the youngest and best-constrained earthquakes along the fault, unique surface-faulting histories per segment, displacement-per-event data, and the presence of prominent bends or stepovers in the fault trace and/or basin depth changes at the segment boundaries. Characteristic magnitudes for the central WFZ segments range from a best-estimate M 7.1 for the Brigham City segment to M 7.3 for the Provo segment.

In addition to examining the central WFZ segments, we reviewed and evaluated paleoseismic data for other faults in the region to develop rupture models, characteristic earthquake, and rate information (earthquake timing and/or fault slip rates) for input into the WGUEP forecasts. These other faults included: (1) the end segments of the WFZ; (2) the OGSLFZ, particularly the Antelope Island and Fremont Island segments of the Great Salt Lake fault; (3) antithetic fault pairs such as the West Valley fault zone and the Salt Lake City segment of the WFZ; and (4) 45 other faults and fault segments in the Wasatch Front region.

Paleoseismic data for the five central segments of the WFZ as well as the Antelope Island and Fremont Island segments of the Great Salt Lake fault zone are sufficiently robust that we analyzed them in both a time-dependent and time-independent manner. The WFZ end segments, the Oquirrh fault zone, and all other faults were treated solely in the traditional time-independent manner due to insufficient information for a time-dependent analysis.

The background earthquake model depicts the fraction of future mainshocks in the Wasatch Front region that are expected to occur on seismic sources other than faults identified in the WGUEP fault model. For purposes of the WGUEP forecast, the background earthquake model provides rates for future mainshocks of \mathbf{M} 5.0 or greater up to a maximum of \mathbf{M} 6.75 \pm 0.25. The probabilities for background earthquakes were treated only in a time-independent manner.

We compiled and processed an up-to-date historical and instrumental earthquake catalog for the background earthquake model that meets the needs of state-of-practice seismic hazard analysis, namely a catalog that: (1) is complete in terms of accounting for all known earthquakes in the magnitude range of interest; (2) assigns a uniform moment magnitude to each event; (3) identifies "dependent" events (foreshocks, aftershocks, and the smaller events of earthquake swarms) in earthquake clusters that can be removed for statistical analysis of mainshock recurrence parameters; (4) excludes non-tectonic seismic events such as blasts and mining-induced seismicity; and (5) quantifies the uncertainty and rounding error associated with the assigned magnitude of each earthquake.

Geodetic data were used in the most recent WGCEP forecasts and are increasingly being used in probabilistic seismic hazard analyses to estimate fault slip rates. Because of

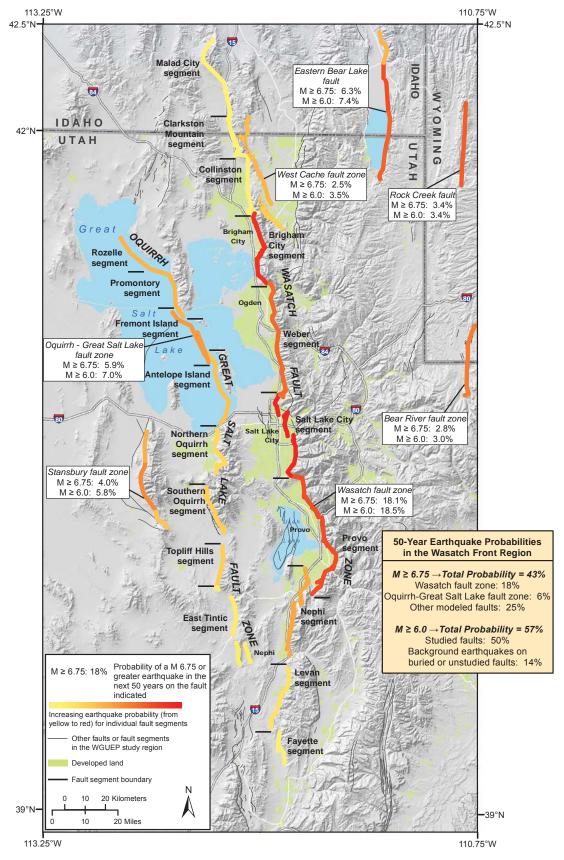


Figure ES-1. Probabilities of one or more earthquakes of **M** 6.0 and 6.75 or greater in the next 50 years (2014–2063) in the Wasatch Front region. "Other modeled faults" are those faults other than the Wasatch and the Oquirrh–Great Salt Lake fault zones. "Studied faults" include the Wasatch and Oquirrh–Great Salt Lake fault zones and the other modeled faults. Shaded topography generated from 90-m digital elevation data (https://eros.usgs.gov/elevation-products).

discrepancies observed in previous studies between geodetic moment rates and geological/seismological moment rates in the Wasatch Front region, we compared these rates for both the Wasatch Front region as a whole and four subregions. The geodetic moment rates for the Wasatch Front region, and for three of its four subregions, are consistent with the geological/seismological moment rates calculated for the WGUEP earthquake rate model. The geodetic moment rates are not consistent with the WGUEP earthquake rate model in the fourth subregion, an area that encompasses the Levan and Fayette segments of the WFZ. Further work is needed to identify the cause of this moment rate discrepancy; however, regardless of the cause of the discrepancy, we do not expect it to significantly affect the WGUEP forecast for the Wasatch Front region as a whole.

4

Based on the inputs summarized above, Figures ES-1 and ES-2 summarize earthquake probabilities in the Wasatch Front region in the next 50 years. The probability of one or more large ($\mathbf{M} \geq 6.75$) earthquakes occurring in the Wasatch Front region in the time period of 2014 to 2063 is 43%. This regional probability is for earthquakes on all of the characterized faults and the background seismicity. The probability of one or more earthquakes of \mathbf{M} 6.0 or larger in the Wasatch Front region in the next 50 years is 57% (Figure ES-1). In addition to the probabilities shown on Figures ES-1 ans ES-2, the probability of one or more earthquakes of \mathbf{M} 5.0 or larger in the Wasatch Front region in the next 50 years is 93%.

A significant contribution to these total probabilities comes from the WFZ and OGSLFZ. The total probability of at least one earthquake of **M** 6.75 or larger on either of these two fault zones is 23% in the next 50 years. The total probability from the other modeled faults is 25% due in part to some significant contributions from faults with higher slip rates such as the Eastern Bear Lake and Stansbury fault zones (Figure ES-1). The Eastern Bear Lake fault has a probability of 6.3% for one or more earthquakes of **M** 6.75 or larger in the next 50 years (Figure ES-1). For one or more earthquakes of **M** 6.0 or larger on the other faults, the 50-year probability is 34%. For background earthquakes of **M** 6.0 or larger on buried or unknown faults, the 50-year probability is 14%.

Figure ES-2 shows the 50-year probabilities for earthquakes of **M** 6.75 or larger on selected fault segments. For example, the probabilities on the Salt Lake City, Brigham City, Provo, and Weber segments are 5.8%, 5.6%, 3.9%, and 3.2%, respectively. The 50-year probability on the Nephi segment is relatively low at only 1.8% because its most recent rupture occurred only about 300 years ago. Although these individual probabilities might seem small, the total probability for an earthquake of **M** 6.75 or larger somewhere on the WFZ in the next 50 years is 18%. In the next 100 years, the probability increases to 33%. Such a large earthquake occurring anywhere along the WFZ will result in significant damage to communities in the Wasatch

Front region and to the economy of the region as a whole (e.g., see Earthquake Engineering Research Institute, 2015).

Considering that the average age of Utah's citizens is the youngest in the nation with a median age of 29.2 years, there is a realistic chance that many current residents of the Wasatch Front region will experience a large earthquake in their lifetimes. Preparing for earthquakes requires an awareness that even earthquakes in the M 5 range can cause significant localized damage in urbanized areas, and the probability of earthquakes of this size occurring in the coming decades is very high.

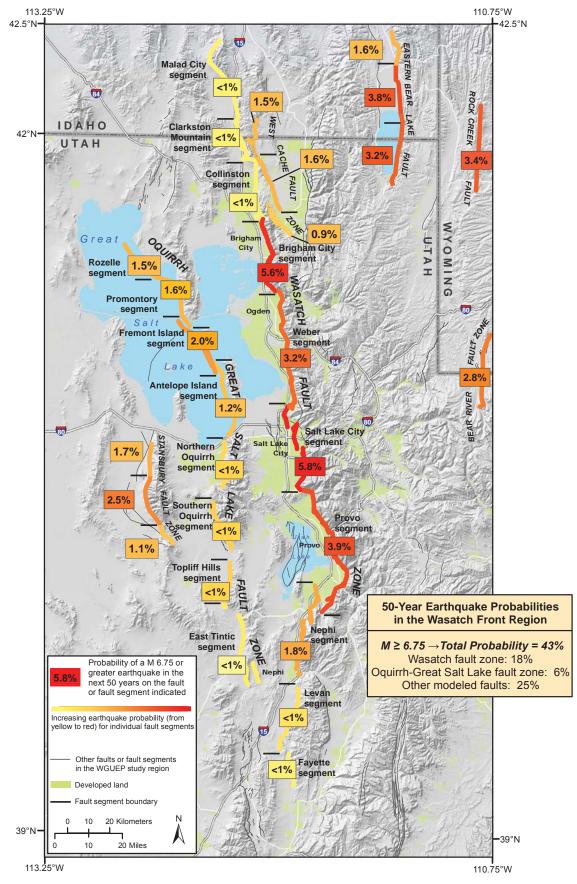


Figure ES-2. Probabilities of one or more earthquakes of **M** 6.75 or greater in the next 50 years for selected faults and fault segments. Shaded topography generated from 90-m digital elevation data (https://eros.usgs.gov/elevation-products).

1 INTRODUCTION

On July 24, 1847, when Mormon pioneers first viewed the Salt Lake Valley, Brigham Young famously pronounced, "This is the right place"—the place of destiny and refuge they had been seeking. By the time of Young's death in 1877, Mormon pioneers had extensively colonized most of what we now recognize as Utah's main seismic belt, notably along the Wasatch Front, the western escarpment of the Wasatch Range that forms the eastern topographic boundary of the Basin and Range Province (BRP). The dramatic topographic expression of the Wasatch Front signals active tectonic forces inexorably at work.

In his classic letter to The Salt Lake Daily Tribune in September 1883, G.K. Gilbert, then a senior geologist with the newly formed U.S. Geological Survey (USGS), warned local residents about the implications of observable fault scarps along the western base of the Wasatch Range large surface-rupturing earthquakes had occurred before Mormon settlement and more would occur in the future. The main actor in this drama of course is the 350-km-long Wasatch fault zone (WFZ), which extends from central Utah to southernmost Idaho (Figure 1-1). The modern Wasatch Front urban corridor, which follows the valleys on the WFZ hanging wall between Brigham City and Nephi, is home to nearly 80% of Utah's population of 3 million. Adding to this circumstance of "lots of eggs in one basket," more than 75% of Utah's economy is concentrated along the Wasatch Front in Utah's four largest counties, literally astride the five central and most active segments of the WFZ.

In the past two decades, estimates of the probabilities of large earthquakes occurring in a specified time period in California have been developed by special working groups. Studies have been done for the San Francisco Bay area (Working Group on California Earthquake Probabilities [WGCEP], 1988, 1990, 1999, 2003), for southern California (WGCEP, 1995), and most recently, for California statewide as part of the Unified California Earthquake Rupture Forecast (UCERF) (WGCEP, 2008, 2014). The purpose of these studies was to calculate time-dependent probabilities of large earthquakes on major faults where requisite information was available on the expected mean frequency of earthquakes and the elapsed time since the most recent large earthquake (MRE). Where such information was lacking on less well-studied faults, time-independent probabilities were estimated. The key to making reliable earthquake probabilistic forecasts has been the availability of the requisite data.

The WGCEP reports have found a broad audience. Their probabilities have been successfully used to heighten public awareness of earthquake hazards, as a basis for lifeline infrastructure agencies to set priorities for retrofitting their systems, as motivation for municipalities to adopt unreinforced masonry retrofit ordinances, and for setting earthquake

insurance rates. The characterization of earthquake sources has also provided the seismic source characterization input for California in the USGS National Seismic Hazard Maps (NSHMs). Similar to what has occurred in California, an authoritative consensus-based estimate of earthquake probabilities, developed and reviewed by the earth science community, can be incorporated into public policies in the Wasatch Front region that can help drive greater and more sustained earthquake mitigation efforts.

The level of information on past earthquakes on the WFZ and to a lesser extent on other regional faults, along with available information on regional seismicity, is now sufficiently robust to provide the requisite data for making probabilistic estimates of future large earthquakes along the WFZ and within the Wasatch Front region as defined on Figure 1-1. The methodologies necessary to estimate such probabilities have been developed and refined by the various California working groups and can now be applied in Utah. Previous estimates of WFZ earthquake probabilities, using information available at the time, have been made by Nishenko and Schwartz (1990), McCalpin and Nishenko (1996), McCalpin (2002) (Salt Lake City segment only), and Wong *et al.* (2002). The updated probabilities in this report supersede estimates made in these earlier studies.

A consensus-based earthquake forecast for the Wasatch Front region can have varied practical value beyond raising earthquake awareness and influencing public policy-making. The authoritative model components of the forecast provide a robust foundation for up-to-date probabilistic seismic hazard analyses (PSHA), both regional and site-specific. A principal regional application will be the incorporation of the model components into the next generation of NSHMs, which are the basis for building code provisions of the National Earthquake Hazards Reduction Program (NEHRP). On a finer scale, our time-dependent earthquake probabilities can be an important element of the PSHAs that will underpin urban seismic hazard maps for parts of the Wasatch Front region that are planned by the USGS for the Wasatch Front region. Site-specific PSHAs for critical structures and facilities can directly build upon the model components of the forecast.

1.1 Background

The WFZ is the most studied Quaternary normal fault in the world (e.g., Swan *et al.*, 1980; Lund *et al.*, 1991; Machette *et al.*, 1991, 1992; Black *et al.*, 1996; Lund and Black, 1998; Lund, 2005; Nelson *et al.*, 2006; Olig *et al.*, 2006; Machette *et al.*, 2007; DuRoss *et al.*, 2008, 2009, 2012; Personius *et al.*, 2012). Paleoseismic evidence indicates that the fault is separated into seismogenic segments with relatively persistent boundaries between prehistoric surface ruptures (Schwartz and Coppersmith, 1984; Machette *et al.*, 1991; DuRoss, 2008) (Figure 1-2). Repeated Holocene surface-faulting earthquakes are well documented along the five central segments,

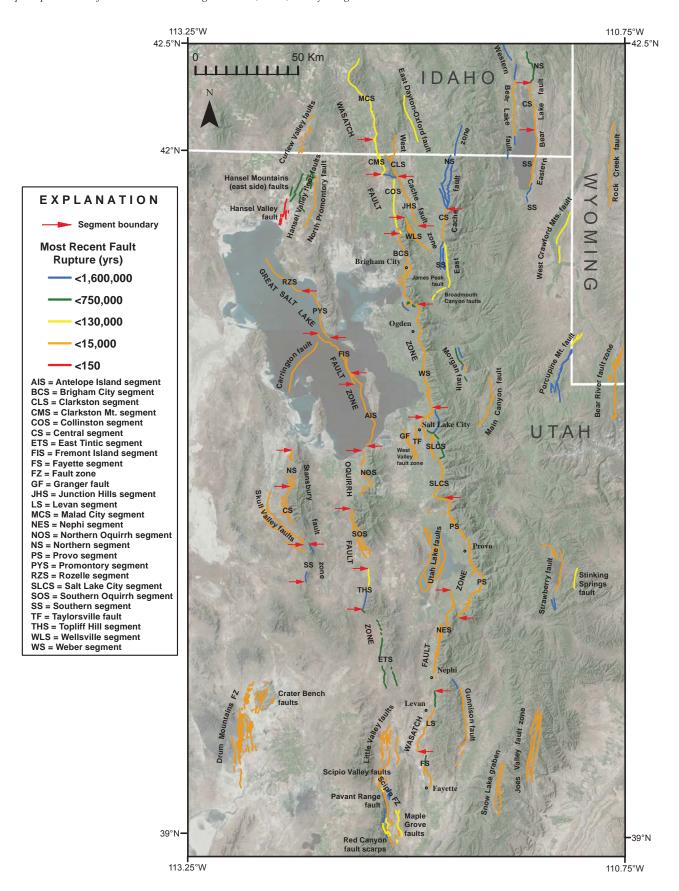


Figure 1-1. Wasatch Front region as defined for this study, which extends from 39.0° to 42.5°N latitude and 110.75° to 113.25°W longitude. Faults and fault segments shown are considered in the WGUEP probabilistic earthquake forecast. Base imagery from the USGS and National Aeronautics and Space Administration (NASA) (https://imagery.arcgisonline.com).

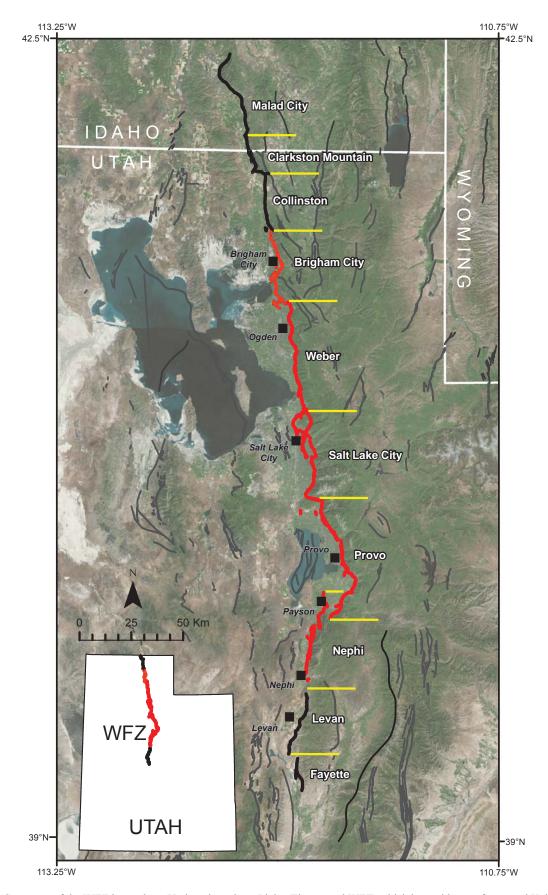


Figure 1-2. Segments of the WFZ in northern Utah and southern Idaho. The central WFZ, which has evidence of repeated Holocene surface-faulting earthquakes, is shown in red; end segments of the WFZ are shown in black. Other Quaternary faults in northern Utah are shown in dark gray. Fault traces from Black *et al.* (2003); base map is true-color satellite image (http://visibleearth.nasa.gov/view.php?id=55874).

which bound the valleys where most of Utah's population resides, and recurrence intervals are typically between one and a few thousand years (Machette et al., 1992; Lund, 2005). For the central segments, the Utah Quaternary Fault Parameters Working Group (UQFPWG) assigned consensus recurrence rates based on paleoseismic trenching information available up to 2005 (Lund, 2005). Since 2005, new data have become available for the Provo segment (Olig et al., 2006), the Nephi segment (DuRoss et al., 2008; Machette et al., 2007; Crone et al., 2014), the Weber segment (Nelson et al., 2006; DuRoss et al., 2009), and the Brigham City segment (DuRoss et al., 2012; Personius et al., 2012). Additionally, detailed paleoseismic trenching studies have been completed for the northern part of the Salt Lake City segment (DuRoss et al., 2014), the subparallel West Valley fault zone (Hylland et al., 2014), and the Nephi segment (DuRoss, 2014). The Salt Lake City segment and the Brigham City segment have the highest time-dependent hazard of the WFZ segments based on the long elapsed times since their most recent earthquakes (Wong et al., 2002).

Using then-available data and methods, McCalpin and Nishenko (1996) calculated both time-dependent and time-independent probabilities for the central WFZ. For the WFZ as a whole, they calculated Poisson (time-independent) probabilities of an earthquake of moment magnitude (M) 7.0 and larger to be 13% for 50 years and 25% for 100 years. Their time-dependent estimates for the Brigham City and Salt Lake City segments range up to 26% and 25%, respectively, in a 50-year period, and 46% and 57%, respectively, in a 100-year period. Time-dependent probabilities for the Weber, Provo, and Nephi segments were low (< 0.03) because each of those segments produced a large earthquake fairly recently (Mc-Calpin and Nishenko, 1996). Wong et al. (2002), following the approach of the WGCEP (1999), calculated time-dependent probabilities and equivalent Poisson recurrence intervals (Section 7.2.2) that could be incorporated into hazard analyses for the Salt Lake City and Brigham City segments. They assumed a log-normal renewal model to calculate time-dependent probabilities for the next 50 years. The Brigham City segment is characterized by relatively short equivalent Poisson recurrence intervals due to its long elapsed time of 2,100 years compared to the mean recurrence interval of 1280 years over the past approximately 9,000 yr B.P. (Wong et al., 2002). The elapsed time on the Salt Lake City segment is close to the mean recurrence over the past 6,000 yr B.P., so its equivalent Poisson intervals are also relatively short. The time-dependent hazard along the Wasatch Front has been continually updated since 2002 by URS Corporation (URS), and the results have been presented at professional meetings although not published (Olig et al., 2005; Wong et al., 2007, 2009).

1.2 Scope of Study

In response to the need for a forecast of earthquake probabilities in the Wasatch Front region, 14 selected expert

geologists, seismologists, and engineers from Federal and State organizations, academia, and the private sector joined together under the auspices of the Utah Geological Survey (UGS) and the USGS to form the Working Group on Utah Earthquake Probabilities (WGUEP). The WGUEP members are:

Ivan Wong (Chair)	URS Corporation (now at Lettis Consultants International, Inc.)
William Lund (Coordinator)	UGS
Walter Arabasz	University of Utah Seismograph Stations (UUSS)
Anthony Crone (USGS liaison)	USGS
Christopher DuRoss	UGS (now at USGS)
Michael Hylland	UGS
Nicolas Luco	USGS
Susan Olig	URS Corporation (now at Olig Seismic Geology, Inc.)
James Pechmann	UUSS
Steve Personius	USGS
Mark Petersen (NSHM liaison)	USGS
David Schwartz	USGS
Robert Smith	University of Utah
Patricia Thomas	(UU) URS Corporation (now AECOM)

The goal of the WGUEP was to develop an earthquake forecast for the Wasatch Front region (Figure 1-1) that includes the following earthquake probability estimates:

- Segment-specific time-dependent and time-independent probabilities of characteristic earthquakes on the five central segments of the WFZ.
- Time-dependent and time-independent probabilities for the whole WFZ for earthquakes of M ≥ 6.0 and M ≥ 6.75.
- Segment-specific and fault-specific time-dependent and time-independent probabilities for earthquakes of M ≥ 6.0 and M ≥ 6.75 on the two southern segments of the Great Salt Lake fault zone.
- Time-independent probabilities for earthquakes of M
 ≥ 6.0 and M ≥ 6.75 on other significant faults in the
 Wasatch Front region.
- Time-independent probabilities for background earthquakes in the Wasatch Front region for a range of magnitudes starting at M ≥ 5.0.
- Time-dependent and time-independent probabilities for all earthquake sources in the Wasatch Front region for a range of magnitudes starting at M ≥ 5.0.

Note that in the WGCEP approach, no fault was assigned a time-dependent model with a weight of 1.0. Some weight was always given to a time-independent model.

In addition to the WFZ and the Oquirrh–Great Salt Lake fault zone (OGSLFZ), 45 other faults and fault segments in the Wasatch Front region (Figure 1-1) were systematically treated as part of the earthquake forecast for this study (Section 4.5). The quantity and quality of available paleoseismic information for these other modeled faults is highly variable (see for instance Black *et al.*, 2003; Lund, 2005), and many have no paleoseismic trenching data. Available data were only sufficient to make a time-independent earthquake forecast for these faults.

The WGCEP emphasized 30-year probabilities, which is an appropriate time interval given the high fault slip rates along the San Andreas transform plate boundary. In contrast, deformation rates in the Wasatch Front region are an order of magnitude lower than in California. Consequently, the WGUEP calculated the probabilities for a range of intervals ranging from 30 to 100 years although we emphasize the 50-year values (Section 8).

The WGUEP employed a methodology (Section 7) that is similar in some respects to that used in the UCERF process (WGCEP, 2008). Four model components were implemented in our effort (Section 2): a fault model, a deformation model, an earthquake rate model, and a probability model. We computed probabilities using two probability models: Poisson (time-independent) and Brownian Passage Time (BPT; time-dependent), which were also employed by the various WGCEPs (Section 2.4). We explicitly addressed epistemic (lack-of-knowledge) uncertainties in all input parameters through the use of logic trees (Section 2.5). We chose an approach similar to that taken by the WGCEPs; that is, we convened a series of meetings to review and develop model components. The WGUEP meetings are listed below.

Summaries of the WGUEP meetings are available on the UGS website (http://geology.utah.gov/hazards/earthquakes-faults/utah-earthquake-working-groups/utah-earthquake-probabilities/). The WGUEP extensively discussed and reviewed all the model components to arrive at a consensus. Limitations in the probability forecast were clearly defined.

1.3 Review Process

Because this report is a product of USGS and UGS support and was coauthored by members of both organizations, it was internally reviewed by both organizations and by the National Earthquake Prediction Evaluation Council (NEPEC). Reviewers are acknowledged in Section 10.

1.4 Key Products

Central to this report is a summary of the earthquake probabilities calculated for the Wasatch Front region by the WGUEP. Other key products include:

- A revised chronology of large surface-faulting earthquakes that have occurred along the central segments of the WFZ in the middle to late Holocene (past ~7000 years).
- (2) Estimates of mean recurrence intervals, vertical displacements, and slip rates for rupture sources on the WFZ central segments.
- (3) Models of single and multi-segment rupture behavior for the WFZ central segments.
- (4) Estimates of the characteristic earthquake magnitudes and their uncertainties for the WFZ central segments.
- (5) Estimates of characteristic magnitudes and slip rates for other significant faults in the Wasatch Front region.

Meeting	Date	Main Topic
1	10-11 February 2010	WGUEP formation and development of scope and methods
2	21–22 July 2010	Develop approach for characterization of the WFZ fault central segments
3	1–2 December 2010	Characterization of WFZ and other faults
4	16-17 February 2011	BRPEWG* II recommendations
5	28–29 June 2011	Strawman characterization of WFZ central segments
6	17–18 November 2011	Final data needs
7	16-17 February 2012	Preliminary results version 1
8	8–9 August 2012	Preliminary results version 2
9	13-14 February 2013	Preliminary results version 3
10	12-13 September 2013	Final results
11	5–6 February 2014	Review of draft final report
12	11 February 2015	Discussion on final report, rollout, and by-products

^{*}Basin and Range Province Earthquake Working Group

- (6) An updated historical and instrumental earthquake catalog for the Wasatch Front region (M ≥ 2.85) with uniform moment magnitude and quantified magnitude uncertainty together with a derivative catalog of independent earthquakes.
- (7) Recurrence estimates for background earthquakes (M < 6.75) in the Wasatch Front region based on the catalog of independent earthquakes and corrected for bias due to magnitude uncertainty.
- (8) A comparison of historical seismicity, geologic, and geodetic moment rates across the Wasatch Front region.

1.5 Report Organization

This report is divided into nine main sections, followed by acknowledgments, a list of references, and five appendices. In this introduction (Section 1) we have provided the background, objectives, scope of work, and key products of this study. Section 2 outlines the methodology that was used and the model components that were developed for the Wasatch Front region; the treatment of epistemic and aleatory uncertainties is also described. Section 3 describes the framework for the seismic source characterization of faults in the Wasatch Front region, including segmentation, depth of seismogenic faulting, recurrence models, calculation of recurrence intervals, and calculation of magnitudes. The characterization of specific faults in the Wasatch Front region is then described in Section 4, wherein the faults are divided into five groups, based on their treatment in this study: the WFZ central segments, the end segments of the WFZ, the OGSLFZ, antithetic fault pairs, and other significant faults. Section 5 describes the development of the earthquake catalog for the Wasatch Front region and its analysis to develop a background earthquake model. The evaluation of geodetic data in the Wasatch Front region and how the data were considered in this study is described in Section 6. Section 7 explains how earthquake probabilities were calculated using both a time-independent Poisson model and a time-dependent BPT model. Section 8 presents the earthquake probability results for the Wasatch Front region, both for the region as a whole and separately for the WFZ, the OGSLFZ, other modeled faults, and background earthquakes. Finally, in Section 9 we discuss the limitations of this study and suggest targets for future research in the Wasatch Front region.

2 METHODOLOGY AND MODELS

Similar to the approach used by the WGCEP (2008), the WGUEP methodology relies on four basic model components: a seismic source model, deformation model, earthquake rate model, and probability model. In general, the seismic source model gives the physical geometry of the known faults; the deformation model gives slip rates for each fault segment and/or fault segment; the earthquake rate model gives the long-term rate of all earthquakes throughout the region above a selected threshold (in this case M 5.0 and greater); and the probability model gives a probability for each event over a specified time period. There are some significant differences between the WGUEP and the WGCEP (2008) model components, with the WGUEP counterparts being much simpler in concept. The following section describes each model component of the methodology. Acronyms and abbreviations are defined on pages xii to xiv.

2.1 Wasatch Front Seismic Source Model

The Wasatch Front seismic source model consists of six groups of seismic sources (Section 4): the central WFZ, the end segments of the WFZ, the OGSLFZ, antithetic fault pairs, other significant faults, and crustal background earthquakes. Background earthquakes are defined as those events less than \mathbf{M} 6.75 \pm 0.25 that cannot be associated with known faults. A classic example of a background earthquake is the 1975 \mathbf{M} 6.0 Pocatello Valley, Idaho, earthquake (Arabasz *et al.*, 1981).

2.1.1 Fault Model

The Wasatch Front fault model is fundamentally a geologic model in that both fault geometry and long-term behavior are defined and constrained by geologic observations. The model incorporates complexity that leads to a wide spectrum of earthquake sizes and includes fault-specific constraints on the frequency of occurrence of those earthquakes. We adopt the basic elements and terminology of WGCEP (2003) in the fault model as shown in Table 2-1.

Several fault characteristics are described in more detail in Section 3. All faults are dominantly normal-slip faults that were modeled as planes. Some faults (e.g., the WFZ) have paleoseismic data in support of segmentation, where structural segment boundaries have likely served as relatively persistent rupture boundaries, confining prehistoric surface ruptures to particular sections of the faults (Section 3.1) (e.g., Machette *et al.*, 1992; Lund, 2005). These faults lack known prehistoric rupture boundaries, and thus we used structural segment boundaries and available paleoseismic data to define their surface rupture characteristics. For these faults, we address epistemic uncertainties in rupture length by defining single- and multi-segment fault models and segment boundary uncertainties. Low weight was also given to an unsegmented model where ruptures were allowed to "float" along

the fault regardless of segment boundaries. For other faults, the evidence is more ambiguous as to whether persistent rupture segment boundaries exist (e.g., Stansbury fault). For these faults, we gave higher weight to the unsegmented model. Most faults are included as single, independent (unsegmented) planar sources, unless the available data suggest otherwise. We note that the rupture behavior of many of the faults in this region is poorly understood and may actually be more complex than our simplistic assumptions. Alternatives to the single-plane, independent fault model are segmented faults and linked faults. Potentially linked faults may experience coseismic rupture along strike; individual segments of potentially segmented faults may rupture independently of each other.

We modeled faults as planar sources that extend the full depth of the seismogenic crust, with the exception of subsidiary faults in antithetic pairs. For subsidiary faults, which are truncated at depth by the master fault, maximum depth is a function of the dips of both faults and separation distance between the faults. Fault dips for all of these rupture models are averages estimated over the full depth of the seismogenic crust. For most typical range-bounding normal faults, we assumed preferred dips to be 50° with a range in uncertainty of \pm 15° (Section 3.2).

In assigning probabilities of activity, P(a), for each fault source, we considered both the likelihood that the structure is capable of independently generating earthquakes (i.e., is seismogenic), and the likelihood that it is still active within the modern stress field. We incorporated many factors in assessing these likelihoods, such as: orientation in the modern stress field, fault geometry (length, continuity, depth extent, and dip), relation to other faults, age of youngest movement, geomorphic expression, amount of cumulative offset, rates of activity, and any evidence for a non-tectonic origin. We generally assigned faults with definitive evidence for repeated Quaternary activity a P(a) of 1.0 (Section 4.5). Exceptions include faults that may be secondary and dependent on other faults (e.g., the Utah Lake faults), or fault features that may have a non-seismogenic origin, and faults that may be too short (≤ 10 km) to independently generate significant earthquakes. The P(a) for faults that do not show definitive evidence for repeated Quaternary activity was individually judged based on the available data and the criteria explained above. Resulting values range from 0.5 to 1.0 (Section 4.5).

2.1.2 Background Earthquake Model

In most of the western U.S., particularly the BRP, the maximum magnitude for earthquakes not associated with known faults usually ranges from **M** 6 to 6.75. Repeated events larger than these magnitudes probably produce recognizable faultor fold-related features at the earth's surface (e.g., Doser, 1985; dePolo, 1994). In this study, the WGUEP adopted a value of **M** 6.75 \pm 0.25 after considerable discussion. The issue at hand was the completeness of the inventory of faults, which

Table 2-1. WGUEP fault model components.

Fault Segments

Some faults in the WGUEP model are segmented. Segments are based on prominent structural complexities along the fault and paleoseismic data, if available. These segments are the basic building blocks for earthquake ruptures on each fault. Each fault segment has length L, width W, dip, and slip rate and/or recurrence interval.

Rupture Sources

Individual faults or segments serve as rupture sources. For models including the simultaneous rupture of two or more adjacent segments, each possible combination of segments is a rupture source. However, some combinations of adjacent segments are deemed unlikely and are not modeled. A characteristic magnitude (M_{char}) is computed for each rupture source based on its rupture length L and rupture area A, and for some faults, average event displacement.

Floating Earthquakes

To address the uncertainty in fault segmentation, floating earthquakes of some specified magnitude or rupture length, without a fixed location, are used. Floating earthquakes, which allow for the fact that some earthquakes may not be constrained by fault segmentation, are also classified and treated as rupture sources.

Fault Rupture Models

A fault rupture model is a combination of the rupture sources for a fault, each combination representing one possibility for the long-term behavior of the fault. Logic tree weights are determined by expert judgment.

have a surficial signature. The WGUEP judged that repeated occurrences of \mathbf{M} 6.75 \pm 0.25 earthquakes on a fault would be identifiable in the surface geology and that all such faults are known within the Wasatch Front region. The best-estimate value and uncertainties were weighted in a logic tree similar to \mathbf{M}_{char} for the faults. The background earthquake model depicts the frequency-magnitude distribution of mainshocks from \mathbf{M} 5.0 to 6.75 expected to occur on seismic sources other than the faults included in the Wasatch Front fault model.

We calculated the rate of background seismicity from the historical seismicity catalog (Section 5). Typically, the seismicity associated with faults already included in the analysis was removed. However, in the case of the Wasatch Front region, few historical or instrumentally located earthquakes can be definitively associated with mapped surface faults—including the WFZ (e.g., Arabasz *et al.*, 1992, 2007). Most background earthquakes appear to reflect seismicity on buried or unmapped secondary faults.

2.2 Deformation Model

In the WGCEP (2008) forecast, the deformation model assigns a slip rate and an aseismic slip factor plus their uncertainties to each fault segment or fault. The slip rates estimated by WGCEP (2008) were generally based on geologic data, but in some cases, geodetic data were used to constrain slip rates. In the Wasatch Front region, there is no evidence for aseismic slip (interseismic fault creep) and so no aseismic slip factor was used for any of the faults. WGUEP evaluated, but did not consider, geodetic data to constrain fault slip rates because of differences in geodetically-derived moment rates and rates based on geology and the historical seismicity record (Section 6).

Depending on the available data, we used recurrence intervals and/or slip rates to characterize rates of activity, generally preferring the former based on arguments in Wong and Olig (1998). For some faults, including the WFZ and OGSLFZ, we used both recurrence intervals and slip rates in the forecast (Section 4). For other faults, which generally lack individual earthquake times and robust mean recurrence estimates, we used slip rates in the forecast. All recurrence intervals and slip rates were depicted as distributions on logic trees with associated weights. We incorporated all available long- (≤ 1.6 Ma) and short-term (≤ 130 ka) data in developing slip rate or recurrence distributions, but we generally preferred short-term data when they were available. In addition to the time period, we also considered the type and quality of data in determining slip or recurrence rates. We converted vertical slip rates to net slip rates for most faults by assuming 100% dip-slip and using the preferred fault dips. For a typical range-bounding normal fault with a preferred dip of 50°, this results in a 30% increase when converting vertical slip rates to dip slip rates. Variations in displacement along strike can significantly affect the calculation of slip rates (Wong and Olig, 1998), but unfortunately there are very few faults for which we have enough data to calculate average rates for the entire fault. More typically there are only a few data points at one or two sites along the fault or no fault-specific data at all.

2.3 Earthquake Rate Model

The earthquake rate model consists of rates on faults (fault rupture model) and the background earthquakes. A fault-rupture model gives the long-term rate of all possible earthquakes above a selected threshold. The primary challenge in developing such a model is to satisfy all available constraints with full recognition of the uncertainties (Section 2.5): slip rate

data, paleoseismic event-rate constraints at particular locations, event-date correlations between sites, magnitude-area relationships, how slip varies along the length of each rupture, and any other geologic insight into what features might influence the distribution of ruptures (WGCEP, 2008). Similar to the WGCEP (2008), WGUEP rupture models were developed for the WFZ and OGSLFZ. Each rupture model consists of single-segment, multi-segment, and floating earthquake ruptures. The number of models ranged from two to five.

An integral part of the earthquake rate model is the choice of recurrence models and their weights. Both the maximum magnitude (truncated Gaussian) and truncated exponential models were used for faults. A truncated exponential model was used for the background earthquakes. The models used by the WGUEP are discussed in detail in the appropriate sections.

2.4 Probability Models

A probability model describes how events are distributed in time. The simplest model is the time-independent Poisson (memoryless) model that has been assumed appropriate in PSHA for decades (McGuire, 2004). The Poisson model assumes that each earthquake is completely independent of the timing of all other events. Hence with this model, it does not make a difference in the forecast for the Salt Lake City segment whether the most recent earthquake occurred yesterday or 1400 years ago.

Following the lead of WGCEP (2008), we have used only one time-dependent model, the BPT model. Other models were evaluated by WGCEP (2008), including the suite of models used by WGCEP (2003) and the traditional lognormal model and Weibull distribution, but they were found to be deficient in one or more aspects. The BPT model is a stress-renewal model that computes the probability of each segment rupturing conditioned on the date of the last event. Details on the probability models can be found in Section 7.

We treated the five central segments of the WFZ, as well as the Antelope Island and Fremont Island segments of the Great Salt Lake fault zone, in both a time-dependent and time-independent manner. The WFZ end segments, the Oquirrh fault zone, and all other faults were treated solely in the traditional time-independent manner due to lack of sufficient information for a time-dependent approach. We treated the probabilities for background earthquakes only in a time-independent manner (Section 5).

2.5 Treatment of Epistemic Uncertainties

WGUEP devoted considerable effort to defining uncertainties in the data, models, and parameters and tracking them throughout the calculations. Any model may have two types of uncertainty: aleatory uncertainty (variability) and epistemic uncertainty (unknowns). Aleatory uncertainty refers

to the random variability that occurs in the natural world. The throwing of dice is the classic example. Epistemic uncertainty refers to what we do not know about the natural world, for example our ignorance of how the Earth works to produce earthquakes of a certain size at a certain place and time. To the extent a process is knowable, its epistemic uncertainty is reducible. Aleatory uncertainty, on the other hand, although quantifiable through direct observation, is irreducible. WGUEP used models to calculate quantities, and these models are defined by parameters that must be estimated. Both the choice of models and the estimation of their parameters have uncertainty associated with them. These model uncertainties and parameter uncertainties are, in general, of both the aleatory and epistemic types. Finally, WGUEP used expert judgment to decide a number of issues in this study, particularly the weighting of alternative interpretations or estimates. Differing expert judgment also represents uncertainty. Insofar as such differences arise from differing evaluations or perceptions of available but incomplete knowledge, this uncertainty is epistemic.

We treated almost all of the uncertainty considered in this study, including that arising from diverse expert judgment, as epistemic uncertainty. The only exceptions were the event-to-event variability that we associated with magnitude distributions and the aleatory component of the uncertainty in our time-dependent probability models. Confronted with a range of possibilities for a parameter (for example, the length of a fault segment) or a relation (for example, the relation between segment area and earthquake magnitude) or a probability model, WGUEP used logic trees with alternative interpretations or estimates with weights assigned to reflect the uncertainty. From the calculations of all possible alternatives at the ends of the logic tree branches, a distribution results that has mean values (for example, long-term rupture rates or 50-year earthquake probabilities) and their 5% and 95% confidence intervals.

In general, three values for each parameter were weighted and used in the analysis. Statistical analyses by Keefer and Bodily (1983) indicated that a three-point distribution of 5th, 50th, and 95th percentiles weighted 0.185, 0.63, and 0.185 (rounded to 0.2, 0.6, and 0.2), respectively, is the best discrete approximation of a continuous distribution. Alternatively, they found that the 10th, 50th, and 90th percentiles weighted 0.3, 0.4, and 0.3, respectively, can be used when limited available data make it difficult to determine the extreme tails (i.e., the 5th and 95th percentiles) of a distribution. Asymmetric distributions were also used when judged appropriate to do so. Note that the weights associated with the percentiles are not equivalent to probabilities for these values, but rather are weights assigned to define the distribution. We generally applied these guidelines in developing distributions for seismic source parameters with continuous distributions unless the available data suggested otherwise. Estimating the 5th, 95th, or even 50th percentiles is typically challenging and involves subjective judgment given limited available data.

3 FAULT CHARACTERIZATION

The following describes the parameters used in the fault models considered in the WGUEP forecast: segmentation, fault dips, depth of seismogenic faulting, recurrence models, recurrence intervals, and magnitudes. Acronyms and abbreviations are defined on pages xii to xiv.

3.1 Segmentation

From a perspective of historical worldwide surface faulting, an updated catalog of historical ruptures in shallow continental crust (Wells, 2013) lists 65 normal and normal-oblique surface ruptures out of a set of 267 total ruptures (all fault types). Rupture lengths for the normal and normal-oblique ruptures are typically 15 to 40 km. The longest is 95 to 101 km for the 1887 Sonora, Mexico (Pitaycachi, Tevas, and Otate faults) earthquake (Suter, 2008; 2015). In the BRP, the longest historical surface rupture is 62 km for the 1915 Pleasant Valley, Nevada, event (Wallace, 1984). The idea that long normal fault zones can be subdivided into rupture segments shorter than the full fault length is supported by the 1983 Borah Peak, Idaho, earthquake, in which a section of the 120-km long Lost River fault zone in Idaho, now called the Double Springs Pass segment, ruptured for 34 km (Crone et al., 1987). A similar interpretation was reached regarding the late Quaternary rupture histories of the adjacent Lemhi, Beaverhead, and Tendoy ranges (Crone and Haller, 1991). The WFZ, which has not ruptured historically, is 350 km long with a continuous 260 km central section. Given both worldwide and BRP observations, the expectation is that the next event or events along the WFZ will occur on identifiable shorter sections of the fault, which are termed rupture segments. These rupture segments are the principal sources of future WFZ earthquakes. The lengths of individual rupture segments along the WFZ in our analysis vary from 40 to 65 km. These lengths are consistent with, and toward the higher end of, historical normal fault surface ruptures. Fault segmentation is a primary assumption in characterization of the 350-km-long WFZ and associated faults of the Wasatch Front region, and in the quantification of earthquake probability.

The concept of fault segmentation has developed as an important component of fault characterization and seismic-hazard analysis, particularly for estimating rupture location and the magnitude of future earthquakes on a fault or fault zone (Schwartz, 1988). The concept is based, in part, on the observation from historical ruptures that fault zones, especially long ones such as the WFZ, have not ruptured along their entire length during an individual earthquake (Schwartz and Coppersmith, 1986; Schwartz, 1989). From a paleoseismic perspective, a combination of rupture timing, information on slip per event, and the location of timing variability relative to physical features such as major geometric changes, play key roles in developing an understanding of fault-specific segmentation. These earthquake-timing differences typically occur across prominent structural segment boundaries, which

serve to arrest or significantly modulate fault slip (e.g., Crone et al., 1987; Personius et al., 2012). Although event timing is the most common type of paleoseismic information, analysis of historical and paleoseismic records of faults in shallow continental crust has provided examples of repeated similar amounts of displacement at a point or points on a fault (e.g., Klinger et al., 2011, and a summary of worldwide observations by Hecker et al., 2013). This suggests that the extent of many repeated ruptures may be similar. An implication is that there are physical features in a fault zone that control the length of a rupture and can divide a fault into distinct rupture segments. These rupture barriers may persist through repeated earthquake cycles (Aki, 1979, 1984; Elliott et al., 2015). While faults in all tectonic settings are segmented to varying degrees, paleoseismic observations (Schwartz and Coppersmith, 1984; Schwartz, 1988; Machette et al., 1992; Benedetti et al., 2013) suggest that segmented rupture behavior may be better developed and more persistent on normal faults than strike-slip faults (Biasi and Weldon, 2009; Schwartz et al., 2012; Scharer et al., 2014). In the absence of defined fault-rupture termination data, previously defined fault segmentation models provide the basis for characterizing potential earthquake ruptures and quantifying earthquake probabilities for segmented faults in the study region.

Fault segmentation models have been used in probabilistic forecasts dating back to the first regional probabilistic estimates for California in 1988 (WGCEP, 1988). The WGCEP (1988) developed segmentation models for the San Andreas fault and a limited number of major branches in northern and southern California. The model for the San Francisco Bay Area was modified following the 1989 Loma Prieta earthquake to include the Rodgers Creek fault and revise segmentation of the San Andreas fault (WGCEP, 1990). The WG-CEP (1995) focused on southern California, maintaining the WGCEP (1988) San Andreas segmentation model and adding segmentation models for other strike-slip faults in southern California including the San Jacinto and Elsinore faults. The segmentation in each of these early probability models was relatively simple and was based primarily on the location along a fault where a historical rupture had occurred (or was believed to have occurred), locations where the amount of slip was considered to have changed during a historical rupture (this was the basis for segmenting both the 1906 and 1857 San Andreas rupture of the San Andreas fault), and general changes in fault geometry (particularly changes in strike). The WGCEP (1990) report was the first to include uncertainty in rupture segment end points.

More recent segmentation models, such as those for the San Andreas fault system in the San Francisco Bay Region (WG-CEP, 1999 and particularly WGCEP, 2003), and for faults throughout California with high slip rates and substantial geologic information associated with them (called A-faults in UCERF2) by the WGCEP (2008), have improved segmentation modeling. In these probability studies, segments are sections of faults that are considered to be capable of failing

independently to produce an earthquake (for example, the southern Hayward fault segment is the source of the 1868 rupture) or join in multi-segment ruptures such as those of the 1857 and 1906 ruptures on the San Andreas fault. These rupture segments and their extent (surface length and crustal width) were developed on each fault from behavioral and kinematic observations. The behavioral considerations, primarily the difference in timing of events on adjacent parts of a fault either from paleoseismic observations or the extent of historical surface rupture, provide the strongest basis for segmentation. Locations of changes in slip rate (common at fault branches), the transition from locked to creeping sections of a fault or changes in the rate of creep along a fault, and the distribution of microearthquake activity provide additional behavioral bases for segmentation. Kinematic considerations are related to aspects of fault geometry that could affect rupture propagation. These considerations include changes in strike, bends and steps, branching or intersection points, changes in fault trace complexity, and variation in lithology along a fault. The WGCEP (2003) recognized that ruptures may not stop at preferred segment end points, and therefore defined zones of uncertainty based on the range of available observations. The zones of uncertainty were sometimes asymmetric and typically 10 to 20 km in length. The boundaries provide mean, maximum, and minimum fault segment rupture lengths. In contrast, the WGCEP (2008) defined specific segment endpoints with no uncertainty.

The segmentation models noted above were developed by groups of experts with specific knowledge of the faults they were analyzing. In the most recent fault characterization study for California (UCERF3), Field et al. (2013) adopted a different approach. In order to develop rupture models for all faults in California, as opposed to prescribing segmentation for a limited subset of faults for which there are fault behavioral data, they generated fault ruptures using an algorithm guided by a set of geometrically-based rules. The algorithm includes distances between fault endpoints (no rupture propagation beyond a separation distance of 5 km), limiting angular relations between faults (no rupture propagation across an intersection angle larger than 60 degrees), and a Coulomb stress analysis to eliminate rupture propagation in an unfavorable direction. This approach produced fault-tofault jumps, multiple fault ruptures, and a range of rupture lengths for all faults in the model. A mathematical inversion with a set of seven equations, including constraining slip rate and paleoevent information, was then used to set the longterm rates of each rupture. To some degree, segmentation was developed in the UCERF3 inversion where slip-rate changes occur along strike, but it was not used explicitly in the California fault characterization. From the WGUEP perspective, the UCERF3 approach was developed largely from data and behavior of strike-slip faults, and its applicability for normal faulting is uncertain. Also, in the formulation of rupture lengths, it does not employ the paleoseismic observations on timing and slip from paleoearthquakes that are available for the WFZ and associated faults.

For the WFZ, as well as for other normal faults in the Wasatch Front region and in the broader BRP, the primary basis for defining potential rupture segments is the difference in the timing of paleoearthquakes along the length of the fault. Clear differences in earthquake timing, especially for the best constrained most recent earthquakes (Appendix B), occur across prominent structural segment boundaries (e.g., figure B-3 in Appendix B). There is very little microseismicity or fault creep, which are two behavioral features of many faults in California. Where changes in timing of past events can be associated with structural or geometric changes along range fronts (salients, re-entrants, complex fault branching, and gaps in surface rupture), the WGUEP considers the case for identification of a rupture segment boundary to be strengthened. Measurements of net displacement during individual paleoearthquakes along the WFZ add additional information for interpreting past fault rupture length and, therefore, segment length.

Many of the basic concepts regarding fault segmentation, in general and on normal faults in particular, developed from early paleoseismic studies on the WFZ. The segmentation model used by the WGUEP for the WFZ in the present analysis has been developed and refined over the past 30 years. Schwartz and Coppersmith (1984) initially suggested six segments, each a seismogenic source, based on differences in timing of the most recent rupture at a limited number of sites and on general structural changes along the Wasatch Range front. With additional paleoseismic investigation along the length of the WFZ (Section 4), the initial segmentation model was modified and the present model of 10 segments, each an independent seismogenic source, was developed (Machette et al., 1992). Since then, additional paleoseismic investigations (summarized by Lund, 2005; DuRoss, 2008; and the present report) have led to the development of a chronology of surface-faulting earthquakes for the central five segments that is considered complete for the past approximately 6000 years. The interpretation of this paleoseismic chronology provides the support for the segmentation model. However, consistent with Chang and Smith (2002) and DuRoss (2008), we constructed rupture scenarios that include two- to three-segment ruptures and also defined segment-boundary uncertainties that allow for both partial and spillover ruptures. The five central segments (Nephi, Provo, Salt Lake City, Weber, and Brigham City) (Figure 1-1) are the focus of the probability estimates presented here. The end segments (the Malad City, Collinston, and Clarkston Mountain segments to the north and the Levan and Fayette segments to the south) are discussed in Section 4.2.

The repeated difference in timing is a basis for independently rupturing segments (Figure 3.1-1a). Figure 3.1-1b shows independent segments having events that are closely spaced in time, making the distinction of separate events difficult within the resolution of common dating techniques (e.g., radiocarbon and luminescence). Overlapping earthquake time ranges permit the interpretation of multi-segment ruptures (Figure 3.1-1c), similar to those developed for strike-slip faults in the

California probability reports (e.g., WGCEP, 2008). In contrast, a subsegment may occasionally fail as an independent event (Figure 3.1-1d). Figure 3.1-1e shows that rupture on one segment may extend into or trigger slip on an adjacent segment, which itself fails independently at a later time. Typically, locations of low slip, especially near segment boundaries, do not fill in during subsequent events; thus, cumulative displacement and long-term slip rates vary along strike and are frequently lowest near segment boundaries (often coincident with the ends of mountain ranges).

For the five central segments of the WFZ (Brigham City to Nephi; Section 4), which have paleoseismic evidence of repeated Holocene surface-faulting earthquakes, unique earthquake chronologies per segment support independent rupture (Machette et al., 1992; Section 4.1; Figure 3.1-1a). Prominent structural segment boundaries, which bound separate hanging-wall basins along the trace of the fault (e.g., Salt Lake and Utah Valleys), provide further evidence for segmentation of the WFZ. These boundaries consist of complex (e.g., diffuse) faulting and/or decreased structural throw across the fault compared to the segment. Despite evidence for single-segment ruptures on the WFZ, overlapping earthquake times on adjacent segments permit multi-segment ruptures. Alternative rupture models, which include multi-segment ruptures involving two to as many as four segments and having combined lengths of 90 to 200 km, and their weights are described in Section 4.1 and Appendix B.

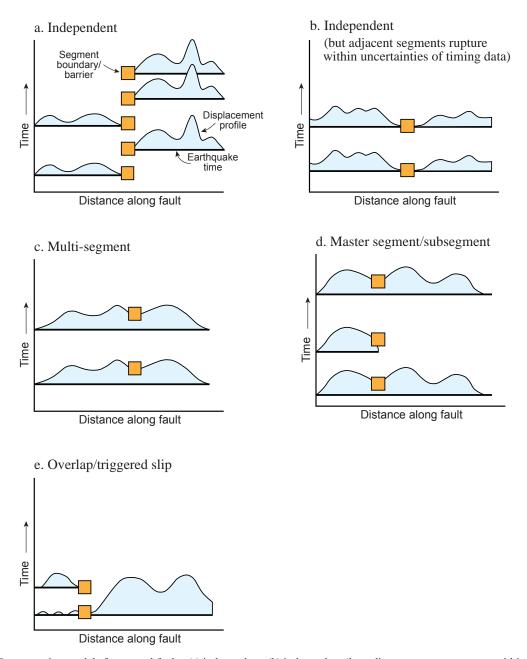


Figure 3.1-1. Segmentation models for normal faults: (a) independent, (b) independent (but adjacent segments rupture within uncertainties of timing data), (c) multi-segment, (d) master segment/subsegment, and (e) overlap/triggered slip.

3.2 Dips of Normal Faults

Models of fault sources require information about fault segmentation to estimate the length of fault ruptures (Section 3.1) and the downward extension of the fault to develop a geometric model of the potential rupture area on the fault plane. In these models, the dip assigned to a fault is a critical parameter because, for a given thickness of the seismogenic crust (Section 3.3), the change from a steep to shallower dip results in a non-linear increase in the fault area. Because the fault relationship between fault dip and area is a trigonometric function, this non-linear effect becomes more pronounced as the fault dips decrease to progressively shallower angles (Figure 3.2-1, Table 3.2-1).

The dip of normal-slip, Quaternary faults in the BRP has been the subject of considerable discussion (Lund, 2006, 2012) particularly because of the impact that fault dip has on the calculated hazard. Seismological data from large historical earthquakes on normal faults are the source of much of the information regarding the dip of active Quaternary faults. The 1983 Borah Peak earthquake is a representative model of a large earthquake that could occur on the WFZ. This **M** 6.9 earthquake produced 36.4 km of surface rupture on the Lost River fault zone (Crone *et al.*, 1987). The well-defined pattern of aftershocks and geodetic data indicates that the earthquake occurred on a planar fault dipping about 45° to 47° through the seismogenic crust (Stein and Barrientos, 1985; Richins *et al.*, 1987). In August 1984, a late aftershock (Richter local

Table 3.2-1. Change in fault area for varying values of fault dip calculated for a fault length of 30 km and a seismogenic crustal thickness of 15 km.

Dip angle (degrees)	Fault area (km²)	Change in fault area (km²) from prior dip angle	Increase in area from prior dip angle (%)	Change in fault area (km²) from 60° dip	Increase in area from 60° dip (%)
60	519.6	_	_	_	_
50	587.4	67.8	13.0	67.8	13.0
40	700.1	112.7	19.2	180.5	34.7
30	900.0	199.9	28.6	380.4	73.2

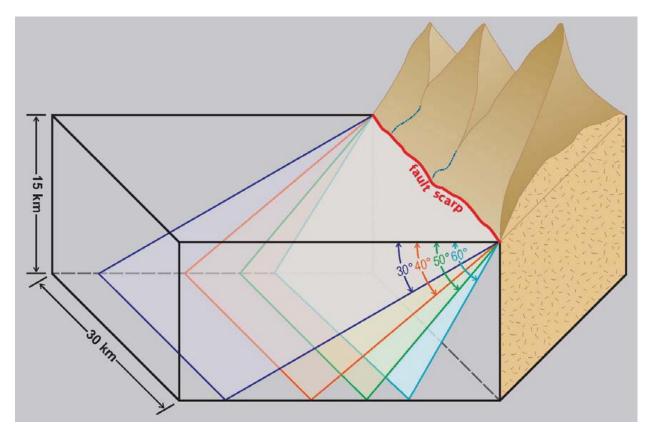


Figure 3.2-1. Schematic diagram showing the non-linear increase in fault area with decreasing dip angles.

magnitude [M_L] 5.8) occurred to the northwest of the mainshock, and the locations of 237 additional aftershocks suggest that this section of the Lost River fault zone has a dip of about 75° and the adjacent antithetic Lone Pine fault has a dip of about 58° (Payne *et al.*, 2004).

The 1959 M 7.3 Hebgen Lake, Montana, earthquake was the largest historical earthquake in the Intermountain West and produced a complex rupture pattern on two faults. The analysis of P-waves indicated a preferred fault plane that dipped $54^{\circ} \pm 8^{\circ}$ (Ryall, 1962), and the analysis of subevents of the mainshock and three significant aftershocks indicated that the earthquake may have first ruptured faults dipping $60^{\circ} \pm 5^{\circ}$ (Doser, 1985). Barrientos *et al.* (1987) modeled the surface deformation caused by the earthquake and showed that faults with dips of 45° to 50° provide the best statistical fit to the deformation data.

Studies of other historical earthquakes and Quaternary normal faults in the BRP also indicated the faults have dips in the range of about 40° to 70°. Romney (1957) analyzed P-wave, first motions from the 1954 Fairview Peak, Nevada, earthquake and concluded that the causative fault had a dip of 62°. Slemmons (1957) reported that bedrock faults that slipped during the 1954 Dixie-Valley-Fairview Peak earthquakes had dips of 55° to 75°. Arabasz et al. (1981) analyzed data from the mainshock and 587 aftershocks of the M_L 6.0 Pocatello Valley, Idaho, earthquake and noted that the mainshock nodal plane had a dip of 39°, cross sections of the aftershock hypocenters suggest a dip of about 50°, and dislocation modeling indicated a fault dip of 60°. They noted that all of these data illustrate the uncertainty in defining the fault at depth and observed that their data do not preclude the possibility that the fault might be listric, that is, it flattens with depth.

Several studies have attempted to define the dip of the WFZ at depth. Zoback (1992) combined data from surface geology, gravity measurements, and petroleum exploration wells with a 30-km-long seismic-reflection profile near Nephi, Utah, and concluded that the WFZ in this area is a relatively planar feature with a dip of 50° to 55°. Bruhn et al. (1987) conducted a detailed structural analysis of the Salt Lake City segment based on slickenside data and details of the fault's orientation. They concluded that dip values along this part of the fault range from 35° to 65°. Smith and Bruhn (1984) examined more than 1500 km of seismic-reflection data across the WFZ and in adjacent parts of the BRP. They concluded that their data show steep to low angles and that low-angle and listric faulting may be associated with movement on pre-existing (reactivated) low-angle thrust faults. More recently, Chang and Smith (2002) and Chang et al. (2006) used geodetic data to analyze contemporary deformation and the associated seismic hazard along the Wasatch Front. They concluded that a dip of 55° yielded the best results for their stress modeling and provided the best agreement between geodetic and geologic deformation rates.

Doser and Smith (1989) evaluated source parameters for 50 earthquakes that have occurred throughout the Western Cordillera of the United States in the mainly extensional domain that exists between the San Andreas fault system on the west and the Great Plains on the east. In addition to normal-slip earthquakes, their regional analysis included earthquakes that had a large amount of strike-slip motion. From this analysis, they concluded that earthquakes in the region are likely to occur on planar faults that dip between 40° and 70°.

In a more global analysis of normal faulting in areas of continental extension, Jackson and White (1989) and Collettini and Sibson (2001) analyzed seismological data from more than 125 historical earthquakes. Jackson and White (1989) concluded that the vast majority of normal fault dips range between 30° and 60°. Collettini and Sibson (2001) updated the work of Jackson and White (1989) to include 13 additional intracontinental normal-slip ruptures. They concluded that these normal-slip ruptures unambiguously occurred on faults that have dips between 30° and 65° and that the distribution of fault angles has a clear peak at 45°. They also stated that no normal-slip earthquakes of **M** 5.5 or greater have occurred on faults dipping less than 30°.

The range of dips for normal faults summarized above emphasized that the WGUEP analysis needed to consider a wide range of fault dips. Based on the evaluation of these published studies and the recommendations of the BRPEWG (Lund, 2012), we used a value of $50^{\circ} \pm 15^{\circ}$ for the preferred dip of range-bounding normal faults in the Wasatch Front fault model. For simplicity, following Bruhn and Schultz (1996), we also modeled antithetic faults (e.g., the West Valley fault zone, which is antithetic to the WFZ in Salt Lake Valley) using the same preferred dip value and associated uncertainty.

3.3 Depth of Seismogenic Faulting

We calculated the fault widths in the Wasatch Front fault model using the assumed dips, $50^{\circ} \pm 15^{\circ}$ for most faults, and an estimated maximum depth of seismogenic faulting. For the maximum faulting depths, we used a weighted distribution based on consideration of maximum earthquake focal depths in the Wasatch Front region and also the maximum rupture depths for two large historical earthquakes elsewhere in the Intermountain West.

To analyze maximum earthquake focal depths in the Wasatch Front region, we used earthquakes in the UUSS catalog that meet the following criteria for focal depth quality: (1) epicentral distance to the nearest station less than or equal to the focal depth or 5 km, whichever is larger, and (2) standard vertical hypocentral error (ERZ) of 2 km or less, as calculated by the location program. Figure 3.3-1 is a map of the Wasatch Front region showing the epicenters of all of the earthquakes that meet these criteria and occurred between October 1974 and September 2011. The start of the time period corresponds to the start of telemetered seismic network recording at the

UUSS, which enabled a large increase in the number of stations (Arabasz *et al.*, 1992). All of the seismic events in the dashed polygon at the lower right of Figure 3.3-1 were excluded from our analysis, because nearly all of the events in this area appear to be coal-mining related. The remaining 2523 events with good quality focal depths are primarily within a 75- to 100-km-wide zone roughly centered on the WFZ. This uneven distribution of events within the Wasatch Front region reflects the concentration of seismicity along the north-south trending Intermountain Seismic Belt ([ISB]; Smith and Arabasz, 1991; Pankow *et al.*, 2009), but is partially a consequence of the focal depth criteria and the distribution of seismic stations in the region. The station distribution mimics

the earthquake distribution, since most of the stations are located along the ISB in the central part of the study area and relatively few stations are in the eastern and western parts of the Wasatch Front region (Arabasz *et al.*, 1992, 2010).

Figure 3.3-2 shows four east-west, ~210-km-long cross sections of the hypocenters in Figure 3.3-1. Each cross section is centered on an even degree of latitude and includes hypocenters within ±0.5 degrees latitude. For reference, we show on each cross section the locations of the surface trace of the WFZ and longitude 111° 50′ W (vertical dashed line). This longitude approximates the general east-west location of the WFZ surface trace (Figure 3.3-1). As best seen in cross sec-

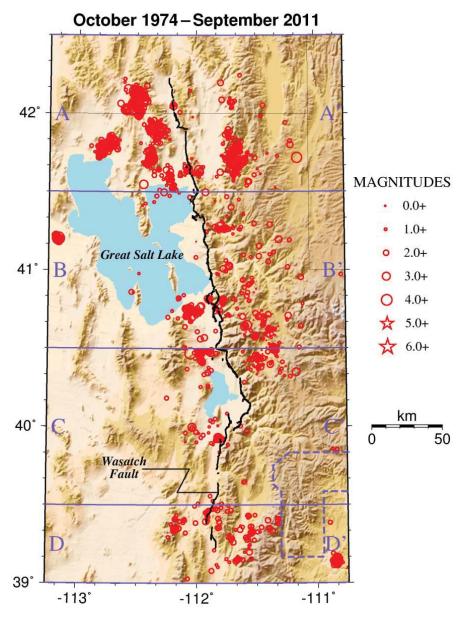


Figure 3.3-1. Map of the Wasatch Front region showing the epicenters of 2523 earthquakes with well-constrained focal depths that occurred in this region between October 1974 and September 2011. All seismic events in the blue dashed polygon at the lower right were excluded as probable mining-induced events. Blue lines and letters show areas of cross sections in Figure 3.3-2. Note that the earthquake magnitudes used for plotting this map and the cross sections are not the same as the magnitudes used for the recurrence analysis (Section 5). Shaded relief map constructed from USGS digital elevation data (http://nationalmap.gov).

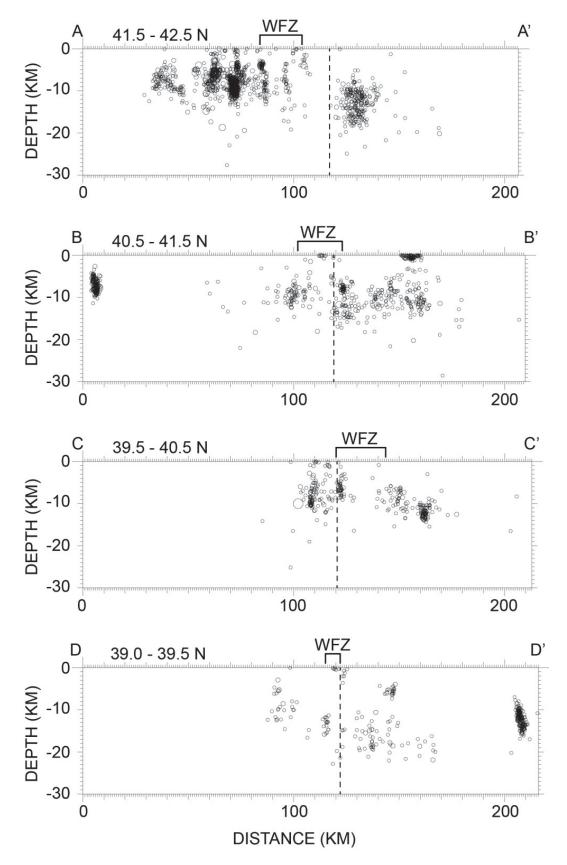


Figure 3.3-2. East-west cross sections of the hypocenters with well-constrained focal depths in Figure 3.3-1. The latitude range of the events and the locations of the Wasatch fault zone (WFZ) and longitude 111° 50′ W (vertical dashed line) are indicated on each cross section. Vertical exaggeration is 2:1.

tions A-A', B-B', and D-D', maximum focal depths appear to be systematically greater by about 5 to 6 km to the east of the WFZ than to the west of it, and the change occurs over a distance of 20 km or more in the vicinity of the WFZ. The WFZ marks the eastern physiographic boundary of the BRP. The eastward increase in maximum focal depths across this boundary is at least qualitatively consistent with the well-known increase in crustal thickness and decrease in heat flow moving eastward from the BRP into the adjoining Middle Rocky Mountains and Colorado Plateau Provinces (e.g., Smith *et al.*, 1989; Lowry and Perez-Gussinye, 2011).

Apparent variations in focal depths observed on hypocentral cross sections can be artifacts of sampling, because a larger sample of earthquakes is more likely to contain extreme focal depth values. To test the validity of the apparent eastward increase in focal depths observed on the cross sections in Figure 3.3-2, we computed 90th and 95th percentile focal depths for the parts of the Wasatch Front region to the east and west of 111° 50′ (Table 3.3-1). The results confirm the observations from the cross sections that the maximum focal depths are greater to the east of this line than to the west of it. Depending on whether the 90th or 95th percentile focal depth is chosen, the maximum focal depths increase from 11-12 km in the western part of the Wasatch Front region, to 16–18 km in the eastern part, with most of the change occurring near the WFZ at the eastern edge of the BRP. The average maximum focal depth for the region as a whole is 14 to 16 km.

In addition to the earthquake focal depth analysis presented here, detailed studies of two large, surface-faulting earthquakes in the ISB provide information on the expected maximum depth of seismogenic faulting in the Wasatch Front region. The 1959 M 7.3 Hebgen Lake, Montana, earthquake consisted of two subevents that nucleated at depths of 10 and 15 km, as indicated by the teleseismic body wave modeling of Doser (1985). The second subevent was the main event and had the deeper hypocenter. Barrientos et al. (1987) modeled the geodetic data from the Hebgen Lake earthquake with two en echelon fault planes of comparable seismic moment, extending to depths of 8.5 ± 2.5 km and 11 ± 3 km. The 1983 M 6.9 Borah Peak, Idaho, earthquake nucleated at a depth of 16 ± 4 km, as determined by modeling of teleseismic body waves by Doser and Smith (1985) and Barrientos et al. (1985). The fault break is inferred to have propagated unilaterally northwestward and upward from the hypocenter based on the aftershock distribution (Richins *et al.*, 1987) and inversions of leveling data, which show slip on a 49°-dipping planar fault extending to a depth of 14 km (Barrientos *et al.*, 1987). These studies suggest that the faulting in both the Borah Peak and Hebgen Lake earthquakes extended to a depth of around 15 km (Smith and Arabasz, 1991).

Considering all of the available information, the WGUEP decided to use a seismogenic depth of 15 ± 3 km for the Wasatch Front fault model and to apply location-dependent weights as follows. For the WFZ and faults to the west, the assigned weighting is 12 km (0.2), 15 km (0.7), and 18 km (0.1). For faults to the east of the WFZ, the weighting is 12 km (0.1), 15 km (0.7), and 18 km (0.2). The preferred seismogenic depth of 15 km is based primarily on the maximum rupture depths of the Hebgen Lake and Borah Peak earthquakes, but is also consistent with the 90th and 95th percentile focal depths of 14.1 and 16.0 km, respectively, for the Wasatch Front region as a whole (Table 3.3-1). The uncertainty limits of 12 and 18 km and their location-dependent weights are based mostly on the 95th percentile focal depths for the regions east and west of 111° 50' W, but also account reasonably well for the uncertainties in the maximum rupture depths of the Borah Peak and Hebgen Lake earthquakes.

3.4 Recurrence Models

We modeled the magnitude-frequency relationships for the Wasatch Front region faults using the maximum magnitude and Gutenberg-Richter truncated exponential recurrence models, similar to the approach used by the USGS in the NSHMs (Petersen *et al.*, 2008) (Figure 3.4-1). We weighted these models to represent our judgment on their applicability to the fault. For the background earthquakes, we assumed that only a Gutenberg-Richter truncated exponential recurrence relationship is appropriate.

The maximum magnitude model can be regarded as an extreme version of the traditional "characteristic" model. We adopted the model proposed by Wesnousky (1986). In the maximum magnitude model, there is no exponential portion of the recurrence curve and the characteristic magnitude (M_{char}) is distributed using a normal distribution defined by the mean magnitude and standard deviation of 0.12 magnitude unit (Frankel *et al.*, 2002; Figure 3.4-1). The normal distribution is truncated at $\pm 2\sigma$.

Table 3.3-1. Focal depth percentiles.

	West of 111° 50′	East of 111° 50′	Entire Region
Number of Events	1505	1018	2523
90th Percentile Depth (km)	11.1	16.2	14.1
95th Percentile Depth (km)	12.4	18.0	16.0

The recurrence rates for the fault sources are defined by either the slip rate or the average recurrence interval for the characteristic event. The slip rate is used to calculate the moment rate on the fault using the following equation defining the seismic moment:

$$M_0 = \mu A D \tag{3-1}$$

where M_0 is the seismic moment, μ is the shear modulus (3.0 x 10^{11} dyne/cm²), A is the area of the rupture plane, and D is the slip on the plane. Dividing both sides of the equation by time results in the moment rate as a function of slip rate:

$$\dot{M}_0 = \mu A S \tag{3-2}$$

where \dot{M}_0 is the moment rate and S is the slip rate. M_0 has been related to moment magnitude, **M**, by Hanks and Kanamori (1979):

$$\mathbf{M} = 2/3 \log M_0 - 10.7 \tag{3-3}$$

Using this relationship and the relative frequency of different magnitude events from the recurrence model, the slip rate can be used to estimate the absolute frequency of different magnitude events.

We used the general approach of Molnar (1979) and Anderson (1979) to arrive at the recurrence for the Gutenberg-Richter truncated exponential model. The number of events exceeding a given magnitude, N(m), for the truncated exponential relationship is

$$N(m) = \alpha(m^{o}) \frac{10^{-b(m-m^{o})} - 10^{-b(m^{u}-m^{o})}}{1 - 10^{-b(m^{u}-m^{o})}}$$
(3-4)

where $\alpha(m^o)$ is the annual frequency of occurrence of earthquakes greater than the minimum magnitude, m^o ; b is the Gutenberg-Richter parameter defining the slope of the recurrence curve; and m^u is the upper-bound magnitude event that can occur on the source.

The m^o for the faults is M 6.75, which is the maximum magnitude for background earthquakes. We use a distribution that extends from M 6.75 to M_{char} with a b-value of either 0.0 or 1.0 (Figure 3.4-2). For the remainder of this report, we refer to this model as the doubly truncated Gutenberg-Richter (DTGR) magnitude recurrence model. This model is essentially a characteristic model similar to the model used by the USGS in the NSHM (Frankel et al., 2002). For segmented faults, the maximum magnitude model is used for the segmented rupture models and the DTGR model is used for the unsegmented rupture models. The absence of historical and instrumental seismicity that can be associated with the WFZ, particularly M 5.0 and greater (Arabasz et al., 1992) is consistent with the maximum magnitude model. All other faults in the Wasatch Front region are less well studied in terms of associating contemporary seismicity, but the pattern observed for the WFZ is probably true for those faults as well. For all simple, unsegmented faults, we weighted the maximum magnitude and DTGR models 0.7 and 0.3, respectively. For the DTGR model, b-values of 0.0 and 1.0 are equally weighted for these simple faults. If $M_{\rm char}$ is less than M 6.75, we assigned the maximum magnitude recurrence model a weight of 1.0 allowing magnitudes of $M_{\rm char} \pm 0.24$. For the background earthquakes, we used a truncated exponential model with a b-value that is derived from the historical seismicity record (Section 5.7).

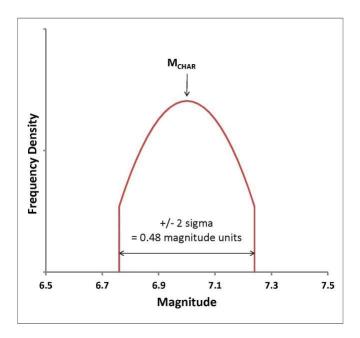


Figure 3.4-1. Maximum magnitude recurrence model.

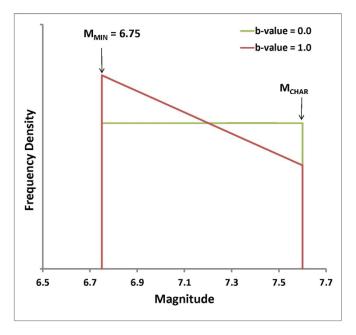


Figure 3.4-2. DTGR magnitude recurrence model.

3.5 Calculating Mean Recurrence Intervals and Rates

For faults with paleoseismic data (namely the WFZ central segments and the OGSLFZ), we calculated mean recurrence intervals/rates via the approaches described in the Central and Eastern U.S. (CEUS) Seismic Source Characterization (SSC) for Nuclear Facilities (EPRI/DOE/NRC, 2012). The CEUS-SSC approaches resulted in discrete five-point approximations to continuous probability distributions of mean recurrence intervals and rates that define weighted branches of the WGUEP logic tree. As discussed in the CEUS-SSC report and below, these probability distributions quantify the uncertainty in the mean recurrence intervals/rates that arise from relatively small samples sizes (i.e., small numbers) of past earthquakes. As an example, the five-point approximation for the Southern Oquirrh segment of the OGSLFZ is shown in Figure 3.5-1.

3.5.1 Time-Independent Poisson Mean Recurrence Rates

More specifically, to calculate mean recurrence rates for the time-independent Poisson model, denoted λ , we applied the approaches described in Sections 5.3.3.1.1 (Earthquake Count in a Time Interval) and 5.3.3.1.2 (Earthquake Recurrence Intervals) of the CEUS-SSC report. The latter was followed

for the faults with paleoseismic data that include estimated occurrence times of past earthquakes, whereas the former was followed when the only available information is an estimated number of past earthquakes in an estimated time interval. Among the faults with paleoseismic data, all except the Southern Oquirrh segment of the OGSLFZ include estimated occurrence times of past earthquakes. Hence, we followed the approach of Section 5.3.3.1.2 of the CEUS-SSC report for all of the faults except the Southern Oquirrh segment. As mentioned in the CEUS-SSC report, for both types of paleoseismic data the continuous probability distribution of λ is a gamma distribution. In the case that the only available information is an estimated number of earthquakes, N, in an estimated time interval, T, the gamma distribution is that with a mean of (N+1)/T and a mode of N/T (i.e., a shape parameter of N+1 and a rate parameter of 1/T). In the case that estimated occurrence times are available (including the open interval of time since the most recent earthquake), as well as any estimated open interval of time before the oldest earthquake during which no other earthquake occurred, for a total estimated time interval of T, the gamma distribution is that with a mean of N/T and a mode of (N-1)/T (i.e., a shape parameter of N and a rate parameter of 1/T). Note that the availability of an open time interval before the oldest earthquake is not considered in the CEUS-SSC report (Section 5.3.3.1.2), but its inclusion here does not change the aforementioned gamma distribution. For either type of paleoseismic data, the continuous gamma

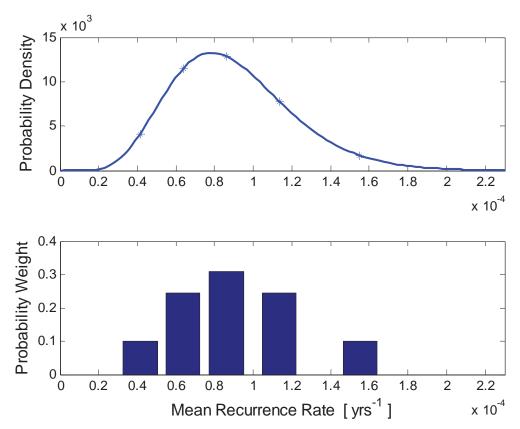


Figure 3.5-1. An example of a continuous gamma probability distribution for mean recurrence rate (top panel) and its discrete five-point approximation (bottom panel) calculated according to the CEUS-SSC report (EPRI/DOE/NRC, 2012, Section 5.3.3.1.1). This example is for the Southern Oquirrh segment of the OGSLFZ, assuming that there have been seven earthquakes in 89,011 years.

distribution was discretized into a five-point approximation like that shown in Figure 3.5-1, following Section 5.3.3.1.3 of the CEUS-SSC report. The five cumulative probabilities from the continuous distribution used to obtain mean recurrence rates/intervals for the discretized distribution are 0.034893, 0.211702, 0.5, 1-0.211702=0.788298, and 1-0.034893=0.965107. The five probability weights for the discrete approximation are 0.101, 0.244, 0.310, 0.244, and 0.101.

3.5.2 Time-Dependent BPT Mean Recurrence Intervals

To calculate mean recurrence intervals for the time-dependent BPT model, denoted μ , we applied the approach described in Section 5.3.3.2 (Estimation of Occurrence Rates for a Renewal Model) of the CEUS-SSC report. In addition to the required estimates of occurrence times, we considered any estimate of time before the oldest earthquake during which no other earthquakes occurred, as we did for the time-independent Poisson model discussed in the preceding paragraph. We did so in the same manner that the CEUS-SSC included the estimated open interval of time since the most recent earthquake (which we also considered). The results are five-point approximations to continuous probability distributions of μ for each

of the three coefficients of variation of recurrence intervals (or aperiodicity coefficients) considered, namely 0.3, 0.5, and 0.7. As an example, the five-point approximation for the Salt Lake City segment of the WFZ is shown in Figure 3.5-2.

3.5.3 Impact of Paleoseismic Data Uncertainty

In our calculations of mean recurrence rates/intervals, we did not incorporate (with one exception described below) the input uncertainties discussed in Section 5.3.3.3 (Incorporating Uncertainty in the Input) of the CEUS-SSC report—namely uncertainties in the time interval T over which past earthquakes have occurred or in the earthquake occurrence times. We find the impacts of incorporating these uncertainties on the probability distributions of mean recurrence rates/intervals to be negligible in comparison to the uncertainty arising from the relatively small sample sizes of past earthquakes. For example, Figure 3.5-3(a) shows a comparison of the probability distributions of Poisson mean recurrence rates with and without incorporation of uncertainty in T, for the Weber segment of the WFZ, where both the uncertainty in T and the sample size of past earthquakes is relatively large (see Table 4.1-2). For the other fault segments with paleoseismic data, the differences between the probability distributions

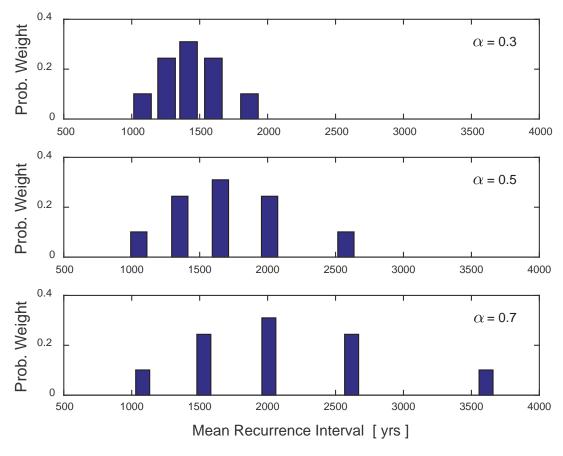


Figure 3.5-2. An example of discretized five-point probability distributions of mean recurrence interval for the time-dependent BPT model, calculated according to the CEUS-SSC report (Section 5.3.3.2). The three probability distributions correspond to the three aperiodicity coefficients (α 's) considered. This example is for the Salt Lake City segment of the WFZ, assuming that it ruptured 1343, 2160, 4147, and 5250 years before 1950.

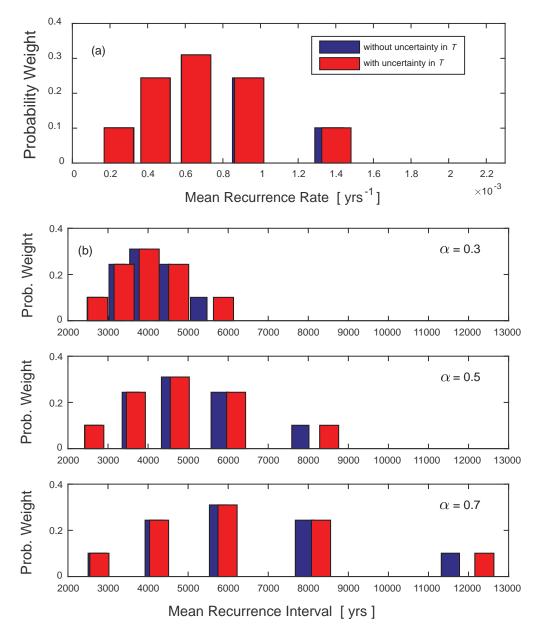


Figure 3.5-3. Examples of the effect of including uncertainty in the time interval, T, over which past earthquakes have occurred or in the earthquake occurrence times. The panel (a) example is for the Weber segment of the WFZ, where the effect of including uncertainty in T is largest relative to the other fault segments with paleoseismic data. The panel (b) example is for the Fremont Island segment of the OGSLFZ, where the effect of including relatively large uncertainty in the time of the oldest earthquake is incorporated. The changes in the time-independent Poisson mean recurrence rates illustrated in panel (a) are less than 3%, whereas those in the time-dependent BPT mean recurrence intervals of panel (b) are up to 12%.

with and without input uncertainty are even smaller, with the following exception illustrated in Figure 3.5-3(b): for the Fremont Island segment of the OGSLFZ, the uncertainty in the time of the oldest earthquake is 1000–5015 years before the penultimate event, with a uniform probability distribution. We incorporated this uncertainty by calculating a continuous probability distribution of BPT mean recurrence interval for each of the possible times of the oldest earthquake, and then applying the total probability theorem to calculate a continuous distribution (for each aperiodicity coefficient) that incorporates this timing uncertainty, in addition to the uncertainty arising from a small sample size of past earthquakes.

3.6 Calculating Characteristic Magnitudes

To calculate M_{char} for faults in the Wasatch Front region, we evaluated 19 historical regressions on M (Appendix A). These regressions relate M to one (or more) of many fault parameters, including linear surface-rupture length (SRL), linear segment length (L_{seg}), linear subsurface rupture length (L_{sub}), average displacement (D_{ave}), maximum displacement (D_{max}), rupture area (A; product of down-dip rupture width [W] and L_{sub}), seismic moment (M_0), and slip rate (SR). For segmented faults, we consider L_{seg} to be a reasonable estimate of SRL,

although SRL may exceed L_{seg} in some cases (e.g., Carpenter *et al.*, 2012; discussed below). For calculating A, we used L_{seg} or SRL in place of L_{sub} , which is the average subsurface rupture length over the depth of the rupture, typically defined using historical aftershock data (e.g., Wells and Coppersmith, 1994). For segmented faults, we calculated A using:

$$A = L_{seg} W ag{3-5}$$

and for unsegmented faults, we use A equal to:

$$A = SRL W (3-6)$$

Although Wells and Coppersmith (1994) show that SRL is on average about 75% of L_{sub} , we use L_{seg} or SRL as a proxy for L_{sub} because (1) there is considerable scatter in the Wells and Coppersmith (1994) plot of SRL versus L_{sub} (their Figure 3), and (2) at larger magnitudes, the ratio of SRL to L_{sub} increases, making SRL a more reliable estimator of L_{sub} (Wells and Coppersmith, 1994). Finally, on the WFZ, decreased throw at prominent segment boundaries (forming fault salients) suggests that L_{sub} does not greatly exceed L_{seg} when averaged over several earthquake cycles. M_0 is defined by the equation:

$$M_0 = \mu D_{ave} A \tag{3-7}$$

(Hanks and Kanamori, 1979), where μ is crustal rigidity (3 x 10^{11} dyne/cm²), D_{ave} is the average fault-parallel displacement over the surface of the fault rupture, and A is defined by the fault length (L) and down-dip width (W), assuming a 50° fault dip and maximum rupture depth of 15 km. However, for consistency with SRL regressions, we assume a planar fault in the M_0 calculation (equations 3-5 and 3-6) and thus, calculated M_0 as follows:

$$M_0 = D_{ave} L_{seg} W (3-8)$$

$$M_0 = D_{ave} SRL W (3-9)$$

We did not consider regressions based on earthquake catalogs predating Wells and Coppersmith (1994) (e.g., Bonilla *et al.*, 1984) or regressions calculated using only strike-slip- or reverse-faulting earthquakes.

For segmented faults lacking detailed paleoseismic displacement data, and thus, estimates of D_{ave} necessary for calculating M_0 , we estimated D_{ave} using an L-D_{ave} linear regression calculated for the central WFZ (Figure 3.6-1), where:

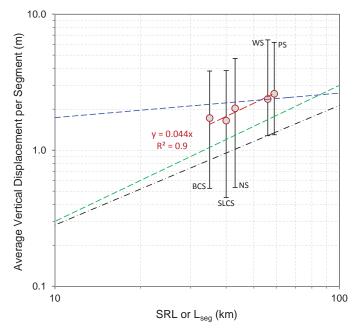
$$D_{ave} = 0.044 L$$
 (3-10)

Equation 3-10 is based on L_{seg} and the mean vertical displacement for each of the central five segments (Appendix A). The mean displacement per segment is the mean of several modeled displacement profiles calculated for individual ruptures (Table B-9). Although the minimum and maximum displace-

ment ranges show considerable scatter in the data, the mean values show a consistent scaling of D_{ave} with L_{seg} at the segment lengths considered (35 to 59 km). Our L- D_{ave} relation predicts larger D_{ave} per fault length than relations by Wells and Coppersmith (1994; all fault types) and Wesnousky (2008; normal faults), and similar D_{ave} to the censored-instrumental SRL- D_{ave} relation of Stirling *et al.* (2002), although the Stirling *et al.* (2002) relation predicts larger D_{ave} at more moderate (35 to 45-km-long) SRLs (Figure 3.6-1; Table 3.6-1).

3.6.1 Fault Length- Versus Displacement-Based Magnitudes

Significant epistemic uncertainties complicate the determination of \mathbf{M} for BRP normal faults. For example, for the central WFZ, a discrepancy exists where \mathbf{M} based on D_{ave} or M_0 exceeds that based on SRL or A (average difference of 0.2 \mathbf{M} units for single-segment ruptures using M_0 and SRL regressions; Figure 3.6-2). This \mathbf{M} discrepancy affects



- O Dave per central WFZ source (this study)
- ---- Linear relation Dave (central WFZ L_{seq}) (this study)
- ---- Wells and Coppersmith (1994) Dave (SRL) (all fault types)
- ---- Stirling et al. (2002) Dave (SRL-censored) (all fault types)
- ---- Wesnousky (2008) Dave (SRL) (normal faults)

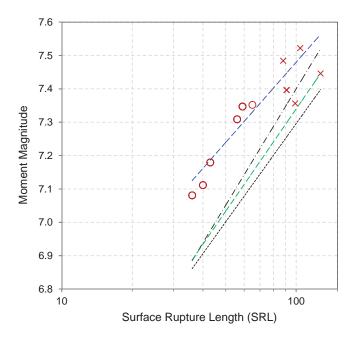
Figure 3.6-1. Average vertical displacement (D_{ave}) versus fault length (L; SRL or L_{seg}) for the central WFZ compared to historical scaling relations developed by Wells and Coppersmith (1994), Stirling *et al.* (2002), and Wesnousky (2008). Red dashed line indicates the linear fit to the D_{ave} per segment (mean of several modeled displacement profiles calculated for individual ruptures), where $D_{ave} = 0.044*L$ (see Section 4 for discussion). Error bars indicate range in individual rupture displacements per segment.

Table 3.6-1. Average displacement per fault length relations.

SRL or L_{seg}^{1} (km)	Wells and Coppersmith (1994) – D _{ave} (SRL) ² (m)	Stirling et al. $(2002) - D_{ave} (SRL\text{-censored})^3$ (m)	Wesnousky (2008) - D _{ave} (SRL) ⁴ (m)	This study – D_{ave} (L_{seg} for central WFZ) ⁵ (m)
25	0.6	2.0	0.8	1.1
35	0.8	2.2	1.1	1.5
59	1.3	2.4	1.8	2.6
100	2.1	2.6	3.0	4.4
128	2.7	2.7	3.8	5.6

¹ SRL values correspond with central WFZ segment median rupture lengths: 25 km is included as a possible partial-segment rupture, based on 50% of the mean segment length (L_{seg}) for the central WFZ (about 50 km); 35 km for Brigham City segment (shortest central segment); 59 km for Provo segment (longest central segment); 100 km for a possible two-segment rupture (mean 2xL_{seg}), and 128 km for the longest (three-segment) rupture considered on the WFZ, based on paleoseismic data.

 $^{^5}$ $D_{ave} = 0.044*L_{seg}$, based on central WFZ data (n = 6 for single-segment ruptures; this study). D_{ave} values for multi-segment ruptures (100 and 128 km SRLs) are less well constrained because our D_{ave} relation is based on L_{seg} rather than SRL.



- O Hanks and Kanamori (1979) M(M_o) (single-segment ruptures)
- × Hanks and Kanamori (1979) M(M_o) (multi-segment ruptures)
- ---- Wells and Coppersmith (1994) M(SRL) (all fault types)
- ----- Wells and Coppersmith (1994) M(A) (all fault types)
- ---- Stirling et al. (2002) M(SRL-censored) (all fault types)
- ---- Wesnousky (2008) M(SRL) (all fault types)

Figure 3.6-2. **M** for single- and multi-segment ruptures on the central WFZ based on estimates of M_0 (using regression of Hanks and Kanamori, 1979), which compares well with the censored-instrumental SRL-**M** regression of Stirling *et al.* (2002). For single-segment ruptures, these **M** estimates are on average about 0.2 units greater than those based on SRL-**M** and A-**M** regressions developed by Wells and Coppersmith (1994) and Wesnousky (2008).

estimates of M₀ release on the central WFZ, and thus, moment-balanced models of earthquake recurrence. For example, smaller magnitudes predicted by SRL and A regressions yield moment-balanced recurrence intervals that are significantly less than (about one-third of) those calculated using M₀-based magnitudes or the extensive WFZ paleoseismic data (Section 4). This discrepancy in **M** is possibly related to: (1) consistently larger vertical displacements (and thus moment release) per segment rupture length than expected from the empirical regressions (high stress drop earthquakes?), (2) rupture lengths extending beyond the mapped segment boundaries (e.g., Hemphill Haley and Weldon, 1999; Carpenter et al., 2012; DuRoss et al., 2012; Personius et al., 2012), (3) an incorrect bias in regressions because the datasets are dominated by strike-slip, reverse, and megathrust earthquakes in plate-boundary tectonic environments, and/or (4) different scaling relations for different strain-rate environments (Anderson et al., 1996) or large versus small to moderate earthquakes (Stirling et al., 2002).

The possibility that large, prehistoric earthquakes may have a SRL-M scaling relation different than that for small to moderate historical earthquakes stems from Stirling *et al.* (2002), who recognized a small-earthquake bias inherent in the Wells and Coppersmith (1994) SRL-M and A-M regressions. Stirling *et al.* (2002) addressed this bias by censoring an updated version of the Wells and Coppersmith (1994) earthquake dataset for SRL < 10 km, A < 200 km², D_{ave} < 2 m, and M < 6.5. Regressions generated from the censored-instrumental data of Stirling *et al.* (2002) predict larger M per SRL or A than Wells and Coppersmith (1994) (Figure 3.6-1), consistent with regressions based on the Stirling *et al.* (2002) preinstrumental data (which consist of large historical earthquakes predating 1900 and paleoseismic data). On the central WFZ, the censored-instrumental SRL-M regression predicts mag-

 $^{^{2}}$ Log(average vertical displacement [D_{ave}]) = 0.88log(SRL) – 1.43, based on an all-fault-type dataset (n = 66; Wells and Coppersmith, 1994).

 $^{^{3}}$ Log(D_{ave}) = 0.18log(SRL) + 0.06, based on censored-instrumental all-fault-type data (n = 50; Stirling *et al.*, 2002).

 $^{^4}$ D_{ave} = 0.03*SRL, based on a normal fault dataset (n = 7; Wesnousky, 2008).

nitudes that are very similar to those based on M_0 (average difference of 0.04 M units for single-segment ruptures; Figure 3.6-2) and yields moment-balanced recurrence intervals consistent with paleoseismic data. Although, not originally intended for source-modeling applications, the Stirling *et al.* (2002) regressions fit the central WFZ data exceptionally well and are of particular interest to other segmented faults in the Wasatch Front region that lack D_{ave} information necessary to calculate M as a function of M_0 . Thus, we applied the Stirling *et al.* (2002) SRL-M (censored instrumental) regression to these faults with the assumption that they have similar displacement-length scaling relations as the central WFZ, and thus, a similar amount of moment release per SRL.

Hemphill-Haley and Weldon (1999) and Carpenter et al. (2012) at least partially explain the discrepancy in displacement versus length-based M on limitations in measuring prehistoric SRL. Hemphill-Haley and Weldon (1999) suggested that displacement is a better indicator of prehistoric earthquake M than SRL. Using displacement profiles from 14 historical ruptures (multiple fault types), they developed parameters for scaling D_{ave} for use in the Wells and Coppersmith (1994) D_{ave} -M regression. Their Dave-scaling parameters are based on the number of paleoseismic displacement observations available and the percent of the fault length that they cover; however, they recommended that at least five to ten displacement observations be used, which limit the practical application of their relations. Carpenter et al. (2012) cited examples of historical earthquake SRL in excess of L_{seg} and used seven historical earthquakes (multiple fault types) to generate $L_{\text{seg}}\text{-}\mathbf{M}$ regressions. For the WFZ, Lost River, and Lemhi fault segments, the L_{seq}-M relations predicted larger magnitudes that are more consistent with displacement-based estimates. Importantly, the Hemphill-Haley and Weldon (1999) and Carpenter et al. (2012) regressions help explain the displacement versus length discrepancy in M, while taking different approaches to address it. These regressions yield larger M than SRL regressions (e.g., Wells and Coppersmith, 1994), and thus, lend support to the Stirling et al. (2002) censored-instrumental SRL regression. We prefer the Stirling et al. (2002) SRL regression over displacement-based regressions because it (1) is based on a more statistically robust earthquake dataset, (2) agrees with the central WFZ paleoseismic data but avoids D_{ave}-calculation issues, such as the number and type (e.g., fault-parallel versus vertical, horizontal, or net) of displacement observations necessary to calculate M, and (3) can be applied to all faults in the Wasatch Front region.

3.6.2 Magnitude Regressions

Of the 19 M regressions evaluated (Appendix A), we selected six to characterize earthquake magnitudes for Wasatch Front faults (Table 3.6-2). In evaluating and selecting regressions, our primary goal was to adequately represent epistemic uncertainties in M while logically and consistently using the best available and most up-to-date regressions. We found that M estimates (as a function of SRL) span about 0.3 to

0.4 units (Figure 3.6-3) owing to differences in the fault parameter used; age, quality, and size of historical earthquake databases; and fault type and region considered. We selected M regressions that (1) estimate M and characterize the upper and lower bounds of the M uncertainty (Figure 3.6-2), (2) are based on the fundamental definition of Mo (e.g., Hanks and Kanamori, 1979), (3) are widely accepted and commonly used for BRP faults (e.g., SRL and A regressions of Wells and Coppersmith, 1994), (4) include the most up-to-date and well-vetted earthquake datasets (Stirling et al., 2002; SRL regression of Wesnousky, 2008), and (5) yield relatively large magnitudes consistent with the central WFZ paleoseismic data (Hanks and Kanamori, 1979; Stirling et al., 2002). Although the Wells and Coppersmith (1994) regressions are arguably out of date, we included the regressions (albeit with low weight) considering their common use in the BRP. Further, updated versions of the regressions (unpublished, but presented by Wells, 2015) have similar regression trends and statistical results to Wells and Coppersmith (1994) results. We had less confidence in regressions that (1) are based on limited earthquake datasets (N < 20), such as the normalfault-type regressions of Wells and Coppersmith (1994) and Wesnousky (2008), and also Carpenter et al. (2012), (2) use fault parameters such as Dave, Dmax, or slip rate (SR) (Wells and Coppersmith, 1994; Anderson et al., 1996; Mason, 1996; Hemphill-Haley and Weldon, 1999), which are not well resolved for most BRP faults, or (3) include earthquake types (e.g., megathrust events; Leonard, 2010) that are not applicable to the BRP. As a result, our preference was for the most statistically robust regressions stemming from global, allfault-type earthquake data (Table 3.6-2).

3.6.3 Regression Weights

We weighted our preferred \mathbf{M} regressions according to fault type (Table 3.6-2). For A, B, and C faults, we used two SRL regressions that yield smaller \mathbf{M} per length, the Wells and Coppersmith (1994) and Wesnousky (2008) SRL- \mathbf{M} regressions, and two that yield larger \mathbf{M} per length, the SRL regression based on the censored instrumental data of Stirling *et al.* (2002) (herein SRL-censored) and the \mathbf{M}_0 relation of Hanks and Kanamori (1979). For antithetic faults, which include a secondary fault truncated at depth by a master fault (e.g., the West Valley fault zone), we used the A regressions of Wells and Coppersmith (1994) and Stirling *et al.* (2002) weighted equally.

A faults include the central WFZ (Section 4.1) and the Northern and Oquirrh segments of the OGSLFZ (Section 4.3). These faults are segmented and have sufficient modeled displacement information (e.g., Table A-9) for calculating \mathbf{M} as a function of \mathbf{M}_0 . Because sensitivity studies showed that \mathbf{M}_0 and SRL-censored regressions yield moment-balanced recurrence intervals that are generally consistent with paleoseismic earthquake-timing and recurrence data, we heavily weighted (0.9, divided equally) these regressions. To account for epistemic uncertainties in \mathbf{M} , we included SRL regressions, but gave them low weight (0.1, divided equally). These

Table 3.6-2. Moment-magnitude regressions and weights for Wasatch Front faults.

Magnitude regression ¹			Regre	ession neters ²		Wasa		nt fault	
			N	R	σ	\boldsymbol{A}	В	C	AFP
Hanks and Kanamori (1979)	M ₀ , all	$2/3\log(M_0)-10.7$	NR	NA	NA	0.45	0.4	0	-
Stirling <i>et al.</i> (2002) (censored instrumental)	SRL, all	5.88+0.80log(SRL)	50	NR	0.3	0.45	0.4	0.34	-
Wesnousky (2008)	SRL, all	5.30+1.02log(SRL)	27	0.81	0.28	0.05	0.1	0.33	-
Wells and Coppersmith (1994)	SRL, all	5.08+1.16log(SRL)	77	0.89	0.28	0.05	0.1	0.33	-
Stirling <i>et al.</i> (2002) (censored instrumental)	A, all	5.09+0.73log(A)	47	NR	0.26	-	-	-	0.5
Wells and Coppersmith (1994)	A, all	4.07+0.98log(A)	148	0.95	0.24	-	-	-	0.5

 $^{^{1}}$ M $_{0}$ – seismic moment (μ *L*W*D $_{ave}$), A – rupture area (SRL*W; see text for discussion), SRL – linear surface rupture length. All – implies regressions based on strike-slip, normal, and reverse faulting earthquakes.

³ Wasatch Front fault categories: A – segmented with good displacement data, B – segmented with limited displacement data, C – unsegmented with limited displacement data, AFP – antithetic fault pairs where the down-dip width of the secondary fault is truncated by the primary (master) fault at a relatively shallow seismogenic depth.

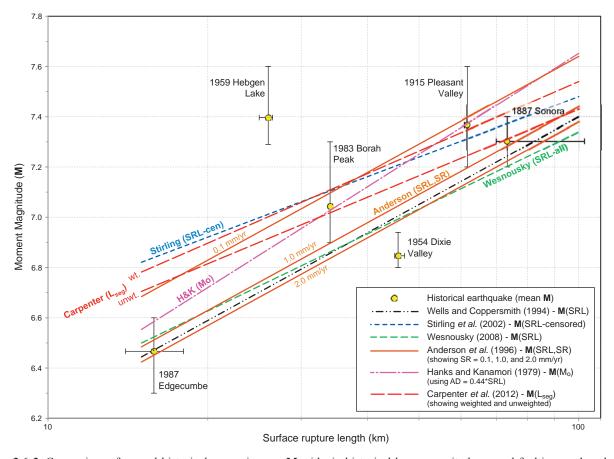


Figure 3.6-3. Comparison of several historical regressions on \mathbf{M} with six historical large-magnitude normal-faulting earthquakes. The M_0 - \mathbf{M} curve of Hanks and Kanamori (1979) uses the L_{seg} - D_{ave} scaling relation developed for the central WFZ (this study; Figure 3.6-1). The \mathbf{M} regressions based on both SRL and SR of Anderson *et al.* (1996) assumes SR values of 0.1, 1.0, and 2.0 mm/yr. For the L_{seg} - \mathbf{M} regressions (Carpenter *et al.*, 2012), both weighted (wt.) and unweighted (unwt.) curves are shown. SRL and L_{seg} regressions are based on all-fault-type data. SRLs and \mathbf{M} s for the historical earthquakes are based on values reported in Wells and Coppersmith (1994), Stirling *et al.* (2002), and Wesnousky (2008).

 $^{^2}$ N is number of earthquakes; R is regression coefficient; σ is standard deviation in magnitude. NA – not applicable. NR – not reported.

regressions and weights apply to both single- and multi-segment rupture models (Section 4).

B faults include five segmented faults that are generally less well studied, such as the end segments of the WFZ (Section 4.2) and the East and West Cache fault zones (Table D-1). B faults have total lengths ranging from about 45 to 86 km, including faults along the western edge of Scipio Valley and the eastern base of the Pavant Range that we include in a linked, 45-km long fault zone. Some B faults have limited displacement data, but additional analyses (e.g., constructing modeled displacement profiles) were not conducted for this study, and thus, we did not calculate Dave or Mo. We considered using historical earthquake scaling relations (e.g., by Stirling et al., 2002 and Wesnousky, 2008) to determine D_{ave} for use in the M₀ calculation, but ultimately used our L-D_{ave} relation based on the central WFZ data, which corresponds reasonably well with the historical regressions (Figure 3.6-1). Although the central WFZ L-Dave relation is based on limited data, we used this relation for B faults because we consider it likely that these long, segmented faults behave similarly to the WFZ, and have similar displacement-length scaling relations and M_0 release per SRL. Thus, similar to A faults, we gave substantial weight (0.8, divided equally) to the Stirling et al. (2002) SRL-censored and Hanks and Kanamori (1979) M₀ regressions. As B faults have generally received less paleoseismic study than A faults, we weighted the SRL regressions 0.2 total (0.1 each), which is slightly greater than that for A faults (0.1 total).

C faults include 17 unsegmented faults that generally lack paleoseismic displacement information (Table D-1). C faults range from 10 to 42 km long and include some relatively short, linked faults, such as those defining the 17-km long Morgan fault. The Joes Valley fault zone and Snow Lake graben are considered C faults in their deep-penetration models. In general, C faults have broadly constrained or unknown earthquake recurrence intervals and poorly constrained slip rates. Because C faults are relatively short and unsegmented and have very limited paleoseismic data, we are less confident that their rupture behavior (e.g., M_o release and M per SRL) is similar to that for A faults such as the WFZ. As a result, we chose not to estimate D_{ave} using our central WFZ L-D_{ave} relation, and thus, did not include the Hanks and Kanamori (1979) M_o regression. We weighted the remaining regressions equally (Stirling et al. (2002) 0.34 weight; Wells and Coppersmith (1994) 0.33 weight; Wesnousky (2008) 0.33 weight) because of uncertainty in whether regressions yielding larger or smaller M are more applicable to C faults, and to adequately bracket larger epistemic uncertainties in estimating M for these less well understood faults.

Antithetic faults include the Hansel Valley, West Valley, Western Bear Lake, and Utah Lake faults, all of which intersect master faults at relatively shallow depths (i.e., less than the seismogenic depth of about 12 to 18 km described in Section 3.2). For example, the West Valley fault zone, which is

antithetic to the Salt Lake City segment of the WFZ, is likely truncated by the WFZ at a relatively shallow depth of about 7 km (depending on both the master and antithetic fault dips). This group also includes the Joes Valley fault zone and Snow Lake graben when modeled at shallow-penetration depths. To account for the reduced surface area relative to the length of these antithetic faults, we used the A regressions of Wells and Coppersmith (1994) and Stirling *et al.* (2002) weighted equally.

4 CHARACTERIZATION OF WASATCH FRONT REGION FAULTS

The following describes the characterization of the faults considered in the WGUEP forecast. Much of the forecast region was occupied by pluvial Lake Bonneville, which produced numerous shoreline features in the latest Pleistocene that provide datums useful for characterizing the amounts and timing of prehistoric earthquakes. The two most prominent features are the Bonneville highstand shoreline, which was abandoned following the Bonneville Flood about 18 ka (Oviatt, 1997; Benson et al., 2011; Janecke and Oaks, 2011; Miller et al., 2013; Reheis et al., 2014) after which the lake stabilized about 100 m lower at the Provo shoreline. The age of the Provo phase is still the focus of ongoing research, but the most recent published estimates of the timing of retreat from the Provo level are ~16.5-15 ka (Godsey et al., 2011; Miller et al., 2013). Both of these features are used in our analysis of long-term slip rates along the central segments of the WFZ (Section 4.1.4; Appendix B) and the timing of paleoearthquakes on the Oquirrh–Great Salt Lake fault zone (Section 4.3). Acronyms and abbreviations are defined on pages xii to xiv.

4.1 Wasatch Fault Zone Central Segments

The WFZ is Utah's longest and most active normal-slip fault, extending about 350 km from southern Idaho to central Utah, and forming a prominent structural boundary between the BRP to the west and the relatively more stable Middle Rocky Mountain and Colorado Plateau provinces to the east. The WFZ has a complex trace that comprises ten segments (Figure 1-2) thought to generally rupture as seismogenically independent parts of the fault zone (Machette et al., 1992). This segmentation model is supported by (1) well-defined fault salients, marked by complex and diffuse faulting and shallow bedrock (indicating decreased fault displacement), which separate adjacent hanging-wall basins, and (2) along-strike changes in fault geometry and range-front morphology, and timing of most recent surface faulting (Swan et al., 1980; Schwartz and Coppersmith, 1984; Machette et al., 1992; Wheeler and Krystinik, 1992). For the five central segments (Brigham City to Nephi; Figure 4.1-1), which have paleoseismic evidence of repeated Holocene surface-faulting earthquakes, unique earthquake chronologies per segment support independent rupture (Machette et al., 1992; Lund, 2005; DuRoss, 2008; DuRoss et al., 2016). Thus, in the absence of well-defined rupture boundaries for prehistoric ruptures of the WFZ, we used the structural boundaries, together with paleoseismic earthquake timing and displacement data, as the basis for defining the fault's surface rupture characteristics and uncertainties. Additional discussion of paleoseismic data in the context of structural complexities along the WFZ is included in DuRoss et al. (2016). The central WFZ segments are the focus of this section; the end segments, including the Malad City, Collinston, and Clarkston Mountain segments to the north and the Levan and Fayette segments to the south (Figure 1-2), are discussed in Section 4.2.

The central segments of the WFZ are characterized by prominent fault scarps displacing late Holocene to latest Pleistocene geomorphic surfaces, and have been the focus of numerous paleoseismic fault-trench investigations. To date, 23 research trench sites (excluding those for pre-development fault-setback and educational purposes that have not culminated in peer-reviewed trench logs or papers) have yielded earthquake timing and/or displacement data. These data indicate that at least four to five Holocene earthquakes have occurred on each central segment (Machette et al., 1992; Lund, 2005; DuRoss, 2008), yielding mean recurrence times of ~1.3 to 2.5 thousand years (kyr) (post ~6 thousand years ago [ka]) per segment (Lund, 2005), a mean per-event vertical displacement of about 2 m for the central WFZ (DuRoss, 2008), and mean vertical slip rates for the segments of ~0.5 to 2.2 mm/yr (Machette et al., 1992; Friedrich et al., 2003; Lund, 2005). However, despite these paleoseismic data, important questions remained regarding earthquakes on the central segments at the time of this analysis. For example, should original paleoseismic data be superseded by or integrated with the results of more recent paleoseismic studies, which have generally yielded smaller earthquake-timing uncertainties due to improved sampling and dating methods? How complete are the paleoseismic data for each segment, and what methods should be used to calculate earthquake recurrence values and fault slip rates? Finally, how robust is the segmentation model for the fault? Although paleoseismic data generally support the segmentation model of Machette et al. (1992), should alternative (e.g., multi-segment-rupture) models permitted by uncertainties in the earthquake-timing and displacement data (e.g., Chang and Smith, 2002; DuRoss, 2008) be included?

To address these questions, we systematically examined previous paleoseismic data for the WFZ central segments to characterize their surface-faulting earthquake histories and rates of activity. For each segment, we reviewed and compiled published paleoseismic data from each trench site (generally excluding incomplete and unpublished data), and constructed time-stratigraphic OxCal models (e.g., Bronk Ramsey, 2008; Lienkaemper and Bronk Ramsey, 2009), which yielded earthquake-timing probability density functions (PDFs) for each site. We used the revised site PDF data to construct earthquake histories for each segment by correlating and combining the per-site earthquake-timing PDFs along the segment (after DuRoss et al., 2011). Because of the detailed nature of this work, discussions of the paleoseismic data, OxCal models, and segment-wide earthquake chronologies (and methods used to derive them) are included in Appendix B. These data are also discussed by DuRoss et al. (2011), Personius et al. (2012), and Crone et al. (2014). Using the revised earthquake histories per segment, we calculated inter-event and mean earthquake recurrence intervals, coefficients of variation (COVs) on recurrence, and vertical slip rates, which use perevent displacements and the recurrence-interval data. Finally, we constructed several fault-rupture models that address epistemic uncertainties in fault segmentation and earthquake rupture extent. The fault and earthquake parameters and rupture models are summarized here; expanded discussions, including detailed descriptions of our methods and results, are included in Appendix B.

In this analysis, we compared and combined site-earth-quake data (i.e., paleoseismic trench data) for each segment separately. That is, we did not systematically compare site earthquakes along the fault (i.e., on adjacent segments) to exhaustively allow for all possible rupture combinations (e.g., Biasi and Weldon, 2009). The assumption of single-segment ruptures on the central WFZ is consistent with Machette *et al.* (1992), Lund (2005), and DuRoss (2008), but affects the determination of the segment chronologies and recurrence intervals. Ultimately, we considered the potential for rupture beyond the segment boundaries and defined rupture uncertainties to account for more flexibility in the segmentation of the fault, but considered the treatment of the fault in a fully unsegmented manner outside the scope of this work.

4.1.1 Paleoseismic Data Sources

The central segments of the WFZ consist of (north to south) the Brigham City segment (BCS), Weber segment (WS), Salt Lake City segment (SLCS), Provo segment (PS), and Nephi segment (NS) (Figure 4.1-1). Most segments comprise two to three subsections, which we define as separate fault strands or continuous zones of faulting along the segment identified on the basis of along-strike changes in fault geometry, such as fault step-overs, gaps, or changes in orientation. These segments have been the subject of numerous paleoseismic investigations, which have yielded estimates of surface-faulting earthquake timing and displacement (Appendix B).

The 35-km-long (all length measurements in this section are straight-line, end-to-end) BCS is the northernmost segment of the central WFZ that has evidence of Holocene surface rupture (Figure 4.1-1). Paleoseismic data for the BCS are from the north-central part of the segment at Bowden Canyon (BC; Personius, 1991a), Box Elder Canyon (BEC; McCalpin and Forman, 2002), Hansen Canyon (HC; DuRoss *et al.*, 2012), and the southern part at Pole Patch (PP; Personius, 1991b) and Pearsons Canyon (PC; DuRoss *et al.*, 2012) (paleoseismic site abbreviations in this section correspond with Figure 4.1-1 and Appendix B). Personius *et al.* (2012) used paleoseismic data from these sites to constrain the timing of four late Holocene earthquakes on the BCS (Appendix B).

The 56-km-long WS is the second longest WFZ segment (Figure 4.1-1). Paleoseismic data for the WS are from trench investigations on the south-central part of the segment at the Kaysville (K) site (Swan *et al.*, 1980, 1981; later reoccupied by McCalpin *et al.*, 1994), and the northern part of the WS at the East Ogden (EO; Nelson, 1988; Nelson *et al.*, 2006) and

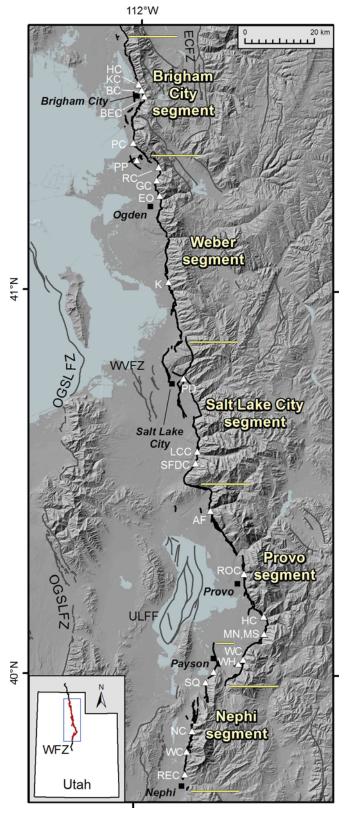


Figure 4.1-1. Central segments of the WFZ (from Black *et al.*, 2003) showing paleoseismic research sites (yellow triangles; see Appendix A for site abbreviations). ECFZ – East Cache fault zone, ETMF – East Tintic Mountains fault, OGSLFZ – Oquirrh–Great Salt Lake fault zone, ULFF – Utah Lake faults and folds, WVFZ – West Valley fault zone. Shaded topography generated from 10-m digital elevation data (https://lta.cr.usgs.gov/NED).

Rice Creek (RC; DuRoss *et al.*, 2009) sites. Additional paleoseismic data are from a cut-slope excavation near East Ogden at the Garner Canyon (GC) site (Nelson, 1988; Forman *et al.*, 1991; Nelson *et al.*, 2006). Paleoseismic data from these sites contribute to the timing of five mid- to late Holocene earthquakes on the WS (DuRoss *et al.*, 2011) (Appendix B).

The 40-km-long SLCS (Figure 4.1-1) comprises three subsections (separate fault strands) that are separated by prominent left steps: the Warm Springs, East Bench, and Cottonwood faults. Paleoseismic data for the SLCS are from fault-trench investigations at the Little Cottonwood Canyon (LCC; Swan et al., 1981; later reoccupied by McCalpin, 2002) and South Fork Dry Creek (SFDC; Schwartz and Lund, 1988; Black et al., 1996) sites, both on the Cottonwood fault. Paleoseismic data for the Penrose Drive (PD) site on the East Bench fault (DuRoss et al., 2014) were not available at the time of our analysis. Paleoseismic data from LCC and SFDC provide evidence of four late Holocene earthquakes on the SLCS (Appendix B).

The PS is the longest segment on the WFZ, which consists of three distinct subsections that have a total length of 59 km (Figure 4.1-1). Seven paleoseismic trench sites have been investigated along the PS, but only four of these sites had sufficient timing data available to be included in this analysis: the American Fork (AF) site (Forman *et al.*, 1989; Machette *et al.*, 1992) on the northern subsection, the Rock Canyon/Rock Creek (ROC) site (Lund and Black, 1998) on the central subsection, and the Mapleton South (MS; Lund *et al.*, 1991) and Mapleton North (MN; Lund *et al.*, 1991; later trenched by Olig *et al.*, 2011) sites on the southern subsection. Based on data from these sites, at least five mid- to late Holocene earthquakes have occurred on the PS (Appendix B).

The NS is the southernmost segment of the central WFZ that has evidence of multiple Holocene surface-faulting earthquakes (Figure 4.1-1). The NS extends 43 km and comprises two subsections—a 17-km-long northern strand and a 25-km-long southern strand—which are separated by a 4 to 5-km-wide right step in bedrock. Paleoseismic data for the NS are from three trench sites on the southern strand at North Creek (NC; Hanson *et al.*, 1981, 1982), Red Canyon (REC; Jackson, 1991), Willow Creek (WC; Machette *et al.*, 2007; Crone *et al.*, 2014), and one site on the northern strand near Santaquin (SQ; DuRoss *et al.*, 2008). Crone *et al.* (2014) report four late Holocene earthquakes on the NS using data from these sites (Appendix B).

4.1.2 Surface-Faulting Earthquake Histories

At least 22 surface-faulting earthquakes have ruptured the central segments of the WFZ since about 6.0 ka (Table 4.1-1; Appendix B). Our revised surface-faulting earthquake histories per segment reflect important analytical steps, including the systematic analysis of previous paleoseismic data, OxCal modeling, and the correlation of site earthquakes along each segment. Although we summarize the data here, important and detailed discussions in Appendix B address (1) assump-

tions regarding the quality and completeness of the previous data, (2) the methods by which we combined the probabilistic earthquake timing data from OxCal into segment-wide earthquake chronologies, and (3) remaining uncertainties in the per-segment paleoseismic data and earthquake histories.

4.1.3 Earthquake Recurrence and Coefficient of Variation

We calculated individual (inter-event, e.g., B4-B3) and closed and open mean recurrence intervals for the central WFZ segments (Tables 4.1-1 and 4.1-2) by sampling our revised earthquake times (segment PDFs summarized in Table 4.1-1) in a Monte Carlo model (see Appendix B for discussion). Closed mean recurrence is the total elapsed time between the oldest and youngest earthquakes divided by the number of closed intervals between them (e.g., B4-B1 time divided by 3). Open mean recurrence intervals, or the number of events per unit time (N-in-T), use the total elapsed time from the maximum age constraint on the oldest event to the present (time of analysis, 2011) divided by the number of earthquakes that occurred in that period (e.g., 5.9 ± 0.4 ka divided by 4). Because the central segments have limited earthquake records, but similar mean recurrence estimates (Table 4.1-2), we grouped the individual recurrence intervals and calculated a composite mean recurrence interval for the central WFZ (using a Monte Carlo model discussed in Appendix B). The composite mean recurrence is a more statistically robust estimate because the inter-event recurrence sample size increases from 2 to 4 per segment to 16 for the central WFZ. These recurrence estimates do not account for sample-size uncertainties, which are discussed in Section 3.5.

The COV on recurrence, the standard deviation of inter-event recurrence intervals divided by their mean, is a measure of the periodicity of earthquakes on a fault, where smaller values indicate more periodic recurrence and a COV of 1.0 represents random timing. The WGCEP (2003, 2008) used a COV of 0.5 ± 0.2 based on a global dataset of repeating earthquake sequences (Ellsworth *et al.*, 1999). To test the suitability of the global COV to the central WFZ, we calculated a composite COV for the central WFZ using grouped (composite) inter-event recurrence data. The basis for the composite COV is similar mean recurrence parameters for the individual segments. Similar to the composite mean recurrence interval, the composite COV is a more statistically robust estimate; however, the estimate does account for sample-size uncertainties (e.g., Section 3.5).

Inter-event intervals for the central WFZ segments show moderate variability (Table 4.1-1; Appendix B). For example, the youngest four earthquakes (B4 to B1) on the BCS yield consistent inter-event intervals of 1.0 to 1.1 kyr; however, about 2.5 kyr have elapsed since the most recent BCS earthquake, B1. Inter-event intervals for the WS, SLCS, PS, and NS are also irregular, ranging from about 0.7 kyr to 2.7 kyr, and varying by a factor of 2.4 to 3.5 per segment. For example, although two inter-event intervals for the WS are ~1.4

Table 4.1-1. Summary of earthquake timing data for the central WFZ.

D41		Earthquake Timing ² (ka)	Inter-event recurrence ³
Rupture ¹	$Mean \pm 2\sigma$	5th-50th-95th [mode]	(kyr)
B1	2.4 ± 0.3	2.2-2.4-2.6 [2.4]	-
B2	3.5 ± 0.2	3.4–3.5–3.7 [3.4]	1.1 (B2-B1)
B3	4.5 ± 0.5	4.1-4.5-5.0 [4.5]	1.0 (B3-B2)
B4	5.6 ± 0.6	5.0-5.6-6.1 [5.6]	1.1 (B4-B3)
W1	0.6 ± 0.1	0.5-0.6-0.6 [0.5]	
W2	1.1 ± 0.6	0.7–1.2–1.7 [1.3]	0.7 (W2–W1)
W3	3.1 ± 0.3	2.9–3.1–3.3 [3.1]	1.9 (W3–W2)
W4	4.5 ± 0.3	4.2–4.5–4.7 [4.5]	1.4 (W4–W3)
W5	5.9 ± 0.5	5.6-5.9-6.4 [5.6]	1.4 (W5–W4)
S1	1.3 ± 0.2	1.2–1.3–1.5 [1.3]	-
S2	2.2 ± 0.2	2.0-2.2-2.3 [2.2]	0.8 (S2-S1)
S3	4.1 ± 0.3	3.9-4.1-4.4 [4.1]	2.0 (S3-S2)
S4	5.3 ± 0.2	5.1-5.2-5.5 [5.2]	1.1 (S4–S3)
P1	0.6 ± 0.05	0.5-0.6-0.6 [0.6]	-
P2	1.5 ± 0.4	1.2-1.5-1.8 [1.7]	0.9 (P2-P1)
P3	2.2 ± 0.4	1.9-2.3-2.6 [2.3]	0.8 (P3-P2)
P4	4.7 ± 0.3	4.5–4.7–4.9 [4.7]	2.5 (P4–P3)
P5	5.9 ± 1.0	5.2-5.8-6.9 [5.6]	1.2 (P5–P4)
N1	0.2 ± 0.1	0.1–0.2–0.3 [0.2]	-
N2	1.2 ± 0.1	1.2–1.2–1.3 [1.2]	1.0 (N2-N1)
N3	2.0 ± 0.4	1.7–2.0–2.3 [2.0]	0.8 (N3-N2)
N4	4.7 ± 1.8	3.3-4.7-6.1 [5.8]	2.7 (N4-N3)

¹ Numerical values indicate youngest (e.g., B1) and progressively older earthquakes (e.g., B2–B4).

Table 4.1-2. Mean recurrence intervals for the central WFZ.

Segment	Closed mean RI ¹ (kyr)	Open mean RI (N-in-T) ¹ (kyr)	Time since MRE ² (kyr)
BCS	$1.1 \pm 0.2 (B4-B1)$	1.5 ± 0.1 ; 4 events $< 5.9 \pm 0.4$ ka	2.5 ± 0.3
WS	$1.3 \pm 0.1 \text{ (W5-W1)}$	1.4 ± 0.3 ; 5 events < 7.1 ± 1.4 ka	0.6 ± 0.07
SLCS	$1.3 \pm 0.1 \text{ (S4-S1)}$	1.3 ± 0.09 ; 4 events $< 5.2 \pm 0.4$ ka	1.4 ± 0.2
PS	$1.3 \pm 0.2 \text{ (P5-P1)}$	1.2 ± 0.03 ; 5 events $< 6.1 \pm 0.2$ ka	0.6 ± 0.05
NS	$0.9 \pm 0.2 \text{ (N3-N1)}$	1.1 ± 0.04 ; 3 events $< 3.2 \pm 0.1$ ka	0.3 ± 0.09

¹ Closed mean recurrence is elapsed time between oldest and youngest earthquakes per segment (e.g., B4–B1) divided by the number of closed intervals. Open mean recurrence is the time from the maximum constraining age on the oldest event (e.g., 5.9 ± 0.4 ka for B4) to the present (2011) divided by number of events. Recurrence values do not account for sample-size uncertainties (see Section 3.5). See text and Appendix B for additional discussion.

² Summary statistics based on integration of per-site earthquake-timing PDFs (derived from OxCal models; Appendix B) following the method of DuRoss *et al.* (2011). See Appendix B for PDF integration method and site PDFs contributing to the segment-wide rupture times. Earthquake times are in thousands of years before 1950.

³ Individual recurrence interval (RI) is mean recurrence time between earthquakes (e.g., B4–B3 time); see Appendix B for uncertainties.

² Time (to the present; 2011) since the most recent earthquake (MRE).

kyr (W5–W4 and W4–W3), the longest interval of 1.9 kyr for W3–W2 is 2.9 times greater than the 0.7-kyr interval for W2–W1. These inter-event intervals are useful for understanding and comparing the variability in earthquake recurrence on the central WFZ, but they do not necessarily represent the longer-term mean recurrence for the segments.

Estimates of closed mean recurrence are similar for the five central segments (Table 4.1-2). With the exception of the NS, the mean intervals range from 1.1 kyr (BCS) to 1.3 kyr (WS, SLCS, and PS). These similar mean intervals reflect the most current earthquake data per segment and form the basis for our composite (grouped) central WFZ recurrence estimate. The NS has a shorter mean interval of 0.9 kyr, but this value is based on only two intervals between N3 and N1. The closed mean recurrence for the NS is 1.5 kyr if calculated using the N4–N1 time. However, we are not confident in this recurrence value because of the large uncertainty in the timing of N4 and concerns about the completeness of the earthquake record between N3 and N4 (Appendix B).

Open mean (*N*-in-*T*) recurrence intervals are very similar to the closed mean intervals (Table 4.1-2); differences are related to the elapsed time since the MRE or the time between the oldest earthquake and its maximum age constraint. The open mean recurrence values for the WS, SLCS, and PS are within about 0.1 kyr of the closed mean values. The BCS has the largest difference between the two values (~1.1 kyr—closed mean, ~1.5 kyr—open mean) because of the long elapsed time since its MRE (2.5 kyr). The NS has an intermediate (~0.2-kyr) difference in the recurrence values (~0.9 kyr—closed mean, ~1.1 kyr—open mean), which stems from the 1.2-kyr elapsed time between N3 (~2.0 kyr) and its maximum limiting age (~3.2 kyr).

The composite mean recurrence for the central WFZ is $1.2 \pm$ $0.1 \text{ kyr} (2\sigma)$, which represents the distribution of mean intervals calculated from 16 closed inter-event recurrence PDFs sampled in multiple simulations. We used the grouped interevent recurrence data to calculate a composite COV for the central WFZ of 0.5 ± 0.1 (2 σ), with a minimum-maximum range of about 0.3 to 0.7. Similar to the composite recurrence, the composite COV limits the variability in the per-segment COVs, which are based on only two to three inter-event recurrence estimates and range from 0.3 ± 0.4 (NS) to 0.6 ± 0.3 (PS) (Appendix B). Ultimately, we used the composite COV for the WFZ as a plausibility test of the global COV of $0.5 \pm$ 0.2 used by the WGCEP (2003; 2008). The consensus of the WGUEP was to use a central WFZ COV of 0.5 ± 0.2 based on the global COV (Ellsworth et al., 1999), but supported by the composite COV mean (0.5) and possible range of uncertainty $(\pm \sim 0.2)$ calculated here.

4.1.4 Vertical Displacement and Slip Rate

We compiled vertical displacement data per trench site to estimate mean vertical displacement per rupture and rupture source (e.g., individual segments; Table 2-1) on the central WFZ. Rupture sources include single-segment ruptures (e.g., the BCS or WS) and multi-segment ruptures (e.g., the BCS+WS), which are discussed in Section 4.1.5 and Appendix B. These data are derived from the original paleoseismic-data sources listed in Appendix B.

Using our correlation of site events along the segments (Tables B-1 to B-5), we combined individual vertical displacements per site into mean and minimum-maximum range displacements per rupture (e.g., earthquake B1). We modeled the mean displacement (and range) per rupture by fitting analytical (ellipse-shaped) displacement curves to the site data (after Chang and Smith, 2002; and Biasi and Weldon, 2009) based on the well-documented observation that displacement tapers toward the ends of a surface rupture (Hemphill-Haley and Weldon, 1999; Biasi and Weldon, 2006; Wesnousky, 2008). These per-rupture displacements were then used to calculate mean vertical displacement per rupture source (e.g., for the BCS; Table 4.1-3). The resulting source displacements are limited by assumptions regarding the position of the displacement observations along the individual ruptures (the WFZ segmentation model). For example, different results could be expected for ruptures having lengths significantly shorter or longer than the segment lengths used. Further, several ruptures are constrained by limited (e.g., one to two) point displacement observations. However, despite these limitations, per-rupture displacements are similar for each rupture source (Appendix B). Additional discussion of our displacementmodeling methods and results for both single- and multiplesegment ruptures is included in Appendix B.

We used the mean displacements per earthquake rupture and per single-segment rupture source, the individual earthquake times, and the open and closed mean recurrence intervals to calculate vertical slip rates for the central WFZ segments (Table 4.1-4; Appendix B) and for the central WFZ as a whole (composite slip rates). For each segment, we determined (1) a closed-interval slip rate using the modeled mean displacement for the segment (Table 4.1-3) divided by the segment's closed mean recurrence interval (Table 4.1-2), (2) an open-interval slip rate for which we used the total displacement (Appendix B) in the time period defined by the maximum limiting age for the oldest earthquake (Table 4.1-1) to the present, and (3) long-term rates based on the vertical offset of geomorphic surfaces related to the latest Pleistocene-age Provo phase (~15-18 ka) and highstand (~18 ka) of Lake Bonneville (Appendix B). We calculated composite slip rates comprising (1) a composite, long-term slip rate based on eight long-term (latest Pleistocene) slip rates (Appendix B), and (2) a composite, closed-interval, mean slip rate for which we used the mean of the average displacements per segment divided by the closed-interval mean composite recurrence interval for the central WFZ. We report a weighted mean slip rate per segment that uses these slip rates and a weighting scheme shown in Table 4.1-4 and discussed in Appendix B.

Table 4.1-3. Summary of displacement per rupture source on the central WFZ.

D (G 1	Obs. D ² (m)	Obs. D ² (m) Modeled D (displacement curves) ³ (m)		rves)3 (m)	FO. 1. 4	D: 1 1
Rupture Source ¹	μ	μ	min	max	EQs obs. ⁴	Disp. obs. ⁴
BCS	2.0	1.7	1.2	2.1	4	6
WS	2.1	2.4	1.1	4.1	5	16
SLCS	1.7	1.7	1.2	2.2	4	8
PS	2.5	2.6	1.3	3.6	4	6
NS	1.8	2.0	1.5	2.7	3	5-6
BCS+WS	2.2	2.0	1.7	2.4	3	13
WS+SLCS	1.9	2.7	2.4	2.9	1	6
SLCS+PS+NS	2.1	1.7	1.6	1.9	1	3
SLCS+PS	2.0	1.6	1.3	2.0	2	6
PS+NS	2.1	2.8	1.2	4.2	2	4

¹ Vertical displacement (D) for single-segment rupture sources, e.g., the BCS or WS, and multiple-segment rupture sources, e.g., the BCS and WS combined (BCS+WS). Multi-segment rupture sources are discussed in Section 4.1.5; see Appendix B for additional discussion.

Table 4.1-4. Summary of vertical slip rates for the central WFZ.

Clin Data (CD).	BCS	ws	SLCS	PS	NS
Slip Rate (SR):	mm/yr [wt.]				
Closed mean SR per segment ¹	1.6 (1.0–2.4)	1.9 (1.1–2.9)	1.3 (1.0–1.8)	2.0 (1.2–3.0)	1.7 (1.1–3.2)
	[0.2]	[0.35]	[0.35]	[0.35]	[0.2]
Open mean SR per segment ²	1.2 (0.9–1.3)	1.7 (1.2–2.3)	1.3 (1.0–1.6)	2.1 (1.9–2.4)	1.5 (1.3–1.8)
	[0.2]	[0]	[0]	[0]	[0.2]
Composite closed mean SR ³	1.7 (0.9–2.7)	1.7 (0.9–2.7)	1.7 (0.9–2.7)	1.7 (0.9–2.7)	1.7 (0.9–2.7)
	[0.3]	[0.35]	[0.35]	[0.35]	[0.3]
Composite long-term SR ⁴	1.0 (0.6–1.4)	1.0 (0.6–1.4)	1.0 (0.6–1.4)	1.0 (0.6–1.4)	1.0 (0.6–1.4)
	[0.3]	[0.3]	[0.3]	[0.3]	[0.3]
Weighted mean SR ⁵	1.3 (0.8–2.0)	1.5 (0.9–2.4)	1.3 (0.8–2.0)	1.6 (0.9–2.4)	1.4 (0.9–2.2)

¹ Closed-interval slip rate (SRs) are the average of mean, minimum, and maximum SRs based on (1) average displacement and recurrence and (2) elapsed time and total displacement.

² Mean (μ) of observed displacement per earthquake on the source (Appendix B). For example, mean observed displacement for BCS is mean of displacement estimates for B1, B2, B3, and B4 (Appendix B).

³ Mean (μ) and minimum-maximum range of modeled displacement per earthquake on the source, using analytical displacement curves (Appendix B).

⁴ EQs. obs. is total number of earthquakes on the source. Disp. obs. is the total number of site observations of displacement for the source.

² Open-interval SRs are based on the total displacement since the maximum limiting age for the oldest earthquake on the segment.

³ The composite closed mean SR is based on the mean displacement per event and the composite closed recurrence interval for the central WFZ. See text and Appendix B for discussion.

⁴ The composite long-term SR is based on long-term SRs per segment, which are based on the total net vertical tectonic displacement of latest Pleistocene-age geomorphic surfaces related to the Provo phase and highstand of Lake Bonneville and reported in Appendix B.

⁵ Weighted mean SRs per segment are based on weighting scheme for per-segment and composite SRs (weights shown in brackets); see Appendix B for discussion.

The modeled mean displacements per source range from 1.7 m for the BCS and SLCS to 2.6 m for the PS. These yield a mean displacement for the central WFZ of 2.1 m, which is similar to the unmodeled mean of 2.0 m, and a mean of 2.2 m reported by DuRoss (2008).

The weighted mean slip rates are very similar for each segment ranging from 1.3 mm/yr for the BCS and SLCS (the shortest segments), to 1.5 and 1.6 mm/yr for the WS and PS, respectively (the longest segments) (Table 4.1-4). The similarity in these rates reflects the fairly consistent closed-interval slip rates (1.3 to 2.0 mm/yr) and open-interval slip rates (1.2 to 2.1 mm/yr), as well as the composite rates, which are included in the weighted-mean calculation for each segment. The composite long-term slip rate is 1.0 mm/yr (0.6 to 1.4 mm/yr range) based on both measured displacements across Provo-phase and Bonneville highstand surfaces of the Bonneville lake cycle. The composite closed-interval slip rate is 1.7 mm/yr (0.9 to 2.7 mm/yr range) using the mean of the mean displacements per segment (2.1 m) divided by the composite mean recurrence interval (1.2 ± 0.1 kyr).

4.1.5 Rupture Models and Geometries

Prominent structural segment boundaries along the central WFZ represent persistent (long-term) features that may act as barriers to lateral propagation of surface faulting (Machette et al., 1992). Support for the seismogenic independence of the segments stems from their unique late Holocene earthquake histories as well as significant differences in most recent earthquake timing across these complex structural boundaries (Schwartz and Coppersmith, 1984; Machette et al., 1992; Lund, 2005; DuRoss, 2008). However, similar to Machette et al. (1992), we cannot rule out the simultaneous rupture of adjacent segments (e.g., Chang and Smith, 2002) considering moderate to large uncertainties in earthquake timing and limited mid-Holocene earthquake records for the segments. Thus, we used the refined earthquake chronologies and displacement estimates per segment to identify possible and probable multi-segment ruptures on the central WFZ. These ruptures are included in rupture models (Table 4.1-5; Figures 4.1-2 to 4.1-5) that capture the range of possible earthquake rupture behavior on the central WFZ.

We constructed both single- and multi-segment rupture models for the central WFZ (Table 4.1-5; Figures 4.1-2 to 4.1-5) following an evaluation of possible multi-segment ruptures on the central WFZ (Appendix B). Our analyses relied mostly on the per-segment earthquake timing, using the degree of overlap in the segment PDFs (PDF overlap of Biasi and Weldon, 2009) and displacement data. Our analysis focused mostly on two-segment ruptures, which yield rupture lengths of about 90 to 100 km (consistent with the largest known historic normal slip earthquake in the BRP, the 1887 **M** 7.5 \pm 0.3 Sonora, Mexico earthquake; Suter, 2006); however, we also considered ruptures as long as three adjacent segments if the paleoseismic data warranted it. Model development fol-

lowed methods similar to those of the WGCEP (2003, 2008). Although our rupture models yield different rupture-source combinations, similar to WGCEP (2003), a significant difference is that they are based on paleoseismic data that span the middle to late Holocene, and thus encompass the behavior of the central WFZ over multiple earthquake cycles. Our rupture models are similar to the *a priori* maximum, geologic-insight, and minimum rupture models calculated by the WGCEP (2008) for UCERF2.

We modeled the central WFZ using a combination of single and multi-segment ruptures included in five rupture models. The basis for the WFZ rupture models and weights in Table 4.1-5 is briefly summarized as follows. Preference (model weight of 0.7) for the single-segment rupture model (Figure 4.1-2), where each segment acts as an independent source, is based on (1) prominent along-strike variations in fault geometry (e.g., fault step-overs, gaps, and changes in strike), complexity (e.g., areas of diffuse faulting), and structure (e.g., range-front morphology and relief) that define prominent fault salients, hanging-wall basins, and fault segments, (2) differences in the timing of the youngest surface-faulting earthquakes at sites along the WFZ (e.g., compare the timing of the youngest events along the BCS, WS, SLCS, and PS; Figure 3 in Appendix B), (3) unique late Holocene surfacefaulting earthquake histories per segment (Figure 4.1-2), (4) differences in per-event vertical displacement across the segment boundaries (e.g., compare DuRoss et al., 2011 to Personius et al., 2012; see also DuRoss, 2008), (5) long-term (latest Pleistocene) slip deficits at the segment boundaries (Machette et al., 1992), and (6) paleoseismic evidence for at least one spillover rupture from the WS to the BCS (DuRoss et al., 2012; Personius et al., 2012), rather than the simultaneous rupture of both segments.

We also considered possible multi-segment ruptures on the WFZ, which we filtered using the segment earthquake timing and displacement data (see Appendix B for additional discussion). Two to three multi-segment ruptures that are most consistent with the per-segment earthquake timing and displacement data (e.g., having moderate overlap in segment PDFs; Appendix B) are included in a set of intermediate rupture models (Figure 4.1-3), whereas the multi-segment rupture model (Figure 4.1-4) includes the maximum number (n=7) of multi-segment ruptures permitted by the timing data alone (Table 4.1-5; Appendix B). We gave more weight to the intermediate models (combined weight of 0.175) compared to the multi-segment rupture model (weight of 0.025) because they include the most probable multi-segment ruptures. Although some of the two- (and three-) segment ruptures included in the multi-segment model may have occurred, we find it highly unlikely that all them occurred given the segmentation arguments discussed above. Although we cannot discount the occurrence of multi-segment ruptures, we found no observational basis to conclude that earthquakes on the central WFZ regularly rupture multiple segments, and thus assigned relatively low weights to the multi-segment

Table 4.1-5. Summary of rupture models and weights for the central WFZ.

Rupture Model ¹	Rupture Sources ²	WGUEP Weight ³	Earthquakes ⁴	Notes
SSR	B, W, S, P, N	0.7	22 SSR	Only SSRs occur
Int. C	B, W, S, P, N, B+W	0.075	18 SSR, 2 MSR	SSRs, including B+W MSR
Int. A	B, W, S, P, N, B+W, S+P	0.05	16 SSR, 3 MSR	SSRs, including most-probable MSRs
Int. B	B, W, S, P, N, B+W, P+N	0.05	16 SSR, 3 MSR	SSRs, including most-probable MSRs
MSR	B, W, S, P, N, B+W, W+S, S+P, P+N, S+P+N	0.025	7 SSR, 7 MSR	All possible MSRs occur
-	Unsegmented [†]	0.1	-	-

¹ Rupture models include (1) all single-segment ruptures (SSRs) (SSR model; Figure 4.1-3), (2) combinations of SSRs and multi-segment ruptures (MSRs) we consider most probable (Intermediate [Int.] A, B, and C; Figure 4.1-4), and (3) all possible MSRs (MSR model; Figure 4.1-5). See text and Appendix B for discussion of model development.

and intermediate rupture models (total weight of 0.2 compared to the single-segment rupture model weight of 0.7). These model weights are consistent with the differences in most-recent earthquake timing across the prominent segment boundaries (Figure B-3), as well as paleoseismic evidence for at least one spillover rupture on the central WFZ (Personius *et al.*, 2012), which represents a more likely mode of segment-boundary failure.

An unsegmented rupture model was implemented in the WGUEP forecast to account for ruptures on the central WFZ and the WFZ as a whole, irrespective of the fault segmentation model and defined rupture boundaries. This model uses a distribution of magnitudes (as opposed to rupture lengths) ranging from M 6.75 to 7.6 (Section 3.4). To some degree, this model accounts for a level of partial-segment rupture and rupture across a segment boundary (spillover rupture) greater than that allowed by the segment boundary uncertainties (Section 4.1.6). We assigned a relatively low weight (0.1) to the unsegmented model because the central WFZ is characterized by prominent segment boundaries and because the paleoseismic data suggest that ruptures on the central WFZ are not spatially random (e.g., the youngest earthquakes on the BCS are significantly older than those on the adjacent WS). Furthermore, we account for many multi-segment ruptures in our multi-segment and intermediate models, where those ruptures honor available paleoseismic earthquake timing and displacement data. Rates for the unsegmented model are based on the central WFZ closed-mean slip rate (~1.7 mm/yr; 0.2 weight) and long-term slip rate (~1.0 mm/yr; 0.3 weight), as well as the broad range in slip rates for the northernmost end segments (Section 4.2.2).

Together, the single-segment, intermediate, and multi-segment rupture models highlight possible modes of rupture along the central WFZ. However, our analyses are limited by modeling assumptions and poorly constrained mid-Holocene earthquake data. For example, although our analysis of the site PDF data by segment is consistent with the body of work indicating a segmented fault (e.g., Schwartz and Coppersmith, 1984; Machette et al., 1992; Lund, 2005; DuRoss, 2008; Personius et al., 2012) and serves to help constrain the per-segment earthquake chronologies (e.g., DuRoss et al., 2011), it does limit our ability to define and evaluate all possible rupture permutations. We have addressed this limitation by constructing multi-segment and unsegmented rupture scenarios and by defining segment-boundary uncertainties (Section 4.1.6), which allow for both partial-segment and spillover ruptures (i.e., coseismic rupture across a "leaky" segment boundary; Crone and Haller, 1991; see for example, Crone *et al.*, 1987; DuRoss et al., 2012; Personius et al., 2012) not specifically accounted for in the rupture models. Ultimately, our treatment of the WFZ is consistent with the hybrid characteristic slip model of DuRoss (2008) in which "large-displacement singlesegment ruptures dominate the fault history but are interrupted by anomalously small- and large-displacement events (i.e., possible partial- and multi-segment ruptures, respectively)." However, the possibility of ruptures across WFZ segment boundaries needs to be evaluated using the site earthquake data to yield a more comprehensive suite of rupture models (e.g., Biasi and Weldon, 2009). Finally, although the youngest earthquakes along the WFZ are consistent with a segmented fault, poorly constrained mid-Holocene earthquakes allow for longer rupture lengths. Additional mid- to early Holocene paleoseismic data for the central WFZ would aid in evaluating which of these multi-segment ruptures are most plausible.

² Rupture sources: B–BCS, W–WS, S–SLCS, P–PS, N–NS; combinations of these indicate multi-segment-rupture sources (*e.g.*, B+W).
† The unsegmented model accounts for possible multi-segment and/or partial-segment ruptures not included in these models.

³ Consensus weight of the WGUEP.

⁴ Number of earthquakes included in each rupture model; see Appendix B for timing information for individual earthquakes.

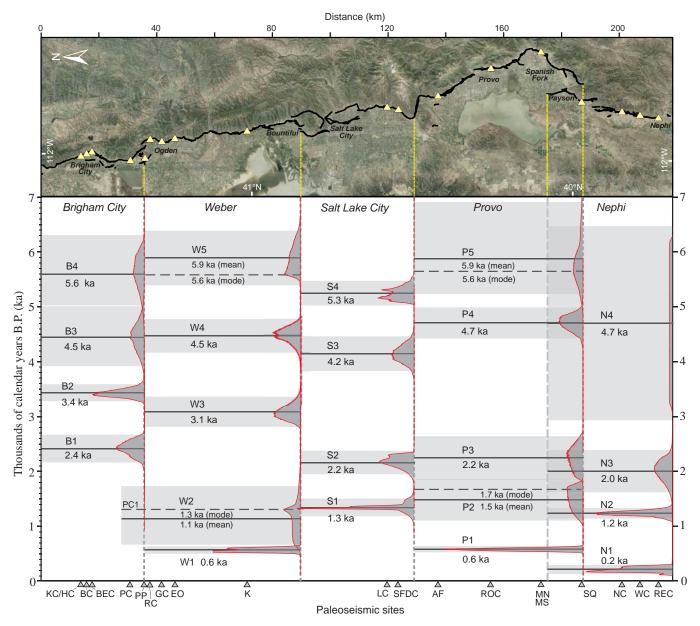


Figure 4.1-2. Single-segment rupture model for the central WFZ. Upper panel shows map of the central segments; yellow triangles show locations of paleoseismic study sites. Lower panel shows times of earthquakes on each segment. Solid horizontal lines indicate mean earthquake times (dashed lines indicate modal times for select earthquakes); gray boxes show 2σ time ranges. Red lines with gray-shaded fill are earthquake-timing PDFs derived from our integration of site paleoseismic data (see Appendix B for discussion and explanation of site abbreviations). Base map is aerial imagery (https://gdg.sc.egov.usda.gov/) overlain on shaded topography generated from 10-m digital elevation data (https://lta.cr.usgs.gov/NED).

4.1.6 Segment Boundary Uncertainties

To define segment-boundary uncertainties for the central WFZ (Figure 4.1-5), we considered the geometry and extent of Holocene faulting near the ends of the segments, and, if available, paleoseismic data from sites close to the segment boundaries (Figure 4.1-1; Appendix B). Most segment boundaries are moderately well constrained (3 to 8 km); however, we include large uncertainties (13 to 17 km) for the complex overlapping fault step-over between the PS and NS. The best-constrained boundary is the BCS-Collinston segment (CS) boundary (±3 km) based on the extent of Holocene surface

faulting on the BCS, the apparent lack of Holocene rupture on the CS, and 3 km of spillover rupture from the BCS onto the southern CS (Personius, 1990; Personius *et al.*, 2012). We applied asymmetric uncertainties for several segment boundaries. The uncertainty for the BCS and WS is 3 to 8 km (depending on the segment; Figure 4.1-5), which accounts for the spillover rupture that occurred during earthquake W2 (DuRoss *et al.*, 2012; Personius *et al.*, 2012). An asymmetric uncertainty for the PS and NS (+4, -13 km for the southern PS and +5, -17 km for the northern NS) is based on overlap between the two segment traces, the total length of the northern strand of the Nephi segment. See Appendix B for

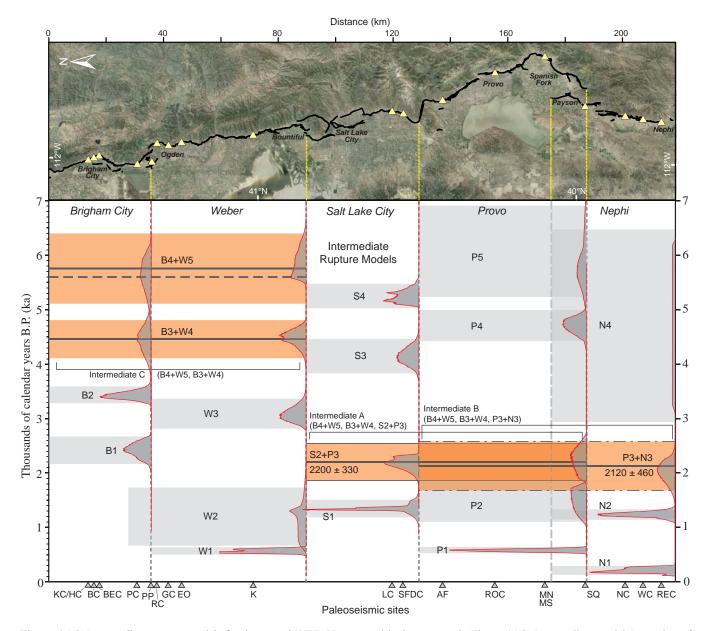


Figure 4.1-3. Intermediate rupture models for the central WFZ. Upper panel is the same as in Figure 4.1-2. Intermediate model A consists of single-segment ruptures (gray boxes showing 2σ ranges) and multi-segment ruptures B4+W5, B3+W4, and S2+P3 (orange boxes showing 2σ ranges). Intermediate model B includes P3+N3 in place of S2+P3. Intermediate model C has single-segment ruptures as well as multi-segment ruptures B4+W5 and B3+W4. Solid horizontal lines indicate mean earthquake times (dashed lines indicate modal times for select earthquakes). Red lines with gray-shaded fill are earthquake-timing PDFs derived from our integration of site paleoseismic data (see Appendix B for discussion and explanation of site abbreviations). Base map is aerial imagery (https://gdg.sc.egov.usda.gov/) overlain on shaded topography generated from 10-m digital elevation data (https://lta.cr.usgs.gov/NED).

additional descriptions of geologic data used to constrain the segment-boundary uncertainties. We used these uncertainties to define a range of rupture-lengths for both single- and multi-segment ruptures (Figures 4.1-5 and 4.1-6; Table 4.1-6); see Appendix B for additional discussion.

4.1.7 Characteristic Magnitudes

We calculated M_{char} for central WFZ rupture sources (e.g., single segments or combinations of segments) using four earthquake-magnitude regressions for Type A faults in-

cluded in Table 4.3-5 (Section 3.5). Weighted mean estimates of M_{char} range from M 7.1 to 7.5 (Table 4.1-6), including estimates of M 7.1 to 7.3 for single-segment rupture sources and M 7.4 to 7.5 for multi-segment rupture sources. We used SRL-M and M_0 -M regressions to define M_{char} for both single and multi-segment rupture sources. Estimates of M based on SRL account for median and range SRL (Table B-16) determined using the segment-boundary uncertainties (Table B-17). Estimates of M as a function of M_0 include uncertainties in SRL, down-dip rupture length, and fault-parallel displacement. Down-dip rupture length is a function of fault dip

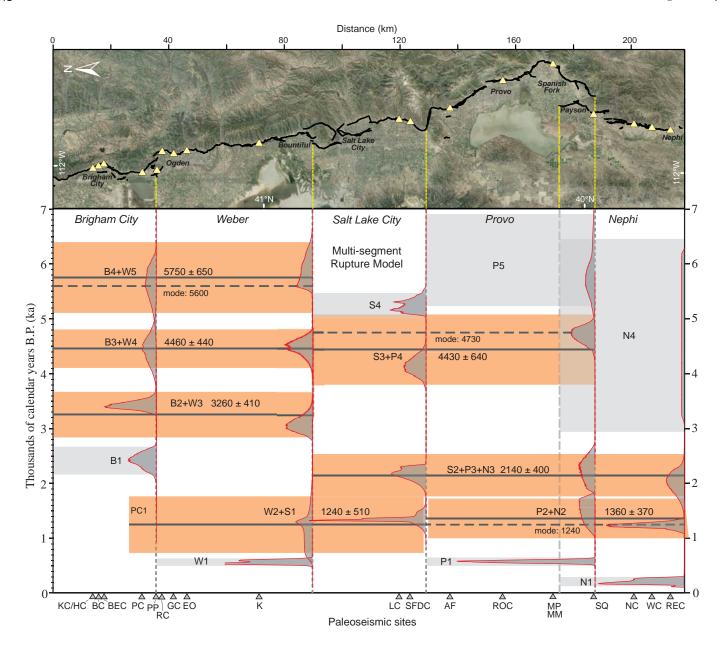


Figure 4.1-4. Multi-segment rupture model for the central WFZ consisting of single-segment ruptures (gray boxes showing 2σ ranges) and multi-segment ruptures (orange boxes showing 2σ ranges). Solid horizontal lines indicate mean earthquake times (dashed lines indicate modal times for select earthquakes). Red lines with gray-shaded fill are earthquake-timing PDFs derived from our integration of site paleoseismic data (see Appendix B for discussion and explanation of site abbreviations). Base map is aerial imagery (https://gdg.sc.egov.usda.gov/) overlain on shaded topography generated from 10-m digital elevation data (https://lta.cr.usgs.gov/NED).

 $(50^{\circ} \pm 15^{\circ})$; Section 2.1.1) and seismogenic depth (12 to 18 km; Section 3.2). Displacements included in the M_0 calculations are the mean, minimum, and maximum values per source determined using the modeled displacement profiles (Table 4.1-3). For the single-segment rupture sources, $M_{\rm char}$ ranges from M 6.9 to 7.1 (5th percentile values) to M 7.2 to 7.5 (95th percentile values), consistent with M estimates for historical BRP earthquakes (the 1915 Pleasant Valley, 1954 Dixie Valley, 1959 Hebgen Lake, and 1983 Borah Peak earthquakes) ranging from M 6.8 to 7.6 (Wells and Coppersmith, 1994; Stirling *et al.*, 2002; Wesnousky, 2008).

4.2 Wasatch Fault Zone End Segments

We classify five segments of the WFZ as end segments: the Collinston (CS), Clarkston Mountain (CMS), and Malad City (MCS) segments on the north, and the Levan (LS) and Fayette (FS) segments on the south (Figure 1-2). Although the end segments show evidence for late Quaternary surface faulting, they are distinguished from the central segments by significantly lower rates of activity, and only the LS and FS have fault scarps on latest Pleistocene to Holocene-aged deposits (post-Lake Bonneville highstand). On-trend with the BCS, the CS extends northward 30 km from the seg-

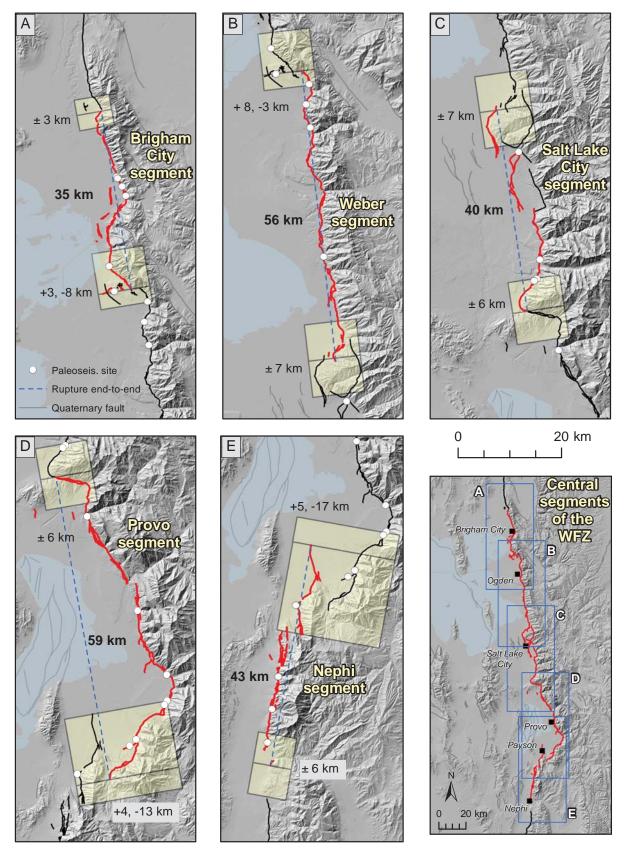


Figure 4.1-5. Rupture lengths (red) and segment-boundary uncertainties for single-segment ruptures on the WFZ central segments. Yellow boxes correspond to segment-boundary uncertainties defined using the geometry and timing of faulting and paleoseismic data (Appendix B). White dots show paleoseismic sites, and blue dashed lines are straight-line length measurements (between rupture ends) showing median rupture lengths (e.g., 35 km for the BCS). See text and Table B-17 (Appendix B) for discussion of individual segment-boundary uncertainties. Shaded topography generated from 10-m digital elevation data (https://lta.cr.usgs.gov/NED).

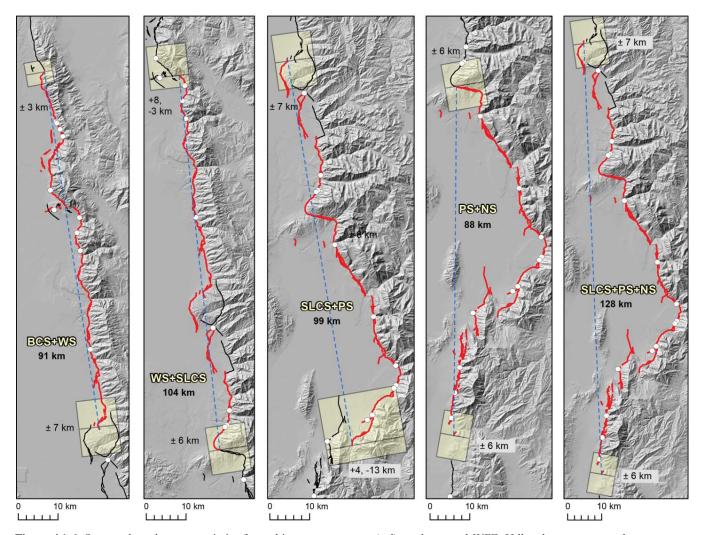


Figure 4.1-6. Segment-boundary uncertainties for multi-segment ruptures (red) on the central WFZ. Yellow boxes correspond to segment-boundary uncertainties defined using the geometry and timing of faulting and paleoseismic data, and are the same as those defined for single-segment ruptures (Figure 4.1-5). White dots show paleoseismic sites, and blue dashed lines are straight-line length measurements (between rupture ends) showing median rupture lengths (e.g., 91 km for the BCS+WS multi-segment rupture source). See text and Appendix B for discussion of individual segment-boundary uncertainties. Shaded topography generated from 10-m digital elevation data (https://lta.cr.usgs.gov/NED).

Table 4.1-6. M_{char} distributions for central WFZ rupture sources.

Rupture Source	Wt. Mean M _{char}	5th Percentile M _{char}	95th Percentile M _{char}
Brigham City (BCS)	7.06	6.87	7.24
Weber (WS)	7.28	7.04	7.50
Salt Lake City (SLCS)	7.12	6.91	7.28
Provo (PS)	7.29	7.07	7.51
Nephi (NS)	7.14	6.92	7.35
BCS+WS	7.42	7.27	7.56
SLCS+PS	7.41	7.22	7.52
WS+SLCS	7.50	7.37	7.69
PS+NS	7.44	7.22	7.65
SLCS+PS+NS	7.52	7.35	7.62

Weighted (Wt.) mean characteristic magnitude (M_{char}) and 5th–95th percentile ranges are based on the weighting of four SRL- \mathbf{M} and M_0 - \mathbf{M} regressions discussed in Section 3.5 as well as fault-rupture parameters included in Section 4.1 and discussed in Appendix B. All rupture sources considered A faults.

ment boundary near Honeyville, Utah. At the northern end of the CS near Plymouth, Utah, the WFZ steps left 6 km along the transverse Short Divide fault to the southern end of the 19-km-long CMS, which extends about 8 km into Idaho. Machette et al. (1992) defined the CMS-MCS boundary as being at the Woodruff spur, a bedrock salient along the front of the Malad Range 14 km south of Malad City, Idaho. However, more recent mapping indicates that the CMS-MCS boundary is a relay ramp, characterized by a 3-km right step and 9 km of en echelon overlap (Long et al., 2004, 2006). The MCS terminates northward near Marsh Valley, Idaho (Haller and Lewis, 2004, citing geologic mapping of Pope et al., 2001), giving the segment a straight-line length of 48 km. At the southern end of the WFZ, the 31-km-long LS continues southward on-trend with the NS, but is separated from the NS by a 5-km gap in late Quaternary surface faulting. Like the CMS-MCS boundary, the LS-FS boundary is also a relay ramp, characterized by a 4-km left step and 10 km of en echelon overlap (Hylland and Machette, 2008). The 22-km-long FS terminates near the town of Fayette, Utah.

4.2.1 Paleoseismic Data Sources

Paleoseismic data are very limited for the WFZ end segments, and only a single fault trench study (on the LS [Jackson, 1991]) has been conducted. After an initial aerial photography evaluation and reconnaissance of the northern end segments by Cluff et al. (1974) to as far north as the vicinity of Malad City, Idaho (42.229° N.), subsequent reconnaissance led to segmentation models being proposed by Schwartz and Coppersmith (1984) and later refined by Machette et al. (1992). Hylland (2007a) conducted additional paleoseismic reconnaissance of the CS and CMS, including scarp profiling in the Honeyville area (CS-BCS boundary) and at Elgrove Canyon (CMS). Also in the Honeyville area, Personius (1990) measured vertical scarp offsets during surficial geologic mapping of the BCS and southern CS. M.D. Hylland and W.M. Phillips (Idaho Geological Survey) conducted an aerial reconnaissance of the entire MCS and limited ground reconnaissance of scarps near Elkhorn Mountain in 2012, but no other neotectonic work has been done on the MCS since the scarp and lineament mapping of Cluff et al. (1974).

On the LS and FS, an initial aerial photography evaluation and reconnaissance by Cluff *et al.* (1973) was followed by paleoseismic reconnaissance and scarp profiling by Machette *et al.* (1992), additional scarp profiling and diffusion-equation modeling by Hylland (2007b), and surficial geologic mapping by Hylland and Machette (2008). Also, Crone (1983a) and Schwartz and Coppersmith (1984) reported radiocarbon dating results for charcoal collected from faulted fan alluvium that constrained timing of the most recent surface-faulting earthquake on the LS. Finally, Jackson (1991) supplemented his paleoseismic data from the Skinner Peaks trench site on the LS with logging of a natural exposure of the fault at Deep Creek, including thermoluminescence dating of a buried soil beneath scarp-derived colluvium.

4.2.2 Earthquake Recurrence, Displacement, and Slip Rates

The low rates of activity on the WFZ end segments generally preclude determining recurrence intervals. Earthquake timing is constrained by numerical ages for only two surface-faulting earthquakes; both of these were on the LS, and large uncertainty in the time of the penultimate earthquake results in a poorly constrained recurrence estimate for just a single seismic cycle. Timing of the most recent surface faulting on the CMS and FS can be estimated from geologic relations, but no other earthquake timing data exist for the FS and three northern end segments, so earthquake recurrence cannot be determined.

The three northern WFZ end segments are characterized by steep, abrupt range-front escarpments and steep, linear gravity gradients parallel to the fault zone (Zoback, 1983), indicating overall structural continuity and late Quaternary fault activity. However, fault scarps are generally absent on deposits of Lake Bonneville age (30-12 ka) and younger (Personius, 1990; Machette et al., 1992; Hylland, 2007a). The only documented fault scarps on Quaternary deposits along these segments include possible scarps on "older" alluvium on the MCS (Cluff et al., 1974), a scarp on late Pleistocene alluvium at the mouth of Elgrove Canyon on the CMS (Biek et al., 2003; Hylland, 2007a), and scarps on various deposits of middle Quaternary age and younger in the Coldwater Canyon reentrant near Honeyville (CS-BCS boundary) (Personius, 1990). These latter scarps include small fault scarps on Bonneville lake cycle deposits and Provo-aged (Bonneville regressive phase) fan alluvium, and have been interpreted as being associated with the northern extent of surface faulting on the BCS, and not with CS surface faulting (Personius, 1990; Hylland, 2007a). Outside of the Coldwater Canyon area, much of the inferred trace of the northern WFZ end segments lies at or closely below the elevation of Lake Bonneville's highstand shoreline, so the unfaulted lake deposits date to around the time of the lake's highstand (~18 ka). Therefore, the timing of most recent surface faulting on the three northern end segments can only be constrained as predating the Lake Bonneville highstand, and the timing of earlier surface-faulting earthquakes is unknown.

For the northern end segments, per-event vertical displacement can be determined only for the CMS. Hylland (2007a) estimated a per-event vertical displacement of 2 m for the CMS based on scarp-profile analysis and geomorphic evidence for two surface-faulting events at Elgrove Canyon. This displacement value and a minimum elapsed time since the most recent surface-faulting earthquake of 18 kyr yield a maximum geologic (open-ended) vertical slip rate of 0.1 mm/yr (Hylland, 2007a; Table 4.2-1). The latest Pleistocene–Holocene slip rate for the CS is likely similar, assuming a displacement value similar to that of the CMS (similar also to the mean vertical displacement of 2.2 m for the six central WFZ segments; DuRoss, 2008). A maximum of 12 m of net geomorphic surface offset of fan

Table 4.2-1. Displacement, slip rate, and recurrence for the WFZ end segments.

Segment	Timing of Most Recent Surface Faulting	Net Displ. or Surface Offset (m)	Time Interval (kyr)	Slip Rate (mm/yr)	WGUEP Slip Rate Consensus Range (mm/yr)	Recurrence Interval (kyr)
MCS ¹	Late Pleistocene	≤ 1.5 (est.)	> 18	< 0.08	0.01-0.1	NA
CMS^2	Late Pleistocene	2.0	> 18	< 0.1	0.01-0.1	NA
CS ³	Late Pleistocene	2 (est.)	> 18	< 0.1	0.01-0.1	NA
	Long term ⁴ :	≤ 12	300	≤ 0.04		
LS ⁵	$\leq 1.0 \pm 0.2 \text{ ka}$	1.8	> 4.8–9.8	< 0.2-0.4	0.1-0.6	> 3 & < 12**
	1.0-1.5 ka	1.8-3.0	> 1.3–3.3	< 0.5–2.3		
		_	_	< 0.3±0.1*		
		_	_	0.1-0.6**		
	Long term ⁴ :	≤ 4.8	100–250	≤ 0.02-0.05		
FS ⁶	Early(?) Holocene (SW strand)	0.8–1.6	< 11.5	> 0.07-0.1	0.01-0.1	NA
	Latest Pleistocene (SE strand)	0.5–1.3	< 18	> 0.03-0.07		
	Early(?) or middle (?) Pleistocene (N strand)	No data	> 250	NA		
	Long term ⁴ :	≤ 3.0	100–250	≤ 0.01–0.03		

NA, not applicable.

alluvium estimated to be approximately 300 ka based on soil development (Personius, 1990) yields a longer-term (middle Pleistocene–Holocene) maximum slip rate for the CS of about 0.04 mm/yr (Table 4.2-1). On average, per-event vertical displacement on the MCS may be smaller than on segments to the south, given the position of the MCS at the northernmost extent of the WFZ. This assumption is supported by surface-offset measurements on the FS (discussed below) at the southernmost extent of the WFZ. An estimated maximum vertical displacement of 1.5 m and a minimum elapsed time since the most recent surface-faulting earthquake (MRE) of 18 kyr yield a maximum geologic (open-ended) vertical slip rate for the MCS of 0.08 mm/yr (Table 4.2-1).

For the LS, a net vertical tectonic displacement (NVTD) measurement of 1.8 m for the MRE has been obtained from the Deep Creek natural exposure (Jackson, 1991; Machette *et al.*, 1992; Hylland, 2007b). This displacement is similar to the 1.2 to 2.0 m (average 1.6 m) of net geomorphic surface offset determined from 10 profiles across single-event scarps along the LS (Hylland, 2007b). The MRE on the LS occurred shortly after 1.0 ± 0.2 ka based on thermoluminescence and radiocarbon age constraints (Jackson, 1991;

Hylland and Machette, 2008). Timing of the penultimate event is poorly constrained but likely sometime before 6.0 to 10.6 ka (see discussion in Hylland and Machette, 2008), indicating an inter-event time interval of at least 4.8 to 9.8 kyr. This time interval and a displacement value of 1.8 m yield a maximum vertical slip rate of 0.2 to 0.4 mm/yr (Table 4.2-1). Timing and displacement data from the Skinner Peaks trench (Jackson, 1991) yield higher, but likely unrealistic, maximum slip rates of 0.5 to 2.3 mm/yr (Hylland and Machette, 2008). A maximum of 4.8 m of net geomorphic surface offset of fan alluvium estimated to be approximately 100 to 250 ka based on soil development (Hylland and Machette, 2008) yields a longer-term (middle Pleistocene-Holocene) maximum slip rate of 0.02 to 0.05 mm/yr. The UQFPWG agreed on a consensus slip rate for the LS of 0.1 to 0.6 mm/yr and a poorly constrained recurrence range of > 3 to < 12 kyr (Lund, 2005).

Based on analysis of 12 profiles across single-event scarps, the vertical displacements and timing of surface faulting vary for the three different strands of the FS (Hylland, 2007b). Geologic relations and profile data indicate that the most recent surface faulting occurred in mid- to early Holocene

¹ Data from Machette et al. (1992), this report.

² Data from Hylland (2007a).

³ Data from Personius (1990), Hylland (2007a).

⁴ Long-term slip rate based on maximum measured scarp heights and estimated age of soil developed on faulted deposits.

⁵ Data from Jackson (1991), Hylland (2007b), Hylland and Machette (2008); * - Preferred value of Hylland and Machette (2008),

^{** -} Utah Quaternary Fault Parameters Working Group consensus range (Lund, 2005).

⁶ Data from Hylland (2007b), Hylland and Machette (2008).

time on the southwestern strand, latest Pleistocene time on the southeastern strand, and prior to ~250 ka on the northern strand (Hylland, 2007b). The displacement range for the southwestern and southeastern strands of 0.5 to 1.6 m and maximum estimated constraining earthquake times of 18 to 11.5 ka yield a minimum vertical slip rate for the FS of 0.03 to 0.1 mm/yr (Table 4.2-1). A maximum of 3 m of net geomorphic surface offset (measured on the southestern strand) of fan alluvium estimated to be approximately 100 to 250 ka based on soil development (Hylland and Machette, 2008) yields a longer-term (middle Pleistocene–Holocene) maximum slip rate of 0.01 to 0.03 mm/yr.

The limited earthquake-specific timing data generally precludes calculation of meaningful recurrence estimates for the WFZ end segments, so modeling of these segments uses slip-rate data instead. Based on the estimated slip rates, the WGUEP established consensus slip-rate ranges (5th to 95th percentile) of 0.01 to 0.1 mm/yr for the MCS, CMS, CS, and FS, and 0.1 to 0.6 mm/yr for the LS (Tables 4.2-1 and 4.2-2). For the LS and FS, these ranges represent total slip rates that result from both single-segment and multi-segment ruptures. As discussed in Section 4.2.3, we included both single-segment and multi-segment rupture models to address the aleatory variability of LS and FS ruptures, and we split the total slip rates evenly between the two models. In other words, the slip-rate distributions in Table 4.2-2 for the LS single-segment rupture and the LS+FS multi-segment rupture each generally represent one-half of the WGUEP consensus LS total sliprate values. However, we assigned a 5th percentile LS+FS multi-segment slip rate that is less than one-half of the 5th percentile LS consensus slip rate so that the sum of the 5th percentile LS+FS multisegment slip rate (0.005 mm/ yr) and FS single-segment slip rate (0.005 mm/yr) equals the FS total single-segment slip rate value of 0.01 mm/ yr. The slip-rate distribution for the FS single-segment rupture represents one-half of the WGUEP consensus FS total slip-rate values, but the sum of the 95th percentile single-segment and multi-segment values is greater than the maximum value of the WGUEP consensus range; however, the consensus range is derived from minimum sliprate values, so we consider the summed values to be acceptable. In a qualitative sense, the slip-rate distributions seem reasonable: the FS total slip-rate values are less than the LS total slip-rate values (by roughly a factor of 2) and greater than the northern end-segment slip-rate values (by roughly a factor of 3), which lack evidence for any Holocene surface faulting.

We also include the end segments in the unsegmented WFZ rupture model as described in Section 4.1.5. This model allows for ruptures along the entire WFZ, irrespective of segment boundaries. That is, ruptures that include part of the central segments, end segments, or both are allowed. For the unsegmented model slip rate, we used the composite slip rates for the central segments (Table 4.1-4) and the broad WGUEP consensus range of slip rates (0.01 to 0.1 mm/yr) for the end segments (Table 4.2-2).

4.2.3 Rupture Models and Characteristic Magnitudes

In the absence of both earthquake-specific paleoseismic data and continuous scarps on latest Quaternary deposits, large uncertainties exist regarding surface rupture lengths on the three northern WFZ end segments. The segment lengths for

Table 4.2-2.	Slin-rate model	distributions for the	WFZ end segments.

Segment	WGUEP Slip Rate Consensus Range ¹ (mm/yr)	Slip Rate Distribution (5th–50th–95th percentile) (0.2–0.6–0.2 weight)
Malad City (MCS)	0.01 - 0.1	0.01 - 0.05 - 0.1
Clarkston Mountain (CMS)	0.01 - 0.1	0.01 - 0.05 - 0.1
Collinston (CS)	0.01 - 0.1	0.01 - 0.05 - 0.1
MCS+CMS ²	_	_
MCS+CMS+CS ³	_	_
Levan (LS), single-segment	_	0.05 - 0.15 - 0.3
Fayette (FS), single-segment	_	0.005 - 0.025 - 0.05
LS+FS	_	0.005 - 0.15 - 0.3
LS total; single-segment + (LS+FS)	$0.1 - 0.6^4$	$0.055 - 0.3 - 0.6^5$
FS total; single-segment + (LS+FS)	$0.01 - 0.1^4$	$0.01 - 0.175 - 0.35^5$

¹ See Table 4.2-1 for slip-rate data.

² Used for floating rupture length in multi-segment model.

³ Cumulative length for multi-segment model; not modeled rupture length.

⁴ Total slip rates (single-segment + multi-segment rupture); see text for discussion.

⁵ Summed 5th, 50th, and 95th percentile values (single-segment + multi-segment rupture) for comparison with WGUEP consensus ranges only; values not used in model.

the northern segments shown on Figure 4.2-1 and listed in Table 4.2-3 relate primarily to along-strike changes in fault geometry coincident with transverse structural features; whether or not these lengths typify "characteristic" ruptures is unknown. For the MCS, the median rupture length is the straight-line distance between the northern end of the segment as mapped by Pope et al. (2001) and the southern end of the segment as mapped by Long et al. (2004). Location uncertainties for both rupture ends are symmetrical (± 3 km). For the CMS, Hylland (2007a) used the empirical relations of Wells and Coppersmith (1994) between vertical displacement and surface rupture length to evaluate CMS rupture length relative to the 2-m per-event displacement determined from a fault scarp at Elgrove Canyon. Hylland (2007a) concluded that the actual surface rupture length may have been considerably longer than the segment's 19 km median rupture length, possibly as long as 30 km. To account for this possible extra length, location uncertainties for both rupture ends are asymmetrical (+5, -3 km), and the +5 km uncertainties result in a maximum rupture length of 29 km. For the CS, the median rupture length is the distance between the western end of the transverse Short Divide fault on the north and the southern end of the segment as mapped by Personius (1990). Location uncertainty for the north end of the segment is asymmetrical (+3, -6 km) to account for possible rupture termination on the main north-trending trace of the segment south of the Short Divide fault. Location uncertainty for the south end of the CS is symmetrical (± 3 km) and is based on the distance of BCS rupture spill-over onto the CS (Personius, 1990; Hylland, 2007a). Given the large uncertainties in rupture lengths, we modeled the northern end segments as both segmented and unsegmented equally weighted. In the unsegmented model, we used a floating earthquake having a 60-km-long rupture (essentially equal to a combined MCS-CMS rupture), a minimum magnitude of M 6.75 ± 0.25 (from the DTGR magnitude recurrence model; see Section 3.4), and an M_{char} commensurate with a 60-km median surface rupture length. M_{char} model distributions for the northern WFZ end segments are shown in Table 4.2-4.

Geologic and scarp-profile data from the LS and FS indicate a variety of possible rupture scenarios, including partial and multi-segment ruptures. Composite scarp morphology on the southern 15 km of the LS indicates surface faulting during both the MRE and penultimate paleoearthquakes; the lack of composite scarp morphology on the northern part of the LS indicates the penultimate earthquake did not rupture this part of the segment (i.e., partial-segment rupture; Hylland, 2007b). Similarly, differences in scarp morphology and age of faulted deposits indicate differences in the timing of surface faulting on all three strands of the FS (i.e., partial-segment ruptures; Hylland, 2007b). Hylland and Machette (2008) interpreted fault scarps and lineaments on Quaternary deposits in the LS-FS overlap zone as being associated with structures accommodating a left-stepping transfer of displacement within a relay ramp, and these structures likely facilitate synchronous rupture between the two segments (Hylland, 2007b;

Hylland and Machette, 2008). Using the empirical relations of Wells and Coppersmith (1994) between average displacement, maximum displacement, and surface rupture length, Hylland (2007b) showed that measured displacements for latest Pleistocene to Holocene ruptures on the short southwestern and southeastern strands (6–10 km) of the FS appear to require part of the LS to contribute length to those ruptures (i.e., spill-over ruptures). Finally, given the overlapping geometry of the LS and FS and an end-to-end (straight-line) combined length of 46 km (Figure 4.2-1 and Table 4.2-3), we cannot discount the possibility of a full-length multi-segment rupture, and include this in our modeling of the LS and FS.

Because of the possibility of partial-segment rupture of the LS on one hand, and coseismic rupture of subsidiary faults in the LS and FS overlap zone on the other hand, location uncertainties for both rupture ends of the LS are asymmetrical (Figure 4.2-1, Tables 4.2-2 and 4.2-3). The uncertainty at the north end of the LS (+6, -8 km) accounts for the gap in late Quaternary surface faulting between the LS and NS, as well as the mapped northern extent of the MRE rupture on the LS. The uncertainty at the south end of the segment (+8, -3 km) accounts for the length of subsidiary faults in the LS and FS overlap area that could rupture coseismically with the LS. Location uncertainties for both ends of the FS are symmetrical (± 3 km); the uncertainties at the north end encompass the northern extent of composite scarps on the south end of the LS, which possibly indicate spill-over of mid- to early Holocene surface faulting on the Fayette segment (Hylland, 2007b).

We modeled the southern end segments using both single-segment and multi-segment (LS+FS) rupture sources. Slip rates for each of the rupture sources were determined assuming the segments rupture individually about half the time and together about half the time. The single-segment and multi-segment rupture models were each given a weight of 1.0, and the slip rate was split evenly between the two models (see discussion in Section 4.2.2). For the multi-segment rupture, we used the combined length of the LS and FS (46-km median rupture length) and assigned a minimum magnitude of \mathbf{M} 6.75 \pm 0.25 (from the DTGR magnitude recurrence model; see Section 3.4) and an \mathbf{M}_{char} commensurate with a 46-km median surface rupture length. \mathbf{M}_{char} model distributions for the LS, FS, and LS+FS ruptures are shown in Table 4.2-4.

4.3 Oquirrh-Great Salt Lake Fault Zone

The OGSLFZ is the next major range-bounding fault zone west of the WFZ (Figure 4.3-1). Similar to the WFZ, the OGSLFZ is a down-to-the-west zone of normal faults that strikes north-south through the ISB in central Utah. After the WFZ, the OGSLFZ is the longest and most active fault zone in the Wasatch Front urban corridor (Wong *et al.*, 1995, 2002; Youngs *et al.*, 2000). However, in contrast to the WFZ, the OGSLFZ has not been studied as thoroughly or in its entirety. For example, the OGSLFZ is not included in the *Quaternary*

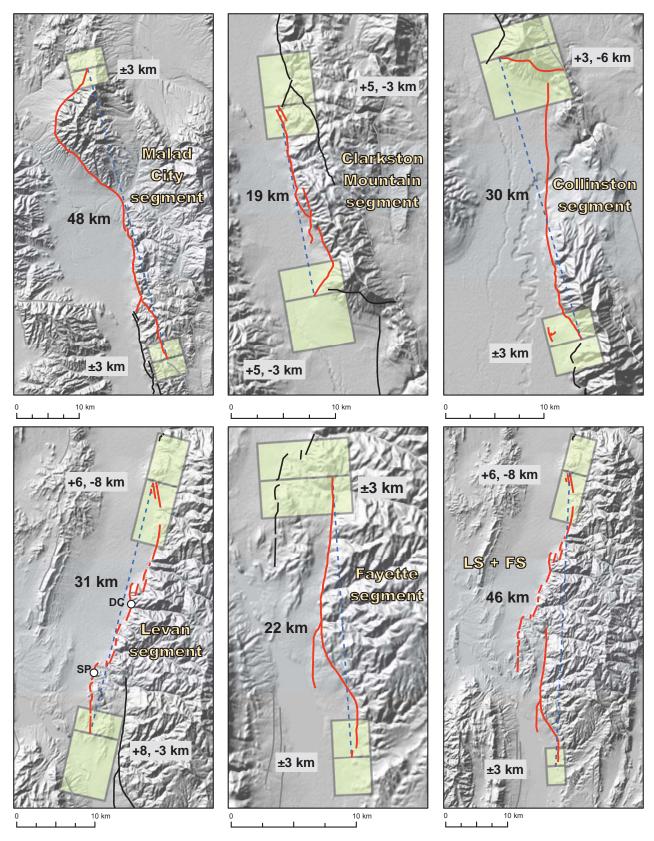


Figure 4.2-1. Rupture lengths and segment-boundary uncertainties for single-segment ruptures on the WFZ end segments, and a LS-FS multisegment rupture (LS+FS). Yellow boxes correspond to segment-boundary uncertainties defined using neotectonic data and best judgment. Blue dashed lines are straight-line length measurements (between rupture ends) showing median rupture lengths (e.g., 48 km for the MCS). White dots on Levan segment show paleoseismic sites: DC, Deep Creek; SP, Skinner Peaks. See text for discussion of individual segment-boundary uncertainties. Note that scale varies among the six maps. Shaded topography generated from 10-m digital elevation data (https://lta.cr.usgs.gov/NED).

Table 4.2-3. Rupture lengths for the WFZ end segments.

	Median SRL ¹ (km)	SRL uncert. ² (km)		Min	Max	
Rupture		North	South	SRL ³ (km)	SRL ³ (km)	Notes
Malad City segment (MCS)	48	±3	±3	42	54	Based on geologic mapping.
Clarkston Mountain segment (CMS)	19	+5, -3	+5, -3	13	29	Based on geologic mapping; +10 km uncertainty based on empirically derived segment length using 2 m maximum displacement value (Hylland, 2007a).
Collinston segment (CS)	30	+3, -6	±3	21	36	Based on geologic mapping, plus scarp-profile data at southern segment boundary.
MCS+CMS ⁴	60	±3	+5, -3	54	68	Used for floating rupture length in unsegmented model.
MCS+CMS+CS ⁴	87	±3	±3	81	93	Cumulative length for unsegmented model; not modeled rupture length.
Levan segment (LS)	31	+6, -8	+8, -3	20	45	Based on geologic mapping and scarp-profile data.
Fayette segment (FS)	22	±3	±3	16	28	Based on geologic mapping and scarp-profile data.
LS+FS ⁴	46	+6, -8	±3	35	55	-

¹ Median SRL per rupture source based on the linear distance between mapped segment ends.

Table 4.2-4. M_{char} distributions for WFZ end-segment rupture sources.

Rupture Source	Fault Type	Wt. Mean M _{char}	5th Percentile M _{char}	95th Percentile M _{char}
Malad City	В	7.19	7.01	7.39
Clarkston Mtn	В	6.77	6.49	6.98
Collinston	В	6.97	6.76	7.12
Northern Floating	В	7.29	7.11	7.52
Levan	В	6.99	6.72	7.19
Fayette	В	6.83	6.59	7.00
Levan+Fayette	В	7.16	6.97	7.37

² SRL uncertainties at the northern and southern rupture ends based on segment-boundary uncertainties (Figure 4.2-1). Two values indicate asymmetric uncertainties about median value. End segment uncertainties are weighted 0.2, 0.6, and 0.2.

³ Minimum and maximum possible SRL per rupture source based on segment-boundary uncertainties.

⁴ Cumulative multi-segment lengths avoid double-counting segment lengths that overlap.

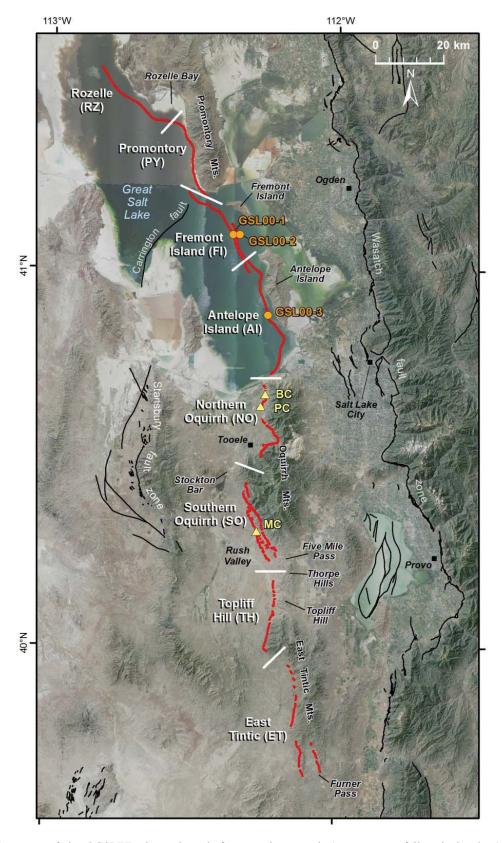


Figure 4.3-1. Segments of the OGSLFZ, shown in red, from north to south (map sources follow in brackets): RZ – Rozelle, PY – Promontory, FI – Fremont Island, and AI – Antelope Island segments of the Great Salt Lake fault [Dinter and Pechmann, 2012]; NO – northern Oquirrh segment [Solomon, 1996]; SO – southern Oquirrh segment (SO) [Olig *et al.*, 1999a, 1999b]; (4) TH – the Topliff Hill segment [Black and Hecker, 1999a]; and, ET – East Tintic segment [Black and Hecker, 1999b]. White lines indicate segment boundaries, triangles show paleoseismic trench sites, and circles show borehole locations. Base map is aerial imagery (https://gdg.sc.egov.usda.gov/) overlain on shaded topography generated from 10-m digital elevation data (https://lta.cr.usgs.gov/NED).

Fault and Fold Database of the United States (USGS, 2013) as a single fault zone with sections, like the WFZ to the east and the Stansbury fault zone to west. Instead, the OGSLFZ is included in the database as several separate, individual faults: the East Great Salt Lake fault zone, the Oquirrh fault zone, the Southern Oquirrh Mountains fault zone, the Topliff Hill fault zone, and the East Tintic Mountains (west side) faults. Additionally, not all of the OGSLFZ was included in the 2008 NSHM (i.e., the Topliff Hill and East Tintic faults were excluded; Petersen et al., 2008). Nonetheless, the along-strike continuity of fault traces that separate mountain ranges to the east from basins to the west, prompted Youngs et al. (1987, 2000) to first consider the OGSLFZ as a single, but likely segmented, fault zone in their PSHA of the Wasatch Front. Subsequent PSHAs in the region have generally followed this approach (e.g., Wong et al., 1995, 2002), and the WGUEP decided to do so as well based on the along-strike alignment and continuity of faults, their similarity in slip direction, and considering their relative similarity to the adjacent WFZ and Stansbury fault zone, which are also being treated as single zones with potential individual rupture segments.

The OGSLFZ is about 216 km long (straight line, end-to-end), extending from north of Rozel Bay in the Great Salt Lake, south to Furner Pass (Figure 4.3-1). The fault zone is characterized by a series of discontinuous Quaternary fault scarps along the west side of the Promontory Range, Fremont Island, Antelope Island, Oquirrh Mountains, Thorpe Hills, Topliff Hill, and East Tintic Mountains. Nomenclature for the OGSLFZ is inconsistent and warrants explanation. As defined here, the OGSLFZ includes from north to south: (1) the Rozelle (RZ), Promontory (PY), Fremont Island (FI), and Antelope Island (AI) segments (which form the Great Salt Lake fault of Dinter and Pechmann, 2012); and (2) the northern Oquirrh segment (NO); (3) the southern Oquirrh segment (SO); (4) the Topliff Hill segment (TH); and (5) the East Tintic segment (ET) (Figure 4.3-1).

The Great Salt Lake fault was previously referred to as the East Great Salt Lake fault zone by Dinter and Pechmann (1999, 2000) following Cook et al. (1980). This simple nomenclature contrasts with that for the southern part of the OG-SLFZ (Oquirrh fault zone and segments to the south), which reflects various interpretations of fault geometry and segmentation. Cook and Berg (1961) referred to the southern OGSLFZ collectively as the Oquirrh-Boulter-Tintic fault zone. The NO segment was previously referred to as the Oquirrh marginal fault by Everitt and Kaliser (1980), the northern Oquirrh fault zone by Barnhard and Dodge (1988) and Olig et al. (1994), and the Oquirrh fault zone by Barnhard and Dodge (1988), Olig et al. (1996), and Solomon (1996). The SO segment includes the Mercur, Soldier Canyon, West Eagle Hill, and Lakes of Kilarney faults and was previously referred to as the northern Oquirrh-Boulter-Tintic fault zone by Everitt and Kaliser (1980) and as the Southern Oquirrh Mountains fault zone by Wu and Bruhn (1994) and Olig et al. (1999a, 1999b, 2001). The TH segment was previously referred to as the southern Oquirrh Boulter Tintic fault zone by Everitt and Kaliser (1980) and the Topliff Hill fault zone of Barnhard and Dodge (1988). The ET segment was previously referred to as the East Tintic Mountains fault zone by Bucknam and Anderson (1979) and the East Tintic Mountains (west side) faults by Black and Hecker (1999b) and Hecker (1993).

4.3.1 Paleoseismic Data Sources

Although the OGSLFZ has not been as thoroughly studied as the WFZ, various geological, geophysical, and paleoseismic studies have been conducted and were considered by the WGUEP for modeling the fault zone. We briefly summarize these data and interpretations below, focusing on the geometry, kinematics, and paleoseismic characteristics (timing, size and rate of paleoearthquakes) of the fault zone. Unlike the WFZ, the OGSLFZ has not been discussed collectively as a seismic source in any detail in previous publications. Therefore, we have included more detail here, particularly regarding the paleoseismic data used in the WGUEP model.

Previous studies of the OGSLFZ generally fall into two groups: (1) those of the segments of the Great Salt Lake fault, which are submerged underwater and have been studied collectively by geophysical and borehole investigations; and, (2) those of the Oquirrh fault zone and segments to the south, which are terrestrial and were studied by more conventional paleoseismic methods. For convenience, we generally follow that organization below. Additional important data sources included Hecker (1993), Black et al. (2003), and Lund (2005). Lund (2005) previously summarized paleoseismic data and consensus parameters for the Great Salt Lake fault, and the NO and SO segments of the Oquirrh fault zone. Both Hecker (1993) and Black et al. (2003) included all of the faults (albeit with different names) in their Quaternary fault compilations. Finally, steep gravity gradients, with lows over basins and highs over ranges, are variously associated with the different segments of the OGSLFZ (Cook and Berg, 1961; Everitt and Kaliser, 1980; Cook et al., 1989), partly reflecting longterm along-strike variations in fault behavior; we considered these Bouger gravity data in developing rupture models and assigning weights for the fault zone.

Great Salt Lake Fault

Numerous seismic reflection and other geophysical studies have helped define the geometry of the Great Salt Lake fault and its segments (e.g., Mikulich and Smith, 1974; Cook *et al.*, 1980; Viveiros, 1986; Mohapatra and Johnson, 1998; Dinter and Pechmann, 2000; Coleman *et al.*, 2002; Dinter and Pechmann, 2005). From interpretation of hundreds of kilometers of high-resolution seismic reflection profiles in the south arm of the Great Salt Lake, along with oil company seismic reflection data for both the north and south arms (Bortz *et al.*, 1985; Viveiros, 1986; Mohapatra and Johnson, 1998), Dinter and Pechmann (1999, 2000, 2005) originally identified

three segments for the fault: the (old) Promontory, Fremont, and Antelope Island segments (USGS, 2013, fault numbers 2369a, 2369b, and 2369c, respectively). This segmentation model was largely based on along-strike changes in fault trace geometry and the heights of lake-bottom fault scarps. This model was compiled in Black et al. (2003) and used in the 2008 NSHM (Petersen et al., 2008). However, subsequent collection of bathymetry and high-resolution seismic reflection data in the north arm of the Great Salt Lake has provided evidence for a previously unrecognized segment boundary in Rozelle Bay, which is near the middle of the old Promontory segment (Dinter and Pechmann, 2012). This evidence includes the observation that the lake bottom scarps in the north arm are significantly larger south of Rozel Bay, suggesting that this section of the fault ruptured more recently than the section of the fault to the north and that the Great Salt Lake fault comprises four, instead of three segments (Dinter and Pechmann, 2014). Based on these data and interpretations, we have broken out the new RZ segment and revised the PY segment accordingly. From north to south, the approximate end to end segment lengths are: RZ-25 km, PY-25 km, FI-25 km, and AI- 35 km (Figure 4.3-1).

The dip of the Great Salt Lake fault affects slip rate and other important seismic source parameters. Some interpretations of seismic reflection data show a listric geometry for parts of the Great Salt Lake fault zone, with near surface dips of about 60° that shallow to less than 20°–30° by depths of 3 to 4 km (Smith and Bruhn, 1984; Viveros, 1986; Mohapatra and Johnson, 1998). However, we do not consider these interpretations to be definitive because other interpretations are possible (e.g., Smith and Bruhn, 1984), and moderately-dipping faults within the crystalline basement can be difficult to image with the seismic reflection method.

Evidence for prehistoric earthquakes on the Great Salt Lake fault includes stratigraphic displacements, subsidiary fault terminations, and differential tilting interpreted from highresolution seismic reflection profiles, with age information from radiocarbon dates from event horizons sampled in drill cores along the FI and AI segments. These data indicate at least three large earthquakes occurred since about 12 ka on each of these segments, yielding an average recurrence interval of 4200 ± 1400 years (with 2σ uncertainties; Dinter and Pechmann, 2000, 2005). Table 4.3-1 summarizes the specific paleoearthquake timing data and calculated recurrence intervals. With the exception of the youngest event on the AI segment, limiting ages for the FI and AI are from terrestrial charcoal extracted from a single core interval spanning the event horizon (typically ~10 cm long). For the youngest event on the AI segment, an age of about 0.6 ± 0.2 ka was interpolated from terrestrial charcoal dates from two 4-cm core intervals, one above and one below the event horizon. This event is much younger than the youngest event on the FI segment at about 3.2 ± 0.2 ka. The timing of the youngest events on the AI and FI is consistent with bathymetry data, which show a prominent and youthful scarp for the AI segment in contrast to a more subdued and partially buried scarp for the FI segment (Baskin and Allen, 2005; Dinter and Pechmann, 2005). In contrast, the dates of the two older events identified on each segment appear to overlap at 2σ (Table 4.3-1). The paleoearth-quake dates in Table 4.3-1 have not been fully documented in a peer-reviewed publication. However, the WGUEP reviewed the supporting seismic, stratigraphic, and radiocarbon dating information for these paleoearthquake dates and decided that the data were reliable enough to use in both time-dependent and time-independent probability calculations.

Based on their review of paleoseismic data for the Great Salt Lake fault, the UQFPWG assigned consensus recurrence values of 4200 ± 2400 years, with the increased range intended to help account for the uncertainty resulting from the limited number of observations (Lund, 2005). At the time of this study, segment-specific paleoseismic data are not available for the PY and RZ segments. However, preliminary analysis of displacements observed in new reflection seismic profiles acquired in the north arm of the lake suggests that rates of activity for these segments may be similar to the AI and FI segments (Dinter and Pechmann, 2012).

Net vertical tectonic displacements (NVTDs) interpreted to be for the youngest event along the AI segment were measured at 17 profile locations and integrated to estimate an along-strike average NVTD of 2.3 ± 0.6 m (J.C. Pechmann and D.A. Dinter, University of Utah, written communication to UQFPWG; reported in Lund, 2005). NVTD accounts for antithetic faulting and backtilting, which can be significant along normal faults (Swan *et al.*, 1980) like the Great Salt Lake fault. Based on this estimate and their consensus recurrence intervals, the UQFPWG recommended a vertical slip rate distribution of 0.3-0.6-1.6 mm/yr (estimated 5th, preferred value 50th, and estimated 95th percentiles, respectively) for the Great Salt Lake fault zone (Lund, 2005).

Northern Oquirrh Segment

Gilbert (1890) first identified west-facing fault scarps on Lake Bonneville deposits along the west side of the northern and southern Oquirrh Mountains. Much later, based on 1:50,000-scale geologic mapping, Everitt and Kaliser (1980) split the fault into two separate zones (essentially the NO and SO segments) along the northern and southern parts of the Oguirrh Mountains in Tooele and Rush Valleys, respectively. Bucknam (1977) and Barnhard and Dodge (1988) separately mapped both the NO and SO segments (at 1:250,000 scale), and profiled fault scarps on unconsolidated deposits. Along the NO segment (USGS, 2013, fault number 2398), Barnhard and Dodge (1988) measured scarp heights of 2.9 to 10.8 m and surface offsets of 1.3 to 7.3 m for mostly compound scarps on late Quaternary sediments. Solomon (1996) mapped the surficial geology along the fault zone at a 1:24,000 scale. All of these studies recognized two major sections for the NO segment: a northern section characterized by nearly continuous

Table 4.3-1. Paleoearthquake times and estimated earthquake recurrence intervals for the Great Salt Lake fault¹.

Earthquake Pairs	Timing (terrestrially calibrated ² , residence corrected ³ , cal yr B.P. ⁴) ⁵	Recurrence Interval (yr) ⁵		
Antelope Island segment				
EH-A3	586 +201/-241	5584 +219/-172		
EH-A2	6170 +236/-234			
EH-A2	6170 +236/-234	3728 +223/-285		
EH-A1	9898 +247/-302			
Fremont Island segment				
EH-F3	3150+235/-211	3262 +151/-184		
EH-F2	6412 +209/-211			
EH-F2	6412 +209/-211	<5015 +587/-424		
EH-F1	<11,427 +605/-449			
Average single-segment recurrence interval = $4200 \pm 1400 \text{ years}^6$				

¹ Dinter and Pechmann (2005).

fault scarps in alluvium, and a southern section characterized by a prominent slope break at the bedrock-alluvial fault contact at the base of the range front.

The end-to-end length of 21 km for the nearly continuous mapped fault length of the NO segment contrasts to the range front length of about 30 km, and leaves a gap in latest Quaternary scarps along the base of the range front between the NO and SO segments (Figure 4.3-1; Everitt and Kaliser, 1980; Barnhard and Dodge, 1988; Solomon, 1996; Olig et al., 1999a, 1999b). This gap is coincident with the Stockton Bar salient (Figure 4.3-1), which has been interpreted as forming a segment boundary between the NO and SO segments (e.g., Everitt and Kaliser, 1980; Olig et al., 1994; Youngs et al., 2000; Wong et al., 2002). The Stockton Bar is a prominent sandbar deposited during the Lake Bonneville highstand (Gilbert, 1890) on a bedrock and topographic high that forms a salient between Tooele Valley to the north and Rush Valley to the south (Cook and Berg, 1961; Everitt and Kaliser, 1980; Cook et al., 1989). The Stockton Bar salient is near Kelsey Peak (elevation 3162 m), an adjacent high point in the Oquirrh Mountains, and appears similar in some respects to the Traverse Mountains salient of the SLCS of the WFZ. The location of these salients may have been influenced by older pre-existing structures (Smith and Bruhn, 1984; Helm, 1995). At the northern end of the NO segment, newly identified fault scarps that lie under Great Salt Lake north of Lakepoint (D.A. Dinter, University of Utah, written communication, January 2010) are considered here to be part of the NO segment (and its 21 km length) because of their along-strike alignment and proximity to the rest of the NO segment.

Olig *et al.* (1994, 1996) conducted detailed paleoseismic trench studies at two sites along the northern portion of the NO segment at Big and Pole Canyons (Figure 4.3-1). At Big Canyon, three trenches revealed structural and stratigraphic evidence for one event with 2.2 m (2.0 to 2.7 m) of NVTD (inferred from colluvial-wedge thickness and accounting for antithetic faulting, drag folding, and backtilting) between 4800 and 7900 cal yr B.P. based on three radiocarbon ages (Olig *et al.*, 1994; 1996). Lake Bonneville deposits showed no evidence for additional faulting events, so apparently no other events occurred since about 20 ka.

At Pole Canyon, a single trench exposed structural and stratigraphic evidence for two events with indirect evidence for a third older event. Based on stratigraphic correlations, the youngest event at Pole Canyon was inferred to correlate to the event exposed at Big Canyon and resulted in 2.7 m (2.2 to 3.3 m) of NVTD, measured on offset tufa-cemented regressive beach deposits. Three radiocarbon ages, along with Lake Bonneville stratigraphy, constrained the timing of the penultimate event between 20,300 and 26,400 ¹⁴C yr B.P. and the antepenultimate event to before 32,800 ¹⁴C yr B.P. (Olig *et al.*, 1994, 1996). Note that at the time of Olig *et al.*'s (1994, 1996) study, only radiocarbon ages, not calibrated ages, were reported for the penultimate event because the calendar calibration curve (Stuiver and Reimer, 1993) did not extend

² Radiocarbon years converted to calendar years using Stuiver et al. (1998) terrestrial calibration (CALIB v. 4.3; Stuiver and Reimer, 1993).

³ Correction for carbon residence time in provenance area prior to deposition = 321+191/-171 cal yr, the difference between the terrestrially calibrated ¹⁴C date of Mazama ash interval at Site GSL00-3 (=7994+170/-128 cal yr B.P.) and terrestrial calibration (=7673+113/-86 cal yr B.P.) of published Mazama ¹⁴C age (6845±50 ¹⁴C yr B.P.; Bacon [1983]).

⁴ Calendar years before 1950.

 $^{^5}$ 2 σ confidence limits.

⁶ The mean, with 2σ confidence limits, for the three closed recurrence intervals.

back to the time of the penultimate event. Based on colluvial wedge thickness and comparison to the MRE wedge, Olig *et al.* (1994, 1996) estimated 2.3 m (1.9 to 2.9 m) of NVTD for the penultimate event, a recurrence interval of 13,300 to 22,100 ¹⁴C years, and vertical slip rates ranging from 0.1 mm/yr (2.2 m/22,100 years) to 0.2 mm/yr (2.7 m/13,300 years) for the interval between the most recent and penultimate earth-quakes. In comparison, their estimates of open-ended vertical slip rates since the time of the penultimate event at Pole Canyon range from 0.19 mm/yr (5.0 m/26,400 ¹⁴C years) to 0.25 mm/yr (5.0 m/ 20,300 ¹⁴C years).

Based on their review of all of the paleoseismic data, the UQFPWG recommended a consensus vertical slip rate distribution of 0.05-0.2-0.4 mm/yr for the NO segment (Lund, 2005). Their census recurrence interval distribution for the NO segment is 5-20-50 kyr.

Southern Oquirrh Segment

Gilbert (1890) observed scarps along the southern Oquirrh Mountains that he interpreted to be related to post-Lake Bonneville faulting, similar to those along the northern Oquirrh Mountains. Atwood (1916) disagreed that the southern part of the range was faulted, but Gilluly (1928, 1932) provided conclusive evidence for the SO segment (USGS, 2013, fault number 2399), including fault exposures, stratigraphic offsets, structural relief, and topographic relief. He estimated a cumulative throw of 915 to 1524 m across the four, main, north-northwest-striking, down-to-the-west, normal faults (Soldier Canyon, Lakes of Kilarney, Mercur, and West Eagle Hill faults; Figure 2 in Olig *et al.*, 2001) that together form the boundary between Rush Valley to the west and the southern Oquirrh Mountains to the east.

The SO segment is characterized by discontinuous, *en echelon*, and overlapping bedrock and late Quaternary fault scarps that extend from Soldier Canyon on the north, to near Fivemile Pass on the south, for an end-to-end total length of about 25 km (Figure 4.3-1; Wu and Bruhn, 1994; Olig *et al.*, 1999a, 1999b). Measurements of fault orientations and striations on bedrock faults indicate dominantly dip-slip on two sets of faults (Wu and Bruhn, 1994). Based on scarp profiles and their structural analysis, Wu and Bruhn (1994) suggested that the two sets of faults have grown together through time, forming a convex fault trace pattern in map view with the maximum along-strike displacements (both cumulative and in the late Quaternary) occurring at the apex (i.e., near the middle of the SO segment on the Mercur fault).

Olig et al. (1999b) conducted detailed mapping of fault scarps on Quaternary surfaces, mostly on the Mercur and West Eagle Hill faults, including scarp profiling and soil studies to help differentiate scarp ages. Their observations of along-strike displacement patterns also generally support linkage and possible coseismic rupture of the faults. However, NVTDs are clearly younger and larger on the Mercur

fault than on the West Eagle Hill fault, respectively averaging 5.8 ± 0.5 m versus 1.5 ± 0.5 m on intermediate age late Quaternary surfaces, and ranging from 6 to 10 m versus 3 to 4 m on older late Quaternary surfaces (unit af2 in Olig et al., 1999b). Furthermore, although range crest elevations and Quaternary displacements taper to the south on both faults, neither fault appears to taper to the north, suggesting that perhaps the SO and NO rupture coseismically and/or slip could be transferred to bedrock faults such as the Lakes of Kilarney and Soldier Canyon faults (Olig et al., 1999a, 1999b), or perhaps slip patterns are complicated by younger sediments draping pre-existing larger scarps. Regardless, it is noteworthy that although the Rush Valley basin geometry tapers to the north, with a structural, topographic, and gravity high at South Mountain, to the south the basin does not taper and the basin fill actually appears thickest, estimated to exceed 3000 ft (914 m) at the SO-TH segment boundary (Everitt and Kaliser, 1980).

Early attempts to determine the timing of youngest faulting on the SO segment came to conflicting conclusions. Everitt and Kaliser (1980) excavated a shallow trench across the southern end of the Mercur fault below the Bonneville shoreline. The trench exposed a 12-m wide graben and Lake Bonneville deposits, which they interpreted to be faulted based on the presence of shear fabric and warping of contacts (B.L. Everitt, personal communication, 1995). In contrast, Barnhard and Dodge (1988) re-interpreted the exposure and suggested that faulting pre-dated the transgression of Lake Bonneville at 17 to 18 ka, which was consistent with their scarp-profile data. Wu and Bruhn (1994) also suggested faulting was pre-Bonneville based on their scarp-profile data.

Olig et al. (2001) excavated trenches across three en echelon fault scarps of the Mercur fault on older late Quaternary fan deposits north of Mercur Canyon (Figure 4.3-1). The trenches revealed stratigraphic and structural evidence for five to seven earthquakes, which vertically offset pre-Bonneville fan deposits 9.25 to 11.1 m. Two charcoal AMS radiocarbon ages and six infrared stimulated luminescence (IRSL) ages for fan sediment (including loess) help constrain the timing of events, all of which occurred after 86–92 ka. This timing constraint includes a previously unpublished IRSL age for sample MCET2-L5Y, which we report here as 85.6 ± 6.1 ka.

Four of the events at the Mercur Canyon site occurred on the main westernmost trace since 75 ± 10 ka, including the youngest event shortly after 4430 to 4830 cal yr B.P., but well before 1295 to 1530 cal yr B.P. (Olig *et al.*, 2001). The age of this youngest event compares favorably with cosmogenic ¹⁴C ages determined for a bedrock scarp of the northern Lakes of Kilarney fault, which suggest that faulting occurred around 4360 ± 1220 cal yr B.P. (Handwerger *et al.*, 1999). Additionally, the 75 ka age, which is an average of two IRSL ages for an A_v soil horizon on loess predating the western scarp, compares favorably with 10 Be/ 26 Al cosmogenic dating of

quartzite boulders on the upthrown fan surface that suggest a minimum age of 75 ± 5 ka (Mattson and Bruhn, 2001).

Olig et al. (2001) estimated an average recurrence interval for the past five to seven events of 12 to 25 kyr. They estimated average vertical displacements per event of 1.3 to 2.2 m and an average vertical slip rate of 0.09 to 0.14 mm/yr since 92 ka at Mercur Canyon. In comparison, Mattson and Bruhn (2001) estimated a slip rate of ~0.1 mm/yr since 50–60 ka based on their diffusion modeling of the formation of the western fault scarp at Mercur Canyon. From review of all the paleoseismic data, the UQFPWG recommended rates for the SO segment that were similar to the NO segment, with a consensus vertical slip rate distribution of 0.05-0.2-0.4 mm/yr (Lund, 2005). Similarly, their consensus recurrence-interval distribution for the SO segment is: 5-20-50 kyr.

Topliff Hill Segment

The TH segment extends south of the SO segment along the southeastern margin of Rush Valley (Figure 4.3-1). The TH segment was first mapped by Bucknam (1977) and was also included on the geologic map of Moore and Sorrenson (1979), but it has not been trenched and remains poorly understood. As included here, the TH segment (USGS, 2013, fault number 2407) is characterized by discontinuous, down-to-thewest scarps that overall trend north-south for about 20 km along the margin between Rush Valley to the west and the Thorpe Hills, Topliff Hill, and the northern end of the East Tintic Mountains to the east (Figure 4.3-1; Black and Hecker, 1999a). Much of the southern portion of the TH segment along the East Tintic Mountains is characterized by a sharp, linear bedrock-alluvial contact with a faceted range-front and active alluvial apron, although some short scarps on an alluvial fan surface were mapped by Everitt and Kaliser (1980; southern end of Plate IIIc) and Black and Hecker (1999a).

Scarps of the TH segment are generally above the Bonneville shoreline, but a notable exception is at a site along the northwest margin of Topliff Hill, site #1106 of Everitt and Kaliser (1980). They found that scarps are generally higher on older surfaces, and observed smaller scarp heights (4.5 to 10 feet) for those faults below the Bonneville shoreline than for fault scarps above the shoreline (heights of 22 to 25 feet), suggesting repeated faulting "into post-Bonneville time." They interpreted the faulted fan surface at this site as post-Bonneville highstand (that is \leq 18,000 cal yr B.P. after Reheis *et al.*, 2014). They also augered three holes (shown in their Figure 11 but not discussed in the text), which show elevation differences for subrounded gravels across the fault; however, these elevation differences are ambiguous because they could be either fault-related or depositional.

In contrast, Barnhard and Dodge (1988) re-interpreted faulting on the TH segment to be older than the Bonneville shoreline at site #1106. They interpreted the alluvial-fan surface

to be wave-etched by the Bonneville highstand and thus pre-Bonneville in age. They also inferred an older age for the TH scarp compared to the Bonneville highstand based on a quantitative comparison of scarp morphologies.

Based on review of all the data and interpretations, we found the surficial relations ambiguous regarding whether faulting on the TH segment predates or postdates the Bonneville highstand. The fan at site #1106 is clearly pre-Bonneville for the reasons noted by Barnhard and Dodge (1988), but below the shoreline the fan surface is also clearly eroded into and thus is also post-Bonneville. As the scarp appears smaller below the shoreline, but is still preserved (and not eroded away by transgression of the lake), faulting could have occurred after the shoreline was formed as Everitt and Kaliser (1980) originally interpreted. Alternatively, the scarp could be smaller below the shoreline because it has been partially eroded by transgression of the lake, although this seems less likely given the prominent scarp morphology visible in Google Earth imagery. Importantly, Barnhard and Dodge (1988) interpreted pre-Bonneville faulting for the SO segment based on scarp morphology data, and yet trenching revealed evidence for much younger Holocene faulting. Regardless, the age of youngest faulting along the TH segment remains unclear and needs additional subsurface investigation.

Slip rate and recurrence data are lacking for the TH segment. Barnhard and Dodge (1988) measured scarp heights of less than 2 m to over 7 m on unconsolidated deposits. Hecker (1993) gave a maximum displacement of 5.8 m, but she did not report the measurement location, whether the measurement represents surface offset or vertical displacement, or an associated age of faulted deposits. The USGS (2013) categorizes the TH segment as having a slip rate of less than 0.2 mm/yr, but also emphasizes that scarp ages are uncertain.

East Tintic Segment

The ET segment is the southernmost segment of the OGSLFZ (Figure 4.3-1). Although scarps were originally identified by Goode (1959) and included on geologic maps by Morris (1975, 1987), the ET segment is even more poorly understood than the TH segment and has not been trenched. As included here, the ET segment (USGS, 2013, fault number 2420) is characterized by isolated and highly dissected remnants of scarps that overall trend north-south for about 41 km along the western range front of the East Tintic Mountains. The ET segment also includes overlapping, subparallel traces along Furner Ridge, as well as an apparent along strike 4-km gap in faulting (Figure 4.3-1; Black and Hecker, 1999b).

Little is known about rates of activity on the ET segment. Unlike other Quaternary scarps in the Delta 1°x 2° quadrangle, Bucknam and Andersen (1979) did not profile scarps of the ET segment, but suggest that their appearance on aerial photographs implies "that they are among the oldest scarps

that we have recognized in western Utah" because they are highly dissected and largely buried by alluvium of several different ages. The USGS (2013) categorizes the ET segment as having a slip rate of less than 0.2 mm/yr.

4.3.2 Analyses and Fault Source Parameters

This section describes the fault parameters assigned to the OGSLFZ by the WGUEP, including distributions and weights. Details of some of the supporting analyses are included in Appendix C.

Timing of Surface Faulting Earthquakes

To augment the data on timing of paleoearthquakes previously discussed in Section 4.3.1, the WGUEP conducted OxCal analyses of the paleoseismic trench data for the NO and SO segments (Appendix C). These analyses allowed all of the radiocarbon ages to be calendar calibrated for the NO segment, allowed inclusion of a previously unpublished age for the SO segment, reduced uncertainties in the timing of several

events, and provided probability density functions of ages for comparison and further rate analyses (as discussed in Section 3.4). The OxCal analyses were conducted using a similar approach to the WFZ, but were greatly simplified because of the limited number of trench sites and data; therefore, additional analyses were not needed to compare the PDFs for the timing of events between different sites. Appendix C-1 shows the input OxCal models and Appendix C-2 shows the results for the NO and SO segments.

Table 4.3-2 summarizes the timing of events identified on the various segments of the OGSLFZ, including the revised timing of events from the OxCal analysis of the trench data for the NO and SO segments. The mean timing of events on the NO and SO segments did not significantly change, but uncertainties are generally reduced and in particular the timing for the most recent events on the NO and SO segments no longer overlap in the 5th to 95th percentile range. The paleoearthquake times on the AI and FI segments include 2σ ranges based on the calibrated radiocarbon ages from Dinter and Pechmann (2005).

Table 4.3-2. Timing of surface-faulting earthquakes on segments of the OGSLFZ¹.

	Fault Segment	Youngest Event	Penultimate Event	Older Events
	Rozelle (RZ)	Holocene (?)	unknown	unknown
Great	Promontory (PY)	Holocene (?)	unknown	unknown
Salt Lake fault ²	Fremont Island (FI)	3150 (+240, -210)	6410 (±210)	> 7410 ³ < 11,430 (+610, -450)
	Antelope Island (AI)	590 (+200, -240)	6170 (+240, -230)	9,900 (+250, -300)
	Northern Oquirrh (NO) ⁴	6320 (±1600) [4970 to 7640]	27,600 (±3840) [24,430 to 30,800]	>> 33,000
	Southern Oquirrh (SO) ⁵	3030 (±1880) [1460 to 4580]	Roughly 5 to 31 ka	Two additional events since about 75 ka; or three to five additional events since about 92 ka
	Topliff Hills (TH)	$> 18,000^6 \text{ or } < 18,000^7$	unknown	unknown
	East Tintic (ET) ⁸	middle and late Pleistocene (?)	unknown	unknown

¹ Updated from Olig *et al.* (2001) as noted. Mean ages in calendar calibrated radiocarbon years before 1950 (cal yr B.P.), rounded to the nearest decade, with 2-σ errors in parentheses and 5th and 95th percentiles in brackets, except as noted.

² Timing data from Dinter and Pechmann (2005), except as described in footnote 3.

³ The antepenultimate event occurred within a 12-m-thick salt and sapropel unit. The maximum age for this event is from radiocarbon dating of charcoal from sediments immediately underlying the salt and sapropel unit (Dinter and Pechmann, 2005). The minimum age comes from a conservative time estimate of at least 1000 yrs between the penultimate event horizon and the top of the salt and sapropel unit, based on measurements of sediment thicknesses between these two horizons and sedimentation rates estimated for the overlying sediments.

⁴ From analysis in Appendix C, using data from previous studies of the Big Canyon and Pole Canyon trench sites (Olig *et al.*, 1994; 1996). For comparison, previously the 5th and 95th percentiles of the youngest and penultimate events on the NO segment were respectively estimated to be 4800 to 7900 cal yr B.P., and 20,300 to 26,400 ¹⁴C yr B.P. Note that a mean age of 30,910 cal yr B.P. was calculated for sample OFPC-RC3 (Table C-1) and used in rate calculations for the NO segment (Table 4.3-7).

⁵ From analysis in Appendix C, using previous timing data for the Mercur fault from Mercur Canyon trench site (Olig *et al.*, 2001) and an additional unpublished IRSL age (see text for discussion). For comparison, previously the 5th and 95th percentiles of the youngest event on the SO segment were estimated to be 1300 to 4830 cal yr B.P. Note that the mean of the combined age for the Unit 2a loess of 88,950 cal yr B.P. (Table C-2) was used as the maximum age constraint in rate calculations for the SO segment (see Table 4.3-7).

⁶ Modified from Barnhard and Dodge (1988) based on Lake Bonneville highstand age from Reheis et al. (2014).

⁷ Modified from Everitt and Kaliser (1980) based on Lake Bonneville highstand age from Reheis *et al.* (2014); see text for discussion.

⁸ From Bucknam and Anderson (1979).

Rupture Models and Geometries

Early PSHAs developed a single-segmentation model for the OGSLFZ that included 5 segments (Wong *et al.*, 1995; Youngs *et al.*, 2000). More recently, rupture models for the OGSLFZ have become more complex to better address uncertainties and incorporate new data (e.g., Wong *et al.*, 2002).

Based on expert opinion and consensus, the WGUEP agreed on the rupture models and weights for the OGSLFZ in Table 4.3-3. These five rupture models and weights were based on the data sources discussed in Section 4.3.1 and the timing data summarized in Table 4.3-2. We tried to include more epistemic uncertainty than past models, but not all possibilities and combinations were explicitly included. To keep the model manageable, we included those rupture sources judged to be more likely (with weights of 0.1 or greater), and accounted for the rest by an unsegmented model with a weight of 0.2.

The basis for each of the OGSLFZ rupture models and weights in Table 4.3-3 is briefly summarized as follows. Rupture model 2, where each segment is an independent source, was favored with a weight of 0.4 because of strong differences or variations in (1) along-strike fault trace geometry between segments, including gaps, changes in strike, and step-overs, (2) structural relief, including footwall-range topography and hanging wall-basin geometry, (3) the timing of the most recent faulting event (although this is poorly constrained for some segments), and (4) rates of activity among segments (in many but not all cases). We gave the floating unsegmented rupture (rupture model 5) the next highest weight of 0.2 for the OGSLFZ, slightly higher than for the WFZ, because the OG-SLFZ has fewer paleoseismic data and larger uncertainties. In the unsegmented model, we assumed the maximum length of the floating rupture to be three times the average segment length, allowing for ruptures as long as 87 km. Rupture model 1 includes coseismic rupture of the NO+SO segments and is weighted 0.15. This model is consistent with Gilbert's (1890) original interpretation of faults bounding the Oquirrh Mountains and the absence of a decrease in range elevation at the NO-SO boundary. It is also supported by the large displacements per event given the relatively short individual NO and SO lengths, the apparent large displacements at the northern end of the SO segment based on scarp profiles, the similar slip rates of the two segments, and the overlap in ages of older

events (although these ages are poorly constrained). Rupture model 3 includes coseismic rupture of the FI and AI segments and is also weighted 0.15. Model 3 is supported by the large displacements per event on the AI segment relative to its short length, the overlap in timing of the penultimate events on the two segments, and the similar rates of activity of the two segments. Finally, rupture model 4 includes coseismic rupture of the SO and TH segments and is weighted 0.1. Model 4 is supported by the basin geometry of Rush Valley (with its deepest point at the SO-TH boundary), the possibility that the timing of the youngest events overlap (given the uncertainty for the TH segment), and the large displacements per event given the relatively short length of the SO segment.

Table 4.3-4 shows the preferred lengths and uncertainties for all the earthquake sources (segments and combinations of segments) of the OGSLFZ. Similar to the WFZ, the ranges of uncertainties were guided by gaps, overlaps, step-overs and other fault trace complexities. For rupture endpoints with apparent gaps or overlaps in fault scarps on Quaternary deposits, we have generally assumed the median boundary to be at the midpoint. Similar to the central WFZ, the uncertainties in lengths are correlated with those of the adjacent segments and multisegment sources have the same coordinates and uncertainties as the respective segment endpoints (for example, the northern end of FI+AI source has the same coordinates as the northern end of the FI source).

As per our default distribution for normal faults (Section 3.2), we used a dip distribution of $50^{\circ} \pm 15^{\circ}$ W, weighted 0.6 ± 0.2 , for the entire OGSLFZ. Although Wu and Bruhn (1994) measured slightly steeper dips for bedrock faults of the SO segment, and seismic reflection profiles suggest a listric geometry and perhaps shallower average dip for the segments of the Great Salt Lake fault zone (Smith and Bruhn, 1984; Viveros, 1986; Mohapatra and Johnson, 1998), we adopted the default range-bounding, normal-fault distribution for the entire zone for simplicity.

Displacements

We calculated per event displacement distributions for the NO, SO, and NO+SO sources using the displacement data discussed in Section 4.3.1 and the same method used for the WFZ (fixed and/or best-fit ellipses to the data—see Appendix

Table 4.3-3. Rupture models for the OGSLFZ*.

Rupture Model	Rupture Sources	Weight
1	RZ, PY, FI , AI , NO+SO, TH, ET	0.15
2	RZ, PY , FI , AI , NO , SO , TH , ET	0.4
3	RZ, PY, FI+AI, NO, SO, TH, ET	0.15
4	RZ, PY, FI , AI , NO, SO+TH, ET	0.1
5	Unsegmented (floating)	0.2

^{*} Rupture sources shown in bold and italics indicate a time-dependent model (weighted 0.8) was also included in the analysis.

Table 4.3-4. Lengths for the OGSLFZ rupture sources¹.

Rupture Source	Median SRL (km)	Northern Endpoint Uncertainties	Southern Endpoint Uncertainties	Min SRL (km)	Max SRL (km)
RZ	26.5	+5; -2	±2	22.8	33.1
PY	22.2	±2	+2.7, -3.3	18.4	26.2
FI	25.6	+2.7, -3.3	+2.3, -2.1	20.0	29.8
AI	33.7	+2.3, -2.1	+2.9, -2.5	29.6	37.9
NO	29.7	+2.9, -2.5	+10, -4.5	19.7	34.4
SO	30.7	+10, -4.5	+2.9, -3.2	24.2	37.9
TH	23.3	+2.9, -3.2	+2, -8.7	18.2	31.1
ET	39.7	+2, -8.7	+2, -3	31.3	43.7
FI+AI	57.8	+2.7, -3.3	+2.9, -2.5	52.0	62.3
NO+SO	56.7	+2.9, -2.5	+2.9, -3.2	51.9	62.7
SO+TH	52.1	+10, -4.5	+2, -8.7	47.2	63.2
Floating	87			80.8	92.8

¹All SRL measured straight-line, end-to-end.

Table 4.3-5. Modeled vertical displacement distributions for selected rupture sources of the OGSLFZ (see Appendix C-4 for details).

Rupture Source	Pref D ¹ (m) (weighted 0.6)	Min D (m) (weighted 0.2)	Max D (m) (weighted 0.2)	No. of Obs.	Notes
SO	1.56	0.62	2.65	5	Average of fixed ellipses from five events (P1-P5)
NO	2.075	1.61	2.67	3	Average of best-fit ellipse from P1 (n=2) and fixed ellipse from P2
SO+NO	2.055	1.68	2.52	5	Average of best-fit ellipses from P1 and P2

¹ Vertical displacement (D).

B for detailed discussion). Inputs are shown in Appendix C-3. Resulting modeled outputs are shown in Appendix C-4 and are summarized in Table 4.3-5. Preferred values range from 1.6 to 2.1 m, whereas the full range is from 0.6 to 2.7 m.

Characteristic Magnitudes

Using the displacement distributions in Table 4.3-5, we treated the NO, SO and NO+SO sources as Type A faults (see Section 3.5) for calculating M_{char}. We treated all other sources for the OGSLFZ (RZ, PY, AI, FI, AI+FI, SO+TH, TH, ET, and floating) as Type B faults for calculating M_{char}. Table 4.3-6 shows the M_{char} distributions for the various rupture sources of the OGSLFZ.

Recurrence and Slip Rates

As described in Section 3, we used a variety of different approaches to characterize rate distributions and available data for the OGSLFZ rupture sources, which included timing data

in Table 4.3-2 and the slip rate and other paleoseismic data discussed in Section 4.3.1. The approaches, Poisson rate distributions, and weights are summarized in Table 4.3-7. Also included are brief notes on input data, the approaches used, and weights.

We used a time-dependent BPT model for the FI and AI rupture sources with a weight of 0.8. As fault-specific data are lacking, we assumed a COV distribution similar to the central WFZ (Section 4.1.3). Because rates are much lower for the NO and SO segments than for the central WFZ and AI and FI segments, a BPT model was not used for the NO and SO segments. BPT rate distributions for the FI and AI sources are shown in Table 4.3-8.

4.4 Antithetic Fault Pairs

The Wasatch Front region contains a number of antithetic fault pairs-subparallel normal faults that dip toward each other and are separated by horizontal distances that, depending on fault dip, could allow the faults to intersect within seis-

 Table 4.3-6. Characteristic magnitude distributions calculated for the OGSLFZ rupture sources.

Rupture Source	Fault Type	Wt. Mean M _{char}	5th Percentile M _{char}	95th Percentile M _{char}
RZ	В	6.92	6.73	7.06
PY	В	6.83	6.61	7.01
FI	В	6.89	6.68	7.04
AI	В	7.03	6.84	7.19
NO	A	7.03	6.79	7.25
SO	A	7.01	6.74	7.20
TH	В	6.86	6.63	7.04
ET	В	7.09	6.91	7.28
FI+AI	В	7.27	7.10	7.50
NO+SO	A	7.27	7.09	7.44
SO+TH	В	7.24	7.05	7.44
Floating	В	7.47	7.28	7.74

Table 4.3-7. Poisson rate distributions for OGSLFZ rupture sources.¹

Source	Approach (weight)	Recurrence (in yrs) or Vertical Slip Rate (in mm/yr) ²	Notes
RZ segment	Recurrence Intervals (1.0)	14,103 (0.101) 6300 (0.244) 3724 (0.310) 2377 (0.244) 1468 (0.101)	No segment-specific slip rate or event timing data available. Assumed similar rates to the AI segment.
PY segment	Recurrence Intervals (1.0)	14,103 (0.101) 6300 (0.244) 3724 (0.310) 2377 (0.244) 1468 (0.101)	No segment-specific slip rate or event timing data available. Assumed similar rates to the AI segment.
FI segment ³	Recurrence Intervals (1.0)	13,680 (0.101) 6024 (0.244) 3521 (0.310) 2222 (0.244) 1348 (0.101)	From approach 2 with $N = 3$ and $T = 11,488$ yrs (Table 4.3-1). ⁴
AI segment ³	Recurrence Intervals (1.0)	14,103 (0.101) 6300 (0.244) 3724 (0.310) 2377 (0.244) 1468 (0.101)	From approach 2 with $N = 3$ and $T = 9959$ yrs (Table 4.3-1).
NO segment	Recurrence Intervals (0.6)	106,538 (0.101) 36,153 (0.244) 18,453 (0.310) 10,613 (0.244) 5983 (0.101)	From approach 2 with $N = 2$ and $T = 30,971$ yrs (Appendix C-2 and Table 4.3-2).
	Slip Rates (0.4)	0.05 (0.2) 0.2 (0.6) 0.4 (0.2)	Consensus slip rates from the UQFPWG (Lund, 2005).

Table 4.3-7. Continued.

Source	Approach (weight)	Recurrence (in yrs) or Vertical Slip Rate (in mm/yr) ²	Notes
SO segment	Recurrence Intervals (0.6)	37,291 (0.101) 22,366 (0.244) 15,698 (0.310) 11,433 (0.244) 8004 (0.101)	From approach 1 with $N = 5$ and $T = 89,011$ yrs (Appendix C-2 and Table 4.3-2). This alternative of five events is weighted 0.5.
		24,106 (0101) 15,704 (0.244) 11,606 (0.310) 8817 (0.244) 6441 (0.101)	From approach 1 with $N = 7$ and $T = 89,011$ yrs (distribution weighted 0.5) (see Appendix C-2 and Table 4.3-2). This alternative of seven events is weighted 0.5.
	Slip Rates (0.4)	0.05 (0.2) 0.2 (0.6) 0.4 (0.2)	Consensus slip rates from the UQFPWG (Lund, 2005).
TH segment	Slip Rates (1.0)	0.05 (0.2) 0.2 (0.6) 0.4 (0.2)	No segment-specific paleoseismic data. Assumed rates similar to the NO and SO segments based on descriptions of scarps and arguments in Everitt and Kaliser (1980).
ET segment	Slip Rates (1.0)	0.025 (0.3) 0.1 (0.4) 0.2 (0.3)	Assumed half the rates of the NO and SO segments, but with broader weights due to larger uncertainties, based on relatively poor geomorphic expression for this end segment (Black and Hecker, 1999b).
FI+AI segments	Recurrence Intervals (1.0)	14,103 (0.101) 6300 (0.244) 3724 (0.310) 2377 (0.244) 1468 (0.101)	Used rate distribution of AI segment as it is better constrained and rate distributions are similar.
NO+SO segments	Slip Rates (1.0)	0.05 (0.2) 0.2 (0.6) 0.4 (0.2)	Used slip rate and not recurrence because slip rate distributions are the same for each segment, whereas the timing of the youngest event on each segment does not overlap at 2σ , and the timing of earlier events is broad.
SO+TH segments	Slip Rates (1.0)	0.05 (0.2) 0.2 (0.6) 0.4 (0.2)	Used slip rate distribution of the SO segment as it is better constrained.
Floating	Slip Rates (1.0)	GSLF segments: 0.3 (0.2) 0.6 (0.6) 1.6 (0.2) Other segments: 0.05 (0.2) 0.2 (0.6) 0.4 (0.2)	Similar to the WFZ, we used two rate distributions with higher rates for the portion including the Great Salt Lake fault segments, and lower rates for the portion including the other segments. Rates are consensus slip rates from the UQFPWG (Lund, 2005).

¹ The time intervals for these calculations are years before 2011: cal yr B.P. ages (yrs before 1950) plus 61 yrs.

² Followed by weights in parentheses.

³ Time dependent approach also used for this source with Poisson model weighted 0.2, and BPT model weighted 0.8 (Table 7.2-2 for BPT rate distributions).

⁴ Note added in proof: The Poisson recurrence intervals used in the probability calculations for the Fremont Island segment were incorrect. The effect of this error was to increase some of the 50-yr probabilities listed for this segment in Table 8.2-2 by 0.1%. The correct recurrence intervals (with their weights) are as follows: 16,269 (0.101), 7267 (0.244), 4296 (0.310), 2742 (0.244), and 1694 (0.101).

Source	I	Recurrence (yr	s)	Weights	Input (yrs)
	$\alpha = 0.3$	$\alpha = 0.5$	$\alpha = 0.7$		
FI segment	2742	2659	2784	0.101	$t_0 = 3211 = $ lapse time (until 2011)
_	3401	3696	4274	0.244	$t_1 = 3262 = inter-event time 1$
	4028	4793	5984	0.310	t_2 = inter-event time 2, uniform probability
	4764	6197	8318	0.244	distribution from $1000 \le t_2 \le 5015$
	5885	8521	12,395	0.101	$t_f = 5015 - t_2$
					= open interval before earliest event
	4112	5029	6461	Weighted	
				Mean	
AI segment	3410	3095	3028	0.101	$t_0 = 647 = lapse time (until 2011)$
	4210	4381	4868	0.244	$t_1 = 5584 = inter-event time 1$
	4976	5765	7062	0.310	$t_2 = 3728 = inter-event time 2$
	5877	7546	10,083	0.244	$t_f = 0$
	7232	10,464	15,302	0.101	= open interval before earliest event
	5079	6067	7689	Weighted	
				Mean	

Table 4.3-8. BPT recurrence interval distributions for the Antelope Island and Fremont Island rupture sources of the OGSLFZ.

mogenic depths. Some of these fault pairs are major rangefront, graben-bounding faults, whereas others consist of a major range-front fault paired with a subsidiary intrabasin fault. Important issues when modeling the seismic hazard presented by antithetic fault pairs are evaluating the potential for one fault to be truncated at depth by the other fault, and determining which fault is the non-truncated (master) fault and which is the truncated (subsidiary) fault. This issue was discussed by the Basin and Range Province Earthquake Working Group II (BRPEWGII; Lund, 2012) in the context of providing recommendations to the USGS for the 2014 update of the NSHMs. At that meeting, Geologic Issue G2 was stated as: How should antithetic fault pairs be modeled in the NSHMs? For example, what is the relation and seismogenic significance of antithetic fault pairs such as the East and West Cache faults, and strands of the Salt Lake City segment of the WFZ and the West Valley fault zone?

The BRPEWGII developed recommendations for evaluating antithetic fault pairs on the NSHMs (Lund, 2012), several of which apply to our modeling efforts. These recommendations include the following:

- Explore using metrics to guide selection of master and subsidiary faults.
 - Evaluate dataset for overlapping relations to select the master fault based on length.
 - Evaluate using aspect ratio (length/width) for individual antithetic fault pairs.
 - Where data allow, structural throw should be used rather than topographic relief.
 - Evaluate using the product of length and throw as a parameter for selecting the master fault.
- Use subsurface data (e.g., seismic reflection) where available to guide master fault selection.

- Where available data do not give a clear indication of the master versus subsidiary fault, model both alternatives using a logic tree approach.
- Use rupture area (rather than surface rupture length) to determine magnitude for truncated faults.

Each of the three primary metrics (fault length, overlap, and structural throw/topographic relief) used to identify the master versus subsidiary fault in an antithetic fault pair can potentially indicate which fault has been the dominant structure over time (i.e., master fault). Fault length serves as a proxy for fault maturity, overlapping relations provide a comparative indicator of controlling structure, and structural throw/topographic relief serves as a proxy for long-term slip rate (Haller and Harmsen, 2011).

4.4.1 Analysis

We initially considered six antithetic fault pairs within the Wasatch Front region for analysis per the BRPEWGII recommendations:

- (1) West Valley fault zone-Salt Lake City segment of the WFZ
- (2) Utah Lake faults-Provo segment of the WFZ
- (3) Hansel Valley fault-North Promontory fault
- (4) West Cache fault zone-East Cache fault zone
- (5) Western Bear Lake fault-Eastern Bear Lake fault
- (6) Joes Valley fault zone (west side)—Joes Valley fault zone (east side)

After reviewing available geologic and paleoseismic information for each fault pair, we eliminated the West Cache–East Cache fault zones and Joes Valley fault zone from the antithet-

ic fault pair analysis. In the case of the West and East Cache fault zones, surficial geologic mapping (McCalpin, 1989; Solomon, 1999) and paleoseismic studies (McCalpin, 1994; Black et al., 2000; Evans and McCalpin, 2012) indicated differences in surface-faulting chronologies among the various segments of the two fault zones, which suggest independent activity. Accordingly, we modeled the West Cache and East Cache fault zones as independent sources, each extending to full seismogenic depth (see Appendix D). In the case of the Joes Valley fault zone, structural interpretation of seismic reflection profiles (Anderson, 2008) and the narrow width (< 5 km) of the Joes Valley graben indicate that the Joes Valley faults are linked structures. Accordingly, we modeled the Joes Valley fault zone as a single source. Based on their similarity to the Joes Valley fault zone, the Snow Lake graben faults were also modeled as a single source (see Appendix D).

For the four remaining fault pairs (Figure 4.4-1), we attempted to identify master and subsidiary faults by comparing fault length, percent overlap, and topographic relief (data were insufficient to allow us to use structural throw rather than topographic relief). Fault length is the straight-line, end-toend length of the mapped surface trace of the fault or segment, and with the exception of the Hansel Valley and Western Bear Lake faults, length values are from USGS (2013). The Hansel Valley-Promontory and Western-Eastern Bear Lake fault pairs are both graben-bounding fault pairs, and where the graben-bounding system comprises multiple faults or segments, we used the combined length of the entire fault system (e.g., combined length of the Hansel Valley, Hansel Mountains [east side], and Hansel Valley [valley floor] faults; combined length of Western Bear Lake and Bear Lake [west side] faults; and combined length of the Northern, Central, and Southern sections of the Eastern Bear Lake fault). In general, greater length can be an indication of the master fault. Percent overlap shows how much of the length of one fault or segment is overlapped by the other fault or segment of the pair; smaller percent overlap can be an indication of the master fault. Topographic relief reflects the difference in elevation between the fault and topographic high points in the footwall of the fault, and includes both maximum and "average" relief. The mean elevation of five footwall points equally spaced along the length of the fault, generally on or near a drainage divide, was used to calculate the "average" topographic relief. Greater relief can be an indication of the master fault. Finally, we used the product of length and average relief to evaluate the fault pairs; a larger product can be an indication of the master fault. Figure 4.4-2 and Table 4.4-1 summarize the antithetic-fault-pair metrics.

4.4.2 Results

Our analysis of antithetic fault pairs using metrics recommended by the BRPEWGII produced mixed results. For the West Valley fault zone—Salt Lake City segment (WFZ) and Utah Lake faults—Provo segment (WFZ) pairs, metrics values differed substantially between each of the paired faults, pro-

viding a strong indication of master versus subsidiary fault. Also, these results were consistent with other geologic and geophysical data related to fault geometry. For the Hansel Valley fault–North Promontory fault and Western Bear Lake fault–Eastern Bear Lake fault pairs, differences between metrics values for each of the paired faults were relatively small, and the somewhat equivocal indications of master versus subsidiary fault based on the metrics conflicted with other available geologic and geophysical data and assumptions based on regional observations. Ultimately, our identification of master and subsidiary faults used the metrics to provide initial results, but we modified these results when other information provided a compelling reason to do so.

West Valley fault zone—Salt Lake City segment: The metrics for the West Valley fault zone—Salt Lake City segment pair indicate the Salt Lake City segment of the WFZ is the master fault. The Salt Lake City segment is longer than the West Valley fault zone, the entire length of the West Valley fault zone is overlapped by the Salt Lake City segment, and the West Valley fault zone has almost no relief compared to the Salt Lake City segment (Figure 4.4-2, Table 4.4-1).

Utah Lake faults-Provo segment: The metrics for the Utah Lake faults-Provo segment pair indicate the Provo segment of the WFZ is the master fault. Relations among the metrics for the Utah Lake faults-Provo segment pair are very similar to those for the West Valley fault zone-Salt Lake City segment pair (Figure 4.4-2, Table 4.4-1).

Hansel Valley fault–North Promontory fault: The metrics for the Hansel Valley (+ Hansel Mountains [east side] + Hansel Valley [valley floor]) fault–North Promontory fault pair are equivocal, but give a slight indication of the Hansel Valley fault being the master fault (Figure 4.4-2, Table 4.4-1). However, given the distributed nature of the Hansel Valley fault system versus the more continuous, single trace of the North Promontory fault, the association of the North Promontory fault with a significant mountain range, and the regional pattern of major faults bounding the eastern margins of individual basins in the eastern Great Basin (see, for example, Arabasz *et al.*, 1992), our consensus is that the North Promontory fault is very likely the master fault.

Western Bear Lake–Eastern Bear Lake faults: Similar to the Hansel Valley–North Promontory fault pair, the metrics for the Western Bear Lake (+ Bear Lake [west side]) fault–Eastern Bear Lake (Northern, Central, and Southern sections) fault pair are somewhat equivocal and slightly favor the Western Bear Lake fault as the master fault (Figure 4.4-2, Table 4.4-1). However, structural interpretation of seismic reflection profiles (Smith and Bruhn, 1984; Evans, 1991), as well as the regional pattern of major faults bounding the eastern margins of individual basins in the eastern Great Basin, indicates the Eastern Bear Lake fault system is likely the master fault.

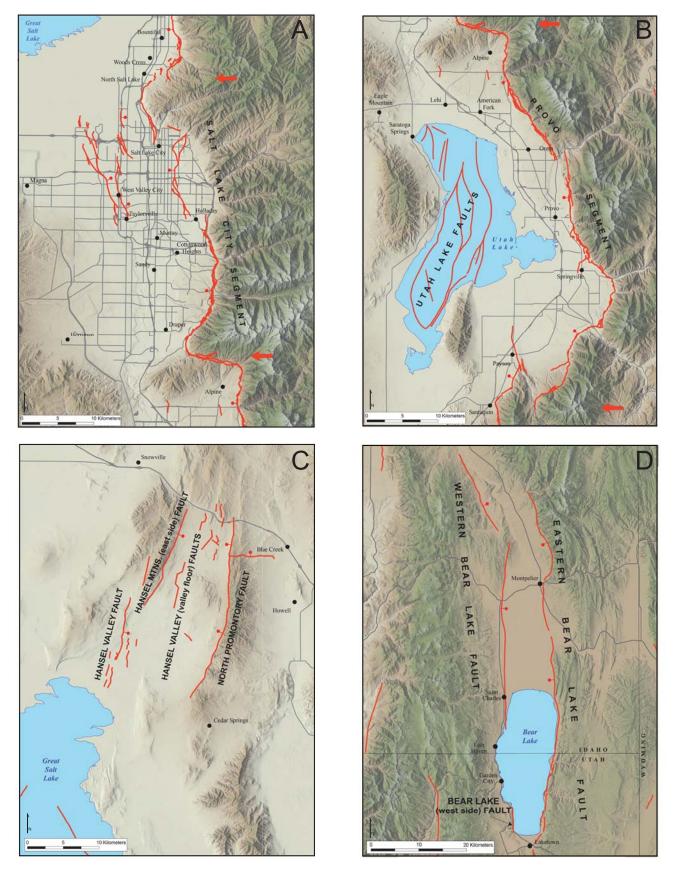


Figure 4.4-1. Antithetic fault pairs in the Wasatch Front region. Arrows indicate segment boundaries. (A) West Valley fault zone and SLCS of the WFZ. (B) Utah Lake faults and Provo segment of the WFZ. (C) Hansel Valley (+ Hansel Mountains [east side] + Hansel Valley [valley floor]) faults and North Promontory fault. (D) Western Bear Lake (+ Bear Lake [west side]) faults and Eastern Bear Lake fault. Note that scale varies among the four maps. Shaded topography generated from 10-m digital elevation data (https://lta.cr.usgs.gov/NED).

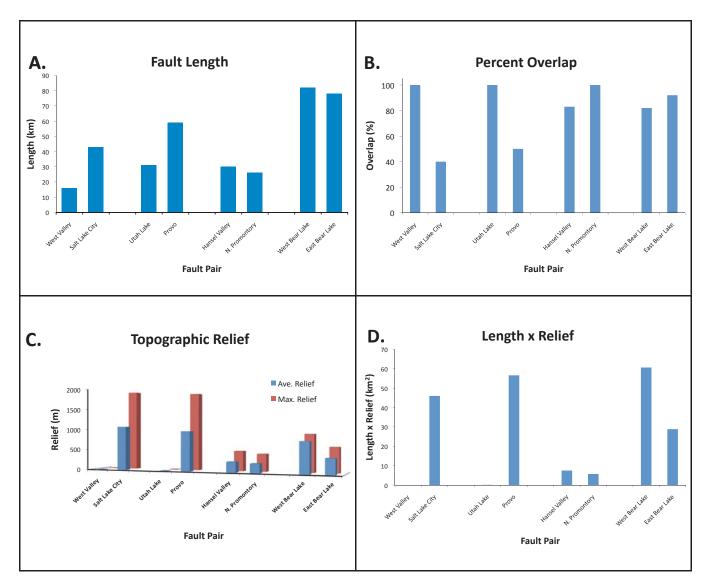


Figure 4.4-2. Graphical summary of antithetic-fault-pair metrics. (A) Fault surface-trace length from USGS (2013) except as noted in text discussion. Greater length can be considered an indication of the master fault (i.e., reflecting fault maturity). (B) Percent of fault length overlapped by the other fault in pair. Smaller percent overlap can be considered an indication of the master fault (i.e., larger, controlling structure). (C) Footwall relief. Greater relief can be considered an indication of the master fault (i.e., higher slip rate). (D) Length multiplied by average relief. Larger product can be considered an indication of the master fault (i.e., reflecting fault maturity and/or higher slip rate).

4.4.3 Model Parameters for Subsidiary Faults

Table 4.4-2 summarizes the model parameters used for the subsidiary faults of the four antithetic fault pairs evaluated, including minimum, average, and maximum fault separation distances (used in conjunction with fault dip to calculate truncation depths for subsidiary faults, and hence rupture area for earthquake magnitude calculations). Minimum and maximum truncation depths are 0.7 and 10 km for the West Valley fault zone, 2 and 22 km for the Utah Lake faults, 0.5 and 15 km for the Hansel Valley fault, and 1.4 and 9.3 km for the Western Bear Lake fault. Although the maximum truncation depth for the Utah Lake faults exceeds the seismogenic depth parameter used in the modeling (15 \pm 3 km), we did not account for this minor discrepancy in the modeling given the small contribution of the Utah Lake faults to the forecast probabilities.

Table 4.4-2 also shows rupture models for each subsidiary fault (i.e., independent versus simultaneous rupture) and our consensus weights. For the West Valley fault zone, higher weight (0.75) is given to the simultaneous rupture model, as paleoseismic earthquake timing data (DuRoss and Hylland, 2014) and mechanical modeling constraints (e.g., Xiao and Suppe, 1992; Bruhn and Schultz, 1996) indicate a high potential for synchronous rupture (Hylland et al., 2014). Weights for the Utah Lake faults are 0.50/0.50, as sparse data preclude a sound basis for weighting one model higher than the other. The higher weight (0.60) for independent rupture of the Hansel Valley fault stems from the possibility that the 1934 Hansel Valley earthquake (M_L 6.6) may have nucleated on this fault, based on the presence of surface deformation along the fault (Walter, 1934; Shenon, 1936; dePolo et al., 1989), and the absence of documented surface rupture along the master(?)

Table 4.4-1. Summary of antithetic-fault-pair metrics.¹

Fault or Segment	Length ² (km)	Percent Overlap	Max. Relief (m)	Ave. Relief (m)	Length x Relief ³ (km ²)	Metrics-based Classification ⁴	WGUEP Consensus Classification ³
West Valley	16	100	6	2	0.0	Subsidiary	Subsidiary
Salt Lake City	43	40	1950	1070	46.0	Master	Master
Utah Lake	31	100	5	4	0.1	Subsidiary	Subsidiary
Provo	59	50	1880	960	56.6	Master	Master
	,						
Hansel Valley ⁵	30	83	480	250	7.5	Master	Subsidiary
N. Promontory	26	100	420	220	5.7	Subsidiary	Master ⁶
W. Bear Lake ⁷	82	82	900	740	60.7	Master	Subsidiary
E. Bear Lake ⁸	78	92	600	370	28.9	Subsidiary	Master ⁶

¹ Shaded cells indicate data suggesting master fault.

Table 4.4-2. Model parameters for subsidiary antithetic faults.

Fault or Segment	Rupture Model	SRL ¹ (km)	Dip (Degrees)	Fault Separation Distance (min., ave., max.) (km)
West Valley	Independent (0.25)	16	50 ± 15	3, 9, 14
	Simultaneous (0.75)			
Utah Lake	Independent (0.50)	31	50 ± 15	9, 17, 31
	Simultaneous (0.50)			
Hansel Valley	Independent (0.60)	30	50 ± 15	2, 9, 14
	Simultaneous (0.40)			
W. Bear Lake	Independent (0.40)	26^{2}	50 ± 15	6, 9, 13
	Simultaneous (0.60)	24^{3}		
		19 ⁴		

¹ SRL, surface rupture length (straight-line, end-to-end).

² Length from USGS (2013) except as noted in text discussion.

 $^{^3}$ Rupture length multiplied by average footwall relief and rounded to the nearest 0.1 km.

⁴ Subsidiary fault assumed to be truncated at depth by master fault.

⁵ Includes Hansel Valley fault, Hansel Mountains (east side) faults, and Hansel Valley (valley floor) faults (see Figure 4.4-1C).

⁶ Selection of master fault based on subsurface data and regional observations rather than metrics; see discussion in text.

⁷ Includes Western Bear Lake and Bear Lake (west side) faults (see Figure 4.4-1D).

⁸ Includes Northern, Central, and Southern sections.

² Maximum documented rupture length, used when modeled with a Southern section Eastern Bear Lake fault rupture (SRL = 35 km) or floating rupture (SRL = 39 km) in the unsegmented model for the Eastern Bear Lake fault.

³ When modeled with a Central section Eastern Bear Lake fault rupture (24 km), the Western Bear Lake fault SRL is limited to the SRL of the Central section Eastern Bear Lake fault to avoid a subsidiary fault SRL that exceeds the master fault SRL.

⁴ When modeled with a Northern section Eastern Bear Lake fault rupture (19 km), the Western Bear Lake fault SRL is limited to the SRL of the Northern section Eastern Bear Lake fault to avoid a subsidiary fault SRL that exceeds the master fault SRL.

North Promontory fault. However, regional and teleseismic waveform analysis indicates a strike-slip focal mechanism for the 1934 earthquake (Doser, 1989), and the structural and seismogenic relations between the North Promontory fault and Hansel Valley fault remain uncertain. For the Western Bear Lake fault, higher weight (0.60) is given to the simultaneous rupture model based on the fault's likely structural relation with the Eastern Bear Lake fault from interpretation of seismic reflection profiles (Smith and Bruhn, 1984; Evans, 1991).

4.5 Other Modeled Faults

The Wasatch Front region contains 105 Quaternary-active faults/fault segments in addition to the WFZ and OGSLFZ (Black *et al.*, 2003; URS Corporation, written communication, 2010; USGS, 2013). The quantity and quality of paleoseismic information available for those faults/fault segments is highly variable, and many have no paleoseismic trenching data. The available data show that these faults/fault segments range from 2 to 104 km long, have vertical slip rates from < 0.2 mm/yr to > 1.0 mm/yr, and times of most recent deformation ranging from historical to Quaternary (< 1.6 Ma; USGS, 2013). The fact that these faults can be recognized and mapped at the ground surface indicates that they have experienced at least one surface-rupturing earthquake in the past.

Not all of the 105 Quaternary-active faults/fault segments possess sufficiently robust seismic parameters to affect a probabilistic earthquake forecast that ranges from annually to 100 years. The WGUEP established the following screening criteria to identify faults/fault segments that would not have a significant impact on the WGUEP earthquake forecast.

- 1. Faults categorized by their "most recent prehistoric deformation" by the USGS (2013) as late and middle Quaternary (< 750 ka) or Quaternary (< 1.6 Ma) if they could not be plausibly linked to more recently active faults. See http://earthquake.usgs.gov/hazards/qfaults/glossary.php for definitions of the four USGS (2013) prehistoric deformation timing categories.
- 2. Faults less than 15 km long, if they cannot be plausibly linked with other faults/fault segments to form longer linked fault zones. Faults less than 15 km long are considered unlikely to generate an earthquake of M ≥ 6.75 (low end of magnitude range assigned by the WGUEP to recurrence models used to characterize individual fault sources). Earthquakes smaller than M 6.75 are accommodated as background earthquakes in the WGUEP earthquake forecast.
- 3. Group consensus which chiefly involved retaining short faults (< 15 km) that would have otherwise been eliminated from further consideration, but that could be linked to form longer fault zones, even though the

shorter faults are individually mapped and reported in the literature

Note, for purposes of this evaluation, criteria used to establish a plausible link between individual fault strands included (1) along-strike alignment and continuity, (2) common slip direction, (3) fault overlaps, and (4) gaps or stepovers along strike generally \leq 5 km (Wesnousky, 2008; Field *et al.*, 2013; Biasi and Wesnousky, 2015).

Application of these screening criteria identified 60 faults/fault segments in the Wasatch Front region considered unlikely to affect the WGUEP earthquake forecast (Table 4.5-1) These faults were removed from further consideration in the WGUEP fault model. Table 4.5-2 lists the remaining 45 faults/fault segments retained as earthquake sources for the WGUEP earthquake forecast (Figure 1-1). These retained fault/fault segments were subsequently characterized, and are hereafter referred to in the forecast as "other modeled faults." Faults/fault segments reported in Table 4.5-2 that are < 15 km long are linked to form longer composite fault zones (Appendix D); faults/fault segments that are linked in the forecast share a common superscript number in Table 4.5-2.

Summary parameters from the USGS (2013) for both retained and deleted faults/fault segments (Table 4.5-3) show that all of the deleted faults/fault segments except one (Martin Ranch fault) have slip rates < 0.2 mm/yr; conversely, 37 (80%) of the retained faults/fault segments have similarly low slip rates, so slip rate per se was not a discriminating factor for eliminating faults/fault segments from the WGUEP forecast. Four deleted faults have times of most recent prehistoric deformation of latest Quaternary (< 15 ka) and five had deformation times of late Quaternary (< 130 ka); however, all eight faults are < 15 km long, and none could be plausibly linked to other faults/fault segments. All retained faults with lengths < 15 km or times of most recent prehistoric deformation of late to middle Quaternary (< 750 ka) or Quaternary (< 1.6 Ma) could be linked with other faults/fault segments to form longer fault zones considered capable of generating a $M \ge 6.75$ earthquake (Table 4.5-2).

Using available paleoseismic information, we characterized (modeled) the 45 faults/fault segments retained in the WGUEP earthquake forecast (Table 4.5-2, Appendix D) using the following criteria.

- Rupture Model: Includes independent (unsegmented), linked (multiple short faults combined to form a longer fault zone), segmented, coseismic (independent or synchronous rupture of antithetic fault pairs), and deep or shallow penetrating for the Joes Valley fault zone and Snow Lake graben.
- Probability of Activity: Likelihood that a fault/fault segment is a seismogenic source capable of generating an earthquake within the modern stress field. Probabilities of activity < 1.0 variously reflect the possible influence

Table 4.5-1 Quaternary-active faults/fault segments in the Wasatch Front region removed from further consideration in the WGUEP earthquake forecast.

Almy fault zone Bald Mountain fault Bear River Range faults

Big Pass fault

Blue Springs Hills faults

Cedar Mountains (east side) faults Cedar Valley (south side) fault

Clover fault zone

Cricket Mountains (north end) faults

Deseret faults

Dolphin Island fracture zone Duncomb Hollow fault

East Canyon fault (southern section)

East Kamas fault

East Lakeside Mountains fault zone East side Sublette Range fault

Elk Mountain fault Frog Valley fault

Gooseberry graben faults

Hyrum fault

Japanese and Cal Valleys faults Lakeside Mountains (west side) faults

Little Diamond Creek fault

Long Ridge (northwest side) fault Long Ridge (west side) fault

Lookout Pass fault
Mantua area faults
Martin Ranch fault
North Bridger Creek fault

North Promontory Mountains fault

Ogden Valley North Fork fault

Ogden Valley northeastern margin faults Ogden Valley southwestern margin faults

Pavant faults

Pleasant Valley fault zone, Dry Valley graben

Pleasant Valley fault zone, graben

Pleasant Valley fault zone, unnamed faults

Puddle Valley fault zone Raft River Mountains fault

Round Valley faults Ryckman Creek fault Sage Valley fault

Saint John Station fault zone

Saleratus Creek fault Sheeprock fault zone Sheeprock Mountains fault Simpson Mountains faults Southern Joes Valley fault zone

Spring Creek fault Sublette Flat fault Sugarville area faults The Pinnacle fault

Valley Mountains monocline Vernon Hills fault zone Wasatch monocline

Western Bear Valley faults West Pocatello Valley fault White Mountain area faults Whitney Canyon fault Woodruff fault

of non-seismogenic salt tectonics, geophysical data indicating a fault soles into a detachment surface at shallow depth, or that the fault is related to a stress field no longer active in the study area.

- Fault Category: A WFZ and OGLFZ (considered elsewhere in this report); B segmented faults thought to behave in a manner similar to the WFZ; C unsegmented faults and short linked faults; AFP antithetic fault pairs where the down-dip width of the secondary fault is truncated by the primary (master) fault at a relatively shallow seismogenic depth.
- Surface Rupture Length: Measured straight-line, endto-end fault/fault segment length reported in USGS (2013), unless otherwise noted in Appendix D.
- Dip: Range in crustal fault dip of 50 ± 15 degrees as recommended to the USGS for the 2014 update of the

NSHMs by BRPEWGII (Lund, 2012) and adopted by the WGUEP for most normal faults in the Wasatch Front region (section 3.2). Dips are weighted 35° (0.3), 50° (0.4), 65° (0.3). Exceptions are the Joes Valley fault zone and Snow Lake graben, which based on seismic-profile information and structural relations, are assigned a dip of $70^{\circ} \pm 15^{\circ}$ weighted 55 (0.3), 70 (0.4), 85 (0.3).

- Seismogenic Depth: Range of seismogenic depths adopted by the WGUEP of 15 ± 3 km weighted 12 km (0.1), 15 km (0.7), 18 km (0.2) east of the WFZ, and 12 km (0.2), 15 km (0.7), 18 km (0.1) west of the WFZ, unless noted otherwise in Appendix D (Section 3.2).
- Vertical Slip Rate: Depending on available paleoseismic data, two types of vertical slip rates may be reported in Appendix D. The first and most common type is termed a "geologic slip rate" (USGS, 2013), which

Table 4.5-2 Other modeled faults—Quaternary-active faults/fault segments in the Wasatch Front region, other than the WFZ and OGSLFZ, retained in the WGUEP fault model. Superscripts indicate linked faults.

Bear River fault zone	Morgan fault
Broadmouth Canyon faults ¹	North Promontory fault
Carrington fault	Pavant Range fault ⁴
Crater Bench fault ²	Porcupine Mountain fault
Crawford Mountains (west side) fault	Red Canyon fault scarps ⁴
Curlew Valley faults	Rock Creek fault
Drum Mountains fault zone ²	Scipio fault zone ⁴
East Cache fault zone	Scipio Valley faults ⁴
Northern segment	Skull Valley (mid valley) faults
Central segment	Snow Lake graben
Southern segment ¹	Stansbury fault
East Dayton-Oxford faults	Northern segment
Eastern Bear Lake fault	Central segment
Northern segment	Southern segment
Central segment	Stinking Springs fault
Southern segment	Strawberry fault
Gunnison fault	Utah Lake faults
Hansel Valley fault ³	West Cache fault zone
Hansel Mountains (east side) faults ³	Clarkston fault
Hansel Valley (valley floor) faults ³	Junction Hills fault
James Peak fault ¹	Wellsville fault
Joes Valley fault zone	West Valley fault zone
Little Valley faults	Granger fault ⁵
Main Canyon fault	Taylorsville fault ⁵
Maple Grove faults ⁴	Western Bear Lake fault

Table 4.5-3. Fault/fault segment parameters from USGS (2013) for Quaternary-active faults/fault segments other than the WFZ and OGSLFZ in the Wasatch Front region.

Parameters	Retained Faults	Excluded Faults
Total ¹ 105	45	60
Slip Rate		
< 0.2 mm/yr	37	59
> 0.2 mm/yr < 1.0 mm/yr	7	1
> 1.0 mm/yr < 5.0 mm/yr	1	0
Timing of Most Recent Movement		
Historical	1	0
Latest Quaternary < 15 ka	32	4
Late Quaternary < 130 ka	7	5
Late and Middle Quaternary < 750 ka	3	21
Quaternary < 1.6 Ma	2	30
Length		
0 – 10 km	4	29
11 – 20 km	15	17
21– 30 km	11	6
31 – 40 km	6	5
> 40 km	9	3

¹ Excludes the WFZ and OGSLFZ.

is typically determined from offset geologic features whose age can be estimated or measured. These rates usually average slip over a few to many earthquake cycles. The second type is calculated on the basis of known times and amounts of slip for two or more prehistoric earthquakes. Those data are generally obtained from detailed paleoseismic trenching investigations. This type of high-quality data is sparse for the "other modeled faults" in the Wasatch Front region.

- Recurrence Interval: Average time interval between surface-rupturing earthquakes. Intervals may be based on numerical dating (e.g., radiocarbon, optically stimulated luminescence, dendrochronology), or non-numerical methods (such as stratigraphy or geomorphology) (USGS, 2013). Similar to vertical slip-rate data, highquality recurrence-interval data are sparse for the "other modeled faults" in the Wasatch Front region.
- Characteristic Magnitude: M_{char} is the characteristic magnitude for a rupture source, which assumes full rupture of the source and is computed from magnitude relations relating fault length, area, or seismic moment to magnitude. The "other modeled faults" in the WGUEP fault model for the Wasatch Front region (Table 4.5-2) are either *B*, *C*, or *AFP* faults (see section 3.6), the magnitude relations and weights used to determine M_{char} for the "Other" faults are presented in Table 3.6-2.

We used the fault parameter data summarized in Appendix D to help construct the WGUEP fault model (section 2.1.1). The fault model uses geologic observations (kinematic and paleoseismic data) to constrain fault geometry and long-term fault behavior. The model accommodates fault-specific complexities that allow analysis of a wide spectrum of earth-quake sizes and rates in the Wasatch Front region. The data in Appendix D help address issues of fault segmentation, single versus multi-segment ruptures, frequency of earth-quake occurrence, and appropriate M_{char} values for individual faults other than the WFZ and OGSLFZ in the WGUEP earthquake forecast.

The paleoseismic information used to characterize the faults/fault segments in Table 4.5-2 comes chiefly from the UQF-PWG consensus preferred recurrence-interval and vertical slip-rate estimates for Utah Quaternary faults having paleoseismic trenching data (Lund, 2005), URS Corporation seismic-source parameter data for faults/fault segments in the Wasatch Front region (URS Corporation, written communication, 2010), the USGS (2013), and geologic literature available for individual faults/fault sections (see Appendix D for additional notes on information sources).

In addition to the weights assigned to the preferred ranges of crustal dips and seismogenic depths (see above), we also assigned weights where appropriate to alternative rupture models, to probability of activity, and to vertical slip-rate and recurrence-interval ranges. These weights reflect the consensus of the WGUEP based upon the available geologic and

paleoseismic information available for the 45 faults/fault segments retained in the WGUEP model (Table 4.5-2).

4.6 Estimated Surface-Faulting Earthquakes < 18 ka in the WGUEP Wasatch Front Region

This section presents an estimate (minimum/preferred/ maximum) of surface-faulting earthquakes in the WGUEP Wasatch Front region (Figure 1-1) for the past 18 kyr (Table 4.6-1). Hecker (1993) made a similar earthquake estimate for the past 15 kyr in the Wasatch Front region as defined by Arabasz et al. (1992). The boundaries of the Arabasz et al. (1992) region are approximately the same as the WGUEP region on the north, west, and south, but extend an additional 96 to 112 km farther east to the western part of the Uintah Basin (Hecker, 1993, Figure 8). Hecker (1993) evaluated 37 faults or fault segments believed to exhibit evidence of latest Pleistocene (< 15 ka) displacement. Time of faulting was chiefly evaluated based on the relation (younger or older) of fault displacement with Lake Bonneville highstand deposits, then thought to be 15 kyr old. Subsequent research has revised the time of the Bonneville highstand to 18 ka (Reheis et al., 2014); therefore, < 18 ka is the time interval used for the WGUEP surface-faulting-earthquake estimate. However, both the Hecker (1993) and WGUEP time intervals are based largely on the age of Lake Bonneville highstand deposits, and essentially represent the same time period.

The WGUEP surface-faulting-earthquake estimate includes 53 faults, fault segments, and composite fault zones (Table 4.6-1) that together comprise the WGUEP fault model. Differences between the Hecker (1993) and WGUEP fault models are chiefly due to (1) the greater amount of paleoseismic information now available for many Utah faults, and (2) the subsequent segmentation characterization of many longer Utah faults. Among the faults/fault segments in the WGUEP model not included in the Hecker (1993) estimate are the (1) three northern segments of the WFZ (Malad City, Clarkston Mountain, and Collinston), (2) four segments of the Great Salt Lake fault zone (Rozelle, Promontory, Fremont Island, Antelope Island), (3) the Northern segment of the East Bear Lake fault zone, (4) the East Tintic segment of the Oquirrh fault zone, (5) three segments of the East Cache fault zone (Northern, Central, Southern), (6) three segments of the Stansbury fault (Northern, Central, Southern), (7) three faults that comprise the West Cache fault zone (Clarkston, Junction Hills, Wellsville), and (8) the Carrington, Crawford Mountains (west side), Curlew Valley, Little Valley, Main Canyon, Porcupine Mountain, Rock Creek, Skull Valley, and Stinking Springs faults. Faults in the Hecker (1993) evaluation not in the WGUEP fault model include the Big Pass, Puddle Valley, Clear Lake, Tabernacle, Cricket Mountains, and Mantua area faults. The WGUEP either considered these faults not sufficiently active to affect the WGUEP earthquake probability forecast (Section 4.5), or they are outside the WGUEP Wasatch Front region.

 Table 4.6-1. Estimated surface-faulting earthquakes < 18 ka for the WGUEP Wasatch Front region.</th>

					WASATCH FAULT ZONE	NULT ZONE		
Segment Name	Most Recent Deformation	Quantity/ Quality Paleoseismic Data ²	WGUEP Slip Rate (mm/yr)	WGUEP Recurrence Interval (kyr)	Displacement (m)	Documented Paleoearthquakes < 18 ka	Estimated Number Earthquakes (N) < 18 ka min/pref/max	Comments
Malad City	> 18 kyr¹	3	$0.01 - 0.1^{1}$	I	< 1.51	ı	0/0/1	No known scarps on latest Pleistocene or Holocene deposits. Allow for the possibility of a single surface-faulting earthquake since 18 ka.
Clarkston Mountain	> 18 kyr¹	3	$0.01 - 0.1^{1}$	I	2.01	ı	0/0/1	No known scarps on latest Pleistocene or Holocene deposits. Allow for the possibility of a single surface-faulting earthquake since 18 ka.
Collinston	> 18 kyr¹	3	$0.01 - 0.1^{1}$	ı	< 2.0 ₁	ı	0/0/1	No known scarps on latest Pleistocene or Holocene deposits. Allow for the possibility of a single surface-faulting earthquake since 18 ka.
Brigham City	Holocene	_	0.6/1.0/1.4 ³	1.5 ± 0.14	1.2/1.7/2.1 ⁵	$4 < 5.9 \pm 0.4 \text{ ka}^4$	6/11/15	N estimated from long-term slip rate and average displacement. Minimum number from paleoseismic trench observations.
Weber	Holocene	_	0.6/1.0/1.4 ³	1.4 ± 0.3^4	1.1/2.4/4.15	$5 < 7.1 \pm 1.4 \mathrm{ka^4}$	5/8/11	N estimated from long-term slip rate and average displacement. Minimum number from paleoseismic trench observations.
Salt Lake City	Holocene	1	0.6/1.0/1.43	1.3 ± 0.09^4	1.2/1.7/2.25	9< 16.5 ± 1.9 ka	9/9/10	Paleoseismic trench data (DuRoss et al., 2014).
Provo	Holocene		0.6/1.0/1.4³	1.2 ± 0.03^4	1.3/2.6/3.6 ⁵	$5 < 6.1 \pm 0.2 \text{ ka}^4$	5/7/10	N estimated from long-term slip rate and average displacement. Minimum number from paleoseismic trench observations.
Nephi	Holocene	П	0.6/1.0/1.4 ³	1.1 ± 0.04^4	1.5/2.0/2.7 ⁵	$3 < 3.2 \pm 0.1 \text{ ka}^4$	5/9/13	N estimated from long-term slip rate and average displacement. Minimum number from paleoseismic trench observations.
Levan	Holocene	2	$0.1 - 0.6^{1}$	$>3 & < 12^{1}$	$1.8 - 3.0^{1}$	1	1/3/4	Interpolated to mid-range displacement and slip-rate values to obtain preferred earthquake estimate.
Fayette	Holocene	3	$0.01 - 0.1^{1}$	I	$0.8 - 1.6^{1}$	I	1/2/3	Based on Hylland (2007b) and Hylland and Machette (2008)
						Totals	32/49/69	

Table 4.6-1. Continued.

	Comments	Assume similar recurrence interval as the Antelope Island segment (Dinter and Pechmann, 2012).	Assume similar recurrence interval as the Antelope Island segment (Dinter and Pechmann, 2012).	Based on WGUEP recurrence interval.	Based on WGUEP recurrence interval.	Paleoseismic trench data (Olig et al., 1994, 1996).	Similar to Northern Oquirrh segment, one documented event post 18 ka, penultimate event likely > 20 ka (Olig et al., 1999a, 1999b, 2001).	Timing of most recent surface faulting earthquake pre- or post-Bonneville is ambiguous (Everitt and Kaliser, 1980; Barnhard and Dodge, 1988).	N estimated from slip-rate and average-displacement data.	
	Estimated Number Earthquakes (N) < 18 ka min/pref/max	3/4/10	3/4/10	3/4/10	3/4/10	1/1/1	1/1/1	0/0/1	0/0/2	14/18/45
OQUIRRH-GREAT SALT LAKE FAULT ZONE	Documented Paleoearthquakes < 18 ka	I	ı	3	3	1	1	ć.	1	Totals
LT LAK	$D_{\rm ave} = 0.044L^6$ (m)	1.10	1.10	1.10	1.54	1.32	1.36	1.01	1.76	
GREAT SA	WGUEP Length (km)	25	25	25	35	30	31	23	40	
OQUIRRH-(WGUEP Recurrence Interval (kyr)	I	I	4.2 ± 2.4 ka	4.2 ± 2.4 ka	I	1	ı	ı	
	WGUEP Slip Rate (mm/yr)	I	ı	I	0.3/0.6/1.6	0.05/0.2/0.4	0.05/0.2/0.4	0.05/0.2/0.4	0.025/0.1/0.2	
	Quantity/ Quality Paleoseismic Data²	3	8	2	2	2	2	2	3	
	Most Recent Deformation	Holocene	Holocene	Holocene	Holocene	Holocene	Holocene	ć	Middle-Late Pleistocene	
	Segment Name	Rozelle	Promontory	Fremont Island	Antelope Island	Northern Oquirrh	Southern Oquirrh	TopliffHills	East Tintic	

Table 4.6-1. Continued.

				OTHER N	OTHER MODELED FAULTS	FAULTS			
Fault Name	Most Recent Deformation ⁷	Quantity/ Quality Paleoseismic Data ²	WGUEP Slip Rate (mm/yr)	WGUEP Recurrence Interval (kyr)	WGUEP Length (km)	$D_{ave} = 0.044L^6$ (m)	Documented Paleoearthquakes < 18 ka	Estimated Earthquakes (N) < 18 ka min/pref/max	Comments
Bear River fault zone	Latest Quaternary (< 15 ka)	2	ı	1.0/2.3/3.5	35	I	2	2/2/2	Paleoseismic trench data (West, 1994). Geologically young fault with no associated range front and only two documented surfacefaulting earthquakes.
Carrington fault	Latest Quaternary (< 15 ka)	3	ı	1.8/4.2/6.6	~28	I	ı	3/4/10	Assumed similar recurrence interval as the Antelope Island segment.
Crater Bench fault and Drum Mountains fault zone	Latest Quaternary (< 15 ka)	2	0.01/0.04/0.2	1	52	2.29	1?	0/1/2	Fault displaces the Provo shoreline of Lake Bonneville so has experienced at least one Latest Quaternary (< 15 ka) surfacefaulting earthquake (Crone, 1983b).
Crawford Mountains (west side) fault	Late Quaternary (< 130 ka)	3	0.01/0.02/0.04	1	25	1.10	I	0/0/1	Low slip-rate fault reported to show evidence for late Pleistocene activity (USGS, 2013). Allow for the possibility of a single surface- faulting earthquake since 18 ka.
Curlew Valley faults	Latest Quaternary (< 15 ka)	3	0.1/0.3/0.8	1	20	0.88	-	2/6/16	Large scarps (≤ 24 m) likely cut Lake Bonneville lacustrine deposits. <i>N</i> estimated from slip-rate and average-displacement data.
East Cache fault zone									
Northern section	Quaternary (< 1.6 Ma)	3	0.04/0.1/0.2	ı	41	1.80	ı	0/1/2	N estimated from slip-rate and average-displacement data.
Central section	Latest Quaternary (< 15 ka)	2	0.04/0.2/0.4	4/10/15	17	0.75	2	2/2/2	Paleoseismic trenching data (McCalpin and Forman, 1991; McCalpin, 1994).
Southern section – includes the Broadmouth Canyon faults and James Peak fault	Late Quaternary (< 130 ka)	2	0.01/0.03/0.07	10/50/100	29	1.28	I	0/0/0	Paleoseismic trenching data (McCalpin and Evans (2012). Most recent surface-faulting earthquake is at least 26 ka.

Table 4.6-1. Continued.

Fault Name	Most Recent Deformation7	Quantity/ Quality Paleoseismic Data ²	WGUEP Slip Rate (mm/yr)	WGUEP Recurrence Interval (kyr)	WGUEP Length (km)	$D_{\rm ave} = 0.044L^6 \tag{m}$	Documented Paleoearthquakes < 18 ka	Earthquakes (N) < 18 ka min/pref/max	Comments
East Dayton – Oxford faults	Late Quaternary (< 130 ka)	cs.	0.01/0.05/0.1	I	23	1.01	1	0/0/2	Nestimated from slip-rate and average-displacement data. No documented evidence of Latest Quaternary fault scarps, but steep mountain front abruptly terminates Quaternary deposits. Allow for the possibility of two surface-faulting earthquakes since 18 ka.
Eastern Bear Lake fault	ult								
Northern section	Middle and Late Quaternary (< 750 ka)	3	0.1/0.3/0.8	ı	19	0.84	ı	2/6/17	Nestimated from slip-rate and average-displacement data.
Central section	Latest Quaternary (< 15 ka)	3	0.2/0.6/1.6	I	24	1.06	ı	3/10/27	N estimated from slip-rate and average-displacement data, assigned same slip rate as the Southern section.
Southern section	Latest Quaternary (< 15 ka)	2	0.2/0.6/1.6	3/8/15	35	1.54	2	2/2/3	Earthquake estimate based on paleoseismic trenching information presented in McCalpin (2003) and Lund (2005). Note that the preferred and maximum earthquake counts for the Southern section based on trenching data are significantly less than those for the Central and Northern sections, which are based on slip rate and average per event displacement.

Table 4.6-1. Continued.

Fault Name	Most Recent Deformation ⁷	Quantity/ Quality Paleoseismic Data²	WGUEP Slip Rate (mm/yr)	WGUEP Recurrence Interval (kyr)	WGUEP Length (km)	D _{ave} = 0.044L ⁶ (m)	Documented Paleoearthquakes < 18 ka	Estimated Earthquakes (N) < 18 ka min/pref/max	Comments
Faults along the western edge of Scipio Valley and eastern base of the Pavant Range. From south to north includes the Red Canyon fault scarps, Maple Grove faults, Pavant Range fault, Scipio fault zone, and Scipio Valley faults.	Latest Quaternary (< 15 ka) to Late Quaternary (< 130 ka)	ю	0.02/0.1/0.4	I	45	1.98	I	1/1/4	Several north-striking, individually short faults along the north side of the Pavant Range and the western side of Scipio Valley that are in close alignment, some show evidence for at least one Latest Quaternary surface-faulting earthquake (Anderson and Bucknam, 1979; Bucknam and Anderson, 1979). Maximum earthquake estimate based on slip rate and average displacement.
Gunnison fault	Late Quaternary (< 130 ka)	6	0.02/0.1/0.4	1	42	1.85	ı	1/1/4	Assigned similar slip rate as faults along the west side of Scipio Valley and the north side of the Pavant Range. <i>N</i> estimated from slip-rate and average-displacement data.
Hansel Valley fault, Hansel Mountains (east side) faults, and Hansel Valley (valley floor) faults	Historic to Late Quaternary (< 130 ka)	2	0.06/0.1/0.2	I	30	1.32	2	2/2/38	Antithetic to the North Promontory fault, independent rupture given 60% weight (Table 4.4-2). The fault exhibits an irregular pattern of surface faulting with inter-event intervals ranging from possibly as little as 1-2 kyr to more than 30 kyr, indicating that earthquake recurrence has been highly variable through time (McCalpin et al., 1992). The Hansel Valley fault produced Utah's only historical surface-faulting earthquake estimate based on slip rate and average displacement.

Table 4.6-1. Continued.

Fault Name	Most Recent Deformation ⁷	Quantity/ Quality Paleoseismic Data ²	WGUEP Slip Rate (mm/yr)	WGUEP Recurrence Interval (kyr)	WGUEP Length (km)	D _{ave} = 0.044L ⁶ (m)	Documented Paleoearthquakes < 18 ka	Estimated Earthquakes (N) < 18 ka min/pref/max	Comments
Joes Valley fault zone (combined)	Latest Quaternary (< 15 ka)	2	I	5/10/50	37	1.63	1	1/1/4	Available paleoseismic information indicates one surfacefaulting earthquake post ~15 ka. Maximum earthquake estimate based on recurrence interval.
Little Valley faults	Latest Quaternary (< 15 ka)	3	0.02/0.1/0.4	I	20	0.88	I	0/2/8	Assigned similar slip rate as faults along the west side of Scipio Valley and the north side of the Pavant Range. Nestimated from slip-rate and average-displacement data.
Main Canyon fault (formerly East Canyon east side faults)	Latest Quaternary (< 15 ka)	2	0.01/0.02/0.04	I	26	1.14	1	1/1/2	Paleoseismic trenching data (Piety et al., 2010).
Morgan fault	Latest Quaternary (< 15 ka) to Middle and late Quaternary (< 750 ka)	2	0.01/0.02/0.04	25/100	17	0.75	1	1/1/1	Sullivan et al. (1988) and Sullivan and Nelson (1992) report evidence for a Latest Quaternary (< 15 ka) surface-faulting earthquake. Allow for the possibility of a single surface-faulting earthquakes since 18 ka.
North Promontory fault	Latest Quaternary (< 15 ka)	2	0.1/0.2/0.5	1	26	1.14	1	1/1/8	McCalpin <i>et al.</i> (1992) state that all that can be said with confidence is that fault has sustained surface rupture at least once since Bonneville time (< 18 ka) and several times since either oxygen isotope stage 4 or 6 time. Maximum earthquake estimate based on slip rate and average displacement.

Table 4.6-1. Continued.

Fault Name	Most Recent Deformation7	Quantity/ Quality Paleoseismic Data²	WGUEP Slip Rate (mm/yr)	WGUEP Recurrence Interval (kyr)	WGUEP Length (km)	D _{ave} = 0.044L ⁶ (m)	Documented Paleoearthquakes < 18 ka	Estimated Earthquakes (N) < 18 ka min/pref/max	Comments
Porcupine Mountain fault	Late Quaternary (< 130 ka)	3	0.01/0.02/0.04	ı	35	1.54	I	0/0/1	Low slip-rate fault offsets apparently young (Holocene-latest Pleistocene?) alluvial fans (Jon King, Utah Geological Survey, written communication, 2000). Allow for the possibility of a single surface-faulting earthquake since 18 ka.
Rock Creek fault	Latest Quaternary (< 15 ka)	2	0.2/0.6/1.0	0.6/4/10	41	1.80	2	2/2/8	Minimum and preferred earthquake estimates based on paleoseismic trenching data (McCalpin and Warren, 1992). Maximum earthquake estimate based on slip rate and average displacement, but account for a most recent event on the fault at about 3.6 ± 0.3 ka.
Skull Valley (mid valley) faults	Latest Quaternary (< 15 ka)	2	0.05/0.3/0.5	I	34	1.50	ı	9/8/0	N estimated from slip-rate and average-displacement data.
Snow Lake graben	Latest Quaternary (< 15 ka)	.8	ı	5/10/50	26	1.14	I	1/2/4	Assigned similar recurrence interval range as the Joes Valley fault zone. Lacks paleoseismic trenching data to refine minimum and preferred earthquake estimates.
Stansbury fault									
Northern segment	Latest Quaternary (< 15 ka)	3	0.07/0.4/1.0	ı	24	1.06	ı	71/L/1	N estimated from slip-rate and average-displacement data.
Central segment	Latest Quaternary (< 15 ka)	3	0.07/0.4/1.0	I	33	1.45	I	1/5/12	N estimated from slip-rate and average-displacement data.
Southern segment	Quaternary (< 1.6 Ma)	3	0.07/0.4/1.0	ı	17	0.75	ı	1/10/24	N estimated from slip-rate and average-displacement data.

Table 4.6-1. Continued.

Fault Name	Most Recent Deformation ⁷	Quantity/ Quality Paleoseismic Data ²	WGUEP Slip Rate (mm/yr)	WGUEP Recurrence Interval (kyr)	WGUEP Length (km)	D _{ave} = 0.044L ⁶ (m)	Documented Paleoearthquakes < 18 ka	Estimated Earthquakes (N) < 18 ka min/pref/max	Comments
Stinking Springs fault	Late Quaternary (< 130 ka)	.6	0.03/0.1/0.3	I	1010	0.44	ı	1/4/12	Assume similar slip-rate distributions as the Strawberry fault. Fault disappears beneath Strawberry reservoir, so total fault length is unknown. Estimated from slip-rate and averagedisplacement data.
Strawberry fault	Latest Quaternary (< 15 ka)	2	0.03/0.1/0.3	I	32	1.41	2?	1/2/3	Earthquake timing displacement data are lacking for the main fault. Trenches across a subsidiary fault exposed evidence for two to three earthquakes displacing alluvial-fan deposits estimated to be 15 to 30 ka based on soil development (Nelson and Martin, 1982; Nelson and Van Arsdale, 1986; Lund, 2005).
Utah Lake faults	Latest Quaternary (< 15 ka)	.3	0.1/0.4/0.6	I	31	1.36	1	1/5/8 ⁸ 0/3/4 ⁹	Antithetic to the Provo segment of the Wasatch fault zone, independent rupture given 50% weight (Table 4.4-2). Assigned same slip-rate range as the West Valley fault zone. N estimated from slip-rate and average-displacement data.
West Cache fault								,	
Clarkston fault	Latest Quaternary (< 15 ka)	2	0.1/0.4/0.7	I	21	0.92	1	1/2/3	Paleoseismic trench data (Black <i>et al.</i> , 2000).
Junction Hills fault	Latest Quaternary (< 15 ka)	2	0.05/0.1/0.2	I	24	1.06	1	1/1/1	Paleoseismic trench data (Black <i>et al.</i> , 2000).
Wellsville fault	Latest Quaternary (< 15 ka)	2	0.05/0.1/0.2	ı	20	0.88	1	1/1/2	Paleoseismic trench data (Black <i>et al.</i> , 2000).

Table 4.6-1. Continued.

	မ ွ် ၁	д р			
Comments	Antithetic to the Salt Lake City segment of the Wasatch fault zone, independent rupture given 25% weight (Table 4.4-2). Paleoseismic trench data (Hylland <i>et al.</i> , 2014).	Antithetic to the Eastern Bear Lake fault, independent rupture given 40% weight (Table 4.4- 2). Minimum and preferred earthquake estimates based on paleoseismic trench data (McCalpin, 1990, 2003). Maximum earthquake estimate based on slip rate and average displacement, and the fact that paleoseismic data are only available for one of the two major strands of this fault.			
Estimated Earthquakes (N) < 18 ka min/pref/max	6/6/6 ⁸ 2/2/2 ⁹	2/2/138 1/1/5 ⁹	44/106/238 37/98/221	83/165/335	217/109/54 yrs
Documented Paleoearthquakes < 18 ka	9	2	Total Total adjusted for antithetic faults	Total estimated surface-faulting earthquakes $<$ 18 ka for the WGUEP Wasatch Front region	Regional recurrence interval
$D_{\rm ave} = 0.044L^6 \tag{m}$	0.70	1.14	otal adjuste	e WGUEP V	Regiona
WGUEP Length (km)	16	26	T	: 18 ka for th	
WGUEP Recurrence Interval (kyr)	I	I		g earthquakes <	
WGUEP Slip Rate (mm/yr)	0.1/0.4/0.6	0.1/0.5/0.8		surface-faultir	
Quantity/ Quality Paleoseismic Data ²	2	2		Total estimated	
Most Recent Deformation ⁷	Latest Quaternary (< 15 ka)	Latest Quaternary (< 15 ka)			
Fault Name	West Valley fault zone (combined Taylorsville and Granger faults)	Western Bear Lake fault			

¹ Table 4.2-1.

²(1) High-quality paleoseismic data from multiple trenching investigations. (2) Limited or poor quality paleoseismic data from trenching investigations. (3) No paleoseismic trenching data.

Table 4.1-4, Composite long-term slip rate related to the latest-Pleistocene Provo phase and highstand of Lake Bonneville (~15-18 ka).

⁴ Table 4.1-2, Open mean recurrence interval (N-in-T)

⁵ Table 4.1-3, Modeled D (displacement curves), mean (µ) value used to estimate number of earthquakes.

⁶ For segmented faults lacking detailed paleoseismic displacement data, the WGUEP estimated average displacement (AD) using an L-AD linear regression calculated for the central WFZ (Figure 3.6-1), where AD = 0.044, and L = Lseg. Lacking displacement data for most of the "other modeled faults" in the WGUEP fault model, this relation was adopted here to determine an AD for those faults, segmented or not, for which little or no displacement data were available.

From the Quaternary Fault and Fold Database of the United States (USGS, 2013).

Barthquake estimate if fault is an independent seismic source.

⁹ Earthquake estimate if an antithetic fault, percentage of independent ruptures based on Table 4.4-2.

10 Part of fault lies beneath Strawberry reservoir, so total fault length unknown.

Paleoseismic information available for the 53 faults, fault segments, and composite fault zones in the WGUEP fault model is highly variable, ranging from a likely complete or nearly complete surface-faulting record since 16.5 ± 1.9 ka for the Salt Lake City segment of the WFZ (DuRoss *et al.*, 2014), to no paleoseismic data at all for several faults (e.g., Rozelle and Promontory segments of the Great Salt Lake fault zone). In almost every case, even for faults with paleoseismic information, the surface-faulting record rarely extends beyond middle- to early-Holocene time, so little information exists regarding surface faulting in the Wasatch Front region from \sim 6 to 18 ka. Table 4.6-1 provides a numerical ranking of the general quality and completeness of the paleoseismic data available for the faults in the WGUEP fault model.

Because paleoseismic data are lacking or incomplete for many faults in the WGUEP fault model, estimating the number of surface-faulting earthquakes over the past 18 kyr in the Wasatch Front region required making several assumptions about fault behavior (particularly for faults with little or no paleoseismic data), and interpolating mostly late- to middle-Holocene paleoseismic data into the past. Key assumptions made for the WGUEP surface-faulting-earthquake estimate include:

- 1. A single, long-term (18 kyr) slip-rate range of 0.6/1.0/1.4 mm/yr is applicable to the five central segments of the WFZ (Section 4.1.4).
- Except where long-term slip-rate or recurrence-interval data indicate otherwise, WGUEP consensus slip rates (Appendix D) are applicable for the past 18 kyr.
- 3. For faults with little or no displacement data, the formula $D_{ave} = 0.044$ L, where $D_{ave} =$ average displacement and L = fault/fault segment length, was used to estimate average per event displacement. The WGUEP originally developed this relation for segmented faults (Section 3.6), but its use is extended here to all faults/fault segments with no or limited displacement data.
- Except where long-term recurrence data permit, average displacement and consensus WGUEP slip-rate
 (SR) values were used to estimate average surface-faulting recurrence (D_{ave}/SR = average recurrence).
- 5. Faults with no paleoseismic data act like other, similar faults for which data are available. The explicit assumptions made are the following:
 - a. The Rozelle and Promontory segments of the Great Salt Lake fault zone and the Carrington fault behave like the Antelope Island segment of the Great Salt Lake fault zone (Section 4.3 and Appendix D).
 - b. The Southern Oquirrh fault segment behaves like the Northern Oquirrh fault segment (Section 4.3).
 - c. The Central section of the Eastern Bear Lake fault behaves like the Southern section of the fault (Appendix D).

d. The Gunnison and Little Valley faults behave like the faults along the western side of Scipio Valley and the north side of the Pavant Range (Appendix D).

- The Snow Lake graben behaves like the Joes Valley fault zone (Appendix D).
- The Stinking Springs fault behaves like the Strawberry fault (Appendix D).
- g. The Utah Lake faults behave like the West Valley fault zone (Appendix D).
- 6. Faults in the WGUEP fault model identified as antithetic to master faults (Section 4.4) produce independent earthquakes at rates stipulated by the total rate multiplied by the weight for the independent rupture model in Table 4.4-2. Only independent ruptures on antithetic faults were included in the WGUEP surfacefaulting-earthquake estimate.

Using available paleoseismic data and considering the assumptions above, we estimate the following numbers of surface-faulting earthquakes (minimum/preferred/maximum): 32/49/69 for the WFZ, 14/18/45 for the Oquirrh-Great Salt Lake fault zone, and 37/98/221 for the "other modeled faults" in the WGUEP fault model (includes only independent events on antithetic faults) (Table 4.6-1). Summed earthquake values for the Wasatch Front region as a whole are 83/165/335. Note that only 30% of the preferred number of earthquakes in the Wasatch Front region over the past 18 kyr occurred on the WFZ. The WGUEP surface-faulting-earthquake estimate is higher than the Hecker (1993) estimate (50/85/120) chiefly because the WGUEP fault model includes more faults/fault segments, 53 versus 37, and a longer time period, 18 versus 15 kyr. However, the WGUEP maximum earthquake estimate is approximately three times larger than the Hecker (1993) maximum estimate, which is significantly greater than would be expected based only on the larger number of faults and longer time period of the WGUEP estimate. The approximate three-fold increase in the maximum number of earthquakes between the Hecker (1993) and WGUEP surface-faultingearthquake estimates reflects the broad range of the slip-rate values assigned by the WGUEP to faults with limited or no paleoseismic data to capture uncertainty in faults behavior.

High slip rates result in short average recurrence intervals and a correspondingly greater number of surface-faulting earthquakes for a given time interval. The calculated maximum earthquake numbers for several faults in the Wasatch Front region are intuitively too high, e.g., 24 surface-faulting earthquakes on the Southern segment of the Stansbury fault. However, given the broad slip-rate range assigned to that fault segment (0.07/0.4/1.0 mm/yr), and the estimated average per event displacement (0.75 m) (Table 4.6-1), the fault segment theoretically could produce 24 surface-faulting earthquakes in 18 kyr. High maximum earthquake values for several no or low-data faults in Table 4.6-1 are included in the WGUEP surface-faulting-earthquake estimate to honor the WGUEP

consensus slip-rate values. In instances where a long-term earthquake record is available (e.g., Central segment of the East Cache fault zone, Southern section of the Eastern Bear Lake fault), the maximum number of documented earthquakes in the past 18 kyr is significantly less than maximum values determined from average displacement and slip rate. The exceptions are the five central segments of the WFZ which have comparatively good paleoseismic data. There, better constrained average displacement data result in earthquake counts for the Brigham City, Weber, Provo, and Nephi segments that approximate the long-term paleoseismic record for the Salt Lake City segment (i.e., where available, good data provide better estimates).

Based on a surface-faulting-earthquake estimate of 50/85/120 since 15 ka, Hecker (1993) reported regional surface-faulting recurrence intervals of 300/175/125 years. The WGUEP surface-faulting-earthquake estimate (83/165/335) results in regional surface-faulting recurrence values of 217/109/54 years since 18 ka (Table 4.6-1). The short minimum recurrence interval (54 yr) reflects the high maximum number of surface-faulting earthquakes for the WGUEP Wasatch Front region that results from the broad slip-rate ranges assigned by the WGUEP to low/no data faults, and indicates that the WGUEP maximum earthquake number is a conservative high estimate.

5 HISTORICAL SEISMICITY CATALOG AND A BACKGROUND EARTHQUAKE MODEL

This section describes the principal aspects of the construction and analysis of an earthquake catalog that serves as the basis for a background earthquake model for the Wasatch Front region. Further details of the catalog and its analysis are provided in Appendix E. Acronyms and abbreviations are defined on pages xii to xiv.

5.1 Overview

As introduced in Section 2.1.2, background earthquakes are those not associated with known faults and of a size generally below the threshold of surface faulting. The background earthquake model depicts the frequency-magnitude distribution of future mainshocks in the study region expected to occur on seismic sources other than the faults included in the WGUEP fault model (Section 2.1.1). For the purposes of the probability estimates in this report, the background earthquake model provides rates of future mainshocks of \mathbf{M} 5.0 or greater up to a maximum of \mathbf{M} 6.75 \pm 0.25. This analysis of background seismicity in the Wasatch Front region is distinguished from earlier ones, such as those of Youngs *et al.* (1987, 2000) and Pechmann and Arabasz (1995), by more thorough and rigorous treatments of the earthquake record, magnitude estimates, and magnitude uncertainties.

Our desired background earthquake model requires an upto-date earthquake catalog that meets the needs of state-ofpractice seismic hazard analysis, namely, a catalog that: (1) is complete in terms of accounting for all known earthquakes in the magnitude range of interest, (2) assigns a uniform moment magnitude to each event, (3) identifies "dependent" events (foreshocks, aftershocks, and the smaller events of earthquake swarms) in earthquake clusters that can be removed for statistical analysis of mainshock recurrence parameters, (4) excludes non-tectonic seismic events such as blasts and mining-induced seismicity, and (5) quantifies the uncertainty and rounding error associated with the assigned magnitude of each earthquake.

Two U.S. studies exemplify the rigorous development and treatment of earthquake catalogs for calculating background seismicity rates: EPRI/DOE/NRC (2012) for the central and eastern U.S., and Felzer (2007) for California. We have used the former study, first, as a *general* guide in developing an earthquake catalog with uniform moment magnitude for the Wasatch Front region and, second, for methodology guidance in handling magnitude uncertainties for calculating unbiased seismicity rate parameters. In Appendix E, we explain how we depart from the EPRI/DOE/NRC (2012) methodology.

Section 5.2 outlines the steps taken to develop an earthquake catalog for the Wasatch Front region that unifies existing catalogs of the two primary agents of seismic monitoring within

the study region: the University of Utah Seismograph Stations (UUSS) and the USGS. In Section 5.3, we explain the handling of various size measures in the earthquake record together with magnitude conversions to uniform moment magnitude, and we explain the importance of magnitude uncertainty. The resulting earthquake catalog is described in Section 5.4, including its "declustering" to achieve a catalog of independent mainshocks and how we assessed periods of completeness for different magnitude ranges. Finally, in Sections 5.5 and 5.6 we summarize the calculation of unbiased seismicity rate parameters that constitute the background earthquake model for the Wasatch Front region.

5.2 Steps in Developing a Unified Earthquake Catalog

To develop a unified earthquake catalog with uniform moment magnitude, we carried out the following basic steps:

- Selection of a catalog region large enough for effective declustering around the edges of the region of interest.
- Merging, chronological sorting, and editing of individual line entries from diverse UUSS and USGS source catalogs—accounting for all reported earthquakes, removing duplicates and non-tectonic events, and selecting the line entry with the preferred time and location for each unique earthquake.
- Compilation and evaluation of available size measures for each event in the master catalog.
- Assessment of magnitude uncertainties and rounding errors for individual magnitudes.
- Tabulation of available instrumental measurements of moment magnitude, **M**, for earthquakes in the catalog region.
- Determination of conversion relationships between M and other available size measures using general orthogonal regression (for comparison, corresponding ordinary least-squares regressions were also performed).
- Assignment of a uniform moment magnitude to each earthquake in the master catalog, based on either direct measurement or conversion from other size measures (duly accounting for the propagation of uncertainties).

To give the reader a general understanding of the makeup of the master catalog, we next describe its spatial extent and the data sources (see Appendix E for more detail).

5.2.1 Spatial Extent of the Catalog

The Wasatch Front region defined for the WGUEP probabilistic earthquake forecast (Figure 1-1) is termed the WGUEP Region here. We chose a larger region for compiling a master earthquake catalog for two reasons. First, when applying a declustering algorithm to an earthquake catalog, the bounds of the catalog should be larger than the target region to avoid

possible edge effects. Second, anticipating other applications, it was desirable to develop a unified UUSS-USGS catalog that covers the entire Utah Region—the standard region (UTR, Table 5.2-1) for which the UUSS has the responsibility for seismic monitoring and catalog reporting as part of the Advanced National Seismic System.

Table 5.2-1. Boundaries of catalog domains (inclusive).

	UTREXT	UTR	WGUEP
North	43.50° N	42.50° N	42.50° N
South	36.00° N	36.75° N	39.00° N
West	115.00° W	114.25° W	113.25° W
East	108.00° W	108.75° W	110.75° W

The region selected for the master catalog compilation, termed the Extended Utah Region (UTREXT), encompasses an area larger than the Utah Region (UTR) and its embedded WGUEP Region. The geographic boundaries of these regions are specified in Table 5.2-1 and spatial relations are shown in Figure 5.2-1. A fourth domain, termed the Extended Border Region (EBR), consists of the UTREXT minus the UTR.

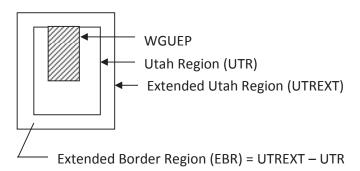


Figure 5.2-1. Sketch map of catalog domains.

5.2.2 Data Sources for the Unified Catalog

In aiming for a unified UUSS-USGS catalog, emphasis was placed on authoritative source catalogs compiled or produced directly by the UUSS and the USGS. For historical earthquakes, these catalogs are compilations based on various primary and secondary sources and documented by USGS and UUSS researchers. For instrumentally recorded earthquakes, the source catalogs consist of tabulations directly resulting from regional seismic monitoring by the UUSS since mid-1962 and from national-scale seismic monitoring by the USGS since 1973 (or in earlier decades by the U.S. Coast and Geodetic Survey).

5.3 Uniform Moment Magnitude and Magnitude Uncertainty

The primary purpose for compiling the earthquake catalog was to develop unbiased estimates of seismicity rate parameters for the background earthquake model. Key methodology steps are the assignment of a uniform moment magnitude to each earthquake in the catalog, assessment of magnitude uncertainties, and the application of bias corrections based on those uncertainties to estimate unbiased recurrence parameters.

5.3.1 Uniform Moment Magnitude

We require an earthquake catalog in which a uniform size measure is specified for each event in terms of **M**, defined by Hanks and Kanamori (1979):

$$\mathbf{M} = 2/3 \log M_0 - 10.7 \tag{5.3-1}$$

where M_0 is the earthquake's scalar seismic moment in dynecm. M is used in state-of-practice seismic hazard analyses for consistency with modern ground-motion prediction equations. Moreover, M has become the size measure preferred by seismologists because it is the best indicator of an earthquake's true relative size and can be directly tied to physical properties of the earthquake source.

Our culled master catalog for the Extended Utah Region contains more than 5300 earthquakes larger than about magnitude 2.5, but direct instrumental measurements of M are available for only 107 of those. Using the observed values of M, together with some supplementary data, 18 conversion relationships to M (16 new, 2 revised) were developed for the WGUEP forecast for an assortment of shaking-intensity size measures and instrumental magnitudes that varied with time and reporting agency. The principal instrumental magnitudes in the source catalogs are Richter local magnitude (M_L), coda or duration magnitude (M_C, MD), and body-wave magnitude (m_b). The non-instrumental size measures that were converted to M are: the maximum value of Modified Mercalli Intensity, MMI (I_0) ; total felt area (FA); and the extent of area shaken at or greater than MMI IV, V, VI, and VII (A_{IV}, A_V, A_{VI} , and A_{VII}). Where multiple size measures were available for an individual earthquake, we computed a weighted mean of these measures using inverse-variance weighting to get a best estimate of M.

Different approaches can be utilized to transform an earthquake catalog with a minor fraction of direct instrumental measurements of \mathbf{M} into one with "uniform moment magnitude." In the methodology of EPRI/DOE/NRC (2012), the uniform estimate of moment magnitude is E[\mathbf{M}], the "expected value of moment magnitude," given uncertainty in either the observed value of \mathbf{M} or in the value of \mathbf{M} estimated from one or more other size measures. For reasons explained in Appendix E, we decided not to use "E[\mathbf{M}]" for uniformly estimating moment magnitude. We call the alternative uniform moment magnitude used to construct our catalog a "best-estimate" moment magnitude. Our Best-Estimate Moment Magnitude (BEM) catalog assigns a value of moment magnitude to each earthquake that either is directly observed (\mathbf{M}_{obs}), is

based on magnitude conversion to M using general orthogonal regression(s), or is a reported value of magnitude which we assume to be equivalent to M.

5.3.2 Magnitude Uncertainty

Quantifying magnitude uncertainty (defined presently) is important to three aspects of our analysis of background seismicity: (1) correcting for bias in earthquake recurrence rates (see Musson, 2012, and references therein), (2) specifying the error-variance ratio between dependent and independent variables when using general orthogonal regression for magnitude conversions, which is favored by many experts (e.g., Castellaro *et al.*, 2006, Castellaro and Bormann, 2007, Lolli and Gasperini, 2012), and (3) using inverse-variance weighting when combining different size measures to get a robust estimate of moment magnitude for an individual earthquake.

The magnitude of an earthquake is generally taken as the mean value of magnitude determinations of the same type made at multiple recording stations. In the absence of systematic and discretization (rounding) errors, the mean value of the event magnitude can be viewed as having random errors that are normally distributed with zero mean and standard deviation, σ (Tinti and Mulargia, 1985; Veneziano and Van Dyke, 1985). Following these cited authors, we define the latter statistic σ as the *magnitude uncertainty*. This term is equivalent to "magnitude accuracy" used by Kagan (2002, 2003). Determinations of σ for the various magnitudes in the master catalog are given and explained in Appendix E—including the assessment of uncertainties in original magnitude scales and the propagation of uncertainties in regressions and in inverse-variance weighting.

5.4 Best-Estimate Moment Magnitude (BEM) Catalog

Our unified and uniform earthquake catalog for the Extended Utah Region, i.e., the BEM catalog (Appendix E), contains 5388 earthquakes ($\sim 2.5 \le M \le 6.63$) covering the time period from 1850 through September 30, 2012. The complete BEM catalog (Figure 5.4-1a) includes mainshocks,

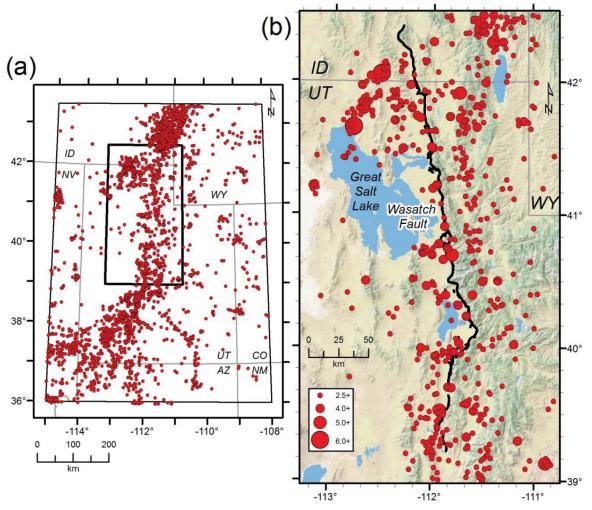


Figure 5.4-1. Epicenter maps of earthquakes in the BEM catalog, 1850 through September 2012. (a) Total catalog (clustered) for the UTREXT. (b) Declustered catalog of independent mainshocks in the WGUEP Region, outlined in the inset in (a). Base map is U.S. National Park Service Natural Earth physical map (http://goto.arcgisonline.com/maps/World Physical Map).

foreshocks, aftershocks, and earthquake swarms. Non-tectonic seismic events such as blasts and mining-induced seismicity are excluded from the Utah Region but not the Extended Border Region. Injection-induced earthquakes were retained in the BEM catalog but not used in the calculations for earthquake rates in the present study. Our background earthquake model assumes the occurrence of independent earthquakes following a Poisson distribution, which requires the identification and removal of dependent events from the earthquake catalog.

5.4.1 Identification and Removal of Dependent Events (Declustering)

Spatial and temporal clustering is common in natural seismicity. Statistical techniques are required to decompose or "decluster" an earthquake catalog into "main" events that are random and independent in a statistical sense and "dependent" events (foreshocks, aftershocks, and the smaller events of earthquake swarms) that relate non-randomly to the main events. Declustering algorithms variously use magnitude-dependent space-time windows, specific cluster models, or stochastic approaches to remove dependent events from an earthquake catalog (e.g., van Stiphout *et al.*, 2012).

For conformity with procedures used by the USGS in earth-quake catalog processing for the NSHMs (see Petersen *et al.*, 2008), we used the computer program cat3w developed by Dr. Charles Mueller of the USGS. The program implements the declustering method of Gardner and Knopoff (1974), in which smaller earthquakes within fixed time and distance time windows of larger shocks are identified as dependent events. The effectiveness of using cat3w to decluster our BEM catalog was verified by (1) comparing spacetime plots of the original and declustered versions of the catalog, and (2) using the Kolmogorov-Smirnov (K-S) test to analyze data in critical magnitude bins. The declustered catalog for the WGUEP Region contains 660 independent mainshocks $(2.50 \le M \le 6.59)$, shown in the epicenter map of Figure 5.4-1b.

5.4.2 Periods of Completeness

To determine the completeness period, T_C , associated with different magnitude thresholds in the declustered catalog, we used cumulative recurrence curves (CRCs) together with general information on the space-time evolution of seismographs, population, and newspapers. A CRC is a plot of the cumulative number of earthquakes above a given magnitude threshold versus time. The use of a probabilistic approach, which allows the analysis and use of variable completeness throughout an entire earthquake record (see, for example, EPRI/DOE/NRC, 2012, or Felzer, 2007) was beyond the scope of this study. According to Grünthal $et\ al.\ (1998, as\ quoted\ in\ and\ cited\ by\ Hakimhashemi\ and\ Grünthal,\ 2012), the CRC method is "very simple but rather robust."$

Ultimately, the parameter of the background earthquake model of primary concern to the WGUEP is the annual rate of occurrence of independent mainshocks of $M \ge 5.0$ within the entire WGUEP Region. Accordingly, this region was treated as a single domain for assessing the completeness periods summarized in Table 5.4-1. Our primary objective in selecting the starting point for each T_C was to bracket a completeness period for which the earthquake rate is convincingly uniform and reliable, particularly for magnitude thresholds below 4.95. The completeness periods in Table 5.4-1 are conservative minimum values of T_C . For the three magnitude thresholds below 4.95, statistical tests of rate changes allow earlier start dates for T_C ; thus, our conservatively selected start dates do not necessarily mark when network sensitivity changed to enable uniform reporting above those magnitude threshold (see Appendix E).

5.5 Estimation of Unbiased Recurrence Parameters

Our approach to estimating earthquake recurrence parameters involves a standard procedure used in PSHA—namely, the use of the Weichert (1980) maximum-likelihood algorithm to fit a truncated exponential distribution to earthquake

Table 5.4-1. Data	for seismicity rate ca	lculations, WGUEP Re	egion (BEM cata	log, declustered).

Magnitude Range	Year (Start) ¹	Year (End)	t (years)	No. of Earthquakes	Sum <i>N</i> * ²
$2.85 \le \mathbf{M} < 3.55$	1986	2012.75	26.75	183	170.721
$3.55 \le M < 4.25$	1979	2012.75	33.75	39	37.553
$4.25 \le \mathbf{M} < 4.95$	1963	2012.75	49.75	9	8.532
$4.95 \le \mathbf{M} < 5.65$	1908	2012.75	104.75	4	3.158
$5.65 \le \mathbf{M} < 6.35$	1880	2012.75	132.75	2	1.926
$6.35 \le \mathbf{M} < 7.00$	1850	2012.75	162.75	1	0.769

¹ Bold date indicates the start of the completeness period, T_C , based on a pick from a cumulative recurrence curve (CRC); italicized date, based on other arguments; bold italicized date, CRC plus other arguments.

² N* is the effective number of earthquakes, corrected for magnitude uncertainty on an earthquake-by-earthquake basis and summed (Sum N*) for the specified magnitude interval.

counts in magnitude bins (see, for example, EPRI/DOE/NRC, 2012). Two known potential sources of bias that can affect the seismicity-rate calculations are magnitude uncertainty and the discretization or rounding of magnitude values to some specified nearest decimal value.

5.5.1 Methodology to Correct for Magnitude Uncertainty

The effect of magnitude uncertainty on calculations of earth-quake rate parameters is described by Musson (2012), who reviews different approaches to correct for bias in frequency-magnitude relations. He also underscores the complexity of the issue. Basically, because of the exponential distribution of magnitude, observed magnitudes (measured with normally distributed errors) together with their counts in discrete bins can have "apparent" values that differ from their "true" values—typically shown using simulated earthquake catalogs.

As a conceptual guide, Figure 5.5-1 illustrates the equivalence of approaches proposed independently by Tinti and Mulargia (1985) and Veneziano and Van Dyke (1985) to correct for magnitude uncertainty σ in calculating unbiased ("true") seismicity rates. Without dwelling on the mathematical equations (Appendix E), the following key points can be grasped

from this figure. First, in a frequency-magnitude plot, bias caused by magnitude uncertainty can equivalently be corrected either in the x-direction using an adjusted magnitude called \mathbf{M}^* ("M-star") or in the y-direction using an adjusted rate called N^* ("N-star"). Second, the sign of the necessary corrections depends on whether the starting data lie along the line based on values of \mathbf{M}_{obs} or its equivalent, as is the case for the BEM catalog, or along the line based on values of $\mathbf{E}[\mathbf{M}]$, as is the case for an $\mathbf{E}[\mathbf{M}]$ catalog developed following the equations and steps of the EPRI/DOE/NRC (2012) methodology.

EPRI/DOE/NRC (2012) showed that for catalogs with variable levels of completeness as a function of magnitude, the N^* approach performs better than the M^* approach. Accordingly, we used the N^* approach in this study. We followed the EPRI/DOE/NRC (2012) steps of (1) calculating N^* from σ on an earthquake-by-earthquake basis (using $N^* = \exp\{-(b \ln(10))^2\sigma^2/2\}$), (2) summing N^* for earthquakes within specified magnitude intervals (Table 5.4-1), (3) dividing each N^* sum by the period of completeness for its respective magnitude interval, and (4) using a maximum-likelihood approach to compute seismicity rate parameters from the effective N^* counts (Figure 5.6-1). For the N^* calculations, a b-value of 1.05 assessed from preliminary processing of the BEM catalog was used.

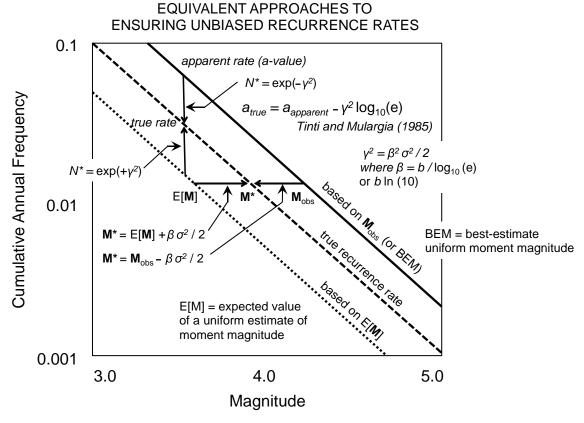


Figure 5.5-1. Schematic frequency-magnitude diagram showing how unbiased ("true") recurrence rates can be determined by making appropriate corrections in either the x-direction in terms of magnitude, \mathbf{M} , or in the y-direction in terms of rate, expressed here as the annual rate, a, of earthquakes $\geq \mathbf{M}$. Adapted from EPRI/DOE/NRC (2012). N^* as defined on the figure is the equivalent count assigned to an individual earthquake.

5.5.2 Rounding

The potential overestimation of seismicity rates due to the rounding of reported magnitudes in an earthquake catalog was examined by Felzer (2007). It should be noted that the object of her study, an earthquake catalog for California, involved a substantial proportion of events in the early to mid-1900s that had assigned magnitudes (M_L) rounded to the nearest 0.5. Further, because of an assumed equivalence between M_L and M, rounded values of M_L (except where a measured value of M was also available) translated directly into similarly rounded values of M in her moment-magnitude catalog, thus motivating the need for correction. In the EPRI/DOE/NRC (2012) study, the potential impact of rounding of data to the nearest 0.1 magnitude unit was examined using simulated data sets, and statistical tests showed that the effect of the rounding could be ignored.

In this study, the effect of rounded magnitude values was judged to be insignificant in our calculations and was ignored. All values of **M** entering into our final seismicity-rate calculations for the WGUEP Region are uniformly rounded to the nearest 0.01 magnitude unit as the result of calculating **M** either from a measured value of scalar seismic moment or from magnitude-conversion relationships, in which case the effects of rounding in original size measures are subsumed in the regressions.

5.6 Seismicity Rate Parameters of the Background Earthquake Model

The culmination of all the described preceding steps was the calculation of seismicity rate parameters for the background earthquake model. This was done using the data of Table 5.4-1 and the maximum-likelihood algorithm of Weichert (1980) to solve for unbiased recurrence parameters for the WGUEP Region. The Weichert algorithm has the virtue of handling binned magnitude data with variable periods of completeness as well as truncation of the exponential magnitude distribution at an upper limit, m_u . Figure 5.6-1 shows the fit to the data for an m_u of 7.00 corresponding to the upper limit of the largest magnitude bin in Table 5.4-1 and consistent with a maximum magnitude of \mathbf{M} 6.75 \pm 0.25. We tested alternative values of m_u from 6.75 to 8.00 and determined that both the seismicity rates and b-value were insensitive to the change.

In mathematical form, the truncated exponential distribution shown on Figure 5.6-1 can be expressed (see Youngs and Coppersmith, 1985, Equation 9) as

$$N(m) = N(m_0) \frac{10^{-b(m-m_0)} - 10^{-b(m_u - m_0)}}{1 - 10^{-b(m_u - m_0)}}$$
 (5.6-1)

where N(m) is the number of earthquakes per year of magnitude m or larger, m_0 is the minimum magnitude, and m_u is the upper bound magnitude. For the background earthquake

model, based on N^* , the cumulative annual rate of independent mainshocks greater than or equal to $m_0 = 2.85$ is 7.70 with a standard error of 0.52. The *b*-value determined for the model is 1.06 with a standard error of 0.06. Table 5.6-1 provides rate information for $\mathbf{M} \geq 5.0$ and other magnitude ranges, calculated using these parameters and Equation 5.6-1.

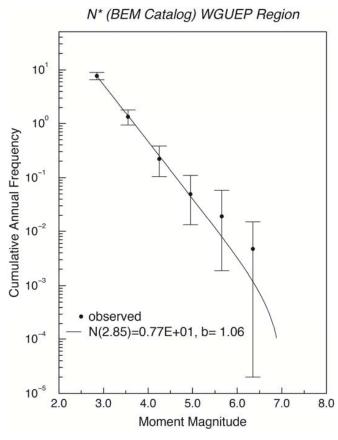


Figure 5.6-1. Background earthquake model. Frequency-magnitude distribution of declustered background earthquakes ($M \ge 2.85$) in the WGUEP Region, corrected for magnitude uncertainty and calculated using the maximum-likelihood algorithm of Weichert (1980).

The confidence limits on the seismicity rates in Table 5.6-1 are based on a 25-point discrete probability distribution for paired $N(m_0)$ and b-values that Robert R. Youngs of AMEC Foster Wheeler (written communication, March 16, 2014) determined for us using the data in Table 5.4-1, and the same likelihood model used to calculate the best-fit $N(m_0)$ and b-values. We used this discrete probability distribution to calculate the confidence limits in Table 5.6-1, which are 5th and 95th percentile values. This procedure appropriately accounts for the correlation between the uncertainties of $N(m_0)$ and b. Based on the probability distribution provided by R. R. Youngs for our data set (with $m_0 = 2.85$ and $m_u = 7.00$), one can estimate the 90% confidence limits on N(m) for other magnitude ranges above $M \ge 5.0$ (e.g., $M \ge 5.25$) by using the following paired values in Equation 5.6-1: $N(m_0) = 7.89$ events/yr and b = 1.18 for the 5th percentile rate and $N(m_0)$ = 8.61 events/yr and b = 1.00 for the 95th percentile rate (see Appendix E).

Table 5.6-1. Cumulative rates of independent background earthquakes.

Magnituda Danga	Data (avanta/vn)	90% Confider	nce Limits on Rate
Magnitude Range	Rate (events/yr)	Lower (events/yr)	Upper (events/yr)
$M \ge 3.00$	5.34	4.72	5.92
$\mathbf{M} \ge 3.50$	1.58	1.30	1.83
$\mathbf{M} \ge 4.00$	0.465	0.344	0.586
$\mathbf{M} \ge 4.50$	0.137	0.089	0.192
$\mathbf{M} \ge 5.00$	0.0402	0.0228	0.0606
$\mathbf{M} \ge 5.50$	0.0116	0.0058	0.0188
$\mathbf{M} \ge 6.00$	0.00322	0.00141	0.00552
$M \ge 6.50$	0.000734	0.000289	0.001328

6 COMPARISON OF GEODETIC AND GEOLOGICAL/SEISMOLOGICAL MOMENT RATES

This section compares seismic moment rates estimated from crustal deformation measurements, commonly referred to as "geodetic moment rates," with geological/seismological moment rates predicted by the Wasatch Front seismic source model developed in this study. We compare these moment rates for both the Wasatch Front region as a whole and for the four subregions shown in Figure 6.1-1. We defined the subregion boundaries to coincide with selected segment boundaries interpreted for the WFZ, taking into account the distribution of the Global Positioning System (GPS) velocity vectors shown in Figure 6.1-2. Each subregion spans two or more segments of the WFZ and extends across the entire eastwest extent of the Wasatch Front region. The purpose of this analysis is to determine whether or not the characterization of earthquake rates and magnitudes developed for the WGUEP forecast is consistent with geodetic measurements of crustal deformation in the Wasatch Front region. Acronyms and abbreviations are defined on pages xii to xiv.

The results show that geodetic moment rates agree with geological/seismological moment rates calculated from the WGUEP model, within the uncertainty limits, for the Wasatch Front region as a whole and for three of the four subregions. In the fourth and southernmost subregion, which includes the Levan and Fayette segments of the WFZ (L-F, Figure 6.1-1), the geodetic moment rate is five times larger than the geological/seismological moment rate with no overlap in the 90% confidence limits. This discrepancy exists because the strain rate in the L-F subregion is similar to the strain rate in the three subregions to the north, but the geological moment rate predicted for the known faults in the L-F area is much lower. At the present time, we do not have a satisfactory explanation for the larger-than-expected strain rate in the southernmost Wasatch Front region.

6.1 Previous Work

Previous studies have used a variety of techniques to compare the observed crustal deformation rates in the Wasatch Front region with predicted rates based on geological and seismological data, with mixed results. Friedrich *et al.* (2003) compared horizontal extension rates to Holocene cumulative vertical fault slip rates along an east-west profile just south of Great Salt Lake and found that they were in good agreement. Niemi *et al.* (2004) used two kinematic block models, intended to bound a range of simple elongation (pure shear) strain accumulation models, to compare geodetic and maximum geological horizontal extension rates on an east-west profile across the southern end of the Wasatch Front region between 39° and 39.6° N. Their late Quaternary maximum velocity field agrees well with their geodetic velocity field, but their Holocene maximum velocity field is more than a

factor of two larger. Chang (2004) used a nonlinear optimization algorithm to find best-fitting strain accumulation models for GPS velocity measurements across the five central segments of the WFZ. His preferred model has a fault plane that dips 27° and creeps 7 mm/yr between 9 and 20 km depth. The vertical component of the slip rate for this model is 3.2 mm/yr, which is about twice as large as the weighted mean slip rates for the central segments of the WFZ (Table 4.1-4). Chang et al. (2006) interpreted GPS data across the WFZ with a coseismic deformation model. They concluded that the GPS data were consistent with geological measurements of vertical component slip rates if the dip of the WFZ is steeper than 30°. Velasco et al. (2010) modeled crustal deformation around the central part of the WFZ using a strain accumulation model similar to that of Chang (2004). Their best-fit model to GPS data corrected for glacial isostatic rebound has creep of 3.3 ± 0.2 mm/yr below a locking depth of 10 ± 3 km on a surface dipping $19^{\circ} \pm 7^{\circ}$.

One of the most recent efforts to jointly analyze geodetic and geological data for the Wasatch Front region is the fault slip rate inversion by Zeng and Shen (2014), which provides the starting point for the analysis presented in this section. Their inversion was one of two fault-based geodetic inversion models that were utilized in the source characterizations for the 2014 NSHMs (Petersen et al., 2014). Zeng and Shen (2014) inverted geodetic data for slip rates on the faults used in the hazard calculations for the 2008 NSHMs, which are shown on Figure 6.1-2. They fixed the dips of these faults to the preferred values used in the 2008 NSHMs, which are 50° for all of the faults on Figure 6.1-2 (Haller and Wheeler, 2008). Zeng and Shen's (2014) model for the faults within the map area of Figure 6.1-2 assumes that each fault creeps on a planar extension of the fault in the lower crust at a rate equal to the long-term slip rate. They constrained their model to match as closely as possible the geological slip rates used for these faults in the 2008 NSHMs (Haller and Wheeler, 2008), with some modifications. The slip rates that they obtained for faults in the Wasatch Front region are in good agreement with the geologically determined slip rates with one notable exception: the Levan segment of the WFZ (Figure 6.1-3). The modeled slip rate for this segment is 1.56 mm/yr compared to the geologic slip rate of 0.31 mm/yr (computed from recurrence data in Haller and Wheeler, 2008). Fault slip rates from the Zeng and Shen (2014) inversion and a similar inversion by Bird (2014) were each given a weight of 0.1 in the 2014 NSHM probabilistic hazard calculations for the western U.S. outside of California. The incorporation of these geodetic models into the calculations increased the mapped hazard by about 15% to 20% in some areas, including the area around the Levan segment of the WFZ (Petersen et al., 2014).

The WGUEP model for earthquake sources in the Wasatch Front region is much more comprehensive and up-to-date than the information that was used for any of the previous geodetic analyses, including that of Zeng and Shen (2014). Therefore, we revisit the question of compatibility between

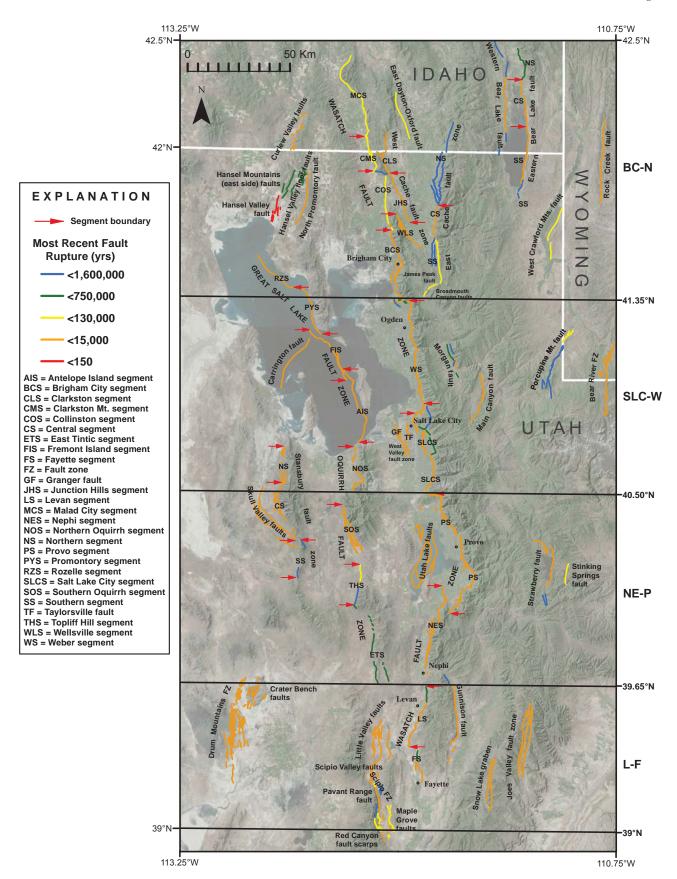


Figure 6.1-1. Map of the Wasatch Front region showing surface traces of faults and fault segments considered in the earthquake forecast and subregions for comparisons of geodetic and geological/seismological moment rates. The subregion names come from the abbreviations for the WFZ segments that they encompass: BC-N, Brigham City segment and north; SLC-W, Salt Lake City and Weber segments; NE-P, Nephi and Provo segments; and L-F, Levan and Fayette segments. Base imagery from the USGS and NASA (http://imagery.arcgisonline.com).

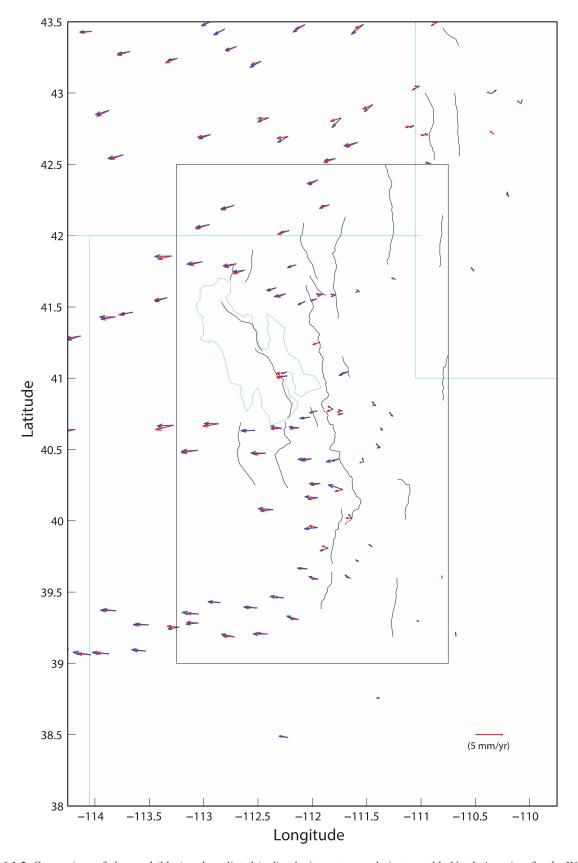


Figure 6.1-2. Comparison of observed (blue) and predicted (red) velocity vectors, relative to stable North America, for the Wasatch Front region (box) and the surrounding area. The irregular blue line shows the outline of the Great Salt Lake; the straight blue lines show state boundaries. The black lines show the surface traces of Quaternary faults used in the 2008 NSHMs and in the Zeng and Shen (2014) fault slip inversion. The mean of the 90% confidence limits on the observed velocity vectors (1.645 std. dev., Table 6.2-1) is a circle of radius 0.6 mm/yr, which is approximately the width of the arrowheads on the vectors. Figure provided by Yuehua Zeng, USGS.

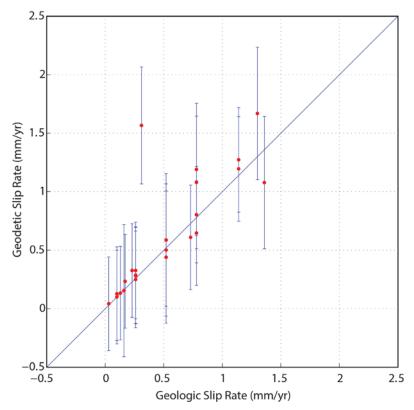


Figure 6.1-3. Comparison of fault slip rates from geological data and from the geodetic inversion of Zeng and Shen (2014) for faults in the Wasatch Front region. The blue vertical bars represent one standard deviation uncertainties on the slip rates from the geodetic inversion. The diagonal blue line represents perfect agreement between the two slip rates. The data point farthest from this line is for the Levan segment of the WFZ. Figure modified from Zeng and Shen (2014) by Yuehua Zeng, USGS.

geodetic measurements of strain rates and the earthquake rates predicted from geological and seismological data. We chose not to use the geodetic data directly in constructing the WGUEP source model because of the high level of uncertainty involved in converting measured crustal deformation rates to earthquake rates in the Wasatch Front region. Two of the primary contributors to this uncertainty are (1) questions regarding the applicable strain accumulation model for normal faults in this region, and (2) the difficulty of resolving slip rates on the individual faults and fault segments in the WGUEP model, especially with the relatively sparse distribution of GPS stations in the Wasatch Front region. In part because of these issues, geodetically based source models were assigned a fairly low weight of 20% in the 2014 NSHM hazard calculations for the western U.S. outside of California. An additional factor that entered into our choice of geodetic analysis methods was that the geodetic models developed for the 2014 NSHMs did not become available until after the source characterization work for the WGUEP project was largely completed.

6.2 Geodetic Data

The basic data that we used for our geodetic analysis are the velocity vectors for the western U.S. that Zeng and Shen (2014) used for their fault slip inversion for the 2014 NSHMs (Figure 6.1-2). These velocity vectors are the result of the

reprocessing of data from several networks of GPS stations by several different groups. The velocity vector solutions from the different groups were rotated into a common North American reference frame by McCaffrey et al. (2014). Zeng and Shen (2014) edited the McCaffrey et al. (2014) data set to remove velocity vectors that they judged to be problematic for reasons explained in their report. Most of the data from within the Wasatch Front region (Table 6.2-1) came from networks of permanent GPS stations installed and operated by the University of Utah and by the National Science Foundation EarthScope project. Most, but not all, of the velocity vectors that Zeng and Shen (2014) used for the stations in this region are averages of solutions from three different groups: Shen and Wang (2012), the Plate Boundary Observatory (2011), and the Scripps Orbit and Permanent Array Center (2012).

The blue and red arrows in Figure 6.1-2 show observed and predicted GPS velocity vectors, respectively, from the Zeng and Shen (2014) study for a region extending one degree in latitude and longitude beyond the boundaries of the Wasatch Front region (box). The velocity vectors in the eastern one-third of the Wasatch Front region show minimal motion relative to stable North America. The velocity vectors in the western part of this region show westward motion, relative to stable North America, which begins at about the longitude of the WFZ and increases rapidly westward to 2 to 3 mm/yr. This deformation

 Table 6.2-1. GPS velocity vectors for the Wasatch Front region.

Station	Latitude ¹ (deg)	Longitude ¹ (deg)	E Velocity, V _E (mm/yr)	N Velocity, V _N (mm/yr)	Std Dev V _E (mm/yr)	Std Dev V _N (mm/yr)
0H64	40.1617	-111.9494	-2.420	0.130	0.500	0.500
1S2E	40.7522	-111.7167	-0.750	-0.060	0.400	0.400
A121	40.2190	-111.7195	-2.720	0.640	0.600	0.600
BAIR	41.5393	-112.0641	-1.280	-0.480	0.400	0.500
BATI	42.2152	-111.8429	-1.450	-0.200	0.488	0.502
BENN	41.0419	-112.2351	-0.860	-0.180	0.300	0.400
CAPS	39.6622	-112.0465	-1.900	0.120	0.600	0.500
CEDA	40.6807	-112.8605	-2.693	0.060	0.300	0.300
COON	40.6526	-112.1210	-1.870	0.103	0.300	0.300
DCUT	40.4128	-111.5276	-0.270	0.560	0.552	0.552
DOWN	42.3910	-111.9481	-1.570	-0.705	0.740	0.800
DRUF	42.0359	-112.2125	-1.450	-0.260	0.370	0.400
ELBE	39.9519	-111.9500	-2.510	-0.170	0.400	0.400
EOUT	41.2532	-111.9289	-0.127	-0.130	0.300	0.300
F230	39.2538	-113.2236	-2.170	-0.220	0.800	0.900
F250	39.2829	-113.0458	-2.370	-0.110	0.500	0.500
F291	39.2064	-112.4116	-2.770	0.010	0.500	0.500
FORE	40.5119	-111.3803	-0.613	0.527	0.300	0.300
H100	39.2933	-111.0204	-0.480	0.060	0.300	0.300
HEBE	40.5141	-111.3727	-0.300	0.157	0.300	0.300
HWUT	41.6072	-111.5651	-0.458	0.275	0.300	0.300
LMUT	40.2614	-111.9281	-2.005	-0.020	0.431	0.388
LTUT	41.5921	-112.2468	-1.990	-0.380	0.300	0.300
MONC	39.8066	-111.8529	-1.600	-0.370	0.500	0.600
MOUT	41.0462	-111.6656	-1.760	-0.560	0.400	0.400
MPUT	40.0156	-111.6336	-0.697	0.535	0.300	0.300
MUHA	40.7267	-112.0225	-1.850	-0.170	0.400	0.500
NAIU	41.0157	-112.2297	-1.303	-0.083	0.300	0.300
NGRI	42.0777	-112.9460	-2.415	-0.375	0.321	0.331
P016	40.0781	-112.3614	-2.775	0.162	0.303	0.300
P057	41.7566	-112.6231	-2.105	-0.180	0.300	0.300
P084	40.4940	-113.0540	-2.987	-0.073	0.300	0.300
P086	40.6488	-112.2821	-2.037	0.295	0.300	0.300
P088	40.7718	-111.7229	-0.725	0.125	0.303	0.300
P101	41.6923	-111.2360	-0.545	0.188	0.300	0.300
P103	39.3451	-113.0421	-3.213	0.293	0.300	0.300
P104	39.1861	-112.7171	-2.470	0.382	0.300	0.300
P105	39.3875	-112.5041	-2.660	0.163	0.300	0.300
P106	39.4590	-112.2623	-2.632	0.222	0.300	0.300
P108	39.5889	-111.9445	-1.813	0.382	0.300	0.300
P109	39.5975	-111.6508	-1.043	0.420	0.300	0.300
P110	39.7152	-111.5711	-0.605	0.080	0.354	0.348
P111	41.8173	-113.0122	-2.780	-0.300	0.300	0.300
P112	39.8169	-111.4500	-0.665	0.303	0.300	0.300
P114	40.6340	-112.5276	-2.592	-0.037	0.300	0.300
P115	40.4744	-112.4280	-2.795	0.050	0.310	0.310
P116	40.4340	-112.0142	-2.388	-0.067	0.310	0.308
P117	40.4352	-111.7514	-2.438	-0.445	0.303	0.300
P118	40.6355	-111.3499	-0.440	0.287	0.300	0.300
P119	40.7318	-111.2577	-0.647	0.510	0.337	0.300
P121	41.8034	-112.6983	-2.440	-0.263	0.300	0.300
P122	41.6354	-112.3319	-1.713	-0.372	0.300	0.300
P124	41.5576	-111.9574	-1.057	-0.263	0.300	0.300
P125	41.5890	-111.8989	-1.243	0.023	0.300	0.300
P126	41.5832	-111.7805	-0.910	0.107	0.300	0.300
P675	42.2122	-112.7188	-2.342	-0.480	0.308	0.305
P783	40.8074	-111.4149	-0.695	0.538	0.300	0.300
PUC1	39.5992	-110.8087	-0.080	-0.130	0.300	0.300
RBUT	40.7811	-111.8089	-0.928	0.430	0.300	0.300
SIDE	41.7950	-112.1483	-1.400	-0.280	0.500	0.500
SLCU	40.7722	-112.1483	-1.390	-0.280	0.300	0.300
SMEL	39.4256	-111.9550	-2.385	0.162	0.300	0.300
SPIC	39.3062	-112.1275	-2.250	0.517	0.300	0.300
WILI	40.4353	-112.0068	-1.830	-0.070	0.500	0.500
				Mean	0.363	0.369

¹NAD83

pattern is similar to that observed in a number of previous studies, including Friedrich *et al.* (2003), Niemi *et al.* (2004), Hammond and Thatcher (2004), Chang *et al.* (2006), and Velasco *et al.* (2010).

Table 6.2-1 lists the 64 velocity vectors that Zeng and Shen (2014) used from GPS stations in the Wasatch Front region (Yuehua Zeng, USGS, written communication, 2014). The standard deviations for the vector components are adopted from those reported by the original reprocessing groups, with some modifications. The original standard deviations are formal statistical uncertainty estimates from the fit of a constant secular velocity vector, relative to the stable North America reference frame, to time series of GPS position measurements. For the velocities that are average values from multiple processing groups, the standard deviations listed are also average values from the different solutions. For the purpose of the fault slip inversions of Zeng and Shen (2014), and other inversion studies that used the McCaffrey et al. (2014) data set (see Petersen et al., 2014), a lower limit of 0.3 mm/yr was imposed on the standard deviations of the east and north velocities. This lower limit was imposed to prevent sites with very low uncertainties from dominating the least-squares solutions and to account for some uncertainty in the reference frame corrections. Even though only one of the two reasons for these limits is strictly relevant here, we retain these lower limits in our own analyses of the GPS data.

The strain rates that we used in our analysis are spatially averaged values of the maximum horizontal principal strain rate, $\dot{\epsilon_1}$ (extension positive), derived from the following procedure: (1) interpolation of GPS velocity vectors from the whole western U.S. onto a uniform grid with 0.05° latitude and longitude spacing, (2) calculation of strain rates from the interpolated velocity vectors using a finite-difference method, and (3) averaging over the resulting grid of $\dot{\epsilon_1}$ values and associated azimuths to obtain mean values for the Wasatch Front region and the four subregions. Yuehua Zeng carried out the first two of these steps. Zeng also performed 400 Monte Carlo simulations to assess the effect of the velocity vector uncertainties, assumed to be normally distributed, on the mean $\dot{\epsilon_1}$ values for the various regions. For efficiency reasons, these simulations were done using a larger grid spacing of 0.1° and a smaller geographic area, which extended 4° beyond the Wasatch Front region. These differences were unimportant for the purpose of assessing mean strain rate uncertainties, as the mean $\dot{\epsilon_1}$ values from the Monte Carlo simulations were all within 3% of the values obtained by the three-step procedure outlined above.

Figure 6.2-1 is a color-coded map of the ϵ_1 grid showing the ϵ_1 azimuths as two-headed arrows with lengths proportional to the magnitude of ϵ_1 . This map shows a zone of high strain rate centered on the WFZ south of Great Salt Lake, with the highest rates of up to 47 nanostrains per year (nstr/yr) occurring on the northern half of the Provo segment of the WFZ. In the latitude range spanned by the Great Salt Lake, the zone

of high strain rate is more spread out, does not exceed \sim 30 nstr/yr, and is centered 15 to 40 km west of the WFZ. The different strain rate pattern in this latitude range may be partially an artifact of the lower density of GPS stations. However, the strain rate pattern is similar near the northern end of Great Salt Lake, where it is reasonably well constrained by a line of GPS stations crossing the northern part of the Brigham City segment of the WFZ (Figures 6.1-2 and 6.2-1). The variation in strain rate along the WFZ has no apparent relation to the dates of the last paleoearthquakes (Table 4.1-2). The maximum principal strain rate direction in the high-strain-rate areas ranges from ENE-WSW to ESE-WNW and has an average direction close to E-W. Deviations of the ϵ_1 azimuths from E-W tend to be towards the normals to the local fault strikes (Figure 6.2-1).

Table 6.2-2 lists the mean values of ϵ_1 , the other horizontal principal strain rate $\dot{\epsilon_2}$, and the $\dot{\epsilon_1}$ azimuth for the Wasatch Front region and the four subregions. This table also lists the 90% confidence limits on the mean $\dot{\epsilon_1}$ values (± 1.645 std. dev.) obtained from the Monte Carlo simulations. The mean values for the ϵ_1 azimuths are weighted by the ϵ_1 magnitudes. If the area of each grid point was the same, and the azimuth of $\dot{\epsilon_1}$ was the same everywhere, then the mean of the $\dot{\epsilon_1}$ values at each grid point would equal the mean extensional strain over the whole region in the direction of the maximum horizontal extension. The variation in the grid point areas is only about 5%, which is negligible. There is some variability in the azimuth of $\dot{\epsilon_1}$, as noted above. However, we use the average of the scalar ϵ_1 values in our analysis in order to account, to some extent, for the correlated variations in ϵ_1 azimuths and fault normal directions in the Wasatch Front region.

As indicated in Table 6.2-2, the mean of the maximum horizontal principal strain rate, ϵ_1 , for the Wasatch Front region (red box, Figure 6.2-1) is 11 nstr/yr (extensional). The mean ϵ_1 values for the four subregions are all positive (extensional), remarkably similar to each other, and within 10% of the value for the region as a whole. The mean $\dot{\epsilon}_2$ values for the Wasatch Front region and the subregions are all negative (compressional), and their absolute values are smaller than those of the corresponding $\dot{\epsilon_1}$ values by factors of 3.3 to 6.6. The mean $\dot{\epsilon_1}$ -weighted $\dot{\epsilon_1}$ azimuths for the four subregions are all within 10° of the value for the region as a whole, which is 86°. Thus, to first order, the strain rate within the Wasatch Front region can be considered to be uniaxial E-W extension with an average value of 11 nstr/ yr across the width of the region. The magnitudes of the average strain rates in Table 6.2-2 are, to some extent, arbitrary because the region boundaries are arbitrary and the strain rates vary considerably with each region (Figure 6.2-1). However, when we use these average strain rates we multiply them by the areas of the regions over which they were calculated, essentially converting them to an average velocity difference across the region times the north-south width of the region.

As a check on the average strain rates, we plot GPS-measured velocity versus distance east of the western edge of the

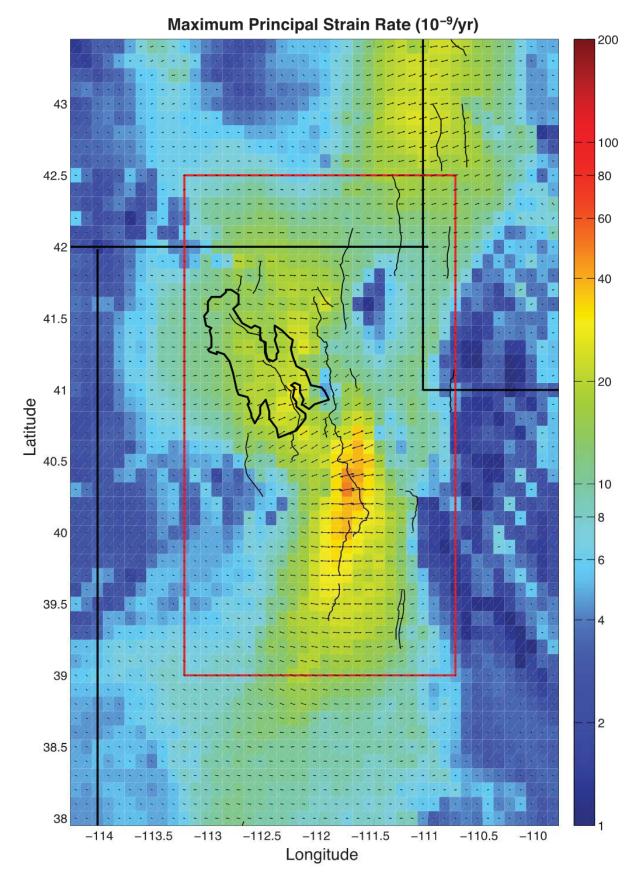


Figure 6.2-1. Color-coded map of maximum horizontal principal strain rate, $\dot{\epsilon_1}$ (extension positive). Note that the color scale is logarithmic. The two-headed arrows show the azimuth of $\dot{\epsilon_1}$ and have lengths proportional to the magnitude of $\dot{\epsilon_1}$. The other features shown on the map are the same as in Figure 6.1-2. Figure provided by Yuehua Zeng, USGS.

Table 6.2-2	Average strain ra	tes for the	Wasatch Front	region and	cubregions
Table 0.2-2. I	Average strain ra	les for the	wasatch from	. region and	Subregions.

	Latitude		Best Est	imate		Alternati	ve Estimate	
Region	Range (deg)	ϵ_1 (nstr/yr)	90% CL ¹ ϵ' ₁ (%)	ϵ_2 (nstr/yr)	$\epsilon_1 Az^2$ (deg)	ϵ_1'' (nstr/yr)	90% CL ϵ ₁ ' (%)	ϵ_1''/ϵ_1
Wasatch Front	39.00-42.50	10.96	± 7	-2.47	86	12.33	± 17	1.13
BC-N	41.35-42.50	10.08	± 11	-3.01	90	10.17	± 24	1.01
SLC-W	40.50-41.35	11.90	± 9	-2.96	76	9.86	± 19	.83
NE-P	39.65-40.50	11.59	± 9	-1.89	88	10.50	± 18	.91
L-F	39.00-39.65	10.59	± 11	-1.60	93	12.22	± 20	1.15
Mean			± 9				± 20	1.00

¹ CL, confidence limit.

Wasatch Front region (113.25° W) for (1) the whole Wasatch Front region (Figure 6.2-2), and (2) the four Wasatch Front subregions that we defined (Figure 6.2-3). The component of the velocity plotted is the component in the direction of the mean ϵ_1 -weighted ϵ_1 azimuth for the region, as indicated in the vertical axis label. The error bars shown are 90% confidence limits (± 1.645 std. dev.), calculated from the standard errors in the east and north velocities in Table 6.2-1. The solid red line on each plot shows the velocity change across the region predicted by the strain rate model that we used to calculate the geodetic moment rates, which is uniaxial strain in the $\dot{\epsilon_1}$ direction. The solid red lines are not fit directly to the velocity vectors shown on the plots in Figures 6.2-2 and 6.2-3. Instead, these lines are calculated from the ϵ_1 grid (Figure 6.2-1) as follows. The change in velocity across each 0.05° longitude grid interval is computed by multiplying the mean $\dot{\epsilon_1}$ for that longitude, averaged over the latitude range for the region, by the distance across the grid interval measured in the mean ϵ_1 direction for the region. The absolute values of these predicted velocity curves are arbitrary, but they are positioned to match the observed velocities on the eastern ends of the regions. We consider the agreement between the predicted and observed velocities to be acceptable, considering that the strain rate model is a two-dimensional model that was fit to a larger data set than is shown on the plots.

The observed velocities in the average $\dot{\epsilon_1}$ directions are all west to west-southwest relative to stable North America, with the rate increasing westward by around 2.1 to 2.6 mm/yr across each of the regions shown in the plots. Most of the velocity increase takes place in the middle of the regions, in the vicinity of the WFZ, with relatively uniform velocities on the eastern and western ends. Consequently, as a check, alternative estimates for the average strain rates in the Wasatch Front region and the four subregions can be made from the difference in the average velocities on the eastern and western ends of each region.

The solid blue lines on each end of the five GPS velocity plots show inverse-variance weighted mean velocities from two to five GPS stations. The dotted lines show 5th and 95th percentile confidence limits on these mean velocities. The difference between the mean velocities on the two sides of a region divided by the distance across the region in the mean $\dot{\epsilon_1}$ direction gives the alternative estimates of the average strain rates in Table 6.2-2. These alternative average strain rate estimates are somewhat arbitrary, like the best estimates, because the widths of the regions are arbitrary. The ratios between the alternative strain rate estimates and the best estimates range from 0.83 to 1.15 and have a mean of 1.00. The 90% confidence limits on the alternative strain rate estimates range from 18% to 24% and have a mean value of 20% (Table 6.2-2). These 90% confidence limits might be overestimates because of the minimum values imposed on velocity vector uncertainties.

The results of the Monte Carlo simulations show 90% confidence limits on the best-estimate mean ϵ_1 values for the five regions of \pm 7% to \pm 11%, with an average value of \pm 9% (Table 6.2-2). These confidence limits do not fully account for the effects of the uneven distribution of the GPS stations in and around the regions of interest (Figure 6.1-2). Furthermore, the ratios between the alternative and best-estimate maximum principal strain rates, and the 90% confidence limits for the former (Table 6.2-2), suggest that the actual uncertainties might be somewhat larger than those indicated by the Monte Carlo simulations. Considering all of the uncertainty information in Table 6.2-2, and also the ~2% to 3% effect of changing the grid size and area for computing the strain rates, we assume nominal 90% confidence limits of \pm 15% for the mean $\dot{\epsilon_1}$ values determined for the Wasatch Front region and its four subregions. We note that because strain rate uncertainty is only one of three sources of uncertainty that we consider in calculating the geodetic moment rates (see Section 6.4), using 90% confidence limits of \pm 20% instead of \pm 15% does not noticeably affect the mean geodetic moment rates and changes their uncertainty ranges by less than 2%.

² Mean ϵ_1 -weighted azimuth of ϵ_1 .

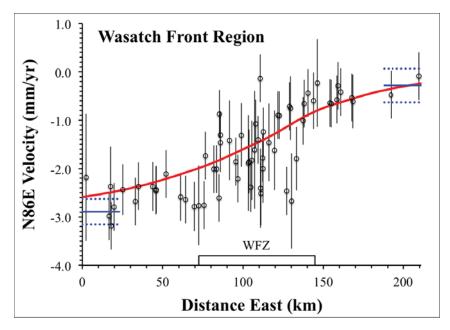


Figure 6.2-2. Plot of N. 86° E. (mean $\dot{\epsilon}_1$ -weighted $\dot{\epsilon}_1$ azimuth) velocity versus distance east for GPS stations in the Wasatch Front region (box in Figure 6.1-2). Error bars are 90% confidence limits (\pm 1.645 std. dev.). The solid red line shows predicted velocity changes from the strain rate model, positioned to match the data on the east end. The blue lines show inverse-variance weighted mean velocities (solid) and 90% confidence limits (dotted) used to calculate the alternative strain rate estimate in Table 6.2-2. The WFZ spans the labeled distance range.

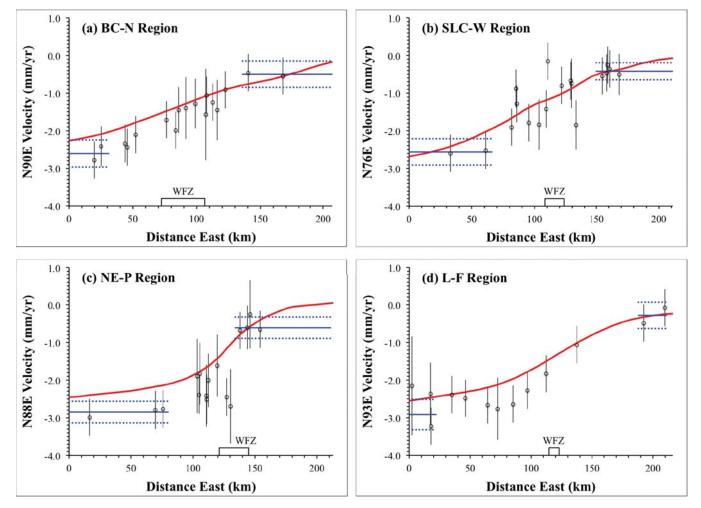


Figure 6.2-3. Same as Figure 6.2-2, but for the subregions shown in Figure 6.1-1.

6.3 Methodology

Following Ward (1994), we use an equation originally derived by Kostrov (1974) to convert the surface strain rates presented in the previous section into expected seismic moment rates for the Wasatch Front region and the four subregions shown in Figure 6.1-1. These expected moment rates, which are known as geodetic moment rates, are then compared to moment rates calculated from geological and seismological data for the same regions. The geodetic moment rates should be equal to the geological/seismological moment rates if, as assumed by Ward (1994), contemporary strain rates are equal to long-term deformation rates from earthquakes when averaged over sufficiently large regions and time intervals. Note that this assumption is only valid if the region of averaging is large enough to encompass all of the strain accumulation zones from the faults contained within the region. We consider this assumption to be reasonable, at least for the faults with the highest associated strain rates, because the strain rates along the eastern and western edges of the Wasatch Front region are generally much lower than those in the center of the region (Figures 6.2-1 to 6.2-3).

Kostrov's (1974) equation describes how movement in separate earthquakes along numerous randomly located fractures can be summed in a quasi-plastic deformation process. The equation is:

$$\dot{\epsilon_{IJ}} = \frac{1}{2\mu A H_s \Delta t} \sum_{\kappa} M_{0ij}^{(\kappa)}$$
 (6-1)

where ϵ_{ij} is the "mean tensor of the rate of deformation due to the seismic flow of rock mass," μ is the rigidity, A is the surface area of the region for the $M_{0ij}^{(\kappa)}$ summation, H_s is the thickness of the seismogenic layer, Δt is the time interval for the $M_{0ij}^{(\kappa)}$ summation, and $M_{0ij}^{(\kappa)}$ is the ij'th component of the moment tensor of the κ 'th earthquake. If M_0 is the scalar moment, then for double-couple sources:

$$M_{0ii} = M_0(b_i n_i + b_i n_i) (6-2)$$

where b_i and b_j are the *i*th and *j*th components, respectively, of a unit vector in the displacement direction and n_i and n_j are the *i*th and *j*th components, respectively of a unit vector perpendicular to the fault plane.

To apply this equation to the Wasatch Front region, we select a coordinate system with the x_1 -axis parallel to the direction of the maximum horizontal principal strain rate, $\dot{\epsilon_y}$, with extension positive. The x_2 -axis is horizontal and normal to x_1 , and the x_3 -axis is directed upward. We also make the simplifying assumption that all of the seismic moment release is due to normal faulting on planes which strike in the x_2 direction and have a dip of δ . With this assumption, the nonzero moment tensor elements become $M_{011} = M_0 \sin 2\delta$, $M_{033} = -M_0 \sin 2\delta$, and $M_{013} = \pm M_0 \cos 2\delta$, with the sign of M_{013} depending on the

dip direction. Substituting the first two of these moment tensor elements into Kostrov's equation gives

$$\dot{\epsilon}_{11} = -\dot{\epsilon}_{33} = \frac{\sin 2\delta}{2uAH_{\circ}\Delta t} \sum_{\kappa} M_0^{(\kappa)}$$
 (6-3)

where $M_0^{(\kappa)}$ is the scalar moment of the κ 'th earthquake or, equivalently,

$$\dot{M}_0 = \frac{2\mu A H_s}{\sin 2\delta} \dot{\epsilon_1} \tag{6-4}$$

where \dot{M}_0 is the seismic ("geodetic") moment rate for the volume.

Ward (1994) similarly reduced Kostrov's original tensor equation to a scalar equation by replacing ϵ_{ij} with the largest principal strain rate and replacing $\frac{1}{\Delta t} \sum_{\kappa} M_{0ij}^{(\kappa)}$ by \dot{M}_0 for each of his subregions. Our particular application of Kostrov's equation assumes normal faulting on planes striking perpendicular to ϵ_1 , but reduces to Ward's equation for the special case of $\delta = 45^\circ$. Note that for a given ϵ_1 , the geodetic moment rate \dot{M}_0 has a minimum value of $2\mu AH_s \epsilon_1$ for $\delta = 45^\circ$.

To provide some physical insight into Equation (6-4), we present here a second derivation of this equation for the special case of the simple block model shown in cross section in Figure 6.3-1. In this block model, all of the moment release occurs on a single normal fault of dip δ and length L that extends through the entire thickness of the seismogenic layer H_s . Let \bar{d} be the average displacement on this fault in an earthquake, which is uniform across the fault surface in this block model, and let Δt be the average earthquake recurrence interval. From Figure 6.3-1 and the definition of seismic moment, the moment rate on the fault is given by

$$\dot{M}_0 = \mu L(H_s/\sin \delta) \, \bar{d}/\Delta t$$
 (6-5)

The permanent horizontal strain rate in the direction perpendicular to the fault is

$$\dot{\epsilon_1} = \frac{\Delta W}{W \Delta t} = \frac{\bar{d} \cos \delta}{W \Delta t} \tag{6-6}$$

where W is the width of the region under consideration and ΔW is the change in this width that occurs during an earth-quake. Solving Equation (6-6) for \bar{d} and substituting into equation (6-5) gives

$$\dot{M}_0 = \frac{\mu L W H_s}{\sin \delta \cos \delta} \dot{\epsilon_1} = \frac{2\mu A H_s}{\sin 2\delta} \dot{\epsilon_1}$$
 (6-7)

which is the same as Equation (6-4). From Equation (6-7) and Figure 6.3-1, it can be seen that the $1/\sin 2\delta$ factor in Equation (6-4) is the result of two competing factors. Consider Figure 6.3-1 with a given, fixed extension rate perpendicular to the fault and a fixed seismogenic zone thickness H_s . As the fault dip increases from 0° to 90° , the fault slip rate \bar{d} needed to produce the given extension rate $\Delta W = \bar{d} \cos \delta$ increases pro-

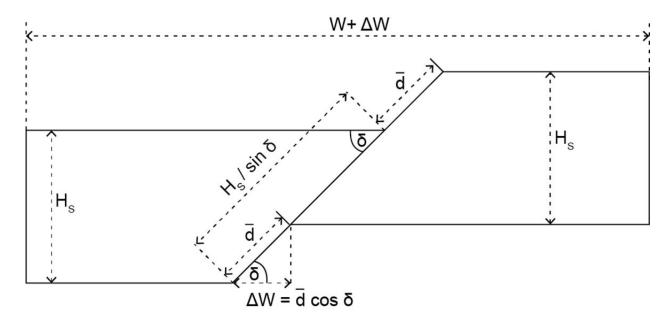


Figure 6.3-1. Block diagram of a normal fault. W is the width of the region under consideration, ΔW is the change in this width during an earthquake, H_s is the thickness of the seismogenic layer, δ is the fault dip, and \bar{d} is the average displacement on the fault in an earthquake.

portional to $1/\cos\delta$. This increase in slip rate increases the moment rate on the fault. The competing factor is that as the fault dip increases, the fault width $H_s/\sin\delta$ decreases proportional to $1/\sin\delta$ because the bottom edge of the fault is fixed at the bottom of the seismogenic zone. This decrease in the fault width decreases the fault area, and hence, the moment rate on the fault. Because the moment rate is proportional to the product of the slip rate and the fault area, the change in the moment rate with the fault dip is proportional to $1/\sin\delta\cos\delta = 2/\sin2\delta$.

Although the derivation in the preceding paragraph is for a block model with a single normal fault, this derivation can clearly be generalized to a block model having multiple normal faults. Thus, this derivation shows that the moment rate Equation (6-4) is the same as that of a two-dimensional block model in which all of the moment release occurs on parallel normal faults of dip δ that break the whole seismogenic layer. In applying this equation to short-term measurements of $\dot{\epsilon_1}$, we are essentially assuming a two-dimensional strain accumulation model in which the seismogenic layer is being extended in the $\dot{\epsilon_1}$ direction at a rate equivalent to the longterm and large-scale permanent rate of deformation caused by earthquakes. Relatively steady extension of the seismogenic layer at the long-term rate could occur, for example, if the strain accumulation in this layer is driven by basal tractions produced by underlying ductile extension (see Bourne et al., 1998, and Niemi et al., 2004).

The simplifying assumptions that we made are reasonable for the Wasatch Front region. All of the major active faults in the region are normal faults. The average azimuth of the maximum horizontal extensional strain rate for the region as a whole, weighted by the principal strain rate magnitudes ϵ_1 ,

is N. 86° E. (Table 6.2-2). This average azimuth is perpendicular to the approximately N-S average strike of the faults in the Wasatch Front region (Figure 6.1-1). The actual fault strikes vary, but generally range from SSW to SSE. The ϵ_1 azimuths generally range from ENE-WSW to ESE-WNW in the parts of the Wasatch Front region where ϵ_1 is above its average value of 11×10^{-9} . As noted earlier, in some places, such as along the central WFZ, there appears to be a tendency for the ϵ_1 azimuths to rotate to directions perpendicular to the local fault strikes (Figure 6.2-1).

6.4 Geodetic Moment Rates

We applied Equation (6-4) to calculate geodetic moment rates for the Wasatch Front region and the four subregions shown in Figure 6.1-1. The input parameters that we used are $\mu = 3 \times 10^{11}$ dynes/cm², A = surface area of the region, $H_s = 15 \pm 3$ km (from Section 3.3), $\delta = 50^{\circ} \pm 15^{\circ}$ (from Section 3.2), and the best estimate ϵ_1 values listed in Table 6.2-2, with assumed 90% confidence limits of $\pm 15\%$ as discussed in Section 6.2. The uncertainty in μ is not considered here because the geodetic and the geological/seismological moment rates all depend linearly on μ and the same value of μ is used for all moment rate calculations. Consequently, the uncertainty in μ is irrelevant for the comparisons between geodetic and geological/seismological moment rates.

We used discrete probability distributions for H_s , δ , and ϵ_1 and a logic tree approach to determine mean, 5th percentile, and 95th percentile values for the geodetic moment rates. For H_s we initially used the two region-dependent three-point logic tree distributions from Section 3.3: 12 km (0.2), 15 km (0.7), and 18 km (0.1) for the WFZ and faults to the west and 12 km (0.1), 15 km (0.7), and 18 km (0.2) for faults to the east of

the WFZ. For δ , we used the following five-point distribution (based on Miller and Rice, 1983) rather than the three-point distribution employed in the WGUEP earthquake probability calculations in order to better account for the non-Gaussian distribution of the $1/(\sin 2\delta)$ factor in equation 6-4: 28.8° (0.101), 40.6° (0.244), 50° (0.310), 59.4° (0.244), and 71.2° (0.101). This five-point dip distribution, like the three-point dip distribution, approximates a normal distribution in which the 10th and 90th percentile dips are 35° and 65°, respectively. For $\dot{\epsilon_1}$, we approximate a normal distribution with 5th and 95th percentile values of $0.85\dot{\epsilon_1}$ and $1.15\dot{\epsilon_1}$, respectively, with a three-point distribution from Keefer and Bodily (1983): $0.85\dot{\epsilon_1}$ (0.2), $\dot{\epsilon_1}$ (0.6), and $1.15\dot{\epsilon_1}$ (0.2). After combining the discrete probability distributions for H_s , δ , and $\dot{\epsilon_1}$ together in a logic tree, we found that the geographic variation in the H_s weights had only a very minor effect on the mean and 5th and 95th percentile values for the geodetic moment rates. Given this fact, and the difficulty of identifying and separating the strain accumulation zones for the faults east and west of the WFZ, we decided to simply average the values from the two sets of H_s weights.

6.5 Geological/Seismological Moment Rates

Table 6.5-1 lists the mean, 5th percentile, and 95th percentile geological moment rates for all of the faults considered in the WGUEP's earthquake forecast plus the corresponding seismological moment rates for the background earthquake source. We calculated the mean moment rates using the seismic source models and associated logic trees developed in the preceding sections of this report, excluding the time-dependent models and assuming $\mu = 3 \times 10^{11}$ dynes/cm². The 5th percentile moment rates are zero for the independent ruptures on four faults that are modeled as subsidiary faults in an antithetic fault pair. These rates are zero because the antithetic fault pairs may also rupture coseismically and in that branch of the logic tree, all of the moment rate is assigned to the master fault. Table 6.5-1 also indicates how the moment rates from the various sources are partitioned among the four subregions shown in Figure 6.1-1. For the faults or fault segments that span two subregions, the moment rates are divided between the two subregions proportional to the percentage of the straight line end-to-end fault length that lies within each region. The relatively small moment rate from the background source, about 3% of the total, is subdivided proportional to the subregion areas.

Table 6.5-2 provides the total geological/seismological moment rates for the Wasatch Front region and its four subregions, plus subtotals for three groups of sources: the WFZ, all other faults including the OGSLFZ, and the background earthquakes. The mean moment rate for a group of sources is, to a good approximation, equal to the sum of the mean moment rates for its constituent sources. However, that is not true for the 5th and 95th percentile moment rates.

As indicated in Table 6.5-2, the mean total moment rate in the WGUEP source model for the whole Wasatch Front region is 6.31×10^{24} dyne-cm/yr. This rate is equivalent to the moment rate that would be produced by the occurrence of one M 5.8 earthquake per year. Two-thirds of the total moment rate for the region comes from the two central subregions, which have nearly equal moment rates and together occupy about half the area of the Wasatch Front region (Figure 6.1-1). One of these two central subregions, NE-P, includes the Nephi and Provo segments of the WFZ; the other, SLC-W, includes the Salt Lake City and Weber segments of the WFZ. The northernmost subregion, BC-N, has a somewhat smaller moment rate than the two central subregions despite its larger area, which covers about one-third the total area of the Wasatch Front region. The BC-N subregion includes the Brigham City segment of the WFZ and other WFZ segments farther north. The southernmost subregion, L-F, has a mean moment rate that is a factor of five or more smaller than that of all of the other subregions. The L-F subregion covers the northsouth extent of the Levan and Fayette segments of the WFZ.

One of the most significant observations to be made from Table 6.5-2 is that the WFZ accounts for only about half of the estimated seismic moment rate for the Wasatch Front region. The other half comes primarily from the rest of the faults in the region, including the OGSLFZ, which have a combined moment rate comparable to that of the WFZ. This result is consistent with Hecker's (1993) tabulation of post-Bonneville surface-faulting earthquakes within a region very similar to the Wasatch Front region as defined in this report (Figure 6.1-1). Hecker's tabulation showed that only half of the estimated 50 to 120 post-Bonneville surface-faulting earthquakes within her study region that were recognized or suspected at the time of her study occurred on the WFZ. One implication of the moment rate subtotals in Table 6.5-2 is that it is very important for strain rate models for the Wasatch Front region to include the other faults in the region besides the WFZ. Some of the Wasatch Front strain rate models published to date do not, including Chang et al. (2006) and Velasco et al. (2010).

6.6 Comparison of Geodetic and Geological/ Seismological Moment Rates

Table 6.6-1 compares geodetic moment rates to geological/seismological moment rates for the Wasatch Front region, and for the four subregions mapped in Figure 6.1-1. For the Wasatch Front region and the three northernmost subregions, the agreement between the two moment rates is reasonably good and well within the uncertainty limits. The geological/seismological moment rate for the Wasatch Front region as a whole is lower than the geodetic moment rate, by 31%, but there is substantial overlap in the uncertainty limits. For the SLC-W and NE-P subregions, which encompass the Salt Lake City, Weber, Nephi, and Provo segments of the WFZ, the mean values for the two moment rates agree within 15%. For the BC-N subregion, which includes the Brigham City

Table 6.5-1. Geological/seismological moment rates for Wasatch Front region seismic sources.

Source	N	Moment Rate (dyne	-cm/yr)		% M ₀ Rat	e in Subregio	n
	Mean	5th Percentile	95th Percentile	L-F	NE-P	SLC-W	BC-N
Wasatch Fault Zone							
Fayette segment	2.71E+22	1.13E+21	7.23E+22	100			
Levan segment	7.23E+22	7.73E+21	1.82E+23	100			
Nephi segment	6.03E+23	1.29E+23	1.52E+24		100		
Provo segment	9.56E+23	2.91E+23	2.07E+24		100		
Salt Lake City segment	5.38E+23	1.47E+23	1.20E+24			100	
Weber segment	7.67E+23	2.25E+23	1.72E+24			100	
Brigham City segment	3.40E+23	9.59E+22	7.87E+23				100
Collinston segment	1.27E+22	1.64E+21	3.26E+22				100
Clarkston Mt segment	1.26E+22	1.47E+21	2.93E+22				100
Malad City segment	1.83E+22	2.31E+21	4.77E+22				100
Oquirrh-Great Salt Lake Fault Zone	1 1100			-			1
East Tintic segment	3.58E+22	5.67E+21	9.04E+22		100		
Topliff Hill segment	4.51E+22	7.15E+21	1.10E+23		100		
Southern Oquirrh segment	5.07E+22	9.53E+21	1.14E+23		100		
Northern Oquirrh segment	4.68E+22	6.14E+21	1.14E+23	1	100	100	
Antelope Island segment	1.51E+23	3.49E+22	3.70E+23			100	
Fremont Island segment	1.31E+23	2.34E+22	3.17E+23			100	
Promontory segment	9.45E+22	1.62E+22	2.43E+23			70	30
Rozelle segment	9.43E+22 9.97E+22	2.39E+22	2.77E+23			70	100
Other Modeled Faults	9.97E=22	2.39E+22	2.77E+23				100
	5.57E+21	0.00E+00	2.63E+22	Т	<u> </u>	100	
West Valley fault zone (ind ruptures) Utah Lake faults (ind ruptures)	3.37E+21 3.44E+22	0.00E+00	1.22E+23		100	100	
East Cache fault zone					100		100
	1.26E+23	2.00E+22	3.19E+23			100	100
Bear River fault zone	1.84E+23	6.98E+22	5.68E+23		+	100	100
Eastern Bear Lake fault	5.12E+23	1.12E+23	1.44E+24				100
Western Bear Lake fault (ind ruptures)	1.45E+22	0.00E+00	6.10E+22				100
North Promontory fault	9.07E+22	1.91E+22	2.43E+23				100
Hansel Valley fault (ind ruptures)	5.74E+21	0.00E+00	2.12E+22		100		100
Stansbury fault-Southern segment	6.37E+22	6.52E+21	1.92E+23		100	10	
Stansbury fault-Central segment	1.23E+23	1.25E+22	3.97E+23		90	10	
Stansbury fault-Northern segment	8.99E+22	9.20E+21	2.72E+23			100	
West Cache fault zone	1.53E+23	3.30E+22	3.56E+23				100
Rock Creek fault	2.33E+23	4.49E+22	5.61E+23				100
Carrington fault	8.57E+22	1.39E+22	1.99E+23			100	
Skull Valley faults	8.04E+22	9.82E+21	1.75E+23		100		
Scipio Valley and Pavant Range faults	5.62E+22	4.93E+21	1.97E+23	100			
Curlew Valley faults	5.51E+22	1.10E+22	1.75E+23				100
Gunnison fault	5.21E+22	4.60E+21	1.84E+23	90	10		
Strawberry fault	3.19E+22	7.36E+21	1.02E+23		100		1
Little Valley faults	2.48E+22	2.19E+21	8.75E+22	100			
Crater Bench and Drum Mts fault zone	2.97E+22	2.85E+21	1.14E+23	100			
Joes Valley fault zone	2.11E+22	6.38E+20	6.07E+22	100			
East Dayton-Oxford faults	8.93E+21	1.26E+21	1.89E+22				100
Porcupine Mt fault	7.28E+21	1.92E+21	1.92E+22			100	
Main Canyon fault	5.37E+21	1.42E+21	1.42E+22			100	
West Crawford Mts fault	4.99E+21	1.37E+21	1.37E+22				100
Morgan fault	3.47E+21	8.20E+20	9.30E+21			100	
Stinking Springs fault	1.14E+22	1.84E+21	4.10E+22		100		
Snow Lake graben	1.32E+22	3.80E+20	3.98E+22	100			
				*	-	•	•
Background Earthquakes	1.83E+23	8.15E+22	3.51E+23	19.0	24.6	24.2	32.3

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Table 6.5-2.	. Geological/seismolog	ical moment rates for the	e Wasatch Front region a	nd subregions (dvne-cm/vr).

Source				Region		
		Wasatch Front	L-F	NE-P	SLC-W	BC-N
Wasatch Fault Zone	Mean	3.33E+24	9.94E+22	1.56E+24	1.31E+24	3.84E+23
	5th Percentile	1.51E+24	1.01E+22	5.59E+23	4.98E+23	1.25E+23
	95th Percentile	6.21E+24	2.57E+23	3.16E+24	2.56E+24	8.24E+23
OGSLFZ Plus Other Faults	Mean	2.77E+24	1.92E+23	4.69E+23	7.82E+23	1.33E+24
	5th Percentile	1.88E+24	7.52E+22	2.23E+23	4.14E+23	7.47E+23
	95th Percentile	4.02E+24	3.74E+23	8.38E+23	1.33E+24	2.28E+24
Background Earthquakes	Mean	1.83E+23	3.48E+22	4.51E+22	4.44E+22	5.92E+22
	5th Percentile	8.15E+22	1.55E+22	2.01E+22	1.97E+22	2.63E+22
	95th Percentile	3.51E+23	6.67E+22	8.64E+22	8.50E+22	1.13E+23
Total	Mean	6.31E+24	3.26E+23	2.07E+24	2.13E+24	1.77E+24
	5th Percentile	4.18E+24	1.54E+23	1.02E+24	1.19E+24	1.09E+24
	95th Percentile	9.36E+24	5.58E+23	3.70E+24	3.54E+24	2.79E+24

Table 6.6-1. Comparison of geodetic and geological/seismological moment rates.

Dogian	Area	Geo	detic M ₀ Rate (10 ²⁴	dyne-cm/yr)	Geol/	Seism M ₀ Rate (10	²⁴ dyne-cm/yr)
Region	(10^{14} cm^2)	Mean	5th Percentile	95th Percentile	Mean	5th Percentile	95th Percentile
Wasatch Front	8.21	9.13	6.53	13.28	6.31	4.18	9.36
BC-N	2.65	2.71	1.94	3.94	1.77	1.09	2.79
SLC-W	1.99	2.40	1.72	3.49	2.13	1.19	3.54
NE-P	2.02	2.37	1.70	3.45	2.07	1.02	3.70
L-F	1.56	1.67	1.20	2.43	0.33	0.15	0.56

segment and the three less active segments to the north, the geological/seismological moment rate is 35% below the geodetic moment rate. However, there is considerable overlap in the 5th and 95th percentile confidence limits for these moment rates.

In contrast, the geodetic moment rate for the L-F subregion, which spans the north-south extent of the Levan and Fayette segments of the WFZ, is a factor of five higher than the geological/seismological moment rate. This difference is significant at the 90% level, because the 5th percentile for the geodetic moment rate (1.20×10^{24} dyne-cm/yr) is more than a factor of two above the 95th percentile for the geological/seismological moment rate (0.56 \times 10²⁴ dyne-cm/yr). The large discrepancy between these two moment rates is consistent with the results of the Zeng and Shen (2014) fault slip rate inversion shown in Figure 6.1-3. The evidence for this discrepancy can be seen in the original data. The strain rate for the L-F subregion is about the same as in the other subregions, as shown in Table 6.2-2 and Figures 6.1-2 and 6.2-3. The geodetic moment rate for the L-F subregion is 62% to 70% of the rates in the other subregions, mostly due to the smaller area of the L-F subregion (Table 6.6-1). However, the geological moment rate on the WFZ in the L-F subregion is only one-fourth or less of the rates in the other subregions, and the geological moment rate on the other faults is less than half the values for other subregions (Table 6.5-2).

6.7 Discussion: The Moment Rate Discrepancy

6.7.1 The Levan and Fayette Segments

The underlying reason for the high geodetic moment rate in the L-F region compared to the geological/seismological moment rate is unknown. The highest strain rates in this region occur in the general vicinity of the Levan and Fayette segments of the WFZ (Figures 6.1-2 and 6.2-1). Is it possible that the WGUEP model underestimates the geological moment rates on these two segments? In the Zeng and Shen (2014) inversion solution, the slip rate on the Levan segment is a factor of five higher than the geologic slip-rate estimate of 0.31 mm/yr (Haller and Wheeler, 2008). The Fayette segment was not included in the Zeng and Shen (2014) inversion because this segment was not used in the hazard calculations for the 2008 NSHMs. If we multiply the moment rate on the Levan segment by five, the mean geological/seismological moment rate in the L-F region increases to 0.62×10^{24} dyne-cm/yr. However, this moment rate is still a factor of 2.7 below the mean geodetic moment rate.

The paleoseismic data for the Levan and Fayette segments are more limited than the data available for the five central segments of the WFZ to the north (Brigham City to Nephi).

Nevertheless, from the available data, the rate of earthquake activity on the Levan and Fayette segments is evidently much lower than on the five central segments. Paleoseismic studies of scarps, one trench, and one natural exposure on the Levan segment have found evidence for two surface-faulting earthquakes on this segment since sometime before 6000-10,600 cal yr B.P. (Section 4.4.2; Hylland, 2007b; Hylland and Machette, 2008). In contrast, four or five documented surfacefaulting earthquakes occurred during the past ~6000 yrs on each of the five central segments of the WFZ (Table 4.1-1; Figure 4.1-2). On the Fayette segment, cross-cutting geologic relations and scarp profile data indicate that the most recent surface faulting occurred in the mid- to early Holocene on the southwestern strand, latest Pleistocene on the southeastern strand, and prior to ~250,000 ka on the northern strand. The times of earlier surface-faulting earthquakes on the Fayette segment are unknown due to the lack of trenching data (Section 4.2.2; Hylland, 2007b; Hylland and Machette, 2008).

The WGUEP model uses slip rates to quantify the rates of seismic activity on the Levan and Fayette segments. Holocene vertical slip-rate bounds from the trench and the natural exposure on the Levan segment are < 0.5 to 2.3 mm/yr and < 0.2 to 0.4 mm/yr, respectively, the latter value being considered the more reliable of the two (Table 4.2-1; Hylland and Machette, 2008). On the Fayette segment, vertical offsets measured from scarp profiles, in combination with maximum age estimates for the most recent event, provide Holocene slip rate bounds of > 0.07 to 0.1 mm/yr for the southwestern strand and latest Pleistocene slip rate bounds of > 0.03 to 0.07 mm/yr for the southeastern strand (Table 4.2-1). In the WGUEP segmented rupture model (weight 0.9), the total slip rate on the Levan and Fayette segments is equally partitioned between single-segment ruptures and combined Levan-Fayette segment ruptures (see Table 4.2-2 and the accompanying discussion). The sum of the median vertical slip rates assigned to these two types of ruptures is 0.3 mm/yr on the Levan segment and 0.175 mm/yr on the Fayette segment. For comparison, the closed mean vertical slip rates for the five central segments of the WFZ have preferred values ranging from 1.3 mm/yr to 2.0 mm/yr (Table 4.1-4).

The difference between the means of the geodetic moment rate and the geological/seismological moment rate for the L-F region is 1.34×10^{24} dyne-cm/yr. This difference is a factor of 13.5 larger than the sum of the mean moment rates on the Levan and Fayette segments in the WGUEP model, which is 9.94×10^{22} dyne-cm/yr. Therefore, to account for the moment rate discrepancy by changing the WGUEP slip rates for the Levan and Fayette segments, we would need to increase these slip rates by a factor of 14.5. The resulting vertical slip rates of 4.4 mm/yr on the Levan segment and 2.5 mm/yr on the Fayette segment are clearly unrealistic, as they are significantly larger than the preferred mean slip rates for the five central segments of the WFZ (Table 4.1-4). Also, a 4.4 mm/yr slip rate on the Levan segment would exceed both of the maximum slip rate estimates for this segment.

The geological moment rates in the WGUEP model are a function of the fault dips, which are assumed to be $50^{\circ} \pm 15^{\circ}$ (90% confidence limits) for all faults. Some evidence suggests that the dips along the Levan and Fayette segments of the WFZ might be at or below the low end of the assumed dip range. Smith and Bruhn (1984) interpret a seismic reflection section across the northern Levan segment at the town of Levan (Figure 6.1-1) to show a WFZ dip of ~34° at 1.9 km depth. However, this dip measurement has a large uncertainty because of the poor quality of the seismic reflection data. Schelling et al. (2007) write that "south of the town of Nephi [Figure 6.1-1], the Wasatch fault dip decreases and seismic data indicate that this southern extension of the Wasatch fault merges with a detachment surface located within shales and evaporites of the Arapien Shale underneath Juab Valley." On a structural cross section that crosses the Levan segment 6.5 km NNE of Levan, Schelling et al. (2007) show the dip of the WFZ decreasing from ~40° near the surface to ~6° at ~3.6 km depth, at the base of the Arapien Shale. It is unclear from their cross section what happens to the WFZ beyond the western end of the 6°-dipping section, which is 9 km west of the surface trace. Unfortunately, we cannot evaluate Schelling et al.'s (2007) interpretation of the subsurface geometry of the Levan segment because they did not publish the seismic reflection data on which it is based. We are skeptical of their interpretation for various reasons, including the lack of supporting data, mechanical implausibility, and the difficulty of distinguishing Mesozoic thrust faults from superimposed Cenozoic normal faults. Nevertheless, the Schelling et al. (2007) and Smith and Bruhn (1984) studies motivate us to explore the effects of possible lower fault dips along the Levan and Fayette segments on the L-F region moment rate discrepancy.

For fixed values of μ , L, H_s , and vertical slip rate \dot{d}_v , substituting $d_y / \sin \delta$ for $\bar{d} / \Delta t$ in Equation (6-5) shows that the moment rate on a normal fault is proportional to $1/(\sin \delta)^2$. Therefore, to estimate the moment rate for an assumed dip δ other than $50^{\circ} \pm 15^{\circ}$, we multiply the WGUEP moment rate by (sin 50° / $\sin \delta$)². This dip adjustment is approximate because the original WGUEP moment rates are mean values calculated using discrete probability distributions for dip and other parameters. Recall that the geodetic moment rate is inversely proportional to $\sin 2\delta$ (Equation [6-4]). Consequently, if the missing geodetic moment rate is assumed to be accommodated by normal faults with a dip other than 50°, we multiply it by sin 100°/sin 2δ. This adjustment is also approximate because our original geodetic moment rates are mean values calculated using discrete probability distributions for dip, seismogenic depth, and strain rate (Section 6.4).

The shallowest plausible dip for a seismogenic normal fault in the Wasatch Front region is 30°, based on both theoretical expectations and a worldwide compilation of fault plane dips for 25 shallow, continental, M > 5.5 normal-faulting earthquakes (Collettini and Sibson, 2001). This compilation shows a dip distribution extending from 30° to 65°, with a peak at

45°. As discussed in Section 3.2, the available data from large normal-faulting earthquakes in the Basin and Range Province are in agreement with the minimum dip of 30° observed in the worldwide data set. If we assume a dip of 30° instead of 50° on the Levan and Fayette segments, the dip adjustment discussed above increases their combined geologic moment rate to 2.33×10^{23} dyne-cm/yr. The geodetic moment rate in the L-F region that is unaccounted for by earthquake sources in the WGUEP model other than the Levan and Fayette segments is 1.44 × 10²⁴ dyne-cm/yr for 50°-dipping faults and 1.64×10^{24} dyne-cm/yr for 30°-dipping faults. Therefore, in order to account for the missing moment rate on the Levan and Fayette segments, assuming 30° dips, their slip rates would need to be increased by a factor of 7.0. The resulting median slip rates of 2.1 mm/yr on the Levan segment and 1.2 mm/yr on the Fayette segment are still unrealistically high. We conclude that the Levan and Fayette segments could, at most, account for only a small part of the discrepancy between the geodetic and geological/seismological moment rates for the L-F region.

6.7.2 Faults Omitted From the WGUEP Model

Another possibility that must be considered is that the WGUEP fault model is missing one or more significant active faults in the L-F region. Table 6.7-1 summarizes information on 12 known or suspected Quaternary faults that are located at least partially within the L-F region but are not included in the WGUEP fault model (see also Figure 6.7-1). All are normal faults with northerly or southerly strikes. Eleven of these faults are in the *Quaternary Fault and Fold Database of the United States* (USGS, 2013; see also Black *et al.*, 2003). All 11 are assigned to the database slip rate category of < 0.2 mm/yr, but the database does not cite specific slip-rate measurements for any of them. These 11 faults are not included in the WGUEP

model because the WGUEP considered them unlikely to significantly affect the earthquake forecast, based primarily on their length and/or the age of their most recent surface deformation (see Section 4.5). For completeness, Table 6.7-1 includes another suspected Quaternary fault in the region that Cline and Bartley (2007) have named the Salina detachment (Figure 6.7-1). This feature is a Cenozoic-Jurassic contact on the eastern side of the Sevier Valley that Cline and Bartley (2007) interpret as an east-dipping rolling hinge normal fault (Buck, 1988; Wernicke and Axen, 1988). They argue that this fault is a southwestward continuation of the Gunnison fault (called the West Sanpete fault in their paper) that likely transfers displacement southward to the Elsinore and Sevier faults. The only evidence that the Salina detachment is active is its inferred connection to the Gunnison fault, which has had late Holocene movement (Fong, 1995; Black et al., 2003). If the Salina detachment is active, then its slip rate is likely to be in the < 0.2 mm/yr category like the Gunnison fault to the north and the Sevier and Elsinore faults to the south.

The cumulative length within the L-F region of all of the faults listed in Table 6.7-1 is 175 km. To estimate their combined moment rate, we assume that they are all pure normal faults with a dip of 50° that extend to 15 km depth. With these assumptions, and the previously assumed rigidity of 3×10^{11} dynes/cm², the maximum estimated slip rate for these faults of 0.2 mm/yr gives a maximum estimated moment rate of 2.68×10^{23} dyne-cm/yr. This maximum moment rate is a factor of five smaller than the missing moment rate.

Of course, it is possible that the length and/or slip rate has been underestimated for some of the faults in Table 6.7-1, or that there are other, unknown, active faults in the region. To put these possibilities into perspective, let us assume, for the sake of argument, that all of the missing moment rate occurs

Table (7.1	Earlie in the I	E audamanian that		ne WGUEP fault model
Table 6.7-1.	. Faillis in the L	-F subregion that	are not included in ti	ie wuluer failit model

Fault Name*	End-To-End	Length in L-F	Time of Most Recent Deformation*
	Length (km)*	Region (km)	
Clear Lake fault zone	36	26	Latest Quaternary (< 15 ka)
Cricket Mountains (north end) faults	3	3	Middle and late Quaternary (< 750 ka)
Cricket Mountains (west side) fault	41	7	Latest Quaternary (< 15 ka)
Deseret faults	7	7	Middle and late Quaternary (< 750 ka)
Gooseberry graben faults	23	4	Middle and late Quaternary (< 750 ka)
Japanese and Cal Valleys faults	30	30	Middle and late Quaternary (< 750 ka)
Pavant faults	30	26	Middle and late Quaternary (< 750 ka)
Pleasant Valley fault zone, unnamed	31	2	Quaternary (< 1.6 Ma)
Sage Valley fault	11	11	Quaternary (< 1.6 Ma)?
Salina detachment	80	38	Quaternary (< 1.6 Ma)?
Sugarville area faults	5	5	Latest Quaternary (< 15 ka)
White Mountain area faults	16	16	Quaternary (< 1.6 Ma)
Total	_	175	

^{*}Information from USGS (2013), except for the Salina detachment (Cline and Bartley, 2007).

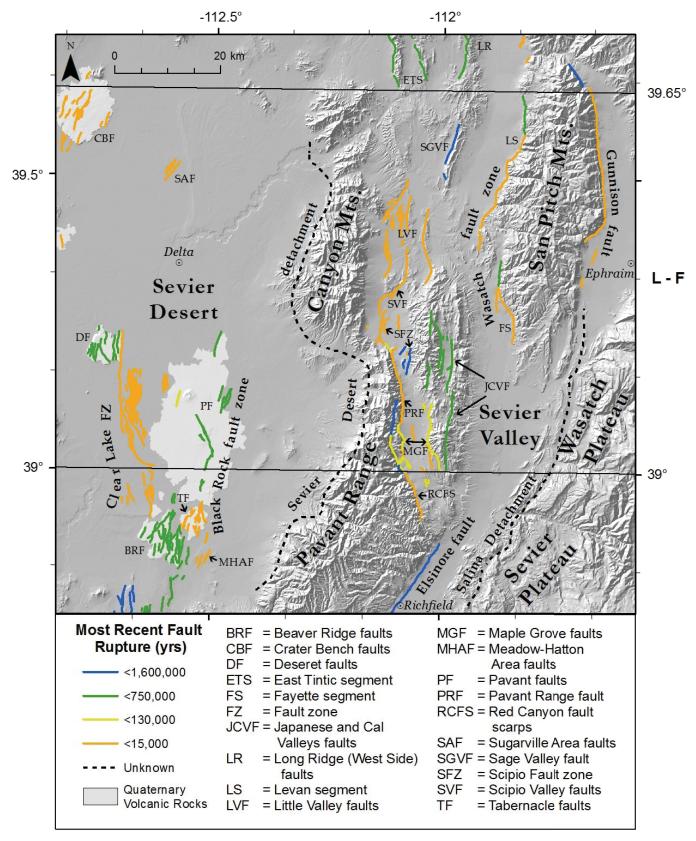


Figure 6.7-1. Map of the west-central part of the L-F subregion showing Quaternary volcanic rocks (Hecker, 1993) and the surface traces of faults in the *Quaternary Fault and Fold Database of the United States* (USGS, 2013), color-coded by age. The dashed black lines are the surface traces of two other possible Quaternary faults discussed in the text: the Salina detachment (Cline and Bartley, 2007) and the Sevier Desert detachment. The trace for the latter is the surface projection of the Sevier Desert reflector from Anders *et al.* (2001), shown over the north-south extent of the contour map of this reflector in Wills *et al.* (2005). Shaded topography generated from 60-m digital elevation data (http://nationalmap.gov).

on a north- or south-striking normal fault with a dip of 50° that extends the full north-south length of the L-F region (72.2 km) and has a depth extent of 15 km. With these assumptions and the assumed rigidity, the vertical component of the slip rate on the fault would need to be 2.4 mm/yr to account for the missing seismic moment. This slip rate is comparable to the maximum slip-rate estimates for the five central, most active segments of the WFZ (Table 4.1-4). It seems unlikely that a 72-km-long, moderately-dipping fault with a slip rate of 2.4 mm/yr, or even four such faults with slip rates of ~0.6 mm/ yr, could exist in the L-F region and remain unrecognized. It is possible that there are unrecognized active faults buried beneath the late Pleistocene Lake Bonneville sediments that underlie much of the western third of the L-F region. However, during the 13 kyr time period since the youngest of these lake sediments were deposited (Reheis et al., 2014; Oviatt, 2015), a normal fault with a vertical-component slip rate of 0.6 mm/yr would be expected to produce multiple surfacefaulting earthquakes and a total vertical displacement of ~7.8 m. A fault with 7.8 m of post-Bonneville displacement should be visible in the L-F region landscape.

If our hypothetical fault is assumed to have a dip of less than 50°, then it could accommodate the missing moment rate with a slip rate that has a vertical component of less than 2.4 mm/yr. If we assume a 30° dip for our hypothetical 72-km-long northor south-striking normal fault, the vertical component of the slip rate required to account for the missing moment rate is 1.2 mm/yr. We consider it unlikely that an unrecognized fault having this length and slip rate exists in the L-F region.

6.7.3 The Sevier Desert Detachment

If our hypothetical fault is assumed to have a dip of 12°, then it could accommodate the missing moment rate with a slip rate having a vertical component of 0.43 mm/yr. If the arguments in the previous sections are temporarily set aside, the calculation for a 12° dip is potentially relevant because a number of investigators have interpreted a prominent, 11°- to 12°-west-dipping seismic reflector beneath the Sevier Desert in the L-F region to be a low-angle normal fault known as the Sevier Desert detachment (McDonald, 1976; Allmendinger et al., 1983; Von Tish et al., 1985; Planke and Smith, 1991; Coogan and DeCelles, 1996; McBride et al., 2010). This reflector projects to the surface along the western margins of the Canyon and Pavant Ranges (Figure 6.7-1; Anders et al., 2001; Niemi et al., 2004). Contour maps of the Sevier Desert reflector, constructed with data from reflection profiles and wells, show a minimum north-south extent of 75 to 85 km with the northern end located ~10-15 km south of the northern boundary of the L-F subregion (Von Tish et al., 1985; Planke and Smith, 1991; Wills et al., 2005). Perpendicular to strike, the reflector can be traced westward for more than 70 km from the near surface to a depth of 12 to 15 km (Allmendinger et al., 1983; Von Tish et al., 1985).

Interestingly, Niemi et al. (2004) attributed a maximum horizontal Holocene slip rate of 6.6 mm/yr to the Sevier Desert detachment, which they assumed to have an average dip of 12° based on seismic reflection profile interpretations by Allmendinger et al. (1983) and Von Tish et al. (1985). This detachment accounts for two-thirds of Niemi et al.'s estimated maximum Holocene geologic extension rate on an east-west profile across the L-F region. However, the Sevier Desert detachment is not included in the WGUEP seismic source model due to questions about whether or not this interpreted detachment is actually an active fault (discussed below) and the lack of evidence worldwide for normal-faulting earthquakes on faults of such shallow dip (discussed above and in Section 3.2). We note that there is no entry for the Sevier Desert detachment in the Quaternary Fault and Fold Database of the United States (USGS, 2013), although it is mentioned in the discussions of some other faults in the region.

The geological origin and seismogenic potential of the Sevier Desert reflector have been controversial for more than three decades (see Hintze and Davis, 2003, Christie-Blick et al., 2009, and McBride et al., 2010, for reviews). Anders and Christie-Blick (1994) and Anders et al. (2001) argue that the eastern part of this reflector is not a fault but an unconformity, based on their observation that cores and drill cuttings from two industry boreholes show no increase in microfractures and other forms of fault-related deformation near the reflector. They interpret the western part of the reflector to be a Cretaceous thrust fault that fortuitously aligns with the unconformity (see also Wills et al., 2005). The supporters of the detachment hypothesis consider the borehole data of Anders and Christie-Blick (1994) and Anders et al. (2001) to be unreliable due to the 3 m sampling interval (Allmendinger and Royce, 1995; Coogan and DeCelles, 2007). Otton (1995) proposed that a west-dipping, low-angle (18° to 24°) contact between Miocene conglomerates and underlying Cambrian and Precambrian rocks in the western Canyon Mountains is a surface exposure of the Sevier Desert detachment. However, based on their own field studies, Wills and Anders (1999) and also Hintze and Davis (2003, p. 205) interpret this contact as an unconformity rather than a fault.

Even if one accepts the interpretation of the Sevier Desert reflector as a low-angle normal fault, there is no compelling evidence that this fault is still active. No Quaternary fault scarps are mapped in the area where the Sevier Desert reflector projects to the surface (Figure 6.7-1; USGS, 2013). Various authors have proposed that some active fault traces farther west in the Sevier Desert are splays of the Sevier Desert detachment, most notably the east-dipping Clear Lake fault zone and the west-dipping Black Rock fault zone (Figure 6.7-1; Von Tish *et al.*, 1985; Niemi *et al.*, 2004; McBride *et al.*, 2015). The Black Rock fault zone (Hoover, 1974; Oviatt, 1991) consists of the faults called the Pavant faults, Tabernacle faults, Beaver Ridge faults, and Meadow-Hatton Area faults in the *Quaternary Fault and Fold Database of the United States* (USGS, 2013). The Clear Lake and Black Rock fault

zones are close together at their southern ends and diverge northward to form a north-trending graben ~35 km long and up to 15 km wide, centered 25 to 35 km west of the surface projection of the Sevier Desert reflector (Figure 6.7-1; Niemi et al., 2004; McBride et al., 2015). This graben is imaged on a seismic reflection profile published by McDonald (1976, Plate III, at the intersection of lines 2 and 3). McDonald interpreted this graben to be bounded by listric normal faults that sole into the Sevier Desert detachment, based in part on his observation that these faults do not noticeably offset the detachment. On other seismic reflection lines across the Sevier Desert, McDonald (1976, Plate IV, line 20), Planke and Smith (1991, lines 2, 4, and 10), and Niemi et al. (2004, their Figure 7) interpreted an east-dipping listric normal fault or fault zone that projects upward to the Clear Lake fault scarps on the western side of the graben (the Western Basin-Bounding fault of Planke and Smith, 1991) and merges downward into the Sevier Desert detachment. However, in the opinion of Mc-Bride et al. (2015), "no published subsurface data clearly and definitively link" the Clear Lake fault and the Sevier Desert detachment. Wills et al. (2005, their Figure 10) presented an alternative interpretation of seismic reflection and well data for the Sevier Desert that shows the Clear Lake and Black Rock fault zones cutting the Sevier Desert reflector (which they refer to as the Paleozoic-Tertiary contact).

In their analysis of geological extension rates across the L-F region, Niemi et al. (2004) treated the Black Rock fault zone as the current primary surface trace of the Sevier Desert detachment. They assigned a maximum Holocene vertical slip rate of 1.4 mm/yr to this fault zone, based on Hoover's (1974) report that it displaces the 11 ka Tabernacle Hill basalt flow by 15.2 m along the Tabernacle faults section of this fault zone (TF on Figure 6.7-1). Niemi et al. (2004) considered this slip rate to be a maximum value because Hecker (1993, citing Oviatt, verbal communication, 1988) noted that the Tabernacle Hill flow appears to be draped over pre-existing fault scarps. If so, then some or all of the fault displacement could predate the flow. From this maximum vertical slip rate d_v on the Black Rock fault zone, Niemi et al. (2004) calculated a maximum Holocene horizontal slip rate d_h on the Sevier Desert detachment of 6.6 mm/yr using the simple geometrical relationship $d_h = d_v / \tan \delta$ and an average dip δ on the detachment of 12°. They did not consider the slip rate on the antithetic Clear Lake fault in their calculation, stating that "it is unclear how vertical slip rates on an antithetic fault that soles into the detachment relate to the slip rate on the detachment at depth." Replacement of Hoover's (1974) approximate age of 11 ka for the Tabernacle Hill basalt flow by a much better determined age of 18.2 ± 0.3 cal ka B.P. from Lifton et al. (2015) reduces the maximum vertical slip rate on the Black Rock fault zone to 0.84 mm/yr and the maximum horizontal slip rate on the Sevier Desert detachment to 4.0 mm/yr.

There are three issues with Niemi et al.'s (2004) assumption that the Black Rock and Clear Lake fault zones are the active surface traces of the Sevier Desert detachment, two of which

they acknowledge. The first is that no significant topography has developed along either the Black Rock fault zone or the antithetic Clear Lake fault zone. The second is that the Black Rock fault zone is only about half as long as the mapped extent of the Sevier Desert detachment (Figure 6.7-1). These two facts are incompatible with the large middle and late Cenozoic displacements of 5.5–7.2 km (Planke and Smith, 1991) to 28-38 km (Von Tish et al., 1985) estimated for the Sevier Desert detachment, unless one assumes that the surface displacement on this detachment has only recently shifted to the Black Rock fault zone. Niemi et al. (2004) and others suggested that such a shift has occurred, but if so, then where are the older surface traces of the Sevier Desert detachment? The third issue is that the Black Rock fault zone cuts Quaternary volcanic rocks over most of its length and connects four Quaternary volcanic vents (Oviatt, 1989, 1991; McBride et al., 2015). This association with recent volcanism suggests that the displacements along the Black Rock fault zone and the nearby Clear Lake fault zone could be the result of local magma movement and/or subsidence over a magma chamber, rather than tectonic processes (Oviatt, 1989; Hecker, 1993; Black et al., 1999; Niemi et al., 2004).

Finally, there are some significant questions regarding the field observations on which Niemi et al.'s (2004) preferred Holocene slip rate for the Black Rock fault zone is based. The first, as mentioned above, is the question of whether or not the Tabernacle Hill basalt flow is cut by this fault zone or if it is draped over pre-existing fault scarps. The second question is whether or not the 15.2 m vertical displacement of this flow reported by Hoover (1974) is the net vertical displacement across the entire fault zone, which is the appropriate measurement to use for a slip-rate calculation. The Tabernacle faults section of the Black Rock fault zone is a complex zone of both east- and west-dipping normal faults that spans the entire 5-km width of the roughly circular Tabernacle flow (Figure 6.7-1; Oviatt and Nash, 1989; Oviatt, 1991). Hoover (1974) does not document where or how he measured his 15.2 m displacement on the Tabernacle faults or any of the other vertical displacements that he provides for the Black Rock fault zone. However, he writes that these displacements "were measured along the master fault or extensions of it," which suggests that they were measured across a single fault rather than the whole fault zone. With regard to the Tabernacle Hill flow, Oviatt and Nash (1989) state that "The outer rim of the basalt flow has a uniform altitude of 1,445 m" (4740 feet; see also Oviatt, 1991). They support this statement with a geologic map that shows the 1445 m elevation contour from the 1986 USGS topographic map of the area. This edition of the map has more detailed topographic contours than the 2014 edition and, with a 20 ft (6.1 m) contour interval, is comparable in resolution to the best available digital elevation model for this area (5 m). Although a contour interval of 6.1 m is marginal for resolving a 15.2 m elevation difference across the Tabernacle Hill flow, the topographic map shows no evidence for a linear 15.2-m elevation step on this flow. Considering the problems surrounding Hoover's (1974) reported

15.2-m offset of the Tabernacle Hill flow, the vertical slip rate on the Black Rock fault zone may be much smaller than the maximum value of 1.4 mm/yr that Niemi *et al.* (2004) used to calculate the maximum horizontal slip rate on the Sevier Desert detachment—and our revised maximum vertical slip rate of 0.84 mm/yr.

Niemi et al. (2004) provided three other maximum vertical slip-rate values for the Black Rock fault zone. All three rely heavily on Hoover (1974), and all are problematic in some way. Niemi et al. calculated a maximum late Holocene slip rate of ~2.0 mm/yr from a 6.1 m offset measured in the Ice Springs basalt flow and a basalt age of 3 to 4 ka based on "stratigraphic arguments," all attributed to Hoover (1974). The Ice Springs basalt flow is at the southern end of the Pavant faults (Figure 6.7-1). The actual age of this flow is $< 660 \pm 340^{-14}$ C yr B.P. (Valastro *et al.*, 1972; Oviatt, 1991), which converts to < 710 +290/-330 cal yr before 2014 (2 std. dev. uncertainties) using OxCal v. 4.2 (Bronk Ramsey and Lee, 2013) with the Reimer et al. (2009) terrestrial calibration curve. Combining this age with the 6.1 m offset gives a maximum slip rate of 8.6 +7.5/-2.5 mm/yr, which is clearly too high to be a useful limit. A more basic problem with this slip rate is Oviatt's (1991) observation that the Ice Springs basalt is not cut by faults but flowed over preexisting Quaternary fault scarps (see also USGS, 2013). Niemi et al. (2004) also determined a late Quaternary slip rate for the Black Rock fault zone based on Hoover's (1974) observation that it offsets 128 ka Pavant 1 lava flows by up to 18.3 m but not Bonneville shorelines (18 ka; see Reheis et al., 2014). This observation yields a maximum vertical slip rate of 0.17 mm/ yr, which Niemi et al. (2004) round up to 0.2 mm/yr, but list incorrectly as 0.3 mm/yr in their Table 4. Hoover (1974) described his K-Ar age of 128 ka for the Pavant 1 lavas as a "statistical maximum" at the 95% confidence limit. However, it is unclear how he calculated this age and uncertainty limit. The 128 ka age is close to the average age for Hoover's (1974) oldest sample of Pavant basalt, for which he determined two poorly constrained ages of 93 \pm 78 ka and 133 \pm 97 ka (1 std. dev. uncertainties). These ages have very large uncertainties because of the small radiogenic argon content of the samples (Hoover, 1974; Francis H. Brown, personal communication, 2015). Finally, Niemi et al. (2004) calculated a maximum Quaternary slip rate for the Black Rock fault zone of ~0.1 mm/yr (rounded up from 0.07 mm/yr) based on Hoover's (1974) report of a maximum vertical displacement of 67 m on "a fault displacing the Beaver Ridge 1 lavas" and his reasonably well constrained "statistical average" K-Ar age of 918 ka for these lavas. The main problem with this slip-rate determination is that it comes from a displacement measurement on just one of many east- and west-dipping normal faults in the 10-km-wide Beaver Ridge faults section of the Black Rock fault zone (see Figure 6.7-1 and the geologic maps in Hoover, 1974, and Oviatt, 1991). If this fault zone is tectonic in origin, then the net displacement across all of the faults in the zone must be accounted for in any tectonic analysis. Another problem with this slip rate is that it is measured over a much longer time period than is generally considered suitable for use in earthquake hazard analysis.

Based on the above discussion, the only one of Niemi et al.'s (2004) slip rates for the Black Rock fault zone that appears to be based on a reliable displacement measurement is the late Quaternary maximum vertical slip rate of 0.17 mm/yr. This measurement is the offset of the Pavant 1 lavas by a maximum of 18.3 m along the Pavant faults (Devil's Kitchen) section of the fault zone, most of which is dominated by a single major fault trace (Figure 6.7-1). Despite the question about the uncertainty in the 128 ka age of the Pavant 1 lavas, which may be as large as the age itself, we consider Niemi et al.'s 0.17 mm/yr maximum late Quaternary slip rate to be the least problematic of their four slip rates. Interestingly, their estimate of the maximum late Quaternary vertical slip rate on the Clear Lake fault zone is comparable, 0.2 mm/yr over the past 4 Myr. Nevertheless, for the purpose of illustration, we follow Niemi et al. (2004) and use only the late Quaternary slip rate on the Black Rock fault zone to calculate the slip rate on the 12°-dipping Sevier Desert detachment. Balanced cross sections would be needed to properly account for the slip rate on the antithetic Clear Lake fault in this calculation.

Niemi et al.'s (2004) late Quaternary slip rate is a maximum rate because it is calculated from the maximum observed offset of the Pavant 1 lavas along the Pavant faults. Surface slip distributions compiled by Wesnousky (2008) for eight normal and oblique-normal faulting earthquakes have ratios of maximum slip to average slip that range from 1.9 to 4.7, with an average ratio of 3.2. We estimate an average late Quaternary slip rate for the Black Rock fault zone by dividing the maximum rate of 0.17 mm/yr (Hoover, 1974; Niemi et al., 2004) by three. To calculate a hypothetical moment rate from the resulting average slip rate of 0.06 mm/yr, we assume that the active portion of the Sevier Desert detachment is a planar surface dipping 12° west from the intersection with the Black Rock fault zone down to a depth of 15 km. We estimate that the depth of the intersection with the Black Rock fault zone is ~3 km based on the seismic reflection profile in Plate III of McDonald (1976) and an average Cenozoic rock P-wave velocity of 3.2 km/s (Anders et al., 1995). Using the resulting depth range of 3 to 15 km and an along-strike length within the L-F region of 62 km, based on the contour map in Wills et al. (2005), the late Quaternary slip rate gives a moment rate of 3.11×10^{23} dyne-cm/yr. The missing moment rate, adjusted for a fault dip of 12° instead of 50°, is more than a factor of 10 larger: 3.24×10^{24} dyne-cm/ yr. To account for all of the missing moment rate on the Sevier Desert detachment with this assumed fault geometry, a vertical slip rate of 0.62 mm/yr would be required. This slip rate is less than the two maximum Holocene slip rates that Niemi et al. (2004) estimated from the work of Hoover (1974), but for reasons explained above the observational basis for both of these slip rates is problematic.

In summary, some or possibly all of the missing moment rate in the L-F region could potentially be accounted for by including the Sevier Desert detachment as an active fault in the WGUEP probability model. However, including this fault in the model would require us to accept the following premises: (1) the Sevier Desert reflector is a detachment fault, not an unconformity, (2) the Sevier Desert detachment is active despite its low, mechanically unfavorable dip angle of 12° and the lack of evidence for any continental normal-faulting earthquakes on faults dipping less than 30° (Collettini and Sibson, 2001), and (3) the Black Rock fault zone is the current active surface trace of this detachment even though its connection to the detachment is uncertain, it has no significant topographic signature, its mapped length is only about half that of the detachment, and it displaces predominantly Quaternary basalts along an alignment of four Quaternary volcanic vents (Hecker, 1993; Niemi et al., 2004; USGS, 2013; McBride et al., 2015). We consider the combination of these assumptions to be too unlikely to warrant the inclusion of the Sevier Desert detachment in the WGUEP model. If we did include it, and if we used Niemi et al.'s (2004) late Quaternary (~100 ka) vertical slip rate on the Black Rock fault zone to calculate the moment rate on the Sevier Desert detachment, then this detachment would account for less than a tenth of the missing moment rate.

6.7.4 Other Possible Explanations

Other possible, but speculative, explanations for the moment rate discrepancy in the L-F region include postseismic relaxation from a large, unrecognized prehistoric earthquake in the region and aseismic deformation, perhaps related to salt tectonics. A critical examination of these alternative hypotheses for this moment rate discrepancy is beyond the scope of this report.

6.8 Conclusions

In conclusion, the geodetic moment rates for the Wasatch Front region, and for three of the four subregions that we defined, are consistent with the geological/seismological moment rates for these regions calculated for the WGUEP earthquake rate model. The geodetic moment rates are not consistent with the WGUEP earthquake rate model within the southernmost fifth of the Wasatch Front region, an area that encompasses the Levan and Fayette segments of the WFZ. Further work should be undertaken to try to identify the cause of this moment rate discrepancy.

One possible interpretation of the large moment rate discrepancy in the L-F subregion is that the WGUEP earthquake rate model is missing one or more important faults in this region or underestimates the earthquake rates on one or more of the faults included in the model. If this interpretation is correct, then the WGUEP forecast would underestimate the earthquake probabilities for the L-F region and, to a much smaller extent, for the Wasatch Front region as a whole. From Table 6.6-1, the excess geodetic moment rate in the L-F region is

~15% of the geodetic moment rate for the Wasatch Front region as a whole. The potential effects of this excess moment rate on the WGUEP forecast for the whole Wasatch Front region would be ~15% of the probability values, which is much less than the amount of uncertainty in these probabilities (Tables 8.8-1 to 8.1-3). Given this estimated effect, and the fact that the geodetic and geological/seismological moment rates for the Wasatch Front region agree within their uncertainty limits, we consider the geodetic data to be consistent with the WGUEP earthquake rate model for the Wasatch Front region as a whole.

7 CALCULATING EARTHQUAKE PROBABILITIES

In this section, we describe the details of the process of calculating earthquake probabilities using the Poisson and BPT probability models. Both time-independent and time-dependent probability calculations require the rate of rupture on all rupture sources. An overview of the methodology along with intermediate results, such as rupture rates, moment rates, and magnitude-frequency distributions, are provided in Section 7.1, followed by details on time-independent probability calculations (Section 7.2) and time-dependent probability calculations (Section 7.3). Acronyms and abbreviations are defined on pages xii to xiv.

7.1 Methodology

The identified faults and background seismicity within the Wasatch Front region produce a broad range of earthquake sizes at different rates of occurrence. The rates of occurrence of earthquakes on rupture sources are the primary inputs to the earthquake probability calculations. The development of rupture sources is described in Section 4. For well-defined and complex faults, such as the WFZ, rupture sources can be single-segments, combinations of segments, or floating ruptures. Other smaller faults may only be modeled with a single rupture source. A fault rupture model consists of one to many rupture sources that represent the long-term rupture behavior of the fault. In this study, rupture rates are developed directly for each rupture source and input into the rupture source probability calculations.

7.1.1 Rupture Source Rates

We calculated rupture source rates from recurrence intervals of characteristic events and/or geologic slip rates. For the central segments of the WFZ and several segments of the OG-SLFZ, rates of characteristic events are developed directly based on paleoseismic data. The available paleoseismic data for these fault segments allows for calculation of recurrence intervals of characteristic events that include statistical uncertainty due to number of samples (Section 3.4). The rates of characteristic events, λ_{char} , are calculated for each of the rupture sources, not for individual segments, which eliminates the need to partition rate from segments to single and multisegment ruptures. The relative distribution of magnitudes for ruptures in all segmented fault models is assumed to follow a Gaussian distribution (maximum magnitude recurrence model) as described in Section 3.4 and illustrated on Figure 3.4-1. For the maximum magnitude recurrence model, the mean rate, λ , is simply the rate of the characteristic event, λ_{char} (inverse of the recurrence interval of the characteristic event).

We also characterized some of the other smaller, less studied faults (Types C and AFP as defined in Section 3.6.3) using recurrence intervals of characteristic events (Appendix D),

although we have not incorporated statistical uncertainty due to sample size for Type C and AFP faults. Both the maximum magnitude and DTGR magnitude recurrence models are used. The DTGR model contains a range of magnitudes from M 6.75 up to the characteristic event (Figure 3.4-2). When applying this model to a seismic source characterized with recurrence intervals, we assumed that the moment release rate is the same as implied by the maximum magnitude model. To obtain the mean rupture rate of the range of events in the DTGR model, the moment release rate implied for characteristic events using the maximum magnitude model (recurrence rate of the characteristic events multiplied by the mean moment of the characteristic events) is divided by the mean moment of events in the DTGR model:

$$\lambda = \frac{\lambda_{char} \times \overline{M_{0_{char}}}}{\overline{M_{0_{DTGR}}}}$$
 (7-1)

The mean moment of the characteristic events is a function of the its mean magnitude, $\overline{M_{char}}$, and the shape of the characteristic magnitude PDF. For a Gaussian magnitude distribution truncated at $\pm 2\sigma_m$, the moment is approximately lognormally distributed. The mean moment is calculated as in WGCEP (2003):

$$\overline{M}_{0char} = \frac{1}{\sqrt{2\pi}} \int_{-2}^{2} 10^{1.5(M+\sigma_m x)+16.05} e^{-\frac{x^2}{2}} dx$$
 (7-2)

which can be approximated by the following equation:

$$\overline{M}_{0char} = 10^{1.5\overline{M}_{char} + 16.05 - 0.0481\sigma_m + 1.775\sigma_m^2}$$
 (7-3)

For the Gutenberg-Richter magnitude distribution truncated at an upper and lower magnitude, the mean moment is

$$\frac{\beta \times 10^{(16.05 \exp(\beta Mmin)) \times [\exp(t_i * Mchar) - \exp(t_i * Mmin)]}}{(1 - \exp(-\beta * (Mchar - Mmin))) * t_i}$$
 (7-4)

where $\beta = \ln(10)b$ and $t_i = 1.5 \ln(10) - \beta$.

For a source with M_{char} , the magnitudes modeled with the DTGR model (M 6.75 to M_{char}) are smaller than that of the maximum magnitude model ($M_{char} \pm 0.24$). Therefore, the mean moment of events in the DTGR model is lower. Thus, the resulting rate of events for the DTGR model is larger than in the maximum magnitude model.

For the WFZ end segments, several segments of the OGSLFZ, and most Type C and AFP faults, the limited historical and paleoseismic records are not sufficient to directly calculate or estimate earthquake recurrence rates. In these instances, we used geologic slip rates to estimate rates of seismic moment release on these faults. Estimation of earthquake rates is then made based on the moment release rate and size of earthquakes that release the moment.

The calculation of rupture source rates using slip rates is straightforward for the faults characterized with slip rates in the Wasatch Front region. For each fault characterized with slip rates, each segment ruptures only as part of one rupture source, thus segment slip rates can be attributed fully to its rupture source without any partitioning to more than one type of rupture. The long-term moment release rate, which is estimated as shear modulus (3.0x10¹¹ dyne/cm²) times seismogenic fault area times slip rate, is assumed to be achieved by a repeating sequence of similar-sized earthquakes. The mean rupture source rate, λ , is simply the long-term moment release, \dot{M}_0 , rate divided by the mean moment of the repeating earthquakes, $\overline{M_0}$. For the maximum magnitude recurrence model, $\overline{M_0}$ is $\overline{M_{0char}}$ as defined in equation (7.3). For the DTGR model, $\overline{M_0}$ is $\overline{M_{0_{DTGR}}}$ as defined in equation (7.4). Some faults have both slip rate and recurrence intervals (e.g., Table 4.3-7). These two types of rates are separate branches on the logic tree with weights assigned. Figure 7.1-1 illustrates the calculation sequence for rupture source rates.

We computed the rates of characteristic events on rupture sources for the WFZ central segments based on paleoseismic data using the methods described in Section 3.4; these are listed in Table 7.1-1. As described in Section 3.4, the five discrete rates are approximations to continuous probability distributions of mean recurrence intervals/rates that define weighted branches of the WGUEP logic tree. Note that the inverse of a rupture source rate is equal to the recurrence interval of characteristic events, as only the maximum magnitude recurrence model is used for the segmented rupture models of the WFZ. Table 7.1-1 provides rates in terms of recurrence intervals for ease of comparison with recurrence intervals of other faults in the WGUEP region. Rupture source rates for the WFZ end segments and the unsegmented model for the central segments and the WFZ as a whole are based on geo-

logic slip rates only (Sections 4.1.5 and 4.2.2). The resulting rupture source rates are listed in Table 7.1-2. These rates are computed based on the moment balancing of geologic slip rate as described above. The uncertainty reflects the uncertainty in not only the geologic slip rates, but also the uncertainty in fault area (from length, dip, and seismogenic thickness distributions) and characteristic (i.e., magnitude relations and their inputs) and recurrence models. For the OGSLFZ, we computed rupture source rates based on paleoseismic data using the methods described in Section 3.4 and/or geologic slip rates (Table 7.1 3).

For other faults within the Wasatch Front region, rupture source rates were based on geologic slip rates and/or recurrence intervals. Recurrence intervals were mostly based on consensus values from the UQFPWG (Lund, 2005). Sampling uncertainty was not formally incorporated using the methods of Section 3.5. The majority of effort in determining recurrence rates was focused on the WFZ and OGSLFZ. Future studies should consider including this uncertainty for faults with available paleoseismic data. Table 7.1-4 lists the rupture source rates for all other faults included in the study.

7.1.2 Segment Rates

We computed the rate of earthquakes for a fault segment in the model by summing the rate of rupture sources that involve the specified segment. We assumed floating ruptures to be uniformly distributed along the length of the fault restricting the rupture to within the ends of the fault. We computed the partitioned rate for a given segment based on the segment length, rupture length, total fault length, and location of segment along the fault trace. For instance, a large floating rupture on

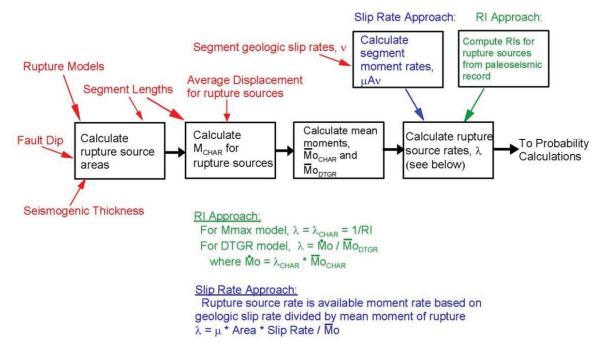


Figure 7.1-1. Calculation of rupture source rates.

 Table 7.1-1. Recurrence intervals of characteristic events for the WFZ central segment models.

Fault Model	Rupture Source	Recurrence In	tervals of Characte	eristic Events Det	ermined from Pale	eoseismic Data ¹
		$1/\lambda_{char96.51\%}$ (wt. = 0.101)	$1/\lambda_{char78.83\%}$ (wt. = 0.244)	$1/\lambda_{char 50\%}$ $(wt. = 0.31)$	$1/\lambda_{char21,17\%}$ (wt. = 0.244)	$1/\lambda_{char3.49\%}$ (wt. = 0.101)
Single-Segment	BCS	722	1106	1630	2543	4935
Rupture	WS	732	1077	1525	2256	4003
	SLCS	641	981	1446	2256	4379
	PS	634	932	1319	1952	3465
	NS	477	772	1209	2044	4577
Intermediate A	BCS	1156	2051	3566	6986	20,588
Rupture Model	WS	1050	1700	2663	4505	10,084
	SLCS	783	1268	1986	3360	7521
	PS	744	1138	1678	2618	5081
	NS	477	772	1209	2044	4577
	B+W	1376	2440	4243	8313	24,496
	S+P	1837	3970	8891	25,908	173,526
Intermediate B	BCS	1156	2051	3566	6986	20,588
Rupture Model	WS	1050	1700	2663	4505	10,084
	SLCS	641	981	1446	2256	4379
	PS	744	1138	1678	2618	5081
	NS	624	1108	1926	3773	11,118
	B+W	1376	2440	4243	8313	24,496
	P+N	1837	3970	8891	25,908	173,526
	T			_		
Intermediate C	BCS	1156	2057	3566	6986	20,588
Rupture Model	WS	1050	1700	2663	4505	10,084
	SLCS	641	981	1446	2256	4379
	PS	634	932	1319	1952	3465
	NS	477	772	1209	2044	4577
	B+W	1376	2440	4243	8313	24,496
Multigagmant	BCS	1784	2955	9625	25,160	168,514
Multisegment Rupture Model	WS	2122	3855 4587	8635	,	-
Taptaro moder	SLCS	1583	3421	10,273 7662	29,935	200,499
					22,326	149,537
	PS NC	1191	2112	3672	7194	21,200
	NS	963	2082	4663	13,587	91,000
	B+W	1050	1700	2663	4505	10,084
	W+S	2122	4587	10,273	29,935	200,499
	S+P	1837	3970	8891	25,908	173,526
	P+N	1837	3970	8891	25,908	173,526
	S+P+N	1837	3970	8891	25,908	173,526

 $^{^{1}}$ $1/\lambda_{char}$ is shown for ease of comparison with recurrence intervals for faults. λ_{char} is the rate of characteristic events based on paleoseismic data as per Section 3.4.

Fault Model	Rupture Source	R	upture Source Rates ^{1,2}	
		$\lambda_{5\text{th}\%} (1/\lambda_{5\text{th}\%})$	$\lambda_{\text{mean}} (1/\lambda_{\text{mean}})$	$\lambda_{95\text{th}\%}$ (1/ $\lambda_{95\text{th}\%}$)
Segmented Rupture Model -	Malad City	4.13 x 10 ⁻⁶ (242,000)	3.01 x 10 ⁻⁵ (33,200)	7.91 x 10 ⁻⁵ (12,600)
Northern End Segments	Clarkston Mountain	5.53 x 10 ⁻⁶ (180,800)	5.42 x 10 ⁻⁵ (18,500)	1.32 x 10 ⁻⁴ (7580)
	Collinston	4.87 x 10 ⁻⁶ (205,300)	4.04 x 10 ⁻⁵ (24,800)	1.05 x 10 ⁻⁴ (9520)
Floating Rupture Model -	Floating	1.49 x 10 ⁻⁵ (67,100)	1.09 x 10 ⁻⁴ (9170)	2.57 x 10 ⁻⁴ (3890)
Northern End Segments				
Segmented Rupture Model -	Levan	2.42 x 10 ⁻⁵ (41,300)	1.22 x 10 ⁻⁴ (8200)	3.09 x 10 ⁻⁴ (3240)
Southern Segments	Fayette	2.67 x 10 ⁻⁶ (375,000)	2.49 x 10 ⁻⁵ (40,200)	6.18 x 10 ⁻⁵ (16,200)
	Levan + Fayette	2.16 x 10 ⁻⁶ (463,000)	9.03 x 10 ⁻⁵ (11,100)	2.43 x 10 ⁻⁴ (4150)
Unsegmented Rupture	Floating on	1.35 x 10 ⁻³ (730)	4.04 x 10 ⁻³ (250)	8.08 x 10 ⁻³ (120)
Model	BCS+WS+SLCS+PS+NS			
	Floating on all 10 segments	2 95 x 10 ⁻⁵ (33 900)	2 38 x 10 ⁻⁴ (4200)	5.67 x 10 ⁻⁴ (1760)

Table 7.1-2. Rupture source rates (Poisson) for the WFZ end segment and unsegmented fault models.

the WFZ that is longer than the average segment length will rupture central segments more frequently than end segments when distributed evenly along the fault trace. As the rupture length decreases to less than the average segment length, the partitioning of rate approaches the ratio of segment length to total fault length. The assumption of uniform distribution of ruptures on the fault implies that slip tapers to zero at the ends of the fault. The degree of tapering depends on the length of the rupture relative to the fault length.

Segment rates for all segmented faults in the Wasatch Front region are provided in Tables 7.1-5 to 7.1-11. Segment rates are provided for each fault model and for the weighted total of all fault models.

7.1.3 Magnitude Threshold for Probability Calculations

We computed probabilities for the occurrence of an event greater than a specified size. The magnitude of ruptures on faults and in the background is described by a recurrence model, which reflects the aleatory uncertainty in the size of an event. To compute rupture probabilities of events greater than a threshold magnitude (M_T), the probability that a given rupture will be larger than the M_T must be computed. The probability calculations require the rate of events larger than M_T :

$$\gamma_{char_i}(\mathbf{M} > M_T) = \sum_{i=1}^{Nrup} \gamma_{char_i} P_i(\mathbf{M} > M_T)$$
 (7-5)

where $P_i(\mathbf{M} > M_T)$ is the probability that the magnitude is greater than M_T , which we computed by integrating the magnitude recurrence PDF from M_T upwards:

$$P_i(\mathbf{M} > M_T) = \int_{M_T}^{\infty} f_{m_i}(m) dm$$
 (7-6)

We accommodated the epistemic uncertainty in rupture magnitude through the use of several magnitude relations used to determine M_{char} , as described in Section 3.6. In addition, there is uncertainty in inputs to these relations (fault length, width, dip, and average displacement). The 5th, mean, and 95th percentile M_{char} for rupture sources are provided in Section 4 (Tables 4.1-6, 4.2-4, and Appendix D).

7.1.4 Magnitude-Frequency Distributions

The long-term magnitude-frequency distributions for a fault can be calculated by combining the rate of earth-quakes as a function of magnitude for all rupture sources within a given fault model. Figure 7.1-2 shows the cumulative magnitude-frequency distributions for the WFZ, OGSLFZ, background seismicity, and the "other modeled faults" combined. In addition, the observed seismicity and the background seismicity exponential recurrence curve are shown on Figure 7.1-2. Figure 7.1-3 shows the cumulative magnitude-frequency distributions for all the "other modeled faults" in the Wasatch Front region considered in this study. The incremental magnitude-frequency distributions are provided on Figures 7.1-4 and 7.1-5.

¹ 1/Rate is shown for ease of comparison with recurrence intervals for faults.

² Rates determined from moment balancing geologic slip rate.

Table 7.1-3. Recurrence intervals for characteristic events and rupture source rates (Poisson) for OGSLFZ fault models.

SR vt. I/O-charches 38% I/O-charches 39% I/O-charches 30% I/O-charches 30%	Fault	Rupture	RI wt./	Recurrence Int	Recurrence Intervals of Characteristic Events Determined from Paleoseismic Data ¹	ristic Events Det	ermined from Pal	eoseismic Data ¹	Rupi	Rupture Source Rates ^{1,2}	eS ^{1,2}
PY 10/100 1468 2377 3724 6300 14,103 709 x 10 ³ 709 x 10 ³ 709 x 10 ³ 700 x	Model	Source	SR wt.	1/\(\lambda\)char96.51%	1/\\Lambda_char78.83\%	$1/\lambda_{ m char50}\%$	$1/\lambda_{ m char 21.17\%}$	1/\(\lambda_{\text{char3.49}\%}\)		λmean	$\lambda_{95th\%}$
RZ				(years)	(years)	(years)	(years)	(years)	$(1/\lambda_{\rm 5th\%})$	$(1/\lambda_{\mathrm{mean}})$	$(1/\lambda_{95 ext{th}\%})$
FIZ 10 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ³ PY 1.0 / 0.0 1468 2237 3724 65300 14,103 7.09 x 10 ³ FI 1.0 / 0.0 1348 2222 3521 6624 13,680 731 x 10 ³ AI 1.0 / 0.0 1468 2377 3724 65300 14,103 7.09 x 10 ³ TH 0.0 / 1.0 NA NA NA NA NA NA 1.97 x 10 ³ FI 0.0 / 1.0 NA NA NA NA NA 1.07 x 10 ³ x 10 ³ FI 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ³ FI 0.0 / 1.0 NA NA NA NA NA 1.19 x 10 ³ FI 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ³ FI 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ³ FI 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ³ FI 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ³ FI 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ³ NO 0.6 / 0.4 6441 (0.5) 8817 (0.5) 15,698 (0.5) 22,366 (0.5) 24,106 (0.5) 264 x 10 ³ FI 0.0 / 1.0 NA NA NA NA NA 119 x 10 ³ FI 0.0 / 1.0 NA NA NA NA 119 x 10 ³ FI 0.0 / 1.0 NA NA NA NA 119 x 10 ³ FI 0.0 / 1.0 NA NA NA NA 119 x 10 ³				(wt. = 0.101)	(wt. = 0.244)	(wt. = 0.31)	(wt. = 0.244)	(wt. = 0.101)			
Harror H	1	RZ	1.0 / 0.0	1468	2377	3724	6300	14,103	7.09×10^{-5}	3.01×10^{-4}	6.81×10^{-4}
Fig. 10 \(\) 0.0 1468 2377 3724 6300 14,103 7.09 \(\) 10 \(\) 0.0 1348 2222 3521 6024 13,680 7.09 \(\) 10 \(\) 0.0 1468 2377 3724 6300 14,103 7.09 \(\) 10 \(\) 0.0 \(\) 1.0 1468 2377 3724 6300 14,103 7.09 \(\) 10 \(\) 10 \(\) 1.0 \(\) 0 1468 2377 3724 6300 14,103 7.09 \(\) 10 \(\) 10 \(\) 1.0 \(\) 0 \(\) 1.0 \(\) 0 \(\) 1.3 \(\) 1.0 \(\) 0.0 \(\) 1.0 1468 2377 3724 6300 14,103 7.09 \(\) 10 \(\) 10 \(\) 10 \(\) 10 \(\) 10 \(\) 10 \(\) 1348 2377 3724 6300 14,103 7.09 \(\) 10 \(\) 1									(14,100)	(3320)	(1470)
Harrow H		PY	1.0 / 0.0	1468	2377	3724	6300	14,103	7.09×10^{-5}	3.01 x 10 ⁻⁴	6.81 x 10 ⁻⁴
Harmonia									(14,100)	(3320)	(1470)
NO+SO 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ⁻⁵ 10,000 1468 2377 3724 6300 14,103 7.09 x 10 ⁻⁵ 10,000 1468 2377 3724 6300 14,103 7.09 x 10 ⁻⁵ 11,0 x 10,00 1468 2377 3724 6300 14,103 7.09 x 10 ⁻⁵ 11,0 x 10,00 1468 2377 3724 6300 14,103 7.09 x 10 ⁻⁵ 10,000 1468 2377 3724 6300 14,103 7.09 x 10 ⁻⁵ 10,000 1468 2377 3724 6300 14,103 7.09 x 10 ⁻⁵ 10,000 14,000		FI	1.0 / 0.0	1348	2222	3521	6024	13,680	7.31×10^{-5}	3.20×10^{-4}	7.42×10^{-4}
Ali									(13,680)	(3130)	(1350)
NO+SO 0.0 1.0 NA NA NA NA NA 1.97 × 10 ⁻⁴		AI	1.0 / 0.0	1468	2377	3724	6300	14,103	7.09 x 10 ⁻⁵	3.01 x 10 ⁻⁴	6.81 x 10 ⁻⁴
NO+SO 0.0 / 1.0 NA NA NA NA NA 1.97 x 10 ⁻⁴ (50,800) (50									(14,100)	(3320)	(1470)
TH 0.0 / 1.0 NA NA NA NA NA NA 2.64 x 10 ³ ET 0.0 / 1.0 NA NA NA NA NA 1.19 x 10 ³ ET 0.0 / 1.0 NA NA NA NA NA 1.19 x 10 ³ RZ 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ³ FI 1.0 / 0.0 1348 2222 3521 6024 13,680 7.31 x 10 ³ NO 0.6 / 0.4 5983 10,613 18,453 36,153 106,538 9.39 x 10 ⁶ TH 0.0 / 1.0 NA NA NA NA NA NA NA 1.19 x 10 ³ ET 0.0 / 1.0 NA NA NA NA NA NA 1.19 x 10 ³ Color		OS+ON	0.0 / 1.0	NA	NA	NA	NA	NA	1.97×10^{-4}	1.13×10^{-4}	2.58×10^{-4}
HTH 0.0/1.0 NA NA NA NA NA NA NA 1.19 x 10 ⁻⁵ (37,900) ET 0.0/1.0 NA NA NA NA NA NA NA NA 1.19 x 10 ⁻⁵ (34,000) FT 1.0/0.0 1468 2377 3724 6300 14,103 709 x 10 ⁻⁵ (14,100) FT 1.0/0.0 1468 2377 3724 6300 14,103 709 x 10 ⁻⁵ (14,100) FT 1.0/0.0 1468 2377 3724 6300 14,103 709 x 10 ⁻⁵ (14,100) FT 1.0/0.0 1468 2377 3724 6300 14,103 7.09 x 10 ⁻⁵ (14,100) NO 0.6/0.4 5983 10,613 18,453 36,153 106,538 9,39 x 10 ⁻⁶ (14,100) NO 0.6/0.4 6441 (0.5) 8817 (0.5) 11,606 (0.5) 15,704 (0.5) 27,306 (0.5) 37,291 (0.5) (37,300) ET 0.0/1.0 NA NA NA NA NA NA NA NA NA 1.19 x 10 ⁻⁵ (84,000)									(50,800)	(8850)	(3880)
ET 0.0 / 1.0 NA NA NA NA NA 1.19 x 10 ⁻⁵ RZ 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ⁻⁵ PY 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ⁻⁵ FI 1.0 / 0.0 1348 2222 3521 6024 13,680 7.31 x 10 ⁻⁵ AI 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ⁻⁵ NO 0.6 / 0.4 5983 10,613 18,453 36,153 106,538 9,33 x 10 ⁻⁶ SO 0.6 / 0.4 6441 (0.5) 8817 (0.5) 15,698 (0.5) 24,106 (0.5) 2,68 x 10 ⁻⁵ TH 0.0 / 1.0 NA NA NA NA NA NA ET 0.0 / 1.0 NA NA NA NA NA NA 119,700 ET 0.0 / 1.0 NA NA NA NA NA NA <		TH	0.0 / 1.0	NA	NA	NA	NA	NA	2.64 x 10 ⁻⁵	1.91×10^{-4}	4.65×10^{-4}
ET 0.0 / 1.0 NA NA NA NA NA NA 1.19 x 10 ⁻⁵ RZ 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ⁻⁵ PY 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ⁻⁵ FI 1.0 / 0.0 1348 2222 3521 6024 13,680 7.31 x 10 ⁻⁵ AI 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ⁻⁵ NO 0.6 / 0.4 5983 10,613 18,453 36,153 106,538 9.39 x 10 ⁻⁶ SO 0.6 / 0.4 6441 (0.5) 11,433 (0.5) 15,698 (0.5) 22,366 (0.5) 37,291 (0.5) 264 x 10 ⁻⁵ TH 0.0 / 1.0 NA NA NA NA 1.19 x 10 ⁻⁵ ET 0.0 / 1.0 NA NA NA NA 1.19 x 10 ⁻⁵									(37,900)	(5240)	(2150)
RZ 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ⁻⁵		ET	0.0 / 1.0	NA	NA	NA	NA	NA	1.19 x 10 ⁻⁵	6.90×10^{-5}	1.78×10^{-4}
RZ 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10-5 (14,100) PY 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10-5 (14,100) FI 1.0 / 0.0 1348 2222 3521 6024 13,680 7.31 x 10-5 (14,100) AI 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10-5 (13,680) NO 0.6 / 0.4 5983 10,613 18,453 36,153 106,538 9.39 x 10-6 (14,100) SO 0.6 / 0.4 6441 (0.5) 8817 (0.5) 11,606 (0.5) 22,366 (0.5) 37,291 (0.5) 2.68 x 10-5 (106,500) TH 0.0 / 1.0 NA NA NA NA 1.19 x 10-5 (37,900) ET 0.0 / 1.0 NA NA NA NA 1.19 x 10-5 (84,000)									(84,000)	(14,500)	(5600)
RZ 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10-5 PY 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10-5 FI 1.0 / 0.0 1348 2222 3521 6024 13,680 7.31 x 10-5 AI 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10-5 NO 0.6 / 0.4 5983 10,613 18,453 36,153 106,538 9.39 x 10-6 SO 0.6 / 0.4 6441 (0.5) 8817 (0.5) 11,606 (0.5) 15,704 (0.5) 24,106 (0.5) 2.68 x 10-5 TH 0.0 / 1.0 NA NA NA NA NA NA 119 x 10-5 ET 0.0 / 1.0 NA NA NA NA NA NA NA NA 1.19 x 10-5											
1.0 \(\) 1468 2377 3724 6300 14,103 7.09 \(10^{5} \)	2	RZ	1.0 / 0.0	1468	2377	3724	6300	14,103	7.09 x 10 ⁻⁵	3.01×10^{-4}	6.81×10^{-4}
1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ⁻⁵ 1.0 / 0.0 1348 2222 3521 6024 13,680 7.31 x 10 ⁻⁵ 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ⁻⁵ 0.6 / 0.4 5983 10,613 18,453 36,153 106,538 9.39 x 10 ⁻⁶ 0.6 / 0.4 6441 (0.5) 8817 (0.5) 11,606 (0.5) 15,704 (0.5) 24,106 (0.5) 2.68 x 10 ⁻⁵ 0.0 / 1.0 NA NA NA NA NA NA 119 x 10 ⁻⁵ 0.0 / 1.0 NA NA NA NA NA 119 x 10 ⁻⁵ 0.0 / 1.0 NA NA NA NA 1.19 x 10 ⁻⁵ 0.0 / 1.0 NA NA NA NA 1.19 x 10 ⁻⁵ 0.0 / 1.0 NA NA NA 1.19 x 10 ⁻⁵									(14,100)	(3320)	(1470)
1.0 \ 0.0		PY	1.0 / 0.0	1468	2377	3724	6300	14,103	7.09×10^{-5}	3.01×10^{-4}	6.81×10^{-4}
1.0 / 0.0 1348 2222 3521 6024 13,680 7.31 x 10 ⁻⁵ 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ⁻⁵ 0.6 / 0.4 5983 10,613 18,453 36,153 106,538 9.39 x 10 ⁻⁶ 0.6 / 0.4 6441 (0.5) 8817 (0.5) 11,606 (0.5) 15,704 (0.5) 24,106 (0.5) 2.68 x 10 ⁻⁵ 0.0 / 1.0 NA NA NA NA NA NA 1.9 x 10 ⁻⁵ 0.0 / 1.0 NA NA NA NA NA NA 1.9 x 10 ⁻⁵ 0.0 / 1.0 NA NA NA NA NA 1.19 x 10 ⁻⁵ 0.0 / 1.0 NA NA NA NA 1.19 x 10 ⁻⁵ (84,000) 100 / 1.0 NA NA NA NA 1.19 x 10 ⁻⁵									(14,100)	(3320)	(1470)
1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ⁻⁵ 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ⁻⁵ 0.6 / 0.4 5983 10,613 18,453 36,153 106,538 9.39 x 10 ⁻⁶ 0.6 / 0.4 6441 (0.5) 8817 (0.5) 11,606 (0.5) 15,704 (0.5) 24,106 (0.5) 2.68 x 10 ⁻⁵ 0.0 / 1.0 NA NA NA NA 1.19 x 10 ⁻⁵ 0.0 / 1.0 NA NA NA NA 1.19 x 10 ⁻⁵ 0.0 / 1.0 NA NA NA NA 1.19 x 10 ⁻⁵ 0.0 / 1.0 NA NA NA NA (84,000) 0.0 / 1.0 NA NA NA (84,000)		FI	1.0 / 0.0	1348	2222	3521	6024	13,680	7.31×10^{-5}	3.20×10^{-4}	7.42×10^{-4}
1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ⁻⁵ 0.6 / 0.4 5983 10,613 18,453 36,153 106,538 9.39 x 10 ⁻⁶ 0.6 / 0.4 6441 (0.5) 8817 (0.5) 11,606 (0.5) 15,704 (0.5) 24,106 (0.5) 2.68 x 10 ⁻⁵ 0.0 / 1.0 NA NA NA NA NA 2.64 x 10 ⁻⁵ 0.0 / 1.0 NA NA NA NA 1.19 x 10 ⁻⁵ 0.0 / 1.0 NA NA NA NA 1.19 x 10 ⁻⁵									(13,680)	(3130)	(1350)
0.6 / 0.4 5983 10,613 18,453 36,153 106,538 9.39 x 10 ⁻⁶ 0.6 / 0.4 6441 (0.5) 8817 (0.5) 11,606 (0.5) 15,704 (0.5) 24,106 (0.5) 2.68 x 10 ⁻⁵ 0.0 / 1.0 NA NA NA NA NA 2.64 x 10 ⁻⁵ 0.0 / 1.0 NA NA NA NA 1.19 x 10 ⁻⁵ 0.0 / 1.0 NA NA NA 1.19 x 10 ⁻⁵ (37,900) (84,000)		AI	1.0 / 0.0	1468	2377	3724	6300	14,103	7.09 x 10 ⁻⁵	3.01×10^{-4}	6.81 x 10 ⁻⁴
0.6 / 0.4 5983 10,613 18,453 36,153 106,538 9.39 x 10-6 0.6 / 0.4 6441 (0.5) 8817 (0.5) 11,606 (0.5) 15,704 (0.5) 24,106 (0.5) 2.68 x 10-5 0.0 / 1.0 NA NA NA NA NA 2.64 x 10-5 0.0 / 1.0 NA NA NA NA 1.19 x 10-5 0.0 / 1.0 NA NA NA NA 1.19 x 10-5 0.0 / 1.0 NA NA NA 1.19 x 10-5									(14,100)	(3320)	(1470)
0.6 / 0.4 6441 (0.5) 8817 (0.5) 11,606 (0.5) 15,704 (0.5) 24,106 (0.5) 2.68 x 10 ⁻⁵ 0.0 / 1.0 NA NA NA NA NA NA NA 1.19 x 10 ⁻⁵ 0.0 / 1.0 NA NA NA NA NA 1.19 x 10 ⁻⁵ 0.0 / 1.0 NA NA NA 1.19 x 10 ⁻⁵		ON	0.6 / 0.4	5983	10,613	18,453	36,153	106,538	9.39 x 10 ⁻⁶	8.86×10^{-5}	1.99 x 10 ⁻⁴
0.6 / 0.4 6441 (0.5) 8817 (0.5) 11,606 (0.5) 15,704 (0.5) 24,106 (0.5) 2.68 x 10 ⁻⁵ 0.0 / 1.0 NA NA NA NA NA 2.64 x 10 ⁻⁵ 0.0 / 1.0 NA NA NA NA 2.64 x 10 ⁻⁵ 0.0 / 1.0 NA NA NA 1.19 x 10 ⁻⁵ (37,900) (84,000)									(106,500)	(11,300)	(5130)
8004 (0.5) 11,433 (0.5) 15,698 (0.5) 22,366 (0.5) 37,291 (0.5) (37,300) 0.0 / 1.0 NA NA NA NA 2.64 x 10 ⁻⁵ 0.0 / 1.0 NA NA NA 1.19 x 10 ⁻⁵ (84,000) (84,000)		SO	0.6 / 0.4	6441 (0.5)	8817 (0.5)	11,606 (0.5)	15,704 (0.5)	24,106 (0.5)	2.68×10^{-5}	1.06×10^{-4}	3.00×10^{-4}
0.0 / 1.0 NA NA NA NA 2.64 x 10 ⁻⁵ (37,900) NA NA NA NA 1.19 x 10 ⁻⁵ (84,000)				8004 (0.5)	11,433 (0.5)	15,698 (0.5)	22,366 (0.5)	37,291 (0.5)	(37,300)	(9430)	(3330)
0.0 / 1.0 NA NA NA 1.19 x 10 ⁻⁵ (84,000)		TH	0.0 / 1.0	NA	NA	NA	NA	NA	2.64 x 10 ⁻⁵	1.91×10^{-4}	4.65×10^{-4}
0.0 / 1.0 NA NA NA 1.19 x 10 ⁻⁵ (84,000)									(37,900)	(5240)	(2150)
		ET	0.0 / 1.0	NA	NA	NA	NA	NA	1.19×10^{-5}	6.90×10^{-5}	1.78×10^{-4}
									(84,000)	(14,500)	(2600)

Table 7.1-3. Continued

SR Wt. 1/0 chain-9.87% 1/0 chain-3.69% 1	Fault	Rupture	RI wt./	Recurrence Inte	rvals of Characte	ristic Events De	Recurrence Intervals of Characteristic Events Determined from Paleoseismic Data ¹	deoseismic Data ¹	Rupi	Rupture Source Rates ^{1,2}	S ^{1,2}
RZ 10 / 10	Model	Source	SR wt.	1/\(\lambda_{\text{char96.51\%}}\)	1/\(\lambda_{\text{char}}78.83\)%	1/\(\lambda_c\)har50%	1/\(\lambda_c\)har21.17%	1/\(\lambda_{\text{char3.49}\%}\)		λmean	
RZ				(years)	(years)	(years)	(years)	(years)	$(1/\lambda_{5 ext{th}\%})$	$(1/\lambda_{\mathrm{mean}})$	$(1/\lambda_{95\text{th}\%})$
FY 10 \(\) 0.0 1468 2377 3724 6300 14,103 709 x 10^3 301 x 10^4 1468 10 \(\) 0.0 1468 2377 3724 6300 14,103 709 x 10^3 301 x 10^4 1468 10 \(\) 0.0 1468 2377 3724 6300 14,103 709 x 10^3 301 x 10^4 10 \(\) 0.0 0.0 1468 2377 3724 6300 14,103 709 x 10^3 301 x 10^4 10 \(\) 0.0 0.0 \(\) 0.				(wt. = 0.101)	(wt. = 0.244)	(wt. = 0.31)	(wt. = 0.244)	(wt. = 0.101)			
Py 10/00 1468 2377 3724 6300 14,103 7.09 x 10 ⁴ 3.01 x 10 ⁴ 1.00 1468 2377 3724 6300 14,103 7.09 x 10 ⁴ 3.01 x 10 ⁴ 1.00 1468 2372 3724 6300 14,103 7.09 x 10 ⁴ 3.01 x 10 ⁴ 1.00 1.00 1468 2372 1.1606 0.5) 32,566 (0.5) 37,201 (0.5) 2.25,66 (0.5) 37,201 (0.5) 2.68 x 10 ⁴ 1.05 (0.6) 14,433 (0.5) 1.1606 (0.5) 1.506 (0.5) 37,201 (0.5) 2.68 x 10 ⁴ 1.00 1	3	RZ	1.0 / 0.0	1468	2377	3724	6300	14,103	7.09×10^{-5}	3.01×10^{-4}	6.81 x 10 ⁻⁴
Py 10 0 0 1468 2377 3724 6300 14,103 709 x 10 ⁴ 301 x 10 ⁴ 10 0 0 1468 2377 3724 6300 14,103 709 x 10 ⁴ 301 x 10 ⁴ 10 0 0 14,00 1468 2377 3724 6300 14,103 709 x 10 ⁴ 301 x 10 ⁴ 10 0 0 0.6 / 0.4 5983 10,613 18,453 36,153 106,538 939 x 10 ⁴ 301 x 10 ⁴ 301 x 10 ⁴ 301 x 10 ⁴ 300 x 10									(14,100)	(3320)	(1470)
HeAL 10 / 0		PY	1.0 / 0.0	1468	2377	3724	6300	14,103	7.09×10^{-5}	3.01×10^{-4}	6.81 x 10 ⁻⁴
H-AI 10 / 0.0 1468 2377 3724 6300 14,103 709 x 10 ³ 30 x 10 ⁴ NO									(14,100)	(3320)	(1470)
NO 06 / 04 5983 10,613 18,453 36,153 106,38 939 x 10^4 8180 x 10^4		FI+AI	1.0 / 0.0	1468	2377	3724	6300	14,103	7.09×10^{-5}	3.01×10^{-4}	6.81 x 10 ⁻⁴
NO 0.6 / 0.4 5983 10,613 18,453 36,153 106,538 9.39 x 10 ⁴ 8.86 x 10 ⁵ 10,000 10,000 0.6 / 0.4 6441 (0.5) 8817 (0.5) 11,606 (0.5) 15,704 (0.5) 2,2,366 (0.5) 37,291 (0.5) 2,68 x 10 ⁵ 10,000 11,000 14,									(14,100)	(3320)	(1470)
SO		ON	0.6 / 0.4	5983	10,613	18,453	36,153	106,538	9.39 x 10 ⁻⁶	8.86×10^{-5}	1.99 x 10 ⁻⁴
SO 0.6 / 0.4 6441 (0.5) 11,606 (0.5) 15,704 (0.5) 24,106 (0.5) 268 × 10 ⁴ 106 × 10 ⁴ TH 0.0 / 1.0									(106,500)	(11,300)	(5130)
TH 0.0 \(\)		OS	0.6 / 0.4	6441 (0.5)	8817 (0.5)	11,606 (0.5)	15,704 (0.5)	24,106 (0.5)	2.68×10^{-5}	1.06×10^{-4}	3.00×10^{-4}
TH				8004 (0.5)	11,433 (0.5)	15,698 (0.5)	22,366 (0.5)	37,291 (0.5)	(37,300)	(9430)	(3330)
FT 0.0 \		TH	0.0 / 1.0	NA	NA	NA	NA	NA	2.64×10^{-5}	1.91 x 10 ⁻⁴	4.65 x 10 ⁻⁴
RZ 1.0 \(0.0 \) 1.0 1468 2377 3724 6300 14,103 7.09 \(10^{5} \) (14,500) (14,50									(37,900)	(5240)	(2150)
RZ		ET	0.0 / 1.0	NA	NA	NA	NA	NA	1.19×10^{-5}	6.90×10^{-5}	1.78 x 10 ⁻⁴
PY 1.0 \(\) 0.0 1468 2377 3724 6300 14,103 7.09 \times 10^4 3320) (14,100) (3320) (3320) (14,100) (14,100) (14									(84,000)	(14,500)	(5600)
PY 10 0 0 1468 2377 3724 6300 14,103 7.09 × 10 ⁻⁵ 3.01 × 10 ⁻⁴ 14,103 10,00 14,103 1320) 14,103 10,00 10,00											
PY 1.0 / 0.0 1468 2377 3724 6300 14,103 709 x 10 ⁻⁵ 301 x 10 ⁻⁴ FI 1.0 / 0.0 1348 2222 3521 6024 13,680 731 x 10 ⁻⁵ 3.10 x 10 ⁻⁴ AI 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ⁻⁵ 3.10 x 10 ⁻⁴ NO 0.6 / 0.4 5983 10,613 18,453 36,153 106,509 11,100 3320 SO+TH 0.0 / 1.0 NA NA NA NA NA 1.16 x 10 ⁻⁴ ET 0.0 / 1.0 NA NA NA NA 1.15 x 10 ⁻⁴ 1.16 x 10 ⁻⁴ Floating on all 0.0 / 1.0 NA NA NA 1.19 x 10 ⁻⁴ 7.60 x 10 ⁻⁴ Floating on all 0.0 / 1.0 NA NA NA 1.12 x 10 ⁻⁴ 7.60 x 10 ⁻⁴ Floating on all 0.0 / 1.0 NA NA NA 1.12 x 10 ⁻⁴ 7.60 x 10 ⁻⁴ Floating on all 0.0 / 1.0 NA </td <td>4</td> <td>RZ</td> <td>1.0 / 0.0</td> <td>1468</td> <td>2377</td> <td>3724</td> <td>6300</td> <td>14,103</td> <td>7.09×10^{-5}</td> <td>3.01×10^{-4}</td> <td>6.81 x 10⁻⁴</td>	4	RZ	1.0 / 0.0	1468	2377	3724	6300	14,103	7.09×10^{-5}	3.01×10^{-4}	6.81 x 10 ⁻⁴
PY 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ⁻⁵ 3.01 x 10 ⁻⁴ FI 1.0 / 0.0 1348 2222 3521 6024 13,680 7.31 x 10 ⁻⁵ 3.01 x 10 ⁻⁴ AI 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ⁻⁵ 3.01 x 10 ⁻⁴ NO 0.6 / 0.4 5983 10,613 18,453 36,153 106,538 9,39 x 10 ⁻⁶ 3.01 x 10 ⁻⁴ SO+TH 0.0 / 1.0 NA NA NA NA NA 1.16 x 10 ⁻⁴ ET 0.0 / 1.0 NA NA NA NA 1.19 x 10 ⁻⁵ 6.90 x 10 ⁻⁵ RZ-PY+F1+A1 NA NA NA 1.19 x 10 ⁻⁵ 6.90 x 10 ⁻⁵ RZ-PY+F1+A1 NA NA NA NA 1.12 x 10 ⁻⁴ 7.60 x 10 ⁻⁴ Floating on all 0.0 / 1.0 NA NA NA 1.12 x 10 ⁻⁴ 7.60 x 10 ⁻⁴ Regments 10.0 / 1.0 NA NA									(14,100)	(3320)	(1470)
FI 1.0 \(0.0 \) 1348 2222 3521 6024 13,680 7,31 \(10^{1} \) 0 (14,100) (3320) (1320) (13680) (13		PY	1.0 / 0.0	1468	2377	3724	6300	14,103	7.09×10^{-5}	3.01×10^{-4}	6.81 x 10 ⁻⁴
FI 1.0 / 0.0 1348 2222 3521 6624 13,680 7.31 x 10 ⁻⁵ 3.20 x 10 ⁻⁴ AI 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ⁻⁵ 3.01 x 10 ⁻⁴ AI 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ⁻⁵ 3.01 x 10 ⁻⁴ NO 0.6 / 0.4 5983 10,613 18,453 36,153 106,538 9.39 x 10 ⁻⁶ 8.86 x 10 ⁻⁵ SO+TH 0.0 / 1.0 NA NA NA NA NA 1.85 x 10 ⁻⁵ 1.16 x 10 ⁻⁴ Floating on all 0.0 / 1.0 NA NA NA NA NA NA 1.22 x 10 ⁻⁴ (14,500) Floating on all 0.0 / 1.0 NA NA NA NA NA NA 1.22 x 10 ⁻⁴ (1320) Floating on all 0.0 / 1.0 NA NA NA NA NA 2.74 x 10 ⁻⁴ 8.91 x 10 ⁻⁴ Floating on all 0.0 / 1.0 NA NA NA NA 2.74 x 10 ⁻⁴ 8.91 x 10 ⁻⁴									(14,100)	(3320)	(1470)
AI 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ⁻⁵ 3.01 x 10 ⁻⁴ 10.0		FI	1.0 / 0.0	1348	2222	3521	6024	13,680	7.31×10^{-5}	3.20×10^{-4}	7.42×10^{-4}
AI 1.0 / 0.0 1468 2377 3724 6300 14,103 7.09 x 10 ⁻⁵ 3.01 x 10 ⁻⁴ NO 0.6 / 0.4 5983 10,613 18,453 36,153 106,538 9.39 x 10 ⁻⁶ 8.86 x 10 ⁻⁵ SO+TH 0.0 / 1.0 NA NA NA NA NA NA 1.19 x 10 ⁻⁵ (14,500) Floating on all 0.0 / 1.0 NA NA NA NA NA NA NA 1.22 x 10 ⁻⁴ (14,500) Floating on all 0.0 / 1.0 NA NA NA NA NA NA (8200) (1120) Floating on all 0.0 / 1.0 NA NA NA NA NA NA (120) Floating on all 0.0 / 1.0 NA NA NA NA NA (120) (1120) Floating on all 0.0 / 1.0 NA NA NA NA (1120) (1120) Floating on all 0.0 / 1.0 NA NA NA NA (1120) Floating on all 0.0 / 1.0 NA NA NA (1120) (1120) Floating on all 0.0 / 1.0 NA NA NA (1120) (1120) Floating on all 0.0 / 1.0 NA NA NA (1120) (1120) Floating on all 0.0 / 1.0 NA NA NA (1120) (1120) Floating on all 0.0 / 1.0 NA NA NA (1120) (1120) Floating on all 0.0 / 1.0 NA NA NA (1120) (1120) Floating on all 0.0 / 1.0 NA NA NA NA (1120) (1120)									(13,680)	(3130)	(1350)
NO 0.6 / 0.4 5983 10,613 18,453 36,153 106,538 9.39 x 10-6 8.86 x 10-5 SO+TH 0.0 / 1.0 NA NA NA NA 1.16 x 10-4 (11,300) ET 0.0 / 1.0 NA NA NA 1.16 x 10-5 (14,500) Floating on all conditional segments 0.0 / 1.0 NA NA NA 1.12 x 10-4 7.60 x 10-4 Floating on all conditional segments 0.0 / 1.0 NA NA NA NA 1.12 x 10-4 7.60 x 10-4 Floating on all conditional segments 0.0 / 1.0 NA NA NA NA 1.22 x 10-4 7.60 x 10-4		AI	1.0 / 0.0	1468	2377	3724	6300	14,103	7.09×10^{-5}	3.01×10^{-4}	6.81 x 10 ⁻⁴
NO 0.6 / 0.4 5983 10,613 18,453 36,153 106,538 9.39 x 10-6 8.86 x 10-5 SO+TH 0.0 / 1.0 NA NA NA NA 1.16 x 10-4 1.16 x 10-4 ET 0.0 / 1.0 NA NA NA NA 1.19 x 10-5 6.90 x 10-5 Floating on all segments 0.0 / 1.0 NA NA NA 1.12 x 10-4 7.60 x 10-4 R2+PY+FT+AI NA NA NA NA 1.22 x 10-4 7.60 x 10-4 Floating on all segments 0.0 / 1.0 NA NA NA NA 8.91 x 10-4 Floating on all segments 0.0 / 1.0 NA NA NA 1.120									(14,100)	(3320)	(1470)
SO+TH 0.0 / 1.0 NA NA NA 1.85 x 10 ⁻⁵ 1.16 x 10 ⁻⁴ ET 0.0 / 1.0 NA NA NA 1.85 x 10 ⁻⁵ 1.16 x 10 ⁻⁴ Floating on all 0.0 / 1.0 NA NA NA NA 1.22 x 10 ⁻⁴ 7.60 x 10 ⁻⁴ Floating on all 0.0 / 1.0 NA NA NA NA NA 2.74 x 10 ⁻⁴ 8.91 x 10 ⁻⁴ Segments So / 1.0 NA NA NA NA 2.74 x 10 ⁻⁴ 8.91 x 10 ⁻⁴ So / 1.0 NA NA NA NA 2.74 x 10 ⁻⁴ 8.91 x 10 ⁻⁴		ON	0.6 / 0.4	5983	10,613	18,453	36,153	106,538	9.39 x 10 ⁻⁶	8.86×10^{-5}	1.99 x 10 ⁻⁴
SO+TH 0.0 / 1.0 NA NA NA 1.85 x 10 ⁻⁵ 1.16 x 10 ⁻⁴ ET 0.0 / 1.0 NA NA NA NA 1.85 x 10 ⁻⁵ 1.16 x 10 ⁻⁴ Floating on all 0.0 / 1.0 NA NA NA NA NA NA NA N									(106,500)	(11,300)	(5130)
ET 0.0 / 1.0 NA NA NA NA 1.19 x 10 ⁻⁵ (84,000) (8600) Floating on all segments 0.0 / 1.0 NA NA NA 1.19 x 10 ⁻⁵ (84,000) (14,500) RZ+PY+FI+AI NA NA NA 1.22 x 10 ⁻⁴ (8200) 7.60 x 10 ⁻⁴ (1320) Floating on all segments 0.0 / 1.0 NA NA NA NA 8.91 x 10 ⁻⁴ (1120)		SO+TH	0.0 / 1.0	NA	NA	NA	NA	NA	1.85×10^{-5}	1.16×10^{-4}	3.19×10^{-4}
FT 0.0 / 1.0 NA NA NA NA 1.19 x 10 ⁻⁵ 6.90 x 10 ⁻⁵ Floating on all 0.0 / 1.0 NA NA NA NA NA NA 1.22 x 10 ⁻⁴ 7.60 x 10 ⁻⁴ Floating on all 0.0 / 1.0 NA NA NA 2.74 x 10 ⁻⁴ 8.91 x 10 ⁻⁴ Floating on all 0.0 / 1.0 NA NA NA NA 2.74 x 10 ⁻⁴ 8.91 x 10 ⁻⁴ Floating on all 0.0 / 1.0 NA NA NA NA 0.0 / 1.0 (1120)									(54,000)	(8600)	(3140)
Floating on all 0.0 / 1.0 NA NA NA NA NA NA 1.22 x 10 ⁻⁴ 7.60 x 10 ⁻⁴ Floating on all 0.0 / 1.0 NA NA NA NA 2.74 x 10 ⁻⁴ 8.91 x 10 ⁻⁴ Segments Segment		ET	0.0 / 1.0	NA	NA	NA	NA	NA	1.19×10^{-5}	6.90×10^{-5}	1.78×10^{-4}
Floating on 0.0 / 1.0 NA NA NA NA NA 1.22 x 10 ⁻⁴ 7.60 x 10 ⁻⁴ RZ+PY+FI+AI (8200) NA NA NA NA 2.74 x 10 ⁻⁴ 8.91 x 10 ⁻⁴ segments (3650) (1120)									(84,000)	(14,500)	(5600)
Floating on 0.0 / 1.0 NA NA NA NA 1.22 x 10 ⁻⁴ 7.60 x 10 ⁻⁴ 7.60 x 10 ⁻⁴ RZ+PY+FI+AI (8200) (1320) (
0.0 / 1.0 NA NA NA 2.74 x 10 ⁻⁴ 8.91 x 10 ⁻⁴ (3650) (1120)	2	Floating on	0.0 / 1.0	NA	NA	NA	NA	NA	1.22×10^{-4}	7.60×10^{-4}	1.79 x 10 ⁻³
0.0 / 1.0 NA NA NA 2.74 x 10 ⁻⁴ 8.91 x 10 ⁻⁴ (3650) (1120)		RZ+PY+FI+AI							(8200)	(1320)	(260)
(3650) (1120)		Floating on all	0.0 / 1.0	NA	NA	NA	NA	NA	2.74×10^{-4}	8.91 x 10 ⁻⁴	2.44 x 10 ⁻⁴
		segments							(3650)	(1120)	(410)

¹ 1/Rate is shown for ease of comparison with recurrence intervals for faults.
² Rates determined from moment balancing geologic slip rates. Geologic slip rates are provided on Table 4.3-7.

Table 7.1-4. Rupture source rates (Poisson) for "other modeled faults" included in Wasatch Front region fault models.

Fault	Fault Model	Rupfure Source		Runture Source Rates ^{1,2}	
			λ _{5th} % (1/ λ _{5th} %)	λ _{mean} (1/λ _{mean})	λ95th% (1/λ95th%)
Bear River	Unsegmented	Bear River	2.86 x 10 ⁻⁴ (3500)	6.03 x 10 ⁻⁴ (1660)	1.32 x 10 ⁻³ (760)
Carrington	Unsegmented	Carrington	7.09 x 10 ⁻⁵ (14,100)	3.35 x 10 ⁻⁴ (2990)	7.38 x 10 ⁻⁴ (1360)
Crater Bench and Drum Mtns	Unsegmented	Crater Bench and Drum Mtns	5.85 x 10 ⁻⁶ (170,900)	6.74 x 10 ⁻⁵ (14,800)	2.91 x 10 ⁻⁴ (3440)
Crawford Mtns	Unsegmented	Crawford Mtns	5.78 x 10 ⁻⁶ (173,000)	2.86 x 10 ⁻⁵ (35,000)	$8.04 \times 10^{-5} (12,400)$
Curlew Valley	Unsegmented	Curlew Valley	5.29 x 10 ⁻⁵ (18,900)	4.43 x 10 ⁻⁴ (2260)	1.33 x 10 ⁻³ (750)
East Cache	Unsegmented	Floating	7.58 x 10 ⁻⁵ (13,200)	5.30 x 10 ⁻⁴ (1890)	1.23 x 10 ⁻³ (810)
	Segmented	North	1.83 x 10 ⁻⁵ (54,600)	1.35 x 10 ⁻⁴ (7400)	3.56 x 10 ⁻⁴ (2800)
		Central	$3.90 \times 10^{-5} (25,600)$	2.18 x 10 ⁻⁴ (4590)	5.36 x 10 ⁻⁴ (1870)
		South	7.29 x 10 ⁻⁶ (137,200)	$3.00 \times 10^{-5} (33,300)$	$1.00 \times 10^{-4} (10,000)$
East Dayton-Oxford	Unsegmented	East Dayton-Oxford	5.81 x 10 ⁻⁶ (172,100)	5.79 x 10 ⁻⁵ (17,300)	1.45 x 10 ⁻⁴ (6900)
Eastern Bear Lake	Unsegmented	Floating	3.69 x 10 ⁻⁴ (2710)	$1.79 \times 10^{-3} (560)$	$4.77 \times 10^{-3} (210)$
	Segmented	North	6.41 x 10 ⁻⁵ (15,600)	3.88 x 10 ⁻⁴ (2580)	9.24 x 10 ⁻⁴ (1080)
		Central	1.22 x 10 ⁻⁴ (8200)	6.63 x 10 ⁻⁴ (1500)	1.55 x 10 ⁻³ (650)
		South	6.75 x 10 ⁻⁵ (14,800)	4.47 x 10 ⁻⁴ (2240)	$1.26 \times 10^{-3}(790)$
Faults along the edge of Scipio Valley-Pavant Range	Unsegmented	Faults along the edge of Scipio Valley-Pavant Range	$1.30 \text{ x } 10^{-5} (76,900)$	1.53 x 10 ⁻⁴ (6540)	5.97 x 10 ⁻⁴ (1680)
Gunnison	Unsegmented	Gunnison	$1.37 \times 10^{-5} (73,000)$	$1.55 \times 10^{-4} (6450)$	5.83 x 10 ⁻⁴ (1700)
Hansel Valley (Independent) ³	Unsegmented	Hansel Valley	4.38 x 10 ⁻⁵ (22,830)	$1.02 \times 10^{-4} (9800)$	4.14 x 10 ⁻⁴ (2400)
Joe's Valley	Unsegmented	Joe's Valley	$2.00 \times 10^{-5} (50,000)$	1.11 x 10 ⁻⁴ (9000)	$2.00 \times 10^{-4} (5000)$
Little Valley	Unsegmented	Little Valley	1.53 x 10 ⁻⁵ (65,400)	$2.00 \text{ x } 10^{-4} \text{ (5000)}$	6.65 x 10 ⁻⁴ (1500)
Main Canyon	Unsegmented	Main Canyon	5.85 x 10 ⁻⁶ (170,900)	$2.90 \times 10^{-5} (34,500)$	9.05 x 10 ⁻⁵ (11,000)
Morgan	Unsegmented	Morgan	7.11 x 10 ⁻⁶ (140,600)	$3.42 \times 10^{-5} (29,200)$	9.00 x 10 ⁻⁵ (11,100)
North Promontory	Unsegmented	North Promontory	$5.73 \times 10^{-5} (17,500)$	3.16 x 10 ⁻⁴ (3170)	9.77 x 10 ⁻⁴ (1020)
Porcupine Mtn	Unsegmented	Porcupine Mtn	5.67 x 10 ⁻⁶ (176,400)	$2.70 \times 10^{-5} (37,000)$	7.73 x 10 ⁻⁵ (12,900)
Rock Creek	Unsegmented	Rock Creek	$1.00 \times 10^{-4} (10,000)$	7.04 x 10 ⁻⁴ (1420)	$1.78 \times 10^{-3} (560)$
Skull Valley	Unsegmented	Skull Valley	$4.03 \times 10^{-5} (24,800)$	3.35 x 10 ⁻⁴ (2990)	$7.70 \times 10^{-4} (1300)$
Snow Lake Graben	Unsegmented	Snow Lake Graben	$2.00 \times 10^{-5} (50,000)$	$1.07 \times 10^{-4} (9350)$	$2.00 \times 10^{-4} (5000)$
Stansbury	Unsegmented	Floating	1.25 x 10 ⁻⁴ (8000)	$1.08 \times 10^{-3} (920)$	$2.89 \times 10^{-3} (350)$
	Segmented	North	$3.57 \times 10^{-5} (28,000)$	4.08 x 10 ⁻⁴ (2450)	$1.04 \times 10^{-3} (960)$
		Central	3.44 x 10 ⁻⁵ (29,100)	3.61 x 10 ⁻⁴ (2770)	9.01 x 10 ⁻⁴ (1110)
		South	3.82 x 10 ⁻⁵ (26,200)	5.17 x 10 ⁻⁴ (1930)	$1.27 \times 10^{-3} (790)$
Stinking Springs	Unsegmented	Stinking Springs	$3.25 \times 10^{-5} (30,800)$	2.71 x 10 ⁻⁴ (3690)	8.33 x 10 ⁻⁴ (1200)
Strawberry	Unsegmented	Strawberry	3.04 x 10 ⁻⁵ (32,900)	1.25 x 10 ⁻⁴ (8000)	$3.41 \times 10^{-4} (2930)$
Utah Lake (Independent) ³	Unsegmented	Utah Lake	$3.86 \times 10^{-5} (25,900)$	2.21 x 10 ⁻⁴ (4530)	9.03 x 10 ⁻⁴ (1110)
West Cache	Unsegmented	Floating	$1.80 \times 10^{-4} (5560)$	9.72 x 10 ⁻⁴ (1030)	$2.08 \times 10^{-3} (480)$
	Segmented	North	5.24 x 10 ⁻⁵ (19,100)	3.99 x 10 ⁻⁴ (2500)	$1.01 \times 10^{-3} (990)$
		Central	$2.55 \times 10^{-5} (39,200)$	$1.00 \times 10^{-4} (10,000)$	2.36 x 10 ⁻⁴ (4240)
		South	$2.64 \times 10^{-5} (37,900)$	1.13 x 10 ⁻⁴ (8850)	$2.60 \times 10^{-4} (3850)$
West Valley (Independent) 3	Unsegmented	West Valley	$3.86 \times 10^{-5} (25,900)$	$2.21 \times 10^{-4} (4530)$	$1.49 \times 10^{-3} (670)$
Western Bear Lake (Independent) 3	Unsegmented	Western Bear Lake	$4.72 \times 10^{-5} (21,200)$	2.61 x 10 ⁻⁴ (3830)	$1.48 \times 10^{-3} (680)$
1 (1/) is shown for ease of comparison with recurrence intervals for faults	intervals for faults				

¹ (1/λ) is shown for ease of comparison with recurrence intervals for faults.
² Geologic slip rates and recurrence intervals provided in Appendix D.
³ Rates for subsidiary antithetic faults are for independent ruptures only and do not include the rate of simultaneous rupture with the master fault.

Table 7.1-5. Segment rupture rates (Poisson) for the WFZ central segment fault models.

Fault Model	Fault Segment	Se	gment Rupture Rates ^{1,}	2
		$\lambda_{5\text{th}\%} (1/\lambda_{5\text{th}\%})$	$\lambda_{\text{mean}} (1/\lambda_{\text{mean}})$	$\lambda_{95\text{th}\%} (1/\lambda_{95\text{th}\%})$
Single-segment Rupture	BCS	2.03 x 10 ⁻⁴ (4930)	6.68 x 10 ⁻⁴ (1500)	1.39 x 10 ⁻³ (720)
	WS	2.50 x 10 ⁻⁴ (4000)	7.02 x 10 ⁻⁴ (1430)	1.37 x 10 ⁻³ (730)
	SLCS	2.28 x 10 ⁻⁴ (4390)	7.52 x 10 ⁻⁴ (1330)	1.56 x 10 ⁻³ (640)
	PS	2.89 x 10 ⁻⁴ (3460)	8.12 x 10 ⁻⁴ (1230)	1.58 x 10 ⁻³ (630)
	NS	2.18 x 10 ⁻⁴ (4590)	9.21 x 10 ⁻⁴ (1090)	2.10 x 10 ⁻³ (480)
Intermediate A Rupture Model	BCS	1.84 x 10 ⁻⁴ (5440)	6.11 x 10 ⁻⁴ (1640)	1.21 x 10 ⁻³ (830)
	WS	2.63 x 10 ⁻⁴ (3800)	6.97 x 10 ⁻⁴ (1440)	1.31 x 10 ⁻³ (760)
	SLCS	2.45 x 10 ⁻⁴ (4080)	7.25 x 10 ⁻⁴ (1380)	1.39 x 10 ⁻³ (720)
	PS	3.09 x 10 ⁻⁴ (3240)	8.10 x 10 ⁻⁴ (1240)	1.46 x 10 ⁻³ (690)
	NS	2.18 x 10 ⁻⁴ (4590)	9.21 x 10 ⁻⁴ (1090)	2.10 x 10 ⁻³ (480)
Intermediate B Rupture Model	BCS	1.84 x 10 ⁻⁴ (5440)	6.11 x 10 ⁻⁴ (1640)	1.21 x 10 ⁻³ (830)
	WS	2.63 x 10 ⁻⁴ (3800)	6.97 x 10 ⁻⁴ (1440)	1.31 x 10 ⁻³ (760)
	SLCS	2.28 x 10 ⁻⁴ (4390)	7.52 x 10 ⁻⁴ (1330)	1.56 x 10 ⁻³ (640)
	PS	3.09 x 10 ⁻⁴ (3240)	8.10 x 10 ⁻⁴ (1240)	1.46 x 10 ⁻³ (690)
	NS	2.02 x 10 ⁻⁴ (4950)	7.79 x 10 ⁻⁴ (1280)	1.72 x 10 ⁻³ (580)
Intermediate C Rupture Model	BCS	1.84 x 10 ⁻⁴ (5440)	6.11 x 10 ⁻⁴ (1640)	1.21 x 10 ⁻³ (830)
	WS	2.63 x 10 ⁻⁴ (3800)	6.97 x 10 ⁻⁴ (1440)	1.31 x 10 ⁻³ (760)
	SLCS	2.28 x 10 ⁻⁴ (4390)	7.52 x 10 ⁻⁴ (1330)	1.56 x 10 ⁻³ (640)
	PS	2.89 x 10 ⁻⁴ (3460)	8.12 x 10 ⁻⁴ (1230)	1.58 x 10 ⁻³ (630)
	NS	2.18 x 10 ⁻⁴ (4590)	9.21 x 10 ⁻⁴ (1090)	2.10 x 10 ⁻³ (480)
Multisegment Rupture Model	BCS	2.15 x 10 ⁻⁴ (4650)	5.84 x 10 ⁻⁴ (1710)	1.15 x 10 ⁻³ (870)
	WS	2.89 x 10 ⁻⁴ (3460)	6.99 x 10 ⁻⁴ (1430)	1.27 x 10 ⁻³ (790)
	SLCS	2.19 x 10 ⁻⁴ (4570)	6.51 x 10 ⁻⁴ (1540)	1.23 x 10 ⁻³ (810)
	PS	3.11 x 10 ⁻⁴ (3220)	8.08 x 10 ⁻⁴ (1240)	1.46 x 10 ⁻³ (690)
	NS	1.62 x 10 ⁻⁴ (6170)	6.31 x 10 ⁻⁴ (1590)	1.33 x 10 ⁻³ (750)

 $^{^{1}\}left(1/\lambda\right)$ is shown for ease of comparison with recurrence intervals for faults.

Table 7.1-6. Segment rupture rates (Poisson) for the WFZ end segment fault models.

Fault Model	Fault Segment	Se	egment Rupture Rates ¹	.2
		$\lambda_{5\text{th}\%} (1/\lambda_{5\text{th}\%})$	$\lambda_{\text{mean}} (1/\lambda_{\text{mean}})$	λ _{95th%} (1/λ _{95th%})
Segmented Rupture Model -	Malad City	4.13 x 10 ⁻⁶ (242,000)	3.01 x 10 ⁻⁵ (33,200)	7.91 x 10 ⁻⁵ (12,600)
Northern End Segments	Clarkston Mountain	5.53 x 10 ⁻⁶ (180,800)	5.42 x 10 ⁻⁵ (18,500)	1.32 x 10 ⁻⁴ (7580)
	Collinston	4.87 x 10 ⁻⁶ (205,300)	3.95 x 10 ⁻⁵ (25,300)	9.97 x 10 ⁻⁵ (10,000)
Floating Rupture Model -	Malad City	3.90 x 10 ⁻⁶ (256,400)	2.98 x 10 ⁻⁵ (33,600)	7.05 x 10 ⁻⁵ (14,200)
Northern End Segments	Clarkston Mountain	5.19 x 10 ⁻⁶ (192,700)	3.96 x 10 ⁻⁵ (25,300)	9.38 x 10 ⁻⁵ (10,700)
	Collinston	7.08 x 10 ⁻⁶ (141,200)	5.40 x 10 ⁻⁵ (18,500)	1.28 x 10 ⁻⁴ (7810)
Segmented Rupture Model -	Levan	4.92 x 10 ⁻⁶ (203,000)	1.15 x 10 ⁻⁴ (8700)	3.03 x 10 ⁻⁴ (3300)
Southern Segments	Fayette	2.65 x 10 ⁻⁵ (37,700)	2.12 x 10 ⁻⁴ (4720)	5.43 x 10 ⁻⁴ (1840)

 $^{^{1}}$ (1/ λ) is shown for ease of comparison with recurrence intervals for faults.

² These rates account for segment rupture as a single-segment and as part of a multi-segment rupture.

² These rates account for segment rupture as a single-segment and as part of a multi-segment rupture.

Table 7.1-7. Segment rupture rates (Poisson) for the WFZ unsegmented fault model.

Fault Model	Fault Segment		Segment Rupture Rates ^{1,2}	2
		$\lambda_{5th\%}$ $(1/\lambda_{5th\%})$	$\lambda_{\text{mean}} (1/\lambda_{\text{mean}})$	$\lambda_{95\text{th}\%} (1/\lambda_{95\text{th}\%})$
Unsegmented Model	Malad City	3.90 x 10 ⁻⁶ (256,400)	2.98 x 10 ⁻⁵ (33,600)	7.05 x 10 ⁻⁵ (14,200)
	Clarkston Mountain	5.19 x 10 ⁻⁶ (192,700)	3.96 x 10 ⁻⁵ (25,200)	9.38 x 10 ⁻⁵ (10,700)
	Collinston	7.08 x 10 ⁻⁶ (141,200)	5.40 x 10 ⁻⁵ (18,500)	1.28 x 10 ⁻⁴ (7810)
	Brigham City	3.08 x 10 ⁻⁴ (3250)	8.62 x 10 ⁻⁴ (1160)	1.72 x 10 ⁻³ (580)
	Weber	7.30 x 10 ⁻⁴ (1370)	2.09 x 10 ⁻³ (480)	4.16 x 10 ⁻³ (240)
	Salt Lake City	7.36 x 10 ⁻⁴ (1360)	2.11 x 10 ⁻³ (470)	4.20 x 10 ⁻³ (240)
	Provo	7.92 x 10 ⁻⁴ (1260)	2.26 x 10 ⁻³ (440)	4.51 x 10 ⁻³ (220)
	Nephi	3.74 x 10 ⁻⁴ (2670)	1.05 x 10 ⁻³ (950)	2.10 x 10 ⁻³ (480)
	Levan	5.16 x 10 ⁻⁶ (193,800)	3.94 x 10 ⁻⁵ (25,400)	9.33 x 10 ⁻⁵ (10,700)
	Fayette	2.14 x 10 ⁻⁶ (467,300)	1.63 x 10 ⁻⁵ (61,400)	3.87 x 10 ⁻⁵ (25,800)

¹ These rates account for rate of segment participation in floating rupture.

Table 7.1-8. Segment rupture rates (Poisson) for the WFZ.

Fault Model	Fault Segment	S	egment Rupture Rates ¹	
		$\lambda_{5th\%}$ (1/ $\lambda_{5th\%}$)	$\lambda_{\text{mean}} (1/\lambda_{\text{mean}})$	λ _{95th} % (1/λ _{95th} %)
Weighted Total of All Fault Models	Malad City	4.44 x 10 ⁻⁶ (225,200)	5.42 x 10 ⁻⁵ (18,500)	1.55 x 10 ⁻⁴ (6450)
	Clarkston Mountain	8.81 x 10 ⁻⁶ (113,500)	6.44 x 10 ⁻⁵ (15,500)	1.63 x 10 ⁻⁴ (6140)
	Collinston	6.58 x 10 ⁻⁶ (152,000)	4.79 x 10 ⁻⁵ (20,900)	1.18 x 10 ⁻⁴ (8480)
	Brigham City	2.03 x 10 ⁻⁴ (4930)	6.78 x 10 ⁻⁴ (1480)	1.39 x 10 ⁻³ (720)
	Weber	2.50 x 10 ⁻⁴ (4000)	8.46 x 10 ⁻⁴ (1180)	1.80 x 10 ⁻³ (560)
	Salt Lake City	2.28 x 10 ⁻⁴ (4390)	8.85 x 10 ⁻⁴ (1130)	1.82 x 10 ⁻³ (550)
	Provo	2.89 x 10 ⁻⁴ (3460)	9.58 x 10 ⁻⁴ (1040)	1.95 x 10 ⁻³ (510)
	Nephi	2.18 x 10 ⁻⁴ (4590)	9.24 x 10 ⁻⁴ (1080)	2.10 x 10 ⁻³ (480)
	Levan	2.10 x 10 ⁻⁵ (47,600)	1.95 x 10 ⁻⁴ (5130)	2.24 x 10 ⁻⁴ (1910)
	Fayette	4.78 x 10 ⁻⁶ (209,200)	1.05 x 10 ⁻⁴ (9520)	2.95 x 10 ⁻⁴ (3390)

¹ These rates account for rupture as a single-segment and as part of multi-segment and floating ruptures.

Figure 7.1-2 shows a significant mismatch at the larger magnitudes ($M \ge 5.5$) between (1) a straight line extrapolation of the recurrence model derived from the historical seismicity record (green), and (2) the total recurrence model, which is based on both historical seismicity data and geologic data (black). This mismatch is manifested by the upward "bulge" in the plot for the latter model, which is the mean cumulative frequency-magnitude relationship for all earthquake sources. The red box with the horizontal red line inside indicates the minimum (1/217), preferred (1/109), and maximum (1/54) rate of surface-faulting earthquakes during the past 18 kyr as determined in Section 4.6, plotted at the estimated minimum magnitude for such earthquakes of M 6.75 \pm 0.25. This box serves as a check on the total recurrence model, because the estimated rate of surface-faulting earthquakes was determined using a simpler approach with fewer assumptions. The excellent agreement between the rate of surface-faulting earthquakes shown by the box and the total recurrence model (black line) provides some support for the interpretation of the bulge in the latter as a real feature, rather

than as an artifact of the assumptions of the model. Interestingly, the observed earthquake rates (triangles, Figure 7.1-2) for the two highest magnitude bins, $\mathbf{M} \geq 5.65$ and $\mathbf{M} \geq 6.35$, are also higher than expected based on a linear extrapolation of the recurrence model derived from historical seismicity data. However, the rates for these magnitude bins have large uncertainties because the earthquake catalog has only three independent mainshocks of $\mathbf{M} \geq 5.65$ and one of $\mathbf{M} \geq 6.35$ (Table 5.4-1 and Figure 5.6-1).

Possible explanations for the bulge include the following: (1) Because of the restricted areal extent of our study region and its dominance by the WFZ (see Figure 5.4-1), earthquake recurrence data in the study region do not exhibit a Gutenberg-Richter relationship. (2) The relatively short historical earthquake record in the study region is not representative of long-term recurrence. (3) Our judgment that the maximum magnitude model is more appropriate than the truncated exponential model for modeling the recurrence of earthquakes on the major faults in the region may be incorrect and greater

² These rates account for segment rupture as a single-segment and as part of a multi-segment rupture.

Table 7.1-9. Segment rupture rates (Poisson) for OGSLFZ fault models.

Fault Model	Fault Segment		Segment Rupture Rates ¹	
		$\lambda_{5\text{th}\%} (1/\lambda_{5\text{th}\%})$	$\lambda_{\text{mean}} (1/\lambda_{\text{mean}})$	$\lambda_{95\text{th}\%}$ $(1/\lambda_{95\text{th}\%})$
1	RZ	7.09 x 10 ⁻⁵ (14,100)	3.01 x 10 ⁻⁴ (3320)	6.81 x 10 ⁻⁴ (1470)
	PY	7.09 x 10 ⁻⁵ (14,100)	3.01 x 10 ⁻⁴ (3320)	6.81 x 10 ⁻⁴ (1470)
	FI	7.31 x 10 ⁻⁵ (13,700)	3.20 x 10 ⁻⁴ (3130)	7.42 x 10 ⁻⁴ (1350)
	AI	7.09 x 10 ⁻⁵ (14,100)	3.01 x 10 ⁻⁴ (3320)	6.81 x 10 ⁻⁴ (1470)
	NO	9.39 x 10 ⁻⁶ (106,500)	8.86 x 10 ⁻⁵ (11,300)	1.99 x 10 ⁻⁴ (5030)
	SO	2.68 x 10 ⁻⁵ (37,300)	1.06 x 10 ⁻⁴ (9430)	3.00 x 10 ⁻⁴ (3330)
	TH	2.64 x 10 ⁻⁵ (37,900)	1.91 x 10 ⁻⁴ (5240)	4.65 x 10 ⁻⁴ (2150)
	ET	1.19 x 10 ⁻⁵ (84,000)	6.90 x 10 ⁻⁵ (14,500)	1.78 x 10 ⁻⁴ (5600)
	21	1.15 11 10 (0 1,000)	0.50 11 10 (1.5000)	11,01110 (0000)
2	RZ	7.09 x 10 ⁻⁵ (14,100)	3.01 x 10 ⁻⁴ (3320)	6.81 x 10 ⁻⁴ (1470)
_	PY	7.09 x 10 ⁻⁵ (14,100)	3.01 x 10 ⁻⁴ (3320)	6.81 x 10 ⁻⁴ (1470)
	FI	7.31 x 10 ⁻⁵ (13,700)	3.20 x 10 ⁻⁴ (3130)	7.42 x 10 ⁻⁴ (1350)
	AI	7.09 x 10 ⁻⁵ (14,100)	3.01 x 10 ⁻⁴ (3320)	6.81 x 10 ⁻⁴ (1470)
	NO	9.39 x 10 ⁻⁶ (106,500)	8.86 x 10 ⁻⁵ (11,300)	1.99 x 10 ⁻⁴ (5130)
	SO	2.68 x 10 ⁻⁵ (37,300)	1.06 x 10 ⁻⁴ (9430)	3.00 x 10 ⁻⁴ (3330)
	TH	2.64 x 10 ⁻⁵ (37,900)	1.91 x 10 ⁻⁴ (5240)	4.65 x 10 ⁻⁴ (2150)
	ET	1.19 x 10 ⁻⁵ (84,000)	6.90 x 10 ⁻⁵ (14,500)	1.78 x 10 ⁻⁴ (5600)
	LI	1.17 x 10 (04,000)	0.50 x 10 (14,500)	1.76 X 10 (3000)
3	RZ	7.09 x 10 ⁻⁵ (14,100)	3.01 x 10 ⁻⁴ (3320)	6.81 x 10 ⁻⁴ (1470)
J	PY	7.09 x 10 ⁻⁵ (14,100)	3.01 x 10 ⁻⁴ (3320)	6.81 x 10 ⁻⁴ (1470)
	FI	7.09 x 10 ⁻⁵ (14,100)	3.01 x 10 ⁻⁴ (3320)	6.81 x 10 ⁻⁴ (1470)
	AI	7.09 x 10 ⁻⁵ (14,100)	3.01 x 10 ⁻⁴ (3320)	6.81 x 10 ⁻⁴ (1470)
	NO	9.39 x 10 ⁻⁶ (106,500)	8.86 x 10 ⁻⁵ (11,300)	1.99 x 10 ⁻⁴ (5130)
	SO	2.68 x 10 ⁻⁵ (37,300)	1.06 x 10 ⁻⁴ (9430)	$\frac{1.99 \times 10^{-4} (3130)}{3.00 \times 10^{-4} (3330)}$
	TH	2.64 x 10 ⁻⁵ (37,900)	1.91 x 10 ⁻⁴ (5240)	4.65 x 10 ⁻⁴ (2150)
	ET	1.19 x 10 ⁻⁵ (84,000)	6.90 x 10 ⁻⁵ (14,500)	1.78 x 10 ⁻⁴ (5600)
	EI	1.19 x 10 (64,000)	0.90 X 10 (14,300)	1.78 X 10 (3000)
4	RZ	7.09 x 10 ⁻⁵ (14,100)	3.01 x 10 ⁻⁴ (3320)	6.81 x 10 ⁻⁴ (1470)
•	PY	7.09 x 10 ⁻⁵ (14,100)	3.01 x 10 ⁻⁴ (3320)	6.81 x 10 ⁻⁴ (1470)
	FI	7.31 x 10 ⁻⁵ (13,700)	3.20 x 10 ⁻⁴ (3130)	7.42 x 10 ⁻⁴ (1350)
	AI	7.09 x 10 ⁻⁵ (14,100)	3.01 x 10 ⁻⁴ (3320)	6.81 x 10 ⁻⁴ (1470)
	NO	9.39 x 10 ⁻⁶ (106,500)	8.86 x 10 ⁻⁵ (11,300)	1.99 x 10 ⁻⁴ (5130)
	SO	1.85 x 10 ⁻⁵ (54,100)	1.17 x 10 ⁻⁴ (8550)	3.10 x 10 ⁻⁴ (3230)
	TH	1.85 x 10 ⁻⁵ (54,100)	1.17 x 10 ⁻⁴ (8550)	3.10 x 10 ⁻⁴ (3230)
	ET	1.19 x 10 ⁻⁵ (84,000)	6.90 x 10 ⁻⁵ (14,500)	1.78 x 10 ⁻⁴ (5600)
	LI	1.17 x 10 (04,000)	0.50 x 10 (14,500)	1.76 X 10 (3000)
5	RZ	1.81 x 10 ⁻⁴ (5530)	5.01 x 10 ⁻⁴ (2000)	1.19 x 10 ⁻³ (840)
5	PY	3.02 x 10 ⁻⁴ (3310)	8.35 x 10 ⁻⁴ (1200)	1.98 x 10 ⁻³ (500)
	FI	3.39 x 10 ⁻⁴ (2950)	9.47 x 10 ⁻⁴ (1060)	2.22 x 10 ⁻³ (450)
	AI	2.73 x 10 ⁻⁴ (3660)	7.82 x 10 ⁻⁴ (1280)	1.77 x 10 ⁻³ (570)
	NO	4.66 x 10 ⁻⁵ (21,500)	2.94 x 10 ⁻⁴ (3400)	6.90 x 10 ⁻⁴ (1450)
	SO	4.43 x 10 ⁻⁵ (22,600)	2.79 x 10 ⁻⁴ (3580)	6.56 x 10 ⁻⁴ (1520)
	TH	3.58 x 10 ⁻⁵ (27,900)	2.79 x 10 · (3580) 2.26 x 10 ⁻⁴ (4430)	5.29 x 10 ⁻⁴ (1890)
		2.53 x 10 ⁻⁵ (39,500)	2.26 x 10 ° (4430) 1.59 x 10 ° (6290)	3.74 x 10 ⁻⁴ (2670)
	ET	2.33 X 10 ° (39,300)	1.39 X 10 · (0290)	5.74 X 10 · (2070)

¹ These rates account for segment rupture as a single-segment and as part of multi-segment and floating ruptures.

Table 7.1-10. Segment rupture rates (Poisson) for the OGSLFZ.

Fault Model	Fault Segment		Segment Rupture Rates	1
		$\lambda_{5th\%}$ (1/ $\lambda_{5th\%}$)	$\lambda_{\text{mean}} (1/\lambda_{\text{mean}})$	$\lambda_{95th\%}$ (1/ $\lambda_{95th\%}$)
Weighted Total of All Fault Models	RZ	7.09 x 10 ⁻⁵ (14,100)	3.40 x 10 ⁻⁴ (2940)	6.81 x 10 ⁻⁴ (1470)
	PY	7.09 x 10 ⁻⁵ (14,100)	4.05 x 10 ⁻⁴ (2470)	1.02 x 10 ⁻³ (980)
	FI	7.31 x 10 ⁻⁵ (13,700)	4.46 x 10 ⁻⁴ (2240)	1.20 x 10 ⁻³ (830)
	AI	7.09 x 10 ⁻⁵ (14,100)	3.95 x 10 ⁻⁴ (2530)	9.51 x 10 ⁻⁴ (1050)
	NO	1.74 x 10 ⁻⁵ (57,500)	1.33 x 10 ⁻⁴ (7520)	4.08 x 10 ⁻⁴ (2450)
	SO	2.49 x 10 ⁻⁵ (40,200)	1.43 x 10 ⁻⁴ (6990)	4.12 x 10 ⁻⁴ (2430)
	TH	2.69 x 10 ⁻⁵ (37,200)	1.92 x 10 ⁻⁴ (5210)	4.80 x 10 ⁻⁴ (2080)
	ET	1.26 x 10 ⁻⁵ (79,400)	8.75 x 10 ⁻⁵ (11,400)	2.36 x 10 ⁻⁴ (4240)

¹ These rates account for segment rupture as a single-segment, multi-segment rupture and as part of a floating rupture.

Table 7.1-11. Segment rupture rates (Poisson) for other segmented faults in Wasatch Front region.

Fault	Fault Segment		Segment Rupture Rates ¹	
		$\lambda_{5\text{th}\%}$ $(1/\lambda_{5\text{th}\%})$	$\lambda_{\text{mean}} (1/\lambda_{\text{mean}})$	$\lambda_{95\text{th}\%}$ $(1/\lambda_{95\text{th}\%})$
East Cache	North	2.06 x 10 ⁻⁵ (48,500)	1.83 x 10 ⁻⁴ (5460)	5.39 x 10 ⁻⁴ (1860)
	Central	4.12 x 10 ⁻⁵ (24,300)	2.57 x 10 ⁻⁴ (3890)	6.69 x 10 ⁻⁴ (1500)
	South	7.29 x 10 ⁻⁶ (137,200)	7.73 x 10 ⁻⁵ (12,900)	3.48 x 10 ⁻⁴ (2870)
Eastern Bear Lake	North	9.53 x 10 ⁻⁵ (10,500)	4.72 x 10 ⁻⁴ (2120)	1.23 x 10 ⁻³ (810)
	Central	1.76 x 10 ⁻⁴ (5680)	9.11 x 10 ⁻⁴ (1100)	2.72 x 10 ⁻³ (370)
	South	9.45 x 10 ⁻⁵ (10,600)	6.84 x 10 ⁻⁴ (1460)	2.21 x 10 ⁻³ (450)
Stansbury	North	5.09 x 10 ⁻⁵ (19,600)	4.49 x 10 ⁻⁴ (2230)	1.09 x 10 ⁻³ (920)
	Central	5.10 x 10 ⁻⁵ (19,600)	5.49 x 10 ⁻⁴ (1820)	1.86 x 10 ⁻³ (540)
	South	4.43 x 10 ⁻⁵ (22,600)	4.77 x 10 ⁻⁴ (2100)	1.24 x 10 ⁻³ (800)
West Cache	North	7.92 x 10 ⁻⁵ (12,600)	4.32 x 10 ⁻⁴ (2320)	1.06 x 10 ⁻³ (940)
	Central	3.64 x 10 ⁻⁵ (27,500)	3.61 x 10 ⁻⁴ (2770)	1.43 x 10 ⁻³ (700)
	South	3.78 x 10 ⁻⁵ (26,500)	2.25 x 10 ⁻⁴ (4440)	7.20 x 10 ⁻⁴ (1390)

¹ These recurrence rates are participation rates which account for segment rupture as a single-segment and as part of a multi-segment rupture.

weight should be given to the latter. (4) We have overestimated the geologic slip rates in the region. These potential explanations are not mutually exclusive. It is noteworthy that a bulge is also observed in the earthquake recurrence curve for California (Petersen et al., 2000; Field et al., 2009) and British Columbia (BCHydro, 2012). The bulge in the California recurrence has been removed in the UCERF3 model (Field et al., 2013). The USGS, as part of the National Seismic Hazard Mapping Project, compared the historical seismicity rates with the total predicted earthquake rates for the northern and central BRP, an area much larger than the Wasatch Front region (Mark Petersen, USGS, written communication, 2015). They too noted a bulge in the magnitude range M 5.5 to 7.0, although it was considerably smaller than the one in our recurrence model. The WGUEP acknowledges the possibility that the observed bulge for the Wasatch Front region may be due to an overprediction of earthquakes in the M 6 to 7 range, but the bulge may indeed be a real physical feature of earthquake recurrence in the region.

7.1.5 Antithetic Faults

The Wasatch Front region contains four antithetic fault pairs (Section 4.4). We modeled these faults either as independent faults or a system containing a master fault and a subsidiary fault. When modeled as a system, the rate of the subsidiary fault is set to the rate of the master fault (i.e., the subsidiary fault always ruptures with the master fault). For the probability calculations, we treated this as a single event. The magnitude of the event is based on the total moment release from both faults. Given a magnitude of an event on the master fault (\mathbf{M}_{m}), the moment of the master fault rupture ($\mathbf{M}_{0,m}$) is computed as

$$\mathbf{M}_{0,m} = 10^{(1.5 \times \mathbf{M}_{m} + 16.05)} \tag{7-7}$$

The magnitude of the subsidiary fault rupture is determined from the subsidiary fault area and the magnitude-area relation (Section 3.6). We calculated the area of the subsidiary

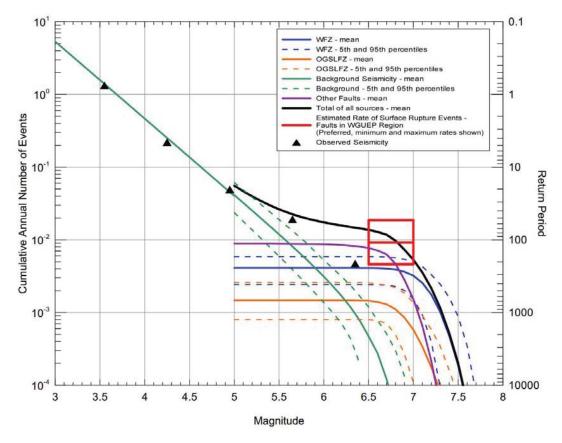


Figure 7.1-2. Mean and $\pm 2\sigma$ cumulative magnitude-frequency relationships for the WFZ, OGSLFZ, background seismicity, and "other modeled faults."

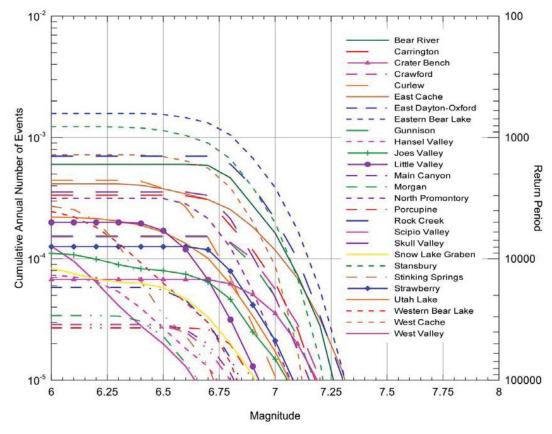


Figure 7.1-3. Cumulative magnitude-frequency relationships for the "other modeled faults."

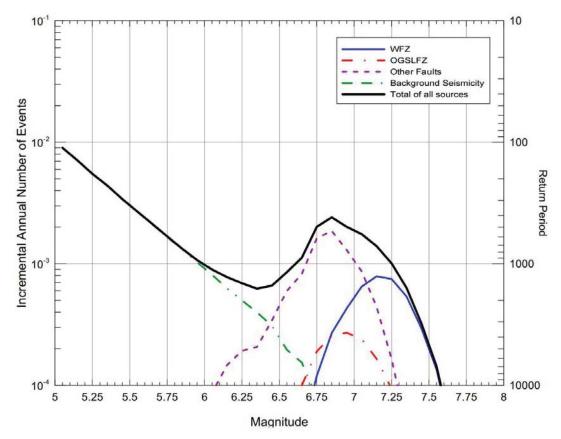


Figure 7.1-4. Mean incremental magnitude-frequency relationships for the WFZ, OGSLFZ, background seismicity, "other modeled faults," and total of all sources.

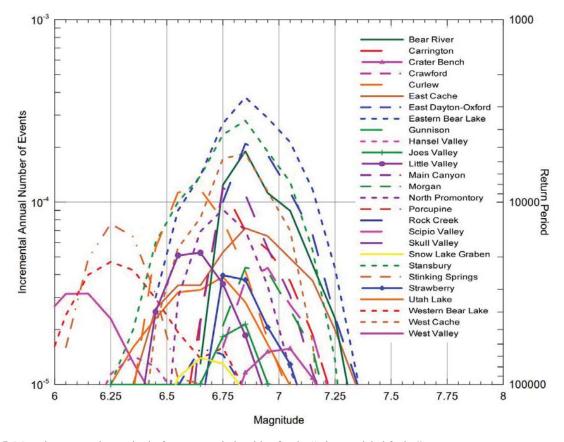


Figure 7.1-5. Mean incremental magnitude-frequency relationships for the "other modeled faults."

fault for each rupture based on the dips of both the master and subsidiary faults, separation distance, and seismogenic thickness. If the faults intersect for a given geometry, the subsidiary fault is truncated by the master fault. The moment of the subsidiary fault rupture, $M_{0,s}$, is determined using equation (7-7) and the magnitude of the subsidiary fault (the m subscript is replaced with an s). The magnitude of the coseismic event (M_{CS}) modeled for probability calculations is computed as

$$M_{CS} = \frac{2}{3} \times \log(M_{0,m} + M_{0,s}) - 10.7$$
 (7-8)

7.1.6 Segment Moment Rates

Long-term moment rates for rupture sources can be computed based on the rupture source rates and the mean moment of events on these rupture sources. Each rupture source moment rate is partitioned to all segments involved in the rupture. The total moment rate for each segment is the sum of all partitioned moment rates from rupture sources containing the specified segment. For rupture sources consisting of more than one segment, the moment rate is partitioned to the segments proportional to the segment lengths. For floating ruptures, the moment rate is partitioned to the segments based on the relative rate of rupture on each segment. As discussed above, floating ruptures are distributed uniformly along the fault trace, thus the relative rate of rupture of each segment is a function of the rupture length, segment length, total fault length, and location of the segment along the fault trace.

For those faults characterized by recurrence intervals, it is useful to compare segment moment rates from each fault model to those based on geologic slip rate estimates. The fault models for the WFZ central segments and the Great Salt Lake fault zone are characterized using recurrence intervals based on paleoseismic data. Figure 7.1-6 shows the segment moment rates for the WFZ central segments for the preferred rupture model (SSR model) compared to those based on the geologic slip rates. The mean segment moment rates along with the 5th to 95th range is shown on Figure 7.1-6. The mean segment moment rates for each segment from this model (assuming Poisson behavior) compare well with those based on the segment slip rates. In general, the 5th to 95th percentile ranges of segment moment rates for the model exceed the ranges based on the geologic slip rates. The larger range for the model is likely due to the inclusion of sample size uncertainty in the distribution of rupture rates for the model (Section 3.4). Figure 7.1-7 compares the segment moment rates for the WFZ central segments for all fault models assuming Poisson behavior. In general, all of the segmented models for the WFZ central segments have similar mean segment model rates. The unsegmented model predicts a higher segment moment rate for the SLCS than the segmented models and the segment-specific geologic slip rate. This result is partially due to the assumption that floating ruptures are uniformly distributed along the fault.

The SLCS, being in the center of the fault, is involved in the floating rupture more often than segments near the ends of the fault. Figure 7.1-8 shows the proportion of the moment rate from the floating ruptures in the unsegmented model attributed to each segment. Note that we modeled the unsegmented model for the WFZ with two floating ruptures one that ruptures the entire fault and one the ruptures only the central segments—to accommodate higher geologic slip rates on the central segments. The largest magnitude modeled in the unsegmented model (M 7.6) has a rupture length of approximately 125 km. When distributed along the five central segments, the SLCS is always involved. When distributed along the entire fault, the SLCS is involved 66% of the time. Segment moment rates for all ten WFZ segments are shown on Figure 7.1-9. The larger mean moment rates for the central segments generally agree with those based on the geologic slip rates which are larger for the central segments. The unsegmented rupture model appears to underpredict moment rate for the southern end segments.

Figure 7.1-10 shows the segment moment rates for all models of the OGSLFZ assuming Poisson behavior. Where available, segment moment rates based on geologic slip rates are provided for comparison. Similar to the WFZ, the unsegmented model has two floating ruptures. One rupture floats on all segments. A second rupture floats only on the four segments of the Great Salt Lake fault zone to accommodate the higher geologic slip rates on those segments. Figure 7.1-11 shows the proportion of moment rate from the floating ruptures attributed to each segment. The unsegmented rupture model results in moment rates on the Fremont Island and Promontory segments that are significantly larger than the other rupture models indicating that the slip rates used for the floating rupture on the Great Salt Lake fault zone are inconsistent with the recurrence intervals for these segments used in the other models.

Moment rates for fault segments can also be useful in comparisons to geodetic rates (Section 6). Total moment rates (Poisson model) of fault segments for all faults characterized in the Wasatch Front region, as well as moment rates for background seismicity, are provided in Table 7.1-12.

7.1.7 Implied Slip Rates

For fault models characterized entirely by recurrence intervals, such as the WFZ central segments, an implied slip rate can be computed as

$$SR_{implied} = \frac{\dot{M}_0}{\mu A} \tag{7-9}$$

where \dot{M}_0 is the segment moment rate described above, μ is the rigidity, and A is the segment area. Implied slip rates for the WFZ central segments using the preferred single-segment rupture models are provided in Table 7.1-13. We have converted them to vertical slip rates. The weighted mean geologic slip rates from Table 4.1-4 are shown for comparison.

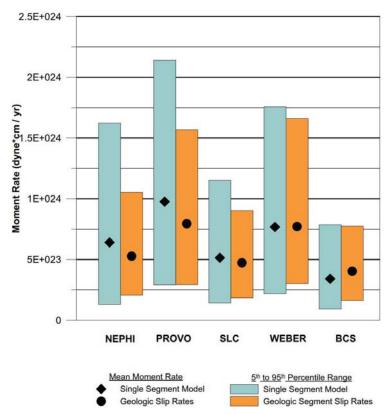


Figure 7.1-6. Segment moment rates for the WFZ central segments and the single-segment rupture fault model.

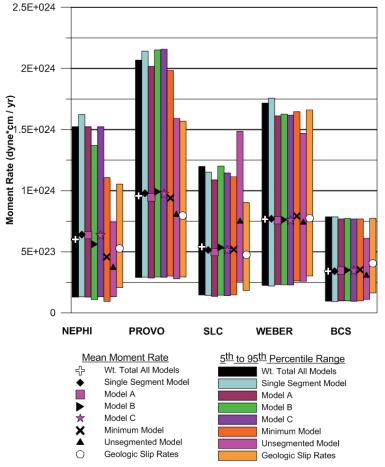


Figure 7.1-7. Segment moment rates for the WFZ central segments and all fault rupture models.

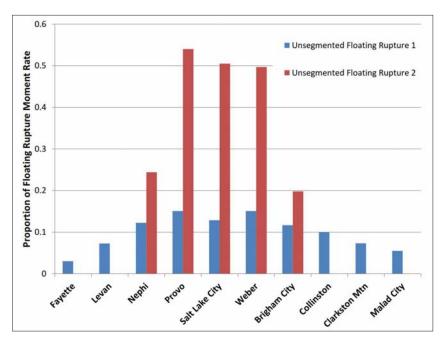


Figure 7.1-8. Distribution of moment to segments from the unsegmented rupture model for the WFZ.

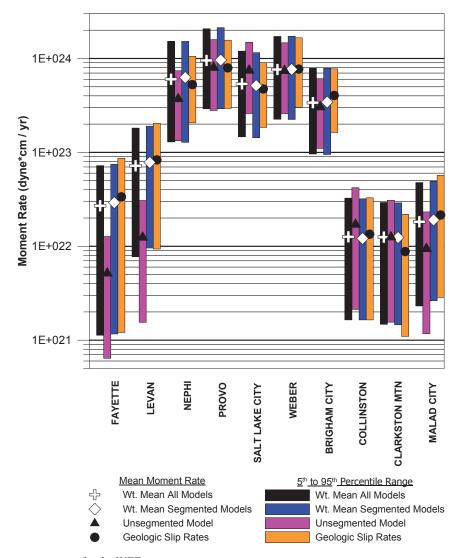


Figure 7.1-9. Segment moment rates for the WFZ.

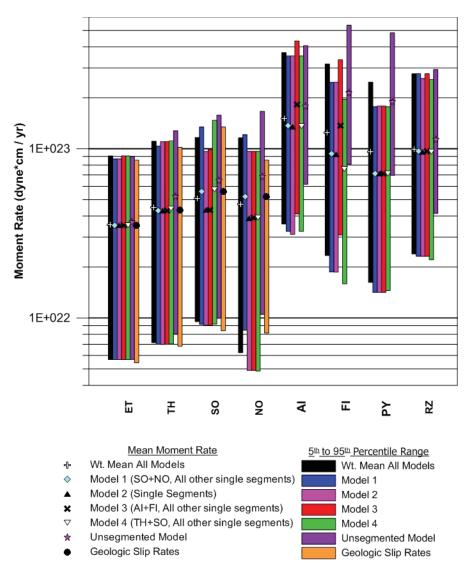


Figure 7.1-10. Segment moment rates for the OGSLFZ.

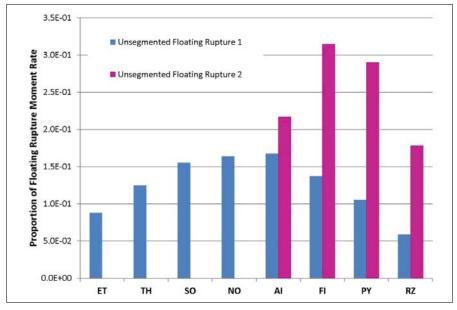


Figure 7.1-11. Distribution of moment to segments from the unsegmented rupture model for the OGSLFZ.

7.1.8 Probability Calculations

Rupture source probabilities are computed from the rupture source rates of exceeding the threshold magnitude (Section 7.2). For the time-dependent probabilities, the COV and the time since last event are also required (Section 7.3). Rupture source probabilities are then aggregated to obtain fault rupture probabilities. Segment rupture probabilities can also be obtained by combining all rupture sources containing the specified segment and the floating ruptures for the unsegmented model partitioned as described above. Rupture probabilities for background seismicity are computed from the long-term seismicity rates described in Section 5. Fault and background seismicity rupture probabilities are then aggregated to obtain the Wasatch Front regional probabilities.

The probabilities are calculated for a suite of time periods and threshold magnitudes. We selected the time periods and magnitudes to assist in the decisions in engineering design of a variety of structures, retrofit of structures, and earthquake policy. We calculated the probabilities for time periods of 30, 50, and 100 years beginning in 2014. Threshold magnitudes (M_T) are \mathbf{M} 5.0, 6.0, and 6.75. The results presented in Section 8 include:

- The probabilities for a large earthquake on each rupture source characterized in the model.
- The probabilities that each fault segment will be ruptured by a large earthquake.
- The probability for a large earthquake on each fault characterized in the model.
- The probability of a background earthquake (i.e., an event not on one of the characterized faults).
- The probability that an earthquake will occur somewhere in the region.

7.1.9 Calculation Sequence

The calculation of rupture source rates and probabilities involve many models, relations, and parameters. Most of the uncertainty is treated as epistemic uncertainty. We assigned weights on different models (e.g., probability models or recurrence models) or relations (e.g., magnitude-fault length relations) based on the expert judgment of the WGUEP using logic trees. We also treated model and relation inputs using a logic tree approach, with a distribution represented by discrete values and weights. The combination of all input, relation, and model choices results in thousands of logic tree branches or combinations of input values, relations, and models. We sampled the distribution of logic tree branches using a Monte Carlo approach in a FORTRAN code. Mean, 5th, and 95th percentile probabilities (and selected computed parameters such as rates) were determined using the Monte Carlo sampling of the full logic tree. For the full Wasatch Front region model, the use of 50,000 samples produced stable mean, 5th, and 95th values.

Within the full logic tree, correlation exists between some inputs at the fault or regional level. For instance, for a given sampling of the full logic tree, we assumed seismogenic thickness to be the same for all faults within the same subregion (the Wasatch Front region was divided into two subregions to accommodate an increased possibility of thicker seismogenic crust to the east, as described in Section 3.3). The correlations between inputs are provided in Table 7.1-14. Note that the recurrence model for the WFZ is correlated at the sub-fault level. For computational reasons, we divided the WFZ into three sub-faults: northern end segments, central segments, and southern end segments for which fault models are not correlated.

7.2 Probability Models

The mean rupture source rates described in Section 7.1.1 represent the predicted long-term behavior. Calculating the conditional probability of an earthquake occurring in a specified time interval requires a probability model. Probability models describe how the earthquakes are distributed in time. Probability models may take into account various amounts of physics. The probability models selected for this study are the Poisson model and the BPT model.

Both of these models have the same underlying mathematical model for the calculation of probabilities. The probability of rupture for a rupture source is specified by a PDF, f(t), that defines the chance that failure will occur in the interval from t to $t + \Delta t$, where t is the time measured from the date of the most recent earthquake (Figure 7.2-1). The area under f(t) between t = 0 and $t = \infty$ is 1, as it is assumed that there will be another earthquake. The area under f(t) between t = T and $t = \infty$ defines the survivor function, F(T), which gives the probability that at least time T will elapse between successive events.

$$F(T) = \int_{T}^{\infty} f(t)dt \tag{7-10}$$

For any probability model, F(0) = 1 and $F(\infty) = 0$. The hazard function, h(t), is the ratio of the PDF to the survivor function. The hazard function is more useful in comparing different probability models. It gives the instantaneous rate of failure at time t conditional upon no event having occurred up to time t.

The probabilities computed in this study are conditional probabilities. They give the probability that an earthquake will occur on a defined rupture source (or in the background) during a specified time interval, conditional on it not having occurred by the year 2014. The conditional probability is calculated by dividing the area under the PDF in the interval of interest by the area of the density function at times equal

 Table 7.1-12.
 Segment moment rates.

Fault or Fault Zone	Fault Segment	Segment Mo	Segment Moment Rate (dyne *cm / yr)	n / yr)
		Mean	5th Percentile	95th Percentile
WFZ	Malad City	1.83E+22	2.31E+21	4.77E+22
	Clarkston Mountain	1.26E+22	1.47E+21	2.93E+22
	Collinston	1.27E+22	1.64E+21	3.26E+22
	Brigham City	3.40E+23	9.59E+22	7.87E+23
	Weber	7.67E+23	2.25E+23	1.72E+24
	Salt Lake City	5.38E+23	1.47E+23	1.20E+24
	Provo	9.56E+23	2.91E+23	2.07E+24
	Nephi	6.03E+23	1.29E+23	1.52E+24
	Levan	7.23E+22	7.73E+21	1.82E+23
	Fayette	2.71E+22	1.13E+21	7.23E+22
OGSLFZ	RZ	9.97E+22	2.39E+22	2.77E+23
	ΡΥ	9.45E+22	1.62E+22	2.43E+23
	FI	1.24E+23	2.34E+22	3.17E+23
	AI	1.51E+23	3.49E+22	3.70E+23
	NO	4.68E+22	6.14E+21	1.16E+23
	SO	5.07E+22	9.53E+21	1.14E+23
	TH	4.51E+22	7.15E+21	1.10E+23
	ET	3.58E+22	5.67E+21	9.04E+22
Bear River	Bear River	1.84E+23	6.98E+22	5.68E+23
Carrington	Carrington	8.57E+22	1.39E+22	1.99E+23
Crater Bench and Drum Mountains	Crater Bench and Drum Mountains	2.97E+22	2.85E+21	1.14E+23
Crawford Mountains	Crawford Mountains	4.99E+21	1.37E+21	1.37E+22
Curlew Valley	Curlew Valley	5.51E+22	1.10E+22	1.75E+23
East Cache	North	7.29E+22	9.57E+21	1.71E+23
	Central	3.64E+22	5.22E+21	9.30E+22
	South	1.62E+22	2.18E+21	6.03E+22
East Dayton-Oxford	East Dayton-Oxford	8.93E+21	1.26E+21	1.89E+22
Eastern Bear Lake	North	9.17E+22	1.74E+22	2.51E+23
	Central	2.07E+23	4.06E+22	5.56E+23
	South	2.13E+23	4.08E+22	6.20E+23
Faults along the edge of Scipio Valley-Pavant Range	Faults along the edge of Scipio Valley-Pavant Range	5.62E+22	4.93E+21	1.97E+23
Gunnison	Gunnison	5.21E+22	4.60E+21	1.84E+23

Table 7.1-12. Continued.

Fault or Fault Zone	Fault Segment	Segment Mo	Segment Moment Rate (dyne *cm / yr)	n / yr)
		Mean	5th Percentile	95th Percentile
Hansel Valley ¹	Hansel Valley	5.74E+21	0.00E+00	2.12E+22
Joes Valley	Joes Valley	2.11E+22	6.38E+20	6.07E+22
Little Valley	Little Valley	2.48E+22	2.19E+21	8.75E+22
Main Canyon	Main Canyon	5.37E+21	1.42E+21	1.42E+22
Morgan	Morgan	3.47E+21	8.20E+20	9.30E+21
North Promontory	North Promontory	9.07E+22	1.91E+22	2.43E+23
Porcupine Mountain	Porcupine Mountain	7.28E+21	1.92E+21	1.92E+22
Rock Creek	Rock Creek	2.33E+23	4.49E+22	5.61E+23
Skull Valley	Skull Valley	8.04E+22	9.82E+21	1.75E+23
Snow Lake Graben	Snow Lake Graben	1.32E+22	3.80E+20	3.98E+22
Stansbury	North	8.99E+22	9.20E+21	2.72E+23
	Central	1.23E+23	1.25E+22	3.97E+23
	South	6.37E+22	6.52E+21	1.92E+23
Stinking Springs	Stinking Springs	1.14E+22	1.84E+21	4.10E+22
Strawberry	Strawberry	3.19E+22	7.36E+21	1.02E+23
Utah Lake ¹	Utah Lake	3.44E+22	0.00E+00	1.22E+23
West Cache	North	7.10E+22	1.15E+22	1.62E+23
	Central	5.12E+22	9.20E+21	1.75E+23
	South	3.12E+22	7.67E+21	8.81E+22
West Valley ¹	West Valley	5.57E+21	0.00E+00	2.63E+22
Western Bear Lake ¹	Western Bear Lake	1.45E+22	0.00E+00	6.10E+22
Background Seismicity	smicity	1.83E+23	8.15E+22	3.51E+23

1 Moment rates for subsidiary antithetic faults are only for independent rupture. Moment rate for simultaneous rupture of both master and subsidiary faults is contained in master fault moment rate.

Table 7.1-13. Implied slip rates for the WFZ central segments using single-segment rupture model.

Fault Segment		Implied Slip Rate ¹ (mm/year)									
	Single- Segment Model	Intermediate A Model	Intermediate B Model	Intermediate C Model	Minimum Model	Unsegmented Model	Wt. Mean All Models	Wt. Mean			
BCS	1.25	1.28	1.28	1.27	1.29	1.05	1.25	1.38			
WS	1.69	1.86	1.66	1.65	1.69	1.52	1.69	1.57			
SLCS	1.44	1.43	1.44	1.44	1.46	2.21	1.44	1.38			
PS	1.96	1.92	2.02	1.97	1.94	1.65	1.96	1.61			
NS	1.94	1.94	1.72	1.94	1.45	1.11	1.94	1.50			

¹ 100% Poisson branch

Table 7.1-14. Correlation of inputs.

Input	Correlation Level
Segmentation boundary location (used to compute segment	Adjacent segments
lengths)	
Seismogenic thickness	Regional (entire Wasatch region divided into 2 regions – east and west)
Dip	Fault
Average displacement	None
Magnitude relation	All faults of the same fault type (A, B, C or D)
Geologic slip rate	Fault (low, medium, high)
Paleoseismic recurrence interval	None
Recurrence model	Fault ¹
Rate approach (recurrence intervals versus geologic slip rates)	None
Probability model	Region (when time-dependent probability model selected for region,
	faults without this branch use Poisson model)
COV	Region
Date of Last Event	None

¹ For computational reasons, recurrence models are not correlated between the northern end segments, southern end segments, and central segments of the WFZ.

or greater than the start of the interval of interest (Figure 7.2-1). The conditional probability is defined by

$$P(T \le t \le T + \Delta T | t > T) = \frac{F(T) - F(T + \Delta T)}{F(T)}$$
 (7-11)

7.2.1 Time-Independent – Poisson Model

The Poisson model describes the distribution of times between successive events for a homogeneous Poisson process (random occurrence) and is specified by the PDF

$$f_{Exp}(t) = \lambda e^{-\lambda t} \tag{7-12}$$

where λ is the mean rate of events per unit time (reciprocal to the mean interval between events). In our calculations, λ is the mean rupture rate of each rupture source, as described in Section 7.1. The Poisson distribution has the important prop-

erty that the hazard function is constant, $h_{\rm Exp}(t)$ λ . Thus, it has no "memory" of the time of the most recent event. An earthquake is just as likely to occur on a fault segment one day after the most recent event as it is to occur 200 years later. The conditional probability is also independent of the time of the most recent event.

The Poisson model is the standard model for PSHAs. This model is appropriate when no information other than the mean rate of earthquake production is known; it can be viewed as the "least-informative" model or simplest, depending on one's perspective. However, the Poisson model fails to incorporate the most basic physics of the earthquake process, whereby the tectonic stress released when a fault fails must rebuild before the next earthquake can occur at that location. We include the Poisson model to provide a conservative estimate of the probability on faults for which one suspects that

² Geologic slip rates from Table 4.1-1

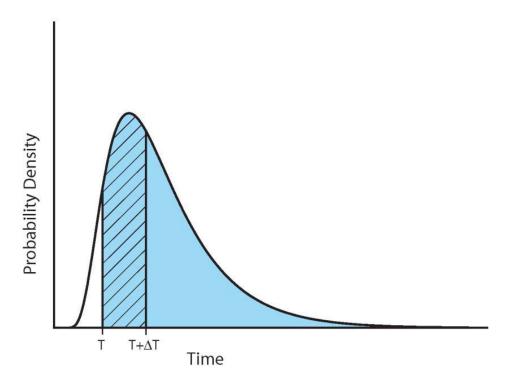


Figure 7.2-1. Illustration of the calculation of conditional probability from a PDF. The time interval of interest (exposure time) is from T (the present time) to $T+\Delta T$ (hachured area). The survivor function at time T is equal to the shaded area. The conditional probability is the ratio of these two areas. Source: WGCEP (2003).

the time-dependent models are either too poorly constrained or missing some critical physics of the system (e.g., interactions). The model provides a "baseline" probability calculation that reflects only the long-term rates of earthquakes in the Wasatch Front model.

In the Poisson model, conditional probabilities for a specified time interval depend only on the length of the interval, Δt , and the long-term rate of rupture for each source. The conditional probability for each source is given by

$$1 - e^{-\lambda \Delta t} \tag{7-13}$$

where Δt can be a range of years, e.g., 100 years.

Because the expected magnitudes of earthquakes are themselves probabilistic, an additional step is needed to compute probabilities for earthquakes above a given magnitude threshold M_T . For each source, the rate of $\mathbf{M} \geq M_T$ events is determined from the magnitude PDF. The rate at which the rupture source produces earthquakes exceeding M_T is computed from equation (7-6), and assigned to λ in the exponent of equation (7-11).

We modeled the background earthquakes and all rupture sources other than the WFZ central segments and the AI and FI segments of the OGSLFZ (Section 7.2.2) using only the Poisson model.

7.2.2 Time-Dependent – BPT Model

In contrast to the Poisson model, a time-dependent renewal process model embodies the expectation that after one earth-quake on a fault segment, another earthquake on that segment is unlikely until sufficient time has elapsed for stress to gradually re-accumulate. Such models require a minimum of two parameters, and typically include knowledge of the time of the most recent rupture. One required parameter is the mean recurrence interval, $\mu = \lambda$, and the other describes the variability of recurrence intervals and can be related to the variance, σ^2 , of the distribution (for the Poisson distribution, $\sigma = \mu$). We define this variability of recurrence times as the aperiodicity or COV, $\alpha = \sigma/\mu$.

The BPT model (Matthews *et al.*, 2002) is a renewal model that describes the statistical distribution of rupture times. The BPT distribution is also known as the inverse Gaussian distribution. The probability density is defined by

$$f_{BPT}(t) = \sqrt{\frac{\mu}{2\pi a^2 t^3}} \exp\{-\frac{(t-\mu)^2}{2\mu t a^2}\}$$
 (7-14)

and is illustrated on Figure 7.2-2a for a mean rate of 1 and a suite of aperiodicity values. The exponential (Poisson) is shown for comparison. The hazard function (instantaneous failure rate), $h_{BPT}(t)$, is always zero at t=0. This function increases to achieve a maximum value at a time greater than the mode of $f_{BPT}(t)$, and from there, decreases toward an as-

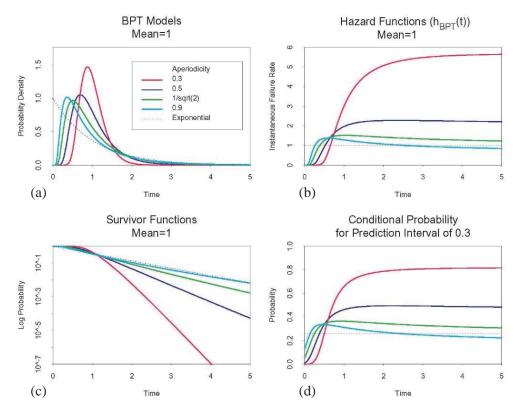


Figure 7.2-2. BPT model for a mean recurrence interval of 1.0: (a) probability density functions for a range of aperiodicity values; exponential probability density function shown for comparison; (b) hazard functions for a range of aperiodicity values; (c) survivor functions for a range of aperiodicity values; (d) conditional probability function for a range of aperiodicity values for a prediction window of 0.3. Source: WGCEP (2003).

ymptotic value of $h_{BPT}(t) = 1/(2\mu\alpha^2)$ (Figure 7.2-2b). Thus, a BPT process always attains a finite quasi-stationary state in which the failure rate is independent of elapsed time. For an aperiodicity of 0.5, this quasi-stationary state is reached by 1.5 times the mean recurrence rate. After that point, conditional probabilities will not continue to increase (Figure 7.2-2d). When the aperiodicity $\alpha = 1/\sqrt{2}$, the asymptotic failure rate is $1/\mu$, which equals the asymptotic failure rate for a Poisson process with the same μ . In practice, the behavior of a BPT model is similar to that of a delayed Poisson process, for which the failure rate is zero up to a finite time following an event and then steps up to an approximately constant failure rate at all succeeding times.

The behavior of a BPT model depends strongly on the value of α . For smaller values of α , $f_{BPT}(t)$ is more strongly peaked and remains close to zero longer. For larger values, the "delay" or "dead time" becomes shorter, $f_{BPT}(t)$ becomes increasingly Poisson-like, and its mode decreases. The hazard function in the quasi-stationary state increases with decreasing values of α and becomes Poisson-like with increasing values (Figure 7.2-2b).

We applied the BPT model to each of the rupture sources with a nonzero time-dependent branch weight (WFZ central segments and the AI and FI segments of the OGSLFZ). We developed recurrence rates for these sources using the approach described in Section 3.5, which includes statistical uncertainty due to the number of samples (events). This ap-

proach involves defining a likelihood function that represents the probability of seeing the observed sample of data (observed intervals between past events) given the specified rate parameter, λ . The likelihood function is a function of the PDF describing the distribution of events in time. Thus, the likelihood function for the BPT model is not the same as that for the Poisson model. As a result, the mean rates determined for the BPT model are different than those presented in Section 7.1, and are a function of the aperiodicity value. The rates for all segments with a time-dependent branch are presented in Tables 7.2-1 and 7.2-2. Recurrence intervals (inverse of rate) are provided for ease in comparison with Poisson recurrence intervals. The full distribution of rates provided in Tables 7.2-1 and 7.2-2 were used in the model with the associated weights reflecting the uncertainty in the paleoseismic data and COV. Equivalent Poisson rates can be back calculated from the resulting BPT probabilities by solving for the Poisson rate in Equation (7-13) using the BPT probabilities for a specified time interval. Equivalent Poisson rates can be used in a PSHA to compute time-dependent hazard. As an example, equivalent Poisson rates were computed for a time interval of 50 years, which is the time interval commonly used in U.S. building codes. Tables 7.2-3 and 7.2-4 provide the equivalent Poisson rates for the time-dependent rupture sources in the WFZ and OGSLFZ. Comparison of the mean time-dependent and equivalent Poisson rates in Tables 7.2-1 to 7.2-4 indicate that the time-dependent hazard is significantly larger for the SLCS and BCS. Time-dependent and time-independent results for the central WFZ segments and

Table 7.2-1. Recurrence intervals for time-dependent (BPT) calculations for the WFZ central segments.

Rupture	α(COV)	Recurrence Intervals for Characteristic Events Determined from Paleoseismic Data							
Source		$1/\lambda_{char96.51\%}$ (wt. = 0.101)	$1/\lambda_{\rm char78.83\%}$ (wt. = 0.244)	$1/\lambda_{char 50\%}$ (wt. = 0.31)	$1/\lambda_{char21.17\%}$ (wt. = 0.244)	$1/\lambda_{char3.49\%}$ (wt. = 0.101)			
BCS	0.3	1891	1633	1453	1293	1115			
	0.5	2576	2033	1679	1385	1084			
	0.7	3577	2626	2034	1566	1121			
WS	0.3	1703	1487	1337	1202	1053			
	0.5	2274	1834	1544	1300	1048			
	0.7	3108	2346	1866	1479	1100			
SLCS	0.3	1866	1601	1418	1257	1079			
	0.5	2576	2015	1653	1354	1052			
	0.7	3608	2618	2009	1531	1081			
PS	0.3	1653	1434	1281	1145	994			
	0.5	2177	1735	1447	1206	959			
	0.7	2948	2190	1718	1342	981			
NS	0.3	1559	1299	1125	975	814			
	0.5	2289	1714	1358	1073	799			
	0.7	3367	2330	1716	1253	840			

Table 7.2-2. Recurrence intervals for time-dependent (BPT) calculations for the OGSLFZ.

Rupture Source	α(COV)	Recurrence Intervals for Characteristic Events Determined from Paleoseismic Data							
		$1/\lambda_{char96.51\%}$ (wt. = 0.101)	$1/\lambda_{char78.83\%}$ (wt. = 0.244)	$1/\lambda_{char 50\%}$ $(wt. = 0.31)$	$1/\lambda_{char21.17\%}$ (wt. = 0.244)	$1/\lambda_{char3.49\%}$ (wt. = 0.101)			
AI	0.3	7232	5877	4976	4210	3410			
	0.5	10,464	7546	5765	4381	3095			
	0.7	15,302	10,083	7062	4868	3028			
FI	0.3	5882	4764	4028	3401	2742			
	0.5	8521	6197	4793	3696	2659			
	0.7	12,395	8318	5984	4274	2784			

 Table 7.2-3. Equivalent Poisson rupture rates for time-dependent (BPT) rupture sources of the WFZ.

Rupture Source	Equivalent Poisson Rupture Rates								
	$\lambda_{5 th\%} (1/\lambda_{5 th\%})$	λ _{95th%} (1/λ _{95th%})							
BCS	5.79 x 10 ⁻⁴ (1730)	1.63 x 10 ⁻³ (610)	3.91 x 10 ⁻³ (260)						
WS	5.49 x 10 ⁻⁵ (18,200)	3.98 x 10 ⁻⁴ (2510)	8.29 x 10 ⁻⁴ (1210)						
SLCS	4.50 x 10 ⁻⁴ (2220)	1.29 x 10 ⁻³ (780)	2.78 x 10 ⁻³ (360)						
PS	9.56 x 10 ⁻⁵ (10,500)	5.75 x 10 ⁻⁴ (1740)	1.50 x 10 ⁻³ (670)						
NS	2.16 x 10 ⁻⁹ (463,000,000)	1.03 x 10 ⁻⁴ (9710)	5.15 x 10 ⁻⁴ (1940)						

Table 7.2-4. Equivalent Poisson rupture rates for time-dependent (BPT) rupture sources of the OGSLFZ.

Rupture Source	Equivalent Poisson Rupture Rates						
	$\lambda_{5\text{th}\%}$ (1/ $\lambda_{5\text{th}\%}$)	$\lambda_{\text{mean}} (1/\lambda_{\text{mean}})$	$\lambda_{95\text{th}\%} (1/\lambda_{95\text{th}\%})$				
AI	<1.00 x 10 ⁻¹²	4.17 x 10 ⁻⁶ (239,900)	1.02 x 10 ⁻⁵ (98,000)				
FI	4.66 x 10 ⁻⁵ (21,500)	3.64 x 10 ⁻⁴ (2450)	8.35 x 10 ⁻⁴ (1200)				

the AI and FI segments of the OGSLFZ are discussed further in Section 8.3.2. For fault models that have segments which rupture both as single-segment and as part of a multi-segment rupture, we only modeled those segments that rupture only as a single-segment as time-dependent. Paleoseismic data were insufficient for us to estimate time-dependent recurrence rates for multi-segment ruptures because at most, only two such events have been identified in the paleoseismic record for a given pair or three of the central WFZ segments (Section 4.1.5).

Because we calculated probabilities at the rupture source level, aggregating probabilities for fault segments, faults, and the region is simple. We expect the BPT model to provide accurate estimates of earthquake probability to the extent that (1) the model represents the statistics of recurrence intervals for rupture sources, and (2) the time of the most recent event is known or constrained.

A key input to the BPT model is the time of the most recent rupture—the time at which the renewal model is "reset." Estimates of these times come from several lines of evidence, including paleoseismic observations, dates of historical ruptures, and historical seismicity, as described in Section 4.

As was the case of the WGCEP (2003, 2008), we chose not to model the other faults with a time-dependent model, even though for a few of the faults information exists on the most recent rupture and recurrence intervals. At most, the latter consisted of a single interval which was judged by the WGUEP to be insufficient to include in the forecast.

7.2.3 Time-Independent versus Time-Dependent Weights

A critical judgment in the calculation of probabilities is the choice of weights to be assigned to the time-dependent BPT and time-independent Poisson models. This decision is a major source of epistemic uncertainty. As in the WG-CEP (2003, 2008) process, the weights are decided by expert judgment after considerable discussion of the pros, cons, and implications. As described earlier, we considered only the WFZ central segments and the AI and FI segments of the OGSLFZ to have sufficiently robust paleoseismic data to calculate time-dependent probabilities. Unlike the WGCEP process, the paleoseismic data were more plentiful than any of the faults considered in the northern California forecasts, and we did not need to consider stress interaction and shadow because of the length of the paleoseismic record. Hence, the WGUEP considered the weighting of the alternative models for the WFZ central segments and the AI and FI segments to be more straightforward and not plagued to the same extent by the large uncertainties faced by the WGCEP.

The quality and quantity of the paleoseismic data were significant factors in selecting the weights. In the end, the WGUEP

gave considerable weight, 0.8, to the BPT model and only 0.2 weight to a Poisson model for individual segment ruptures. This reflects our judgment that the paleoseismic record is robust enough to calculate time-dependent probabilities for future surface-faulting earthquakes on the WFZ central segments and the AI and FI segments of the OGSLFZ in the next 100 years. More importantly, we believe that these faults do not behave in a Poisson matter (i.e., that the elastic rebound model is applicable). One criticism of the high weight given to the BPT model within the WGUEP was that the recurrence intervals were not sufficiently periodic and too variable. However, this criticism is not germane to whether a time-dependent model should be used because the periodicity or lack thereof is addressed through the value of the COV used in the calculations. As stated previously, a wide range of COVs was used in the calculations.

As noted in Section 7.2.2, we did not apply the BPT model to multi-segment ruptures due to a lack of paleoseismic data to constrain recurrence intervals. For fault models with multi-segment ruptures, only segments that rupture as single-segments are modeled as time-dependent. Therefore, the effective weight of the time-dependent model is less than 0.8 and varies by segment. For example, the BCS ruptures as part of multi-segment ruptures in all fault models except the SSR model. The effective weight of the time-dependent model for the BCS is 0.8 x 0.7 = 0.56. Similarly, the effective time-dependent weights for the WS, SLCS, PS, and NS are 0.56, 0.66, 0.62, and 0.066, respectively.

8 EARTHQUAKE PROBABILITIES

In this section, we summarize and discuss the earthquake probabilities making up the WGUEP earthquake forecast for the Wasatch Front region. We estimated multiple probabilities, including probabilities associated with (1) all the characterized earthquake sources in the region, both in aggregate and individually; (2) different future time horizons (30, 50, and 100 years); and (3) different magnitude thresholds. Thus, for a specified time horizon and magnitude threshold, one can view the probability that one or more earthquakes will occur either in the Wasatch Front region as a whole, on an individual fault system or segment, or in the background. For each case examined, we report the mean or best-estimate probability together with its formal uncertainty, specified in terms of the 5th and 95th percentile values of the probability distribution (as described in Section 7).

Section 8.1 describes the earthquake probabilities for the Wasatch Front region for magnitude thresholds of \mathbf{M} 6.75 and \mathbf{M} 6.0 and for time horizons of 30, 50, and 100 years (starting from 2014). Probabilities for background earthquakes in the region are also given. In Section 8.2, we give a breakdown of the regional probabilities into the component probabilities for individual faults and fault segments, focusing our discussion on 50-year probabilities for earthquakes of $\mathbf{M} \geq 6.75$. Finally, in Section 8.3, we examine and discuss the sensitivity of the probability calculations: first, to different fault-rupture models; second, to different probability models (time-independent vs. time-dependent); and third, to two selected input parameters—the COV in the time-dependent BPT model, and the choice of the magnitude relation used in calculating the characteristic magnitude for a fault or fault segment.

8.1 Earthquake Probabilities in the Wasatch Front Region

8.1.1 50-Year Probabilities

Figure 8.1-1 and Table 8.1-1 summarize earthquake probabilities for the next 50 years (2014 to 2063). The probability of one or more large ($M \ge 6.75$) earthquakes somewhere in the Wasatch Front region in the next 50 years is 43%. This regional probability is a combined probability, obtained from aggregating the probabilities of earthquakes on all of the characterized faults. The probability of at least one large surface-faulting earthquake ($M \ge 6.75$) specifically on the Wasatch fault zone (WFZ) in the next 50 years is 18% (Table 8.1-1). Other fault zones having significant 50-year probabilities of one or more $M \ge 6.75$ earthquakes are the Oquirrh-Great Salt Lake fault zone (OGSLFZ) (5.9%) and the Eastern Bear Lake fault (6.3%) (Figure 8.1-1). Excluding the WFZ and the OGSLFZ, the combined probability of one or more large earthquakes ($M \ge 6.75$) on one of the other studied faults in the region is 25%. (We remind the reader that only the WFZ central segments and the Antelope Island and Fremont Island

segments of the OGSLFZ were treated in a time-dependent manner; ruptures on the other faults were modeled as time-independent.) The total probability of at least one large ($M \ge 6.75$) earthquake near the Salt Lake City metropolitan area in the next 50 years from the WFZ and OGSLFZ is 23%.

For each of the earthquake probabilities listed in Table 8.1-1 (and for those in following tables), the 90% confidence limits are given. For example, the table indicates that for at least one earthquake of $\mathbf{M} \ge 6.75$, the mean 50-year probability for the Wasatch Front region as a whole is 43%; the corresponding 5th and 95th percentile probabilities are 33% and 54%, respectively.

Considering that Utah's population is the youngest in the nation with a median age of 29.2 years (2010 U.S. Census data), the 50-year probabilities imply that there is a realistic chance that many current residents of the Wasatch Front region will experience a large ($\mathbf{M} \geq 6.75$) earthquake in their lifetimes—whether that earthquake is on the WFZ (18% probability) or somewhere in the Wasatch Front region (43% probability). For one or more earthquakes of $\mathbf{M} \geq 6.0$, which includes background seismicity, the 50-year probability in the Wasatch Front region as a whole increases to 57% (Table 8.1-1), and for $\mathbf{M} \geq 5.0$ the probability is 93%.

To gain some insight into what the 50-year probability numbers mean, we can consider a simple analogy (admittedly imperfect, because the earthquake probabilities include some time-dependent components). Consider random natural events, for example a storm that occurs on average every 50, 100, or 250 years. During a future 50-year period, the corresponding probabilities for such events happening are 63%, 39%, and 18%, respectively. Thus, a 43% chance of one or more large ($M \ge 6.75$) earthquakes happening somewhere in the Wasatch Front region in the next 50 years is roughly the same (39%) as for a 100-year storm in the same region. Similarly, an 18% chance of one or more large earthquakes on the WFZ in the next 50 years is the same as the chance (18%) of a 250-year storm somewhere along the length of the fault, and a 57% chance in 50 years of one or more earthquakes of $M \ge 6.0$ in the Wasatch Front region is nearly the same as the chance (63%) of a 50-year storm in the same region. In all three cases, the earthquake probability numbers are in the range of other real-world hazards against which communities and individuals take sensible defensive actions.

8.1.2 30-Year, 100-Year, and Background Seismicity Probabilities

Earthquake probabilities in the Wasatch Front region for 30-year and 100-year time horizons are summarized in Tables 8.1-2 and 8.1-3, respectively. Compared to the 50-year probabilities, corresponding probabilities for a 30-year time horizon are lower and those for a 100-year time horizon are higher—as one would expect. Over a 30-year time horizon, the probability of one or more large ($\mathbf{M} \geq 6.75$) earthquakes is 11% on the WFZ and 28% somewhere in the Wasatch Front

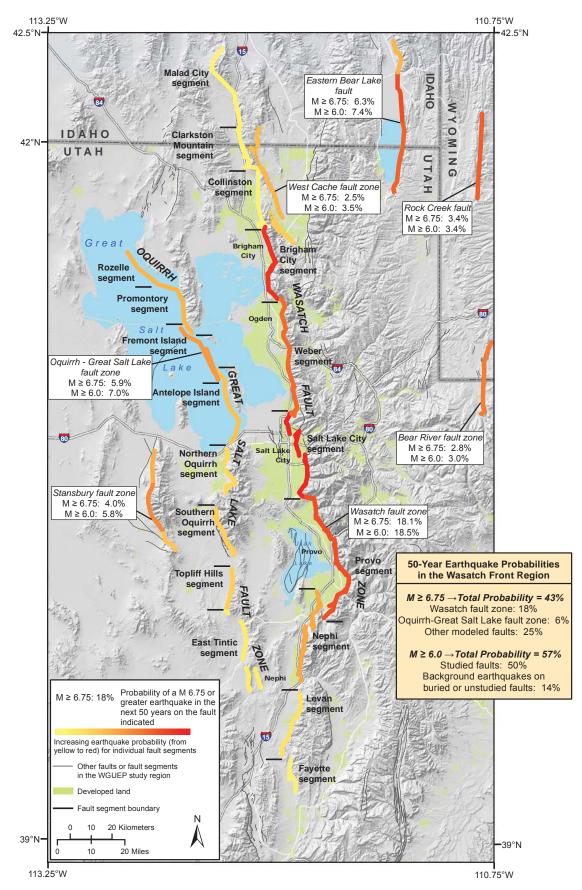


Figure 8.1-1. Probabilities of one or more earthquakes of **M** 6.0 and 6.75 or greater in the next 50 years in the Wasatch Front region. "Other modeled faults" are those faults other than the Wasatch and the Oquirrh–Great Salt Lake fault zones. Shaded topography generated from 90-m digital elevation data (https://eros.usgs.gov/elevation-products).

Table 8.1-1. Wasatch Front region 50-year probabilities.

	M ≥ 6.0			M ≥ 6.75			
	Mean	5th Percentile	95th Percentile	Mean	5th Percentile	95th Percentile	
WFZ	18.5%	10.5%	29.7%	18.1%	10.3%	29.3%	
OGSLFZ	7.0%	3.5%	11.6%	5.9%	2.5%	10.9%	
Other Faults	34.3%	23.4%	47.5%	25.2%	16.7%	36.0%	
Background	14.2%	6.6%	23.1%	NA	NA	NA	
Wasatch Front Region	57.2%	46.8%	68.6%	42.5%	32.8%	54.0%	

Table 8.1-2. Wasatch Front region 30-year probabilities.

	M ≥ 6.0			M ≥ 6.75			
	Mean	5th Percentile	95th Percentile	Mean	5th Percentile	95th Percentile	
WFZ	11.5%	6.4%	18.9%	11.3%	6.3%	18.6%	
OGSLFZ	4.3%	2.2%	7.2%	3.6%	1.5%	6.6%	
Other Faults	22.4%	14.8%	32.1%	16.1%	10.4%	23.5%	
Background	8.9%	4.0%	14.6%	NA	NA	NA	
Wasatch Front Region	40.1%	31.4%	50.0%	28.3%	21.2%	37.1%	

Table 8.1-3. Wasatch Front region 100-year probabilities.

	M ≥ 6.0			M ≥ 6.75			
	Mean	5th Percentile	95th Percentile	Mean	5th Percentile	95th Percentile	
WFZ	33.7%	20.1%	51.4%	33.1%	19.7%	50.8%	
OGSLFZ	13.5%	7.0%	21.9%	11.4%	4.9%	20.6%	
Other Faults	56.3%	41.4%	72.5%	43.7%	30.6%	59.1%	
Background	26.2%	12.8%	40.9%	NA	NA	NA	
Wasatch Front Region	81.5%	71.8%	90.2%	66.8%	55.0%	79.0%	

region. Over a century, there is a 2-out-of-3 chance (67%) that at least one large ($\mathbf{M} \geq 6.75$) earthquake will occur somewhere in the Wasatch Front region, and the chance of at least one occurring on the WFZ, undoubtedly with damaging impact, is roughly 1 in 3 (33%). Also over a century, the probability of at least one potentially damaging earthquake of $\mathbf{M} \geq 6.0$ in the Wasatch Front region is relatively high (82%). One factor that adds to the risk in the coming decades is that Utah's population, with continued concentration in the Wasatch Front urban corridor, is projected to nearly double by 2050 (Utah Foundation, 2014).

Table 8.1-4 summarizes the probabilities for background earth-quakes of $\mathbf{M} \geq 5.0$ and $\mathbf{M} \geq 5.5$ in the Wasatch Front region. There is a 69% chance that one or more background earth-quakes of $\mathbf{M} \geq 5.0$ will occur in the next 30 years and an 85% chance in the next 50 years. Preparing for earthquakes requires keeping in mind that even earthquakes in the \mathbf{M} 5 range can cause significant localized damage. Damaging shocks in the Wasatch Front region (discussed in Appendix E) include the \mathbf{M} 5.8 Cache Valley, Utah, earthquake in August 1962, and even the \mathbf{M} 4.9 Magna, Utah, earthquake in September 1962.

 Table 8.1-4. Background seismicity probabilities.

	M ≥ 5.0	M ≥ 5.5
30 years	69.2%	29.5%
50 years	85.1%	43.7%
100 years	97.1%	67.1%

8.2 Probabilities for Individual Faults and Fault Segments

In this section, we provide the probabilities that were computed for individual segments of the WFZ and OGSLFZ and for other faults and fault segments in the Wasatch Front region that were considered in the WGUEP forecast. Probabilities are given for both $\mathbf{M} \geq 6.0$ and $\mathbf{M} \geq 6.75$. The probabilities for these two magnitude thresholds are roughly the same for the WFZ segments and generally comparable for the OGSLFZ segments and other faults. This is essentially due to the use of the recurrence models, particularly for the WFZ and OGSLFZ, where moderate-sized earthquakes (\mathbf{M} 6 to 6.75) are not being modeled.

Table 8.2-1 and Figure 8.2-1 show the 50-year probabilities for large ($M \ge 6.75$) earthquakes on the WFZ. As expected, the probabilities are higher for the central segments. The probabilities of the end segments are small, less than 1%. The two central segments with the highest probabilities, each ~6%, are the Brigham City segment and the Salt Lake City segment (Table 8.2-1). The elapsed time since the most recent event on the Salt Lake City segment is approximately equivalent to its recurrence interval and, as well documented (Section 4), the elapsed time on the Brigham City segment has significantly exceeded its mean recurrence interval. Intuitively, one would expect the probability on the Brigham City segment to be much higher than 6% (Section 8.3). However, the effective time-dependent weight for the Brigham City segment is only 0.56. For the Salt Lake City segment, the time-dependent weight is 0.66 (Section 7.2.3).

The other major segmented fault is the OGSLFZ. Table 8.2-2 shows the 50-year probabilities for the OGSLFZ segments, and indicates that the probability for at least one large ($\mathbf{M} \geq 6.75$) earthquake on each individual segment is small, 2% or less. Table 8.2-3 shows the 50-year probabilities for the oth-

er, mostly unsegmented, faults in the Wasatch Front region. Ruptures on all these faults are modeled as time-independent. Five faults in the "other" category have the relatively highest 50-year probabilities for generating at least one large ($M \ge$ 6.75) earthquake (Table 8.2-3, Figure 8.1-1). The segmented Eastern Bear Lake fault, which has a relatively high slip rate centered on 0.6 mm/yr (Appendix D), has a total probability of 6%. The segmented Stansbury fault zone, which has a best-estimate slip rate of 0.4 mm/yr, has a total probability of 4%. The other three faults are the Rock Creek fault (unsegmented, 3.4% probability), the Bear River fault (unsegmented, 2.8% probability), and the segmented West Cache fault (segmented, 2.5% total probability). The probabilities for $M \ge 6.0$ events are consistently lower if not the same as the $M \ge 6.75$ events (i.e., the larger the earthquake, the less frequent it is).

Tables 8.2-4 through 8.2-9 summarize the 30-year and 100-year probabilities for the WFZ, OGSLFZ, and the "other modeled faults" in the Wasatch Front region. The same general patterns exhibited in the 50-year probabilities discussed above are reflected in the 30-year and 100-year probabilities.

Table 8.2-1. WFZ segment 50-year probabilities.

Fault Segment		$M \ge 6.0$		M ≥ 6.75			
	Mean	5th Percentile	95th Percentile	Mean	5th Percentile	95th Percentile	
Malad City	0.3%	<0.1%	0.8%	0.3%	<0.1%	0.8%	
Clarkston Mtn	0.3%	<0.1%	0.8%	0.3%	<0.1%	0.7%	
Collinston	0.2%	<0.1%	0.6%	0.2%	<0.1%	0.5%	
Brigham City	5.8%	1.6%	15.1%	5.6%	1.4%	15.5%	
Weber	3.2%	0.3%	8.1%	3.2%	0.3%	8.3%	
Salt Lake City	5.9%	1.9%	13.3%	5.8%	1.8%	13.3%	
Provo	3.9%	0.5%	8.9%	3.9%	0.5%	9.0%	
Nephi	1.8%	<0.1%	6.3%	1.8%	<0.1%	6.3%	
Levan	1.0%	<0.1%	2.6%	0.9%	0.1%	2.4%	
Fayette	0.5%	<0.1%	1.5%	0.5%	<0.1%	1.3%	

Table 8.2-2. OGSLFZ segment 50-year probabilities.

Fault Segment		M ≥ 6.0		M ≥ 6.75			
	Mean	5th Percentile	95th Percentile	Mean	5th Percentile	95th Percentile	
Rozelle	1.7%	0.4%	3.4%	1.5%	0.3%	3.4%	
Promontory	2.0%	0.4%	5.0%	1.6%	0.1%	5.0%	
Fremont Island	2.3%	0.4%	6.3%	2.0%	0.2%	6.1%	
Antelope Island	1.2%	<0.1%	4.8%	1.2%	<0.1%	4.8%	
Northern Oquirrh	0.7%	0.1%	2.1%	0.6%	0.1%	2.0%	
Southern Oquirrh	0.7%	0.1%	2.1%	0.7%	0.1%	1.9%	
Topliff Hills	0.9%	0.1%	2.4%	0.7%	0.1%	1.8%	
East Tintic	0.4%	0.1%	1.2%	0.4%	0.1%	1.1%	

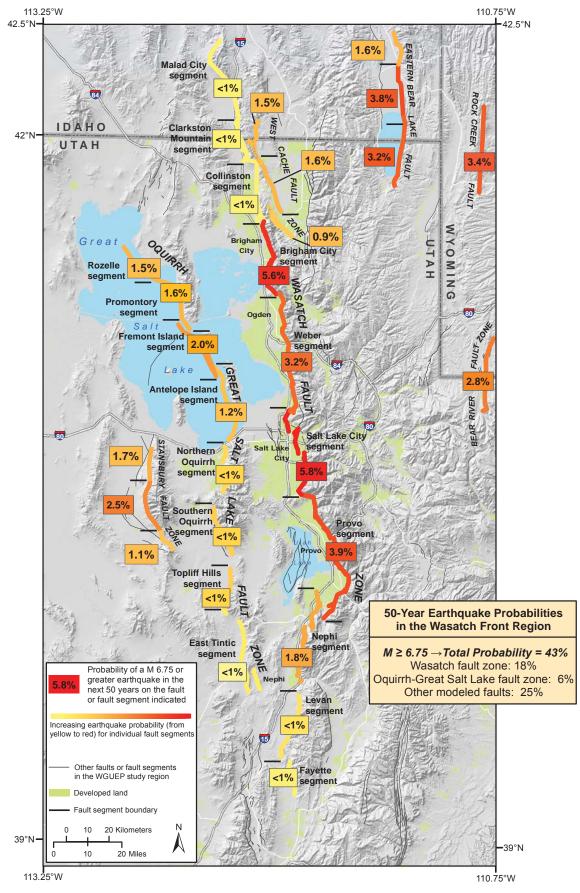


Figure 8.2-1. Probabilities of one or more earthquakes of **M** 6.75 or greater in the next 50 years for selected faults and fault segments. Shaded topography generated from 90-m digital elevation data (https://eros.usgs.gov/elevation-products).

 Table 8.2-3. "Other modeled fault" 50-year probabilities.

Fault or Fault Segment		$M \ge 6.0$			$M \ge 6.75$	
	Mean	5th Percentile	95th Percentile	Mean	5th Percentile	95th Percentile
Bear River	3.0%	1.4%	6.4%	2.8%	1.2%	6.4%
Carrington	1.7%	0.4%	3.6%	1.4%	0.4%	3.6%
Crater Bench and Drum Mountains	0.2%	<0.1%	0.7%	0.2%	<0.1%	0.7%
Crawford Mountains	0.1%	<0.1%	0.4%	0.1%	<0.1%	0.2%
Curlew Valley	2.2%	0.3%	6.4%	0.5%	0.1%	2.0%
East Cache - Total	2.0%	0.4%	5.1%	1.4%	0.2%	3.8%
East Cache - North	0.9%	0.1%	2.7%	0.9%	0.1%	2.7%
East Cache - Central	1.3%	0.2%	3.3%	0.7%	<0.1%	2.6%
East Cache - South	0.4%	<0.1%	1.7%	0.4%	<0.1%	1.7%
East Dayton-Oxford	0.3%	<0.1%	0.7%	0.1%	<0.1%	0.3%
Eastern Bear Lake - Total	7.4%	1.8%	17.7%	6.3%	1.3%	16.1%
Eastern Bear Lake - North	2.3%	0.5%	5.8%	1.6%	0.1%	5.4%
Eastern Bear Lake - Central	4.3%	0.9%	12.5%	3.8%	0.5%	12.1%
Eastern Bear Lake - South	3.3%	0.5%	10.2%	3.2%	0.5%	10.2%
Faults along the edge of Scipio Valley- Pavant Range	0.8%	0.1%	2.9%	0.8%	0.1%	2.9%
Gunnison	0.6%	0.1%	2.3%	0.6%	0.1%	2.3%
Hansel Valley	0.4%	<0.1%	1.5%	0.1%	<0.1%	0.3%
Joes Valley	0.4%	<0.1%	1.0%	0.3%	<0.1%	1.0%
Little Valley	1.0%	0.1%	3.3%	0.2%	<0.1%	0.9%
Main Canyon	0.1%	<0.1%	0.5%	0.1%	<0.1%	0.2%
Morgan	0.2%	<0.1%	0.4%	<0.1%	<0.1%	0.2%
North Promontory	1.6%	0.3%	4.8%	1.0%	0.2%	2.8%
Porcupine Mountain	0.1%	<0.1%	0.4%	0.1%	<0.1%	0.3%
Rock Creek	3.4%	0.5%	8.5%	3.4%	0.5%	8.3%
Skull Valley	1.5%	0.2%	3.6%	1.4%	0.2%	3.6%
Snow Lake Graben	0.3%	<0.1%	1.0%	0.1%	<0.1%	0.5%
Stansbury - Total	5.8%	0.6%	13.7%	4.0%	0.4%	11.4%
Stansbury - North	2.2%	0.3%	5.3%	1.7%	0.2%	4.6%
Stansbury - Central	2.7%	0.3%	8.8%	2.5%	0.2%	8.0%
Stansbury - South	2.3%	0.2%	6.0%	1.1%	<0.1%	4.0%
Stinking Springs	1.3%	0.2%	4.1%	<0.1%	<0.1%	0.2%
Strawberry	0.6%	0.2%	1.8%	0.6%	0.1%	1.5%
Utah Lake	1.0%	<0.1%	4.3%	0.4%	<0.1%	1.7%
West Cache - Total	3.5%	0.8%	8.4%	2.5%	0.4%	7.0%
West Cache - North	2.1%	0.4%	5.0%	1.5%	0.2%	3.7%
West Cache - Central	1.8%	0.2%	6.9%	1.6%	0.1%	6.9%
West Cache - South	1.1%	0.2%	3.5%	0.9%	0.1%	3.5%
West Valley	0.7%	<0.1%	4.6%	<0.1%	<0.1%	0.1%
Western Bear Lake	1.2%	<0.1%	6.7%	0.1%	<0.1%	0.9%

Table 8.2-4. WFZ segment 30-year probabilities.

Fault Segment		$M \ge 6.0$			M ≥ 6.75	
	Mean	5th Percentile	95th Percentile	Mean	5th Percentile	95th Percentile
Malad City	0.2%	<0.1%	0.5%	0.2%	<0.1%	0.5%
Clarkston Mtn	0.2%	<0.1%	0.5%	0.2%	<0.1%	0.4%
Collinston	0.1%	<0.1%	0.4%	0.1%	<0.1%	0.3%
Brigham City	3.5%	1.0%	9.6%	3.4%	0.8%	9.6%
Weber	1.9%	0.2%	5.1%	1.9%	0.2%	5.0%
Salt Lake City	3.6%	1.1%	8.1%	3.6%	1.1%	8.1%
Provo	2.3%	0.3%	5.6%	2.3%	0.3%	5.6%
Nephi	1.1%	<0.1%	3.8%	1.1%	<0.1%	3.8%
Levan	0.6%	<0.1%	1.6%	0.5%	<0.1%	1.4%
Fayette	0.3%	<0.1%	0.9%	0.3%	<0.1%	0.8%

Table 8.2-5. OGSLFZ segment 30-year probabilities.

Fault Segment		$M \ge 6.0$			M ≥ 6.75	
	Mean	5th Percentile	95th Percentile	Mean	5th Percentile	95th Percentile
Rozelle	1.0%	0.2%	2.0%	0.9%	0.2%	2.0%
Promontory	1.2%	0.2%	3.1%	1.0%	0.1%	3.1%
Fremont Island	1.4%	0.2%	3.9%	1.2%	0.1%	3.7%
Antelope Island	0.7%	<0.1%	2.9%	0.7%	<0.1%	2.9%
Northern Oquirrh	0.4%	0.1%	1.3%	0.4%	<0.1%	1.2%
Southern Oquirrh	0.4%	0.1%	1.2%	0.4%	0.1%	1.2%
Topliff Hills	0.6%	0.1%	1.4%	0.4%	0.1%	1.1%
East Tintic	0.3%	<0.1%	0.7%	0.3%	<0.1%	0.7%

8.3 Sensitivity of Results to Models and Parametric Uncertainty

The probabilities in the WGUEP forecast are a function of many models, relations, and input parameters. In this section we investigate the sensitivity to some of these variables. First, for the WFZ and OGSLFZ, we look at the sensitivity to the various fault rupture models (Section 8.3.1). Then, we explore the sensitivity to the selected probability model and, for those segments modeled as time-dependent, to the COV (Section 8.3.2). Finally, we examine the sensitivity to the choice of magnitude relation used in calculating the characteristic magnitude for a fault or fault segment (Section 8.3.3).

8.3.1 Fault Rupture Models

For the central segments of the WFZ, the sensitivity of the 50-year probabilities of earthquakes of $\mathbf{M} \geq 6.75$ to fault rupture model is shown in Table 8.3-1. The single-segment rupture model, which was given the largest weight, results in the highest probabilities for the Brigham City and Salt Lake City segments. Note that the weight assessed for the time-dependent model is not equal for each of the fault rupture models, as discussed in Section 7.2.3. The Brigham City segment was not modeled as

time-dependent in any fault rupture model except the single-segment rupture model. Similarly, the impact of time-dependence can be seen with the Nephi segment. For rupture models of the Nephi segment where a time-dependent branch was included (single-segment rupture, Intermediate A and Intermediate C), the probabilities are much lower than for those rupture models where only the Poisson model was used (Table 8.3-1).

For each of the WFZ central segments, except for the Brigham City segment, the unsegmented model results in a higher probability than the segmented models (Table 8.3-1). Although the segment moment rates for the unsegmented model are similar to those of the other fault models (Figure 7.1-6), the range of magnitudes for the unsegmented model, which uses the DTGR recurrence model, includes many more smaller events; hence, the rate of these events is higher.

Table 8.3-2 shows the sensitivity to fault rupture model for the OGSLFZ. As with the WFZ, the unsegmented fault model (Model 5) results in the highest probabilities due to the use of the DTGR recurrence model. All segmented rupture models (models 1–4) use only the maximum magnitude recurrence model.

 Table 8.2-6. "Other modeled fault" 30-year probabilities.

Fault or Fault Segment		M ≥ 6.0			M ≥ 6.75	
	Mean	5th Percentile	95th Percentile	Mean	5th Percentile	95th Percentile
Bear River	1.8%	0.9%	3.9%	1.7%	0.7%	3.9%
Carrington	1.0%	0.2%	2.2%	0.9%	0.2%	2.2%
Crater Bench and Drum Mountains	0.1%	<0.1%	0.4%	0.1%	<0.1%	0.4%
Crawford Mountains	0.1%	<0.1%	0.2%	<0.1%	<0.1%	0.1%
Curlew Valley	1.3%	0.2%	3.9%	0.3%	<0.1%	1.2%
East Cache - Total	1.2%	0.2%	3.1%	0.9%	0.1%	2.3%
East Cache - North	0.5%	0.1%	1.6%	0.5%	0.1%	1.6%
East Cache - Central	0.8%	0.1%	2.0%	0.4%	<0.1%	1.6%
East Cache - South	0.2%	<0.1%	1.0%	0.2%	<0.1%	1.0%
East Dayton-Oxford	0.2%	<0.1%	0.4%	0.1%	<0.1%	0.2%
Eastern Bear Lake - Total	4.6%	1.1%	11.0%	3.9%	0.8%	10.0%
Eastern Bear Lake - North	1.4%	0.3%	3.5%	1.0%	0.1%	3.4%
Eastern Bear Lake - Central	2.7%	0.5%	7.8%	2.3%	0.3%	7.5%
Eastern Bear Lake - South	2.0%	0.3%	6.3%	2.0%	0.3%	6.3%
Faults along the edge of Scipio Valley- Pavant Range	0.5%	<0.1%	1.8%	0.5%	<0.1%	1.8%
Gunnison	0.4%	<0.1%	1.4%	0.4%	<0.1%	1.4%
Hansel Valley	0.2%	<0.1%	0.9%	<0.1%	<0.1%	0.2%
Joes Valley	0.2%	<0.1%	0.6%	0.2%	<0.1%	0.6%
Little Valley	0.6%	<0.1%	2.0%	0.1%	<0.1%	0.5%
Main Canyon	0.1%	<0.1%	0.3%	<0.1%	<0.1%	0.1%
Morgan	0.1%	<0.1%	0.3%	<0.1%	<0.1%	0.1%
North Promontory	0.9%	0.2%	2.9%	0.6%	0.1%	1.7%
Porcupine Mountain	0.1%	<0.1%	0.2%	0.1%	<0.1%	0.2%
Rock Creek	2.1%	0.3%	5.2%	2.1%	0.3%	5.0%
Skull Valley	1.0%	0.1%	2.2%	0.8%	0.1%	2.2%
Snow Lake Graben	0.2%	<0.1%	0.6%	0.1%	<0.1%	0.3%
Stansbury - Total	3.6%	0.4%	8.4%	2.4%	0.2%	7.0%
Stansbury - North	1.3%	0.2%	3.2%	1.0%	0.1%	2.8%
Stansbury - Central	1.6%	0.2%	5.4%	1.5%	0.1%	4.9%
Stansbury - South	1.4%	0.1%	3.7%	0.7%	<0.1%	2.4%
Stinking Springs	0.8%	0.1%	2.5%	<0.1%	<0.1%	0.1%
Strawberry	0.4%	0.1%	1.0%	0.3%	0.1%	0.9%
Utah Lake	0.7%	<0.1%	2.7%	0.3%	<0.1%	1.0%
West Cache - Total	2.1%	0.5%	5.1%	1.5%	0.2%	4.2%
West Cache - North	1.3%	0.2%	3.1%	0.9%	0.1%	2.2%
West Cache - Central	1.1%	0.1%	4.2%	1.0%	0.1%	4.2%
West Cache - South	0.7%	0.1%	2.1%	0.5%	<0.1%	2.1%
West Valley	0.4%	<0.1%	2.5%	<0.1%	<0.1%	0.1%
Western Bear Lake	0.7%	<0.1%	4.2%	0.1%	<0.1%	0.5%

Table 8.2-7. WFZ 100-year probabilities.

Fault Segment		$M \ge 6.0$			M ≥ 6.75	
	Mean	5th Percentile	95th Percentile	Mean	5th Percentile	95th Percentile
Malad City	0.5%	<0.1%	1.5%	0.5%	<0.1%	1.5%
Clarkston Mtn	0.6%	0.1%	1.6%	0.5%	<0.1%	1.5%
Collinston	0.5%	0.1%	1.2%	0.4%	0.1%	1.1%
Brigham City	11.0%	3.1%	28.4%	10.7%	2.8%	28.4%
Weber	6.3%	0.8%	15.3%	6.3%	0.8%	15.3%
Salt Lake City	11.2%	3.8%	25.2%	11.2%	3.8%	25.2%
Provo	7.7%	1.4%	16.4%	7.7%	1.4%	16.4%
Nephi	3.6%	<0.1%	12.1%	3.6%	<0.1%	12.1%
Levan	1.9%	0.2%	5.1%	1.7%	0.2%	4.7%
Fayette	1.0%	<0.1%	2.9%	0.9%	<0.1%	2.6%

Table 8.2-8. OGSLFZ segment 100-year probabilities.

Fault Segment		M ≥ 6.0		M ≥ 6.75			
	Mean	5th Percentile	95th Percentile	Mean	5th Percentile	95th Percentile	
Rozelle	3.3%	0.7%	6.6%	2.9%	0.7%	6.6%	
Promontory	3.9%	0.7%	9.7%	3.2%	0.3%	9.6%	
Fremont Island	4.5%	0.7%	12.1%	4.0%	0.5%	11.7%	
Antelope Island	2.3%	<0.1%	9.2%	2.3%	<0.1%	9.2%	
Northern Oquirrh	1.3%	0.2%	4.1%	1.3%	0.2%	3.8%	
Southern Oquirrh	1.4%	0.2%	4.0%	1.3%	0.2%	3.7%	
Topliff Hills	1.9%	0.3%	4.6%	1.4%	0.2%	3.5%	
East Tintic	0.9%	0.1%	2.3%	0.8%	0.1%	2.3%	

8.3.2 Probability Models

We examined sensitivity to probability model for the segments of the WFZ and OGSLFZ that we modeled using both the timeindependent (Poisson) and time-dependent (BPT) probability models. Table 8.3-3 reports the nominal time-independent and time-dependent probabilities for the central segments of the WFZ for one or more $M \ge 6.75$ earthquakes for the next 30, 50, and 100 years. Because these probabilities are the weighted mean from all fault models, the listed "time-dependent" probabilities are not 100% time-dependent, as explained in the footnote in Table 8.3-3. The sensitivity to the time-dependent model is better examined using the probabilities for the singlesegment rupture model, where all segments are time-dependent. As seen in Table 8.3-4, the BPT model gives significantly higher probabilities than the Poisson model for the Brigham City and Salt Lake City segments. In contrast, the probabilities using the BPT model are lower than the Poisson model for the other three segments, especially the Nephi segment which has an elapsed time since the most recent event of less than onethird of its mean recurrence interval.

As discussed in Section 7.2.2, the BPT model is very sensitive to the value of COV. A small COV indicates very periodic behavior, while a large COV models less periodic behavior. The BPT model has a delay period where the probability of

another event is low immediately following an event. This delay is shorter for larger values of COV. A COV of 0.7 models close-to-Poisson behavior once the elapsed time nears the mean recurrence interval (Figure 7.2-1b).

Table 8.3-5 provides the segment BPT probabilities for each of the three values of COV (0.3, 0.5 and 0.7) compared to the Poisson probabilities. For the Brigham City segment, a COV of 0.3 results in a probability (14.9%) that is 4.6 times larger than the Poisson probability. The ratio of elapsed time to mean recurrence interval is provided to help understand sensitivity to the BPT model. Looking at Figure 7.2-1b, the x-axis labeled time is this ratio, while the y-axis, or instantaneous failure rate can also be thought of as the ratio of the BPT probability to the Poisson probability. For the Salt Lake City segment, which has an elapsed time approximately equal to the mean recurrence interval, the BPT probability for a COV of 0.3 (10.3%) is 2.9 times larger than the Poisson probability (as discussed in Section 7.2.2, the mean recurrence interval for the BPT model is also a function of COV). The other three segments have mean elapsed times less than or equal to one-half their mean recurrence intervals.

The BPT model with a COV of 0.3 implies that the fault segments are still in the delay period of the stress renewal model. The resulting BPT probabilities range from less than 0.1%

 Table 8.2-9. "Other modeled fault" 100-year probabilities.

Fault or Fault Segment		$M \ge 6.0$			M ≥ 6.75	
	Mean	5th Percentile	95th Percentile	Mean	5th Percentile	95th Percentile
Bear River	5.8%	2.8%	12.3%	5.5%	2.5%	12.3%
Carrington	3.3%	0.7%	7.1%	2.8%	0.7%	7.1%
Crater Bench and Drum Mountains	0.3%	<0.1%	1.5%	0.3%	<0.1%	1.5%
Crawford Mountains	0.3%	0.1%	0.8%	0.1%	<0.1%	0.4%
Curlew Valley	4.2%	0.5%	12.4%	1.1%	0.1%	3.9%
East Cache - Total	4.0%	0.8%	9.9%	2.8%	0.4%	7.4%
East Cache - North	1.8%	0.2%	5.2%	1.8%	0.2%	5.2%
East Cache - Central	2.5%	0.5%	6.5%	1.3%	<0.1%	5.1%
East Cache - South	0.7%	0.1%	3.3%	0.7%	0.1%	3.3%
East Dayton-Oxford	0.6%	0.1%	1.4%	0.2%	<0.1%	0.6%
Eastern Bear Lake - Total	13.9%	3.5%	32.3%	11.4%	2.4%	29.5%
Eastern Bear Lake - North	4.4%	0.9%	11.1%	3.2%	0.3%	10.1%
Eastern Bear Lake - Central	8.3%	1.8%	23.2%	7.3%	1.0%	22.4%
Eastern Bear Lake - South	6.2%	0.9%	18.9%	6.1%	0.9%	18.8%
Faults along the edge of Scipio Valley- Pavant Range	1.5%	0.1%	5.8%	1.5%	0.1%	5.8%
Gunnison	1.2%	0.1%	4.6%	1.2%	0.1%	4.6%
Hansel Valley	0.7%	<0.1%	3.0%	0.1%	<0.1%	0.6%
Joes Valley	0.7%	0.1%	2.0%	0.5%	<0.1%	2.0%
Little Valley	2.0%	0.2%	6.4%	0.5%	<0.1%	1.7%
Main Canyon	0.3%	0.1%	0.9%	0.2%	<0.1%	0.4%
Morgan	0.3%	0.1%	0.9%	0.1%	<0.1%	0.3%
North Promontory	3.1%	0.5%	9.3%	2.1%	0.4%	5.5%
Porcupine Mountain	0.3%	0.1%	0.8%	0.3%	0.1%	0.7%
Rock Creek	6.7%	1.0%	16.3%	6.6%	1.0%	15.8%
Skull Valley	3.1%	0.4%	7.1%	2.6%	0.3%	7.1%
Snow Lake Graben	0.6%	0.1%	2.0%	0.3%	<0.1%	1.0%
Stansbury - Total	11.0%	1.2%	25.4%	7.7%	0.8%	21.5%
Stansbury - North	4.2%	0.5%	10.0%	3.3%	0.3%	8.9%
Stansbury - Central	5.2%	0.5%	16.8%	4.8%	0.4%	15.2%
Stansbury - South	4.5%	0.4%	11.7%	2.1%	<0.1%	7.8%
Stinking Springs	2.6%	0.3%	8.0%	0.1%	<0.1%	0.4%
Strawberry	1.3%	0.3%	3.5%	1.1%	0.3%	3.0%
Utah Lake	2.1%	<0.1%	8.6%	0.8%	<0.1%	3.4%
West Cache - Total	6.8%	1.5%	16.0%	4.9%	0.7%	13.4%
West Cache - North	4.1%	0.8%	9.6%	2.8%	0.4%	7.2%
West Cache - Central	3.4%	0.4%	13.3%	3.2%	0.2%	13.3%
West Cache - South	2.2%	0.4%	6.7%	1.7%	0.1%	6.7%
West Valley	1.2%	<0.1%	8.0%	<0.1%	<0.1%	0.2%
Western Bear Lake	2.3%	<0.1%	13.4%	0.2%	<0.1%	1.7%

Table 8.3-1. Sensitivity of 50-year probabilities for $M \ge 6.75$ earthquakes to fault rupture models used for the WFZ central segments.

Fault Segment	Single- Segment Rupture Model (wt 0.70)	Intermediate Rupture Model A (wt 0.05)	Intermediate Rupture Model B (wt 0.05)	Intermediate Rupture Model C (wt 0.075)	Minimum Rupture Model (wt 0.025)	Unsegmented (wt 0.1)	Wt. Mean
Brigham City	6.6%	3.0%	3.0%	3.0%	2.9%	3.8%	5.6%
Weber	2.3%	3.4%	3.4%	3.4%	3.4%	9.2%	3.2%
Salt Lake City	5.6%	3.5%	5.6%	5.6%	3.2%	9.3%	5.8%
Provo	3.1%	3.9%	3.9%	3.1%	4.0%	9.9%	3.9%
Nephi	1.3%	1.3%	3.8%	1.3%	3.1%	4.6%	1.8%

Table 8.3-2. Sensitivity of 50-year probabilities for $M \ge 6.75$ earthquakes to fault rupture models used for the OGSLFZ segments.

Fault Segment	Model 1	Model 2	Model 3	Model 4	Model 5	Wt. Mean
Rozelle	1.3%	1.3%	1.3%	1.3%	2.4%	1.5%
Promontory	1.0%	1.0%	1.0%	1.0%	4.0%	1.6%
Fremont Island	1.4%	1.4%	1.5%	1.4%	4.5%	2.1%
Antelope Island	0.3%	0.3%	1.5%	0.3%	3.7%	1.2%
Northern Oquirrh	0.6%	0.4%	0.4%	0.4%	0.6%	0.6%
Southern Oquirrh	0.6%	0.5%	0.5%	0.6%	1.4%	0.7%
Topliff Hills	0.6%	0.6%	0.6%	0.6%	1.1%	0.7%
East Tintic	0.3%	0.3%	0.3%	0.3%	0.8%	0.4%

Table 8.3-3. WFZ central segments, all fault models, $M \ge 6.75$ earthquake probabilities.

Fault Segment	30 Years			50 Years	100 Years		
	Poisson	Time-Dependent ¹	Poisson	Time-Dependent ¹	Poisson	Time-Dependent ¹	
Brigham City	2.0%	3.8%	3.2%	6.2%	6.2%	11.8%	
Weber	2.5%	1.8%	4.0%	3.0%	7.7%	6.0%	
Salt Lake City	2.6%	3.8%	4.2%	6.2%	8.0%	11.9%	
Provo	2.8%	2.2%	4.6%	3.7%	8.7%	7.4%	
Nephi	2.7%	0.7%	4.4%	1.1%	8.4%	2.4%	

¹ Note that for fault models with multi-segment ruptures, not all segments are time-dependent. The time-dependent probabilities are not 100% time-dependent. The effective time-dependent weight for the probabilities listed above are: BCS 0.7, WS 0.7, SLCS 0.83, PS 0.78, NS 0.83.

Table 8.3-4. WFZ central segments, single-segment rupture model, $M \ge 6.75$ earthquake probabilities.

Fault Segment	30 Years		50 Ye	ears	100 Years		
	Poisson	ВРТ	Poisson	ВРТ	Poisson	ВРТ	
Brigham City	1.9%	4.6%	3.2%	7.5%	6.2%	14.2%	
Weber	2.1%	1.2%	3.5%	2.0%	6.8%	4.3%	
Salt Lake City	2.2%	3.7%	3.6%	6.1%	7.1%	11.8%	
Provo	2.4%	1.7%	4.0%	2.8%	7.7%	6.0%	
Nephi	2.7%	0.3%	4.4%	0.5%	8.6%	1.3%	

(Nephi segment) to 40% (Provo segment) of the Poisson probabilities. At the other end of the range of COV values (COV = 0.7), the BPT probabilities for the Brigham City and Salt Lake City segments are similar to the Poisson probabilities. The BPT probabilities for the other three segments are less than the Poisson probabilities because the ratio of the mean elapsed time to mean recurrence intervals for those segments (0.2 to 0.4) indicates these segments are still in the delay period for a COV of 0.7.

Table 8.3-6 provides a comparison of the Poisson and BPT segment probabilities for the Fremont Island and Antelope Island segments of the OGSLFZ for fault model 2 (single-segment rupture model). The BPT probabilities are larger for the Fremont Island segment, and lower for the Antelope Island segment. Table 8.3-7 provides the sensitivity to COV for these segments.

8.3.3 Magnitude Relations

The choice of magnitude relation used in calculating the characteristic magnitude for a fault or fault segment does not have a notable impact on probabilities for the WFZ (Table 8.3-8).

(One can examine, for example, the ratio of the highest to the lowest probabilities in a given row of Table 8.3-8.) There is some impact for the northern and southern end segments of the WFZ, but little impact for the central segments, where earthquake rates are determined by recurrence intervals. The primary impact of the different magnitude relations is on the characteristic magnitude.

For the OGSLFZ, the impact of the choice of magnitude relation on earthquake probabilities (Table 8.3-9) is more comparable to that for the WFZ end segments than for its central segments. This again appears to reflect how earthquake rates were calculated; the probabilities for segments that have rates calculated using geologic slip rates show more variability than those calculated using recurrence intervals. The extent of the variability was examined for two other modeled faults having high slip rates: the East Cache fault zone and Eastern Bear Lake fault. The results, shown in Table 8.3-10, indicate that the choice of magnitude relation leads to a variability in probability similar to that seen for the end segments of the WFZ and for the segments of the OGSLFZ.

Table 8.3-5. Sensitivity to COV: WFZ central segments, single-segment rupture model, $M \ge 6.75$ earthquake 50-year probabilities.

Fault	Poisson]	BPT, $\alpha = 0.3$	3		BPT, $\alpha = 0.5$	1	BPT, $\alpha = 0.7$		
Segment	Probability	Probability	Lapse Time / Mean RI	Ratio of BPT to Poisson Probability	Probability	Lapse Time / Mean RI	Ratio of BPT to Poisson Probabiltiy	Probability	Lapse Time / Mean RI	Ratio of BPT to Poisson Probability
Brigham City	3.2%	14.9%	1.7	4.6	6.3%	1.5	2.0	3.7%	1.3	1.2
Weber	3.4%	1.1%	0.5	0.3	2.0%	0.4	0.6	2.6%	0.38	0.8
Salt Lake City	3.6%	10.3%	1.0	2.9	5.5%	0.9	1.5	3.7%	0.74	1.0
Provo	4.0%	1.7%	0.5	0.4	3.1%	0.5	0.8	3.2%	0.39	0.8
Nephi	4.4%	<0.1%	0.3	0.007	0.48%	0.3	0.1	1.0%	0.21	0.2

Table 8.3-6. OGSLFZ, single-segment rupture model, $M \ge 6.75$ earthquake probabilities.

Fault Segment	30 Years		50 Years		100 Years	
	Poisson	BPT	Poisson	BPT	Poisson	BPT
Fremont Island	0.8%	0.8%	1.2%	1.4%	2.5%	2.8%
Antelope Island	0.9%	0.01%	1.4%	0.02%	2.8%	0.05%

Table 8.3-7. Sensitivity to COV: OGSLFZ, single-segment rupture model, $M \ge 6.75$ earthquake 50-year probabilities.

Fault Segment	Poisson	BPT, $\alpha = 0.3$	BPT, $\alpha = 0.5$	BPT, $\alpha = 0.7$
Fremont Island	1.2%	2.1%	1.3%	0.9%
Antelope Island	1.4%	<0.01%	< 0.01%	0.07%

Table 8.3-8. Sensitivity to magnitude relations: WFZ central segments, $M \ge 6.75$ earthquake 50-year probabilities.

Fault Segment	Magnitude-Moment (Hanks and Kanamori, 1979)	Magnitude – SRL (Wesnousky, 2008)	Magnitude – SRL (Wells and Coppersmith, 1994)	Magnitude – SRL (Stirling <i>et al.</i> , 2002)
Total Fault	18.0%	17.1%	16.8%	17.8%
Malad City	0.22%	0.27%	0.38%	0.24%
Clarkston Mountain	0.22%	0.25%	0.28%	0.24%
Collinston	0.20%	0.22%	0.29%	0.20%
Brigham City	5.7%	4.8%	4.7%	5.8%
Weber	3.2%	3.2%	3.2%	3.2%
Salt Lake City	5.8%	5.6%	5.5%	5.9%
Provo	3.9%	3.9%	3.9%	3.9%
Nephi	1.8%	1.7%	1.7%	1.8%
Levan	0.77%	0.88%	1.32%	0.75%
Fayette	0.39%	0.47%	0.72%	0.42%

Table 8.3-9. Sensitivity to magnitude relations: OGSLFZ, $M \ge 6.75$ earthquake 50-year probabilities.

Fault Segment	Magnitude-Moment (Hanks and Kanamori, 1979)	Magnitude – SRL (Wesnousky, 2008)	Magnitude – SRL (Wells and Coppersmith, 1994)	Magnitude – SRL (Stirling <i>et al.</i> , 2002)
Total Fault	5.4%	5.7%	5.1%	6.8%
Rozelle	1.4%	1.3%	1.2%	1.7%
Promontory	1.3%	1.4%	1.3%	2.0%
Fremont Island	1.8%	2.0%	1.8%	2.4%
Antelope Island	1.0%	1.5%	1.4%	1.2%
Northern Oquirrh	0.54%	0.86%	0.79%	0.66%
Southern Oquirrh	0.57%	0.95%	0.88%	0.68%
Topliff Hills	0.64%	0.79%	0.69%	0.70%
East Tintic	0.35%	0.67%	0.65%	0.39%

Table 8.3-10. Sensitivity to magnitude relations: East Cache and Eastern Bear Lake faults, $\mathbf{M} \ge 6.75$ earthquake 50-year probabilities.

Fault	Magnitude-Moment (Hanks and Kanamori, 1979)	Magnitude – SRL (Wesnousky, 2008)	Magnitude – SRL (Wells and Coppersmith, 1994)	Magnitude – SRL (Stirling et al., 2002)
East Cache	1.2%	1.8%	1.7%	1.5%
Eastern Bear Lake	5.8%	7.4%	7.2%	5.6%

9 FUTURE DIRECTIONS AND LIMITATIONS

The formal analysis of earthquake probabilities in California extends back almost three decades; however, the Wasatch Front region has not had adequate information for similar analyses until this decade. This study represents the first formal community estimate of earthquake probabilities in the Wasatch Front region as well as the first formal earthquake forecast in the U.S. outside of California. The assessment was carried out by nationally recognized experts with first-hand knowledge of the paleoseismology, seismology, and geodesy of the study region and the surrounding Intermountain West.

In the process of this study, much has been learned. Indeed, the efforts described in this report have notably advanced the earthquake science of the Wasatch Front region. At the same time, we have identified some key issues for which lack-of-knowledge uncertainties should be reduced. The WGUEP hopes and intends that this forecast will be a cornerstone for future forecasts of earthquake probabilities in this region that will inevitably benefit from new data, continually improving methods of analysis, and further research.

The WFZ, the principal focus of this forecast, is now one of the best characterized faults in the world with a well quantified paleoseismic record that extends back to at least the middle Holocene for its central segments, thanks to numerous paleoseismic trench investigations since the late 1960s. Despite this progress, important questions persist regarding the nature of fault segmentation, earthquake rupture extent, and the timing and recurrence of mid- to early Holocene earthquakes.

Additional work is necessary to more rigorously test the WFZ segmentation model. Our analyses focused on the persegment earthquake histories, which served to refine the earthquake data, but also limited our ability to exhaustively define and evaluate all possible rupture permutations. For example, what is the frequency and rupture extent of earthquakes that have ruptured only part of a segment or crossed a segment boundary? Understanding the segmentation of the fault over the Holocene and the rupture extent of individual earthquakes (e.g., by targeted paleoseismic investigations near segment boundaries) would serve to improve models of multi-segment rupture on the fault. Ultimately, we suggest that an evaluation of possible ruptures across the WFZ segment boundaries using the site earthquake data be conducted to yield a more comprehensive suite of rupture models (e.g., Biasi and Weldon, 2009).

Poorly constrained mid-Holocene to latest Pleistocene earthquakes add uncertainty to the rupture behavior of the WFZ. Thus, additional paleoseismic data for this time period would serve to refine individual rupture extents and improve interevent and mean recurrence data for the fault. For example, questions remain regarding long (~2 kyr) inter-event periods on the segments that could reflect either variability in strain accumulation and moment release (e.g., aperiodic earthquake behavior) or could be the product of incomplete paleoseismic records. Continuing to improve the paleoseismic data for the central segments would result in more robust mean-recurrence and COV estimates for the WFZ, and ultimately, a more accurate Wasatch Front earthquake forecast. For the WFZ end segments, individual earthquake times and displacements are needed to better constrain mean recurrence intervals and slip rates for these less-active parts of the fault zone. Finally, improving the understanding of the subsurface geometry of the fault (e.g., planar versus listric) is important for comparing geologic slip rates for the WFZ to geodetic extension rates for the region.

Substantial uncertainties also exist in the characterization of the "other modeled faults" in the Wasatch Front region. We have attempted to quantify those uncertainties and include them in our forecast; however, additional paleoseismic data, and the systematic review and synthesis of previous data are necessary to better understand the hazard posed by these faults.

The approach taken in our Wasatch Front region forecast is generally straightforward and has leaned heavily on methodologies developed by the Working Groups on California Earthquake Probabilities (WGCEP). Compared to the California efforts, our task has been easier in one regard, in that we did not have to deal with the complexities of being along a plate boundary.

Our WGUEP forecast depends to a large degree on expert judgment. Compared to the WGCEP exercises, the involvement of scientists outside our immediate working group was limited due to the smaller community of experts on earthquake processes in the Wasatch Front region. However, we did attempt to capture the views of others not taking part in the WGUEP deliberations. Our WGUEP forecast should be viewed as a "consensus" forecast in the sense that our deliberations were extensive and consensus was reached for the vast majority of inputs. The appropriate role of geodetic information in characterizing the rate of fault activity is still controversial, and total agreement was not reached on its use in this forecast. Geodetic information was not used to estimate fault slip rates in our evaluation (see Section 9.3).

A number of the issues recognized by the WGCEP beginning in 1988 also apply to the Wasatch Front region and the BRP as well. In particular, the following issues have been the subject of ongoing study in the Wasatch Front region and we suggest should continue to be targets for future research.

9.1 Characteristic Earthquake Model and Fault Segmentation

Current concepts of a "characteristic earthquake" and fault segmentation had their beginnings in paleoseismic studies of the WFZ (Section 3.1). The WGUEP gave considerable weight to the maximum magnitude model, a variation on the characteristic earthquake model, because the paleoseismic evidence strongly suggests that it is applicable to the WFZ. Based on limited data, the model also appears to apply to some other faults in the Wasatch Front region. We made the decision to apply the maximum magnitude model to all of the longer faults in the region.

In California, the segmentation model has lost its consensus support. However, that is not the case in Utah and the BRP because the paleoseismic data are, in large part, consistent with fault segmentation. This is not to suggest that multisegment ruptures are not possible. Some observations of paleoearthquake timing, especially when including associated uncertainties, permit, but do not require multi-segment ruptures. The WGUEP did include some multi-segment ruptures in the forecast. Paleoseismic investigations (e.g., DuRoss and Hylland, 2015) continue to assess the applicability of different rupture models to the central WFZ.

9.2 Fault Interactions

The WGCEP strongly considered fault interactions and stress shadows in their Uniform California Earthquake Rupture Forecasts (UCERF2 and, most recently, UCERF3). Fault-interaction and stress-shadow models have not yet been comprehensively evaluated in the Wasatch Front region. At least one study (Chang and Smith, 2002) suggests that fault interaction may be an operative process along the WFZ central segments. These possible factors influencing the recurrence intervals of the major faults on the Wasatch Front region may need to be considered in future analyses.

9.3 Use of Geodetic Data

Estimating fault slip rates from geodetic data has become increaslingly popular. Most recently in UCERF3, the WG-CEP used geodetic data to determine slip rates in California. As described in Section 6, the geodetic moment rates for the Wasatch Front region and three of the four defined subregions are consistent with the geological/seismological moment rates for these regions calculated for the WGUEP earthquake rate model. However, the WGUEP judged at an early stage that the use of geodetic data to estimate fault slip rates in the region was still premature. Future studies are required before geodetic data can be used confidently to estimate fault slip rates in the Wasatch Front region. The geodetically-derived rates can be used in a logic tree framework as an alternative to geologic slip rates.

9.4 Estimating Characteristic Magnitudes

Magnitude regressions used in this study characterize the upper and lower bounds of the uncertainty in the estimated characteristic magnitude **M** for the analyzed faults. However, questions remain regarding (1) the source of the discrepancy

in estimates of \mathbf{M} between displacement- and length-based regressions, (2) the best way to address this \mathbf{M} discrepancy for faults in the region that have length but not displacement data, (3) the use of L_{seg} , L_{sub} , or SRL in the calculation of A and M_0 (see Section 3.6), and (4) the suitability of all-fault-type regressions to BRP normal faults. Certainly, more empirical data would help address these questions. In the meantime, multiple branches are required in a logic tree approach as was employed in this study.

9.5 COV

As described in Section 7.2.2, the coefficient of variation (COV) in the BPT model is a critical parameter. We have adopted a COV range of 0.5 ± 0.2 for the central WFZ segments and the OGSLFZ based on a global COV (Ellsworth *et al.*, 1999), as well as a composite COV for the central WFZ segments (Section 4.1.3). Segment-specific COVs range from 0.2 to 0.6, although the datasets are small (Section 4.1.2). The use of actual segment-specific COVs would have resulted in significantly different probabilities (Section 8.3.2). Obtaining complete paleoseismic records beyond 6.0 ka for the WFZ central segments would refine segment-specific COVs and, hence, potentially improve time-dependent probabilities.

9.6 Time-Dependent Model Weights

As described in Section 7.2.3, the WGUEP assigned a weight of 0.8 to the time-dependent BPT model and 0.2 weight to the time-independent Poisson model for the WFZ central segment ruptures. We judged that the elastic rebound model is applicable to both the central WFZ and to the Antelope Island and Fremont Island segments of the OGSLFZ and that available data on the rupture histories of these segments do not favor Poisson behavior. We emphasize, however, that the assigned timedependent model weight for each of these segments is diluted because multi-segment ruptures required a time-independent model weight of 1.0, due to a lack of paleoseismic data to constrain recurrence intervals. For example, for the Brigham City segment, which is of significant concern because of its long elapsed time, the effective time-dependent weight is only 0.56. The reduced time-dependent model rate for this and the other central WFZ segments has an obvious influence on the probabilities estimated in this study. Ultimately, a longer and more complete paleoseismic record is needed to reduce uncertainties relating to modeling rupture behavior on the WFZ and other major faults such as the OGSLFZ.

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